# IMAGE AND VIDEO TECHNOLOGY

Dr.-Ing. Colas Schretter, cschrett@etrovub.be Pleinlaan 9, 2<sup>nd</sup> floor (PL9-2.25)

# Exercises (WPO) 2017-2018

#### Content

- 1. (Week 07) Get started, create an image and experiment with noise distributions
- 2. (Week 08) Blur, noise (and interpolation) image artifacts
- 3. (Week 09) Lossy JPEG image approximation with the discrete cosine transform (DCT)
- 4. (Week 11) Lossless image compression with run-length encoding (RLE)
- 5. (Week 12) Variable-length codes (VLC) and entropy coding
- 6. (Week 13) Intra-frame and inter-frame prediction techniques for video compression

#### **OBJECTIVES**

- Write by yourself portable C++ code using the standard library
  - "A program that has not been tested does not work", Bjarne Stroustrup
- Understand digital image and video processing basics
  - "Programming is understanding", Kristen Nygaard
- Acquire **new skills** through practice instead of new knowledge
  - "I know how to do it, but I can't do it", Fritz Oser
- Focus on accuracy and usability instead of efficiency
  - "Premature optimization is the root of all evil", Donald Knuth

### Deliverables

An archive with your source code in plain C++ and your lab workbook in PDF format or a web blog including all your results images, qualitative observations and quantitative figures.

- Submission deadline: Sunday 7<sup>th</sup> January 2018 before 00:00 UTC
- All files must be prefixed by "ivt2017\_name\_surname\_" (plug in your own name / surname)
- Compile without warning with g++ -Wall -Wextra -pedantic, provide a Makefile if necessary
- Reference images will be given on Pointcarre for checking if programs satisfy requirements

### Project

Design an **original** encoder/decoder executable tool for **lossless bilevel image compression**.

Challenge by groups of two students. For less implementation clutter, only power-of-two square images must be supported (i.e.  $64 \times 64$  pixels,  $256 \times 256$  pixels, ...). For eager competitive spirit, a **ranking of the compression rates** on test set images will be shared on Pointcarre.

## EVALUATION

An external assessor will read your report and review your source code. He will ask questions and request modifications as programming task. Criteria are: respect of exercise's specifications, design of solutions, testing procedures, skills in C++ programming, quality of the documentation.

## Session 1

- 1 Get started
  - 1. Write, compile without warning and execute a "Hello World" C++ program
  - 2. Install the IMAGEJ viewer and import the  $256 \times 256$  pixels 32bpp .raw image of "Lena"
  - 3. Explore qualitatively in IMAGEJ by setting the "Window/Level" in the "Adjustment" menu
  - 4. Measure quantitatively in IMAGEJ with "Measure" and "Histogram" in the "Analyze" menu
- 2 Create and store RAW 32BPP grayscale images
  - 1. Generate a 256  $\times$  256 pixels image I containing normalized grayscale values  $I(x,y) \in [0,1]$  depending on pixel coordinates  $(x,y) \in [0..255] \times [0..255]$  with the following formula:

$$I(x,y) = \frac{1}{2} + \frac{1}{2}\cos\left(x\frac{\pi}{32}\right)\cos\left(y\frac{\pi}{64}\right)$$

- 2. Write a store function for saving your result as a .raw file of 32 bits values in raster order
  - What should be (and is) the size in bytes of your file?
- 3. Explore qualitatively your image by adjusting the "Window/Level"
  - Which level and window width enclose the full range of pixel values?
- 4. Measure quantitatively your image with the "Measure" and "Histogram" tools
- 3 GENERATE UNIFORM AND GAUSSIAN-DISTRIBUTED RANDOM IMAGES
  - 1. Generate a  $256 \times 256$  pixels image with uniform-distributed random numbers in [0,1)
    - What is the expected MSE of the random image, compared to the reference?
  - 2. Generate a  $256 \times 256$  pixels image with Gaussian-distributed random numbers
    - Set the mean to  $\frac{1}{2}$  and experiment with various noise variances
    - Which standard deviation value matches the expected MSE of the uniform random image?
  - 3. Display the two uniform and Gaussian-distributed noise images, side-by-side
    - Use a level of  $\frac{1}{2}$  and a window width of 1, compare the histograms of the two noise images
  - 4. Measure statistics of the noise realizations with the "Measure" tool in the "Analyze" menu
    - Compare the mean, variance, minimum and maximum values for the two cases

# Session 2

- 4 Additive Gaussian noise
  - 1. Write a load function for reading RAW 32bpp image files
  - 2. Load in memory the  $256 \times 256$  pixels picture of "Lena"
  - 3. Write a normalize8bpp function for mapping 8bpp grayscale values to the real range in [0, 1]
    - Apply this operator to convert pixel values from integers in [0..255] to real values in [0,1]
  - 4. Write a noise function that adds zero-mean Gaussian noise of given standard deviation
    - Experiment with various noise variances and compare your results side-by-side
  - 5. Write a psnr function that computes the PSNR between two images, given a "MAX" value
    - What is the PSNR (MAX=1) of the noisy image compared to the original?
- 5 Blur and sharpen with  $3 \times 3$  kernel convolution
  - 1. What are the values of a normalized  $3 \times 3$  blur kernel, using the Normal distribution?
    - Hint: this is very unlikely you will find readily the right numbers on the Internet

- 2. Write a blur function that applies a  $3 \times 3$  kernel convolution inside a rectangular region
  - Hint: you should not care at this moment for a solution handling pixels at the borders
- 3. Update your implementation for applying the  $3 \times 3$  kernel convolution on the whole image
  - What is the PSNR (MAX=1) of the blurred image compared to the original?
  - Which result looks best to your naked eyes (at equal PSNR): the blurry or noisy image?
- 4. Use the blurred image and very simple arithmetic operations for sharpening the input image
  - Hint: check out "unsharp masking"
  - What is the PSNR of the sharpened image compared to the original?

