Inheritance, Overriding and Dynamic Binding

$$\begin{array}{c} \text{OOP in C++} \\ \text{2017} \end{array}$$

1 Electric Dipoles

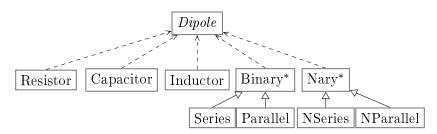
Every electric circuit is composed of differing components such as resistors, capacitors, diodes and electromagnetic coils. They can be assembled in either series or parallel circuits. Depending on their component, each circuit present a specific resistance to the current when a voltage is applied. The **impedance** extends this notion of resistance to alternating currents.

Given ω the angular frequency of the current, the impedance z of the circuit can be computed as follows (with the constant $i=1 \angle \frac{\pi}{2}=e^{j\frac{\pi}{2}}$).

Symbol	Description	Impedance
$r \text{ in } \Omega$	A resistor of value r expressed in ohms (noted Ω)	z = r
$ \begin{array}{c} l \text{ in H} \\ - \end{array} $ $ c \text{ in F} $	An inductor of value l expressed in henries (noted H)	$z = i(\omega * l)$
	A capacitor of value c expressed in farad (noted F)	$z = i(\frac{-1}{\omega * c})$
	A series circuit with 2 dipoles of impedance z_1 and z_2	$z = z_1 + z_2$
	A parallel circuit with 2 dipoles of impedance z_1 and z_2	$z = \frac{1}{\frac{1}{z_1} + \frac{1}{z_2}}$

1.1 Modeling Dipole

We will use the following class hierarchy to model the electric dipoles.



The *Dipole* class provides a method virtual Complex impedance(double omega) implemented below in the hierarchy. The parameter omega represents the angular frequency of the current. The impedance is a complex number (only resistors have a real impedance).

1.2 Implementing Dipole

Download the provided code from https://git.io/vS2Ri and save each file your local disk and open them with your favorite editor (or geany if you have no favorite editor yet).

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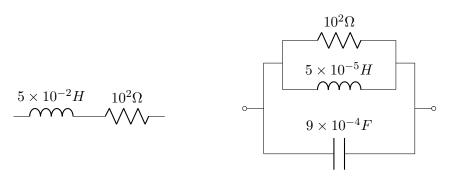
Tested Inductor.

Tested Capacitor.

Tested Resistor.

▶ Question 2: We will now implement the binary circuits (according to the previous class diagram), either built in parallel or in series. What is the point of adding a Binary class? What do parallel and serie circuits have in common that you could factorize in this Binary class?

Check your implementation with the following circuits.



Serie $(z \approx 100.0 + 15.70j \ \Omega)$.

Parallel $(z \approx 0.2079 + -4.55j \ \Omega)$.

▷ Question 3: Now, we would like to implement N-ary circuits, that can connect more than 2 dipoles in either parallel or serie. For series circuit: $z = \sum_{i=1}^{n} \omega_i$. For parallel circuit: $z = \frac{1}{\sum_{i=1}^{n} \frac{1}{\omega_i}}$.

Use a std::vector to store the included dipoles.

See http://en.cppreference.com/w/cpp/container/vector for more info.

