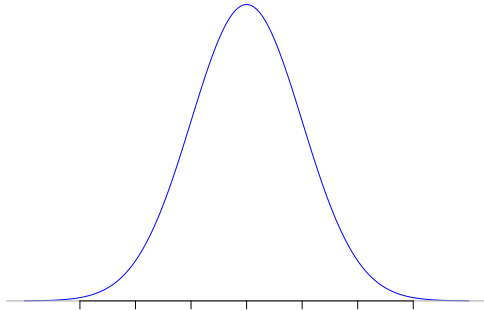
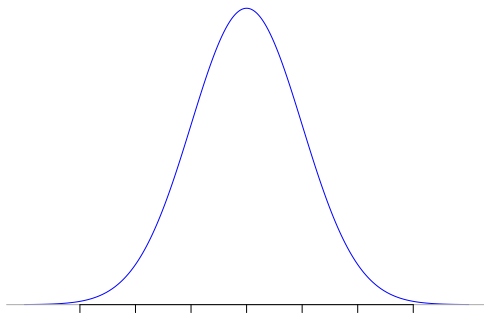


1. In each case (i) label the tick marks of the density curve for $N(0, 1)$; (ii) sketch the area under the curve corresponding to the proportion given; and (iii) determine this proportion using the `pnorm()` function in R or the `pnorm()` table below.

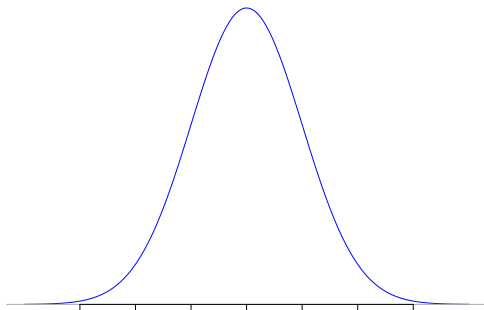
(a) $P(z < 1.53)$



(b) $P(z > -0.54)$



(c) $P(-1.2 < z < 1.6)$

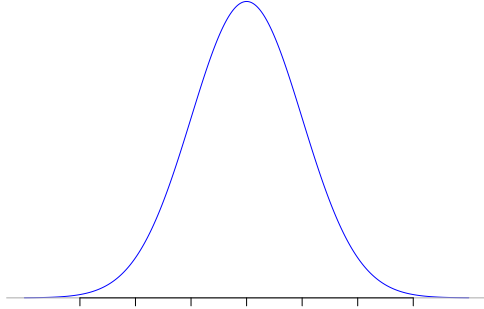


`pnorm(z)` = the proportion of the $N(0, 1)$ distribution less than z

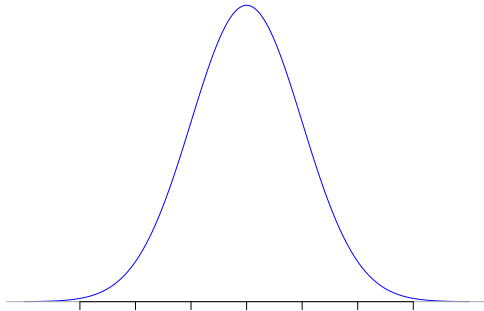
<code>pnorm(-1.20) = .1151</code>	<code>pnorm(-0.80) = .2119</code>	<code>pnorm(-0.54) = .2946</code>	<code>pnorm(0.40) = .6554</code>
<code>pnorm(1.53) = .9370</code>	<code>pnorm(1.60) = .9452</code>	<code>pnorm(2.10) = .9821</code>	<code>pnorm(2.29) = .9890</code>

2. In each case (i) label the tick marks of the density curve for the given normal distribution $N(\mu, \sigma)$, (ii) sketch the area under the curve corresponding to the proportion given; (iii) convert to z -scores; and (iv) determine the proportion using the `pnorm()` function in R, or the table on page 1.

(a) In $N(14, 3)$, find $P(X > 16.4)$



(b) In $N(10, 2.5)$, find $P(8 < X < 11)$



3. The household income in a certain community is normally distributed with a mean of \$61,000 and a standard deviation of \$17,000. Find the z -score for the income \$100,000, and then determine the proportion of households with incomes exceeding \$100,000.