

# Using MPI RMA in Graph Analytics

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## **Graph algorithms**

- Combinatorial (graph) algorithms are key enablers in data analytics
  - Graph coloring, matching, community detection, centralities, traversals, etc.
- Relatively *less* computation and *more* memory accesses
- Exact algorithms exorbitant *heuristics* or *approximation* algorithms favored
- Graphs are multifarious, distributedmemory poses challenges
  - Asynchronous, irregular and adversarial communication patterns
  - Network contention can further exacerbate performance

Ghosh, S., Tallent, N. R., and Halappanavar, M. 2021. Characterizing Performance of Graph Neighborhood Communication Patterns. *IEEE Transactions on Parallel and Distributed Systems*, *33*(4), 915-928.





Pair-wise communication volume for BFS (left) and Graph neighborhood (right) for same graph

Communication is shown as a heat map of bytes/process pair, black is 0 bytes

Graph500 or traversal-based algorithms are not necessarily representative use cases!

#### Graph Clustering using Louvain edges Access pattern: <u>Neighborhood search</u>

- and determine target community
- Synchronization: Tasks require global knowledge, all-to-all pattern
- <u>Latency</u> of message exchanges
- Graph Maximum Weighted Matching
  - Access pattern: <u>Neighborhood search</u> and determine heaviest active neighbor
  - Synchronization: Tasks are asynchronous, individual completion
  - <u>Bandwidth</u> (queue of messages)

Ghosh S, Halappanavar M, Tumeo A, Kalyanaraman A, Lu H, Chavarria-Miranda D, Khan A, Gebremedhin A. Distributed louvain algorithm for graph community detection. In 2018 IEEE international parallel and distributed processing symposium (IPDPS) 2018 May 21 (pp. 885-895). IEEE.

Ghosh S, Halappanavar M, Kalyanaraman A, Khan A, Gebremedhin A. Exploring MPI Communication Models for Graph Applications Using Graph Codes: https://github.com/Exa-Graph 3 Matching as a Case Study. In 2019 IEEE International Parallel and Distributed Processing Symposium (IPDPS) 2019 May 20 (pp. 761-770). IEEE.

#### that strongly correlate to one another within their group, and sparsely so, outside.

15

inter-cluster



intra-cluster

20

5

edges

Goal: Identify tightly knit groups

15



Communication traces, purple denotes synchronization





Graph applications: clustering and matching

#### **Communication pattern**



- Asynchronous point-to-point updates
- MPI Send/Recv has been supporting messaging needs of parallel graph applications

Graph		Adjacency matrix						Per-process CSR			
					0	1	2	3		Process #0	
6	<u>`</u>		١	0	0	1	1	0		rowptr: 0 2 4 colidx: 1 2 0 3	
Y	ク	4	)	1	1	0	0	1			
G	<u>}</u>		2 3	2	1	0	0	1		Process #1	
E	5	e		3	0	1	1	0		rowptr: 0 2 4 colidx: 0 3 1 2	

Vertex-based graph distribution over two processes for undirected graph with 4 vertices and 8 edges. *Ghost vertices* for processes #0 and #1, respectively: 2 and 3; 0 and 1.  Send/Recv matches well with the owner computes model

**Input**:  $G_i = (V_i, E_i)$  portion of the graph G in rank i.

-		
1:	while true do	
2:	$X_g \leftarrow \mathbf{Recv} \text{ messages}$	
3:	for $\{x, y\} \in X_g$ do	≻2
4:	$Compute(x, y)$ {local computation}	5
5:	for $v \in V_i$ do	$\leq$
6:	for $u \in Neighbor(v)$ do	
7:	$Compute(u, v)$ {local computation}	<b>≻</b> 1
8:	if $owner(u) \neq i$ then	
9:	Nonblocking $Send(u, v)$ to $owner(u)$	
10:	if processed all neighbors then	>3
11:	break and output data	ک

 However, MPI offers other models – better suited to reduce synchronization and exploiting neighborhood communication patterns

# Calculating remote offset for RMA



- Trivial to calculate vertex owner in a vertex-based distribution
- However, RMA versions must calculate remote offset – challenging for sparse data
- Assuming passive target communication
- A process maintains two O(#neighbor) buffers (see P7)
  - One for storing prefix sums of (#ghosts – 1)
  - Second buffer obtained through alltoall exchanges of the above buffer among neighbors



### Performance of matching/clustering





(a) Friendster (1K-4K processes) 2K to 4K processes:  $E_p$  increases 4x (b) Orkut (512-2K processes) 512 to 2K processes: *E<sub>p</sub>* increases 14x

extra data point (action), increasing communication overhead at scale

Graph Matching performance on NERSC Cori

Versions	1	024 proce	sses	2048 processes				
Versions	Itrs	Time	Q	Itrs		Time	Q	
NBSR	111	745.80	0.6155	127	Τ	498.89	0.6177	
COLL	109	752.41	0.6159	141		554.98	0.6204	
SR	111	783.94	0.6157	103	Τ	423.43	0.6191	
RMA	109	782.47	0.6162	111		589.47	0.6190	

Clustering is a nondeterministic problem

Dissimilar number of iterations across versions affect execution time and modularities (metric of quality)

Graph Clustering #iterations, execution time (in secs.) and Modularity (Q) of Friendster (65.6M vertices, 1.8B edges) on 1024/2048 processes

#### MPI RMA alternatives: UPC++

- MPI-3 features such as Passive RMA and Neighborhood Collectives can be difficult to program or may have overheads
  - Status of proposal for RPC in MPI RMA ???
  - Neighborhood collective currently uses point-to-point internally (no h/w collectives)
- C++ enables performance portability models and modern applications C++ interface of MPI is deprecated since MPI 2.2
- UPC++ has convenient one-sided, serialization/non-contiguous support and RPC interfaces; targets both performance and programmability

### UPC++ Graph Matching performance

- UPC++-RMA performance competitive to MPI-RMA
- UPC++-RPC provides much better programmability (reduced ~100 LoC)
  - RPC provides mechanism to combine outgoing data with remote-side logic

```
GraphElem data_0 = data[0];
GraphElem data_1 = data[1];
current = upcxx::when_all(current,
    upcxx::rpc(target, [data_0, data_1](upcxx::dist_object<MaxEdgeMatchUPXRPC*>& dobj)
    MaxEdgeMatchUPXRPC *here = *dobj;
    here->deactivate_edge(data_0, data_1);
    // recalculate mate[x]
    if (here->mate_[here->g_->global_to_local(data_0)] == data_1) {
        here->find_mate(data_0);
        }, dobj));
```



Using cray-mpich/7.7.10 and upcxx/2020.3.8-snapshot on NERSC Cori (Haswell), input graph is com-Friendster (1.8B edges).

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# Thank you

UPC++ versions: https://github.com/Exa-Graph/mel-upx

MPI versions: https://github.com/Exa-Graph/mel https://github.com/Exa-Graph/miniVite