

DISCRETE MATHEMATICS

1. If the number of elements in a set is not finite then the set is called an
A) finite set
B) collective set
C) Infinite set
D) arranged set
2. If $A = \{1, 3, 5\}$ and $B = \{1, 3, 5, 7\}$ then A is a subset of B
A) smaller
B) proper
C) improper
D) normal
3. Consider the set $A = \{1, 2, 3\}$, the power set of A has elements
A) 2^3
B) 2^2
C) 2^5
D) 2^6
4. The cardinality of the set $A = \{1, 2, 3, 0, 6, 7, 8, 9\}$ is
A) 7
B) 8
C) 6
D) 2
5. If A is the arithmetic mean between the extremes a and b then $A =$
A) $a - b / 2$
B) $a + b / 2$
C) $a + 2b / 2$
D) $a - 2b / 2$
6. The nth term of an arithmetic progression $a + (a + d) + (a + 2d) + \dots$ is
A) $a + nd$
B) $a + (n-1)d$
C) $a + (n+1)d$
D) $2a + (n+1)d$
7. The proposition $\sim p \vee (p \vee q)$ is a
A) Tautology
B) Contradiction
C) Logical equivalence
D) None of the above
8. The sum to infinity of a geometric progression is
A) $a / 1 - r$
B) $a / 1 + r$
C) $-a / 1 + r$
D) $a^2 / 1 + r$

9. Combinatorics is the branch of discrete mathematics concerned with

- A) **counting problems**
- B) abstract algebra
- C) derivative problems
- D) integrated problems

10. If the object A is chosen in m ways and B in n ways then either A or B is chosen in ways

- A) m/n
- B) mn
- C) **$m + n$**
- D) $m - n$

11. A relation means on a set S.

- A) dual relation
- B) **binary relation**
- C) reflexive relation
- D) symmetric relation

12. A is a set S with a relation R on it which is reflexive, anti-symmetric and transitive.

- A) equivalent set
- B) ordered set
- C) implicit set
- D) **Partially ordered set**

13. If S is a poset and a, b are in S such that $a > b$ and there is no c in S such that $a > c$ and $c > b$, then we say that

- A) b covers b
- B) a covers a
- C) **a covers b**
- D) b covers a

14. Let $(A, *)$ be an algebraic system where * is a binary operation on A. Then $(A, *)$ is called a semigroup if it satisfies the

- A) closure law
- B) associative law
- C) reflexive law
- D) **closure and associative law**

15. Let N be the set of natural numbers, under the operation '*', where $x*y = \max(x, y)$. Then the set is a

- A) topogroup
- B) multigroup
- C) **semigroup**
- D) subgroup

16. The set Z with the binary operation "subtraction" is a subgroup

- A) **not**
- B) subset of
- C) always
- D) superset of

17. If for any ring R , $a.b = b.a$ for all $a, b \in R$ then R is said to be a

- A) integer ring
- B) commutative ring**
- C) cyclic ring
- D) non-commutative ring

18. A commutative ring is said to be an integral domain if it has no

- A) zero-divisors**
- B) inverse
- C) multiples
- D) identity

19. A ring R is said to be a if $x^2 = x$ for all $x \in R$.

- A) permutation ring
- B) commutative ring
- C) Boolean ring**
- D) identity ring

20. If R is a Boolean ring then R is a

- A) commutative ring**
- B) subring
- C) integral ring
- D) integer

21. Reasoning is a special kind of thinking called

- A) inferring**
- B) logics
- C) bijective
- D) contradictory

22. The basic unit of our objective language is called a

- A) prime divisor
- B) prime statement**
- C) bijective statement
- D) statement

23. The validity of an argument does not guarantee the truth of the

- A) permutation
- B) commutative value
- C) conclusion**
- D) identity value

24. A is a statement that is either true or false, but not both.

- A) argument
- B) conclusion
- C) bi-conditional
- D) proposition**

25. A function $f: A \rightarrow B$ is said to be if for every $y \in B$ there exists at least one element $x \in A$ such that $f(x) = y$.