#### 6 Image capture artifacts

- 1. Load a  $256 \times 256$  pixels picture and add Gaussian noise to the original image
  - Set the noise variance to get roughly equal PSNR than blur with  $3 \times 3$  kernel convolution
  - Which standard deviation you retained for the additive Gaussian noise?
- 2. After adding Gaussian noise, then convolve the image with the  $3 \times 3$  blur kernel
- 3. Generate a second image where you apply first blur then add Gaussian noise
  - Which sequence models well artifacts of a SLR camera: "noise-blur" or "blur-noise"?
- 4. Display your "noise-blur" and "blur-noise" result images, side-by-side
  - Why there is such a difference in visual quality?
- 5. Compare the PSNR of the two results against the original picture
  - Do you agree that "Blur is a medication for noise"?

#### 7 Downscaling and upscaling

- 1. Write a downscale function for reducing the size by a factor 2
- 2. Write a upscale function for back by a factor 2
  - Which interpolation method did your implement?
- 3. Compare in terms of PSNR the upscaled version with the original picture
- 4. Implement a better image interpolation method for the upscaling operation
  - Which interpolation method did your implement?
  - What is the upscaling quality improvement, in terms of PSNR?
- 5. After applying successively a downscale then upscale operation
  - What happened to the upscaled image?
- 6. Compute the difference image between the upscaled version and the original picture
  - Where are located the differences?
- 7. Apply again successively a downscale then upscale operations
  - Do you confirm your initial observations?
- 8. Compare the result in terms of PSNR using either the original and blurred images as reference

### Session 3

- 8 Discrete Cosine Transform (DCT)
  - 1. Create a matrix (dictionary) containing all DCT basis vectors for a 1D signal of length 256
    - Display the dictionary as an image: is it looking right?
    - Rescale your basis vectors to get the modified orthonormal DCT-II variant used in JPEG
    - What is the gain of the DC coefficient?
  - 2. Write a transform function that produce DCT coefficients from the input image
    - Use the analysis DCT dictionary as a parameter to the function
    - Hint: the 2D transform is separable: split into 1D row-wise, then column-wise dot products

- 3. Write a threshold function that zero-out small (in absolute value) DCT coefficients

  Threshold small DCT coefficients to zero for discarding information in the frequency domain
- 4. Write a transpose function to produce the inverse synthesis IDCT dictionary
  - Display the analysis and synthesis dictionaries side-by-side, do you spot the difference?
- 5. Reconstruct an image using again the transform function with the synthesis IDCT dictionary
  - What is the visual effect of hard thresholding on the reconstructed images?
  - Measure the approximation quality in terms of PSNR for various threshold values

#### 9 Lossy JPEG image approximation

- 1. Create a 8×8 pixels image containing standard JPEG quantization weights Q at 50% quality
  - Visualize the pattern Q, zoom in, change the "Window/Level" setting, ...
  - What is the meaning of coefficients? Why the  $8 \times 8$  pattern is not symmetric?
- 2. Write an approximate function that apply for each 8 × 8 pixels blocks: DCT, Q, IQ, IDCT
- 3. Write a quantize8bpp function for exporting normalized images to 8bpp grayscale values
  - Hint: after denormalization, quantize and clip integer values in the valid range [0..255]
- 4. Create a difference image of your result with a baseline JPEG file at 50% quality
  - **Hint**: set the quality of JPEG in the "Edit > Options > Input/Output..." menu in IMAGEJ
  - Is the difference image zero everywhere as expected?
- 5. Compare **qualitatively** (eyeballing candidly) the difference image and explain what you see Are you surprised by what you see?
- 6. Compare **quantitatively** (measuring precisely) the difference image and interpret numbers Do you understand more from your analyzes?

# 10 PACKING DCT COEFFICIENTS

- 1. Experiment various ways to layout the DCT coefficients (for an input  $256 \times 256$  pixels image):
  - 1.  $256 \times 256$  pixels layout with a  $32 \times 32$  grid of  $8 \times 8$  contiguous DCT coefficients
  - 2.  $256 \times 256$  pixels layout with a  $8 \times 8$  grid of  $32 \times 32$  interleaved DCT coefficients
  - Compare visually side-by-side the two options 1. and 2.
  - 3.  $64 \times 1024$  pixels layout with 1024 rows of 64 DCT coefficients per block in raster order
  - $4.~64 \times 1024$  pixels layout with 1024 rows of 64 DCT coefficients per block in **zigzag** order
  - Compare visually side-by-side the two options 3. and 4.