- A) surjective**
- B) bijective
- C) injective
- D) Automorphism

26. If f is onto then $f(A) =$

- A) Φ
- B) B**
- C) A
- D) $A \times B$

27. The set $\{x \in \mathbb{R} : a < x < b\}$ is denoted by

- A) $[a, b)$
- B) $(a, b]$
- C) (a, b)**
- D) $\{a, b\}$

28. A function $f: A \rightarrow B$ is said to be a periodic function if

- A) $f(x) = f(\alpha)$
- B) $f(x) = f(x - \alpha)$
- C) $f(x) = f(x + 2\alpha)$
- D) $f(x) = f(x + \alpha)$**

29. $f(x) = \tan x$ is a periodic function with period

- A) π**
- B) 2π
- C) $\pi/2$
- D) 3π

30. If $A = \{2, 3, 4\}$, $B = \{4, 5, 6\}$ and $C = \{6, 7\}$ then $A \times (C - B) =$

- A) $\{(2,7) (3,7) (7,4)\}$
- B) $\{(2,7) (3,3) (4,7)\}$
- C) $\{(7,2) (3,7) (4,7)\}$
- D) $\{(2,7) (3,7) (4,7)\}$**

31. The n^{th} term of $1 + 3 + 5 + 7 + \dots$

- A) $2n$
- B) $2n + 1$
- C) $2n - 1$**
- D) $1 - 2n$

32. If $x = 2.52$ then $[5x.2] =$

- A) 0
- B) 1
- C) 2**
- D) 3

33. The elements in level-1 are called

- A) electrons
- B) atoms**
- C) neutrons
- D) molecules

34. A Poset S is said to be Set if for a, b in S exactly one of the conditions, $a > b$, $a = b$ or $b > a$ holds.

- A) totally ordered**
- B) ordered
- C) not ordered
- D) completely ordered

35. Let $(S, *)$ be a semigroup and let T be a subset of S . If T is closed under the operation $*$, Then $(T, *)$ is called a of $(S, *)$

- A) semigroup
- B) super group
- C) subgroup
- D) subsemigroup**

36. The semigroup S/R is called the

- A) totally ordered
- B) quotient semigroup**
- C) not ordered
- D) completely ordered

37. A finite integral domain is a

- A) subfield
- B) vector
- C) field**
- D) ring

38. An integral domain D is said to be of characteristic 0 if the relation $ma \neq 0$ where $0 \neq a \in D$ and m is an integer, can hold only if

- A) $m = 0$**
- B) $m = 1$
- C) $m = 2$
- D) $m = -1$

39. $P \wedge Q$ is called the of P and Q .

- A) conditional
- B) conjunction**
- C) bi-conditional
- D) disjunction

40. In the implication $P \rightarrow Q$, P is called the

- A) consequent
- B) premise**
- C) conditional
- D) statement

41. If $A = \{2, 3, 5\}$ and $B = \{4, 6, 9\}$ then if R is defined as $R = \{(a, b) \in A \times B / a \mid b\}$ then the set $R =$

- A) $\{(2,4), (2,6), (3,4), (3,9)\}$
- B) $\{(2,4), (2,6), (3,6), (3,9)\}$**
- C) $\{(2,4), (2,9), (3,6), (3,9)\}$
- D) $\{(4,2), (2,6), (3,6), (3,9)\}$

42. If $R = \{(2,1), (3,1), (5,1), (5,4)\}$ then $R^{-1} =$

- A) $\{(2,1), (3,1), (5,1), (4,5)\}$
- B) $\{(2,1), (3,1), (5,1), (5,4)\}$
- C) $\{(1,2), (1,3), (1,5), (4,5)\}$**
- D) $\{(2,1), (3,1), (5,1), (4,5)\}$

43. If 4^{th} , 7^{th} and 10^{th} terms of G.P. are a, b, c respectively then

- A) $b^2 = ac^2$
- B) $b^2 = a+c$
- C) $b^2 = a^2 c^2$
- D) $b^2 = ac$**

44. A relation R on a set A is said to be symmetric if $(a,b) \in R \Rightarrow$

- A) $(b,a) \in R$**
- B) $(b^2, a^2) \in R$
- C) $(x,y) \in R$
- D) $(y,x) \in R$

45. Consider the set of all straight lines in a plane. If the relation R is defined as “parallel to” then R is

- A) reflexive
- B) symmetric
- C) transitive
- D) A), B) and C)**

46. The next permutation to 4123 in the reverse Lexicographic order is

- A) 3412
- B) 3421
- C) 2413**
- D) 4312

47. Let (L, \wedge, \vee) be an algebraic lattice and $x \in L$ then $x \wedge x =$

- A) x**
- B) x^2
- C) x^3
- D) $1/x$

48. If L is a finite lattice then L is

- A) supremum
- B) infimum
- C) bounded**
- D) unbounded

49. If H is a subgroup of G and a, b \in G. Then $aH = bH$ if and only if

- A) $a^{-1} b^{-1} \in H$
- B) $ab \in H$
- C) $ab^{-1} \in H$
- D) $a^{-1} b \in H$**

50. If Φ is a homomorphism of G into G' with kernel K then K is a of G

- A) normal subgroup**
- B) subgroup
- C) bounded subgroup
- D) unbounded subgroup