



Generative AI with Diffusion Models

Part 1: From U-Nets to Diffusion

Agenda

- Part 1: From U-Nets to Diffusion
- Part 2: Denoising Diffusion Probabilistic Models
- Part 3: Optimizations
- Part 4: Classifier Free Diffusion
- Part 5: CLIP
- Part 6: Wrap-up & Assessment

Prerequisites

- Basic familiarity with convolutional neural networks (CNNs)
- Basic familiarity with a deep learning framework such as:
 - PyTorch
 - TensorFlow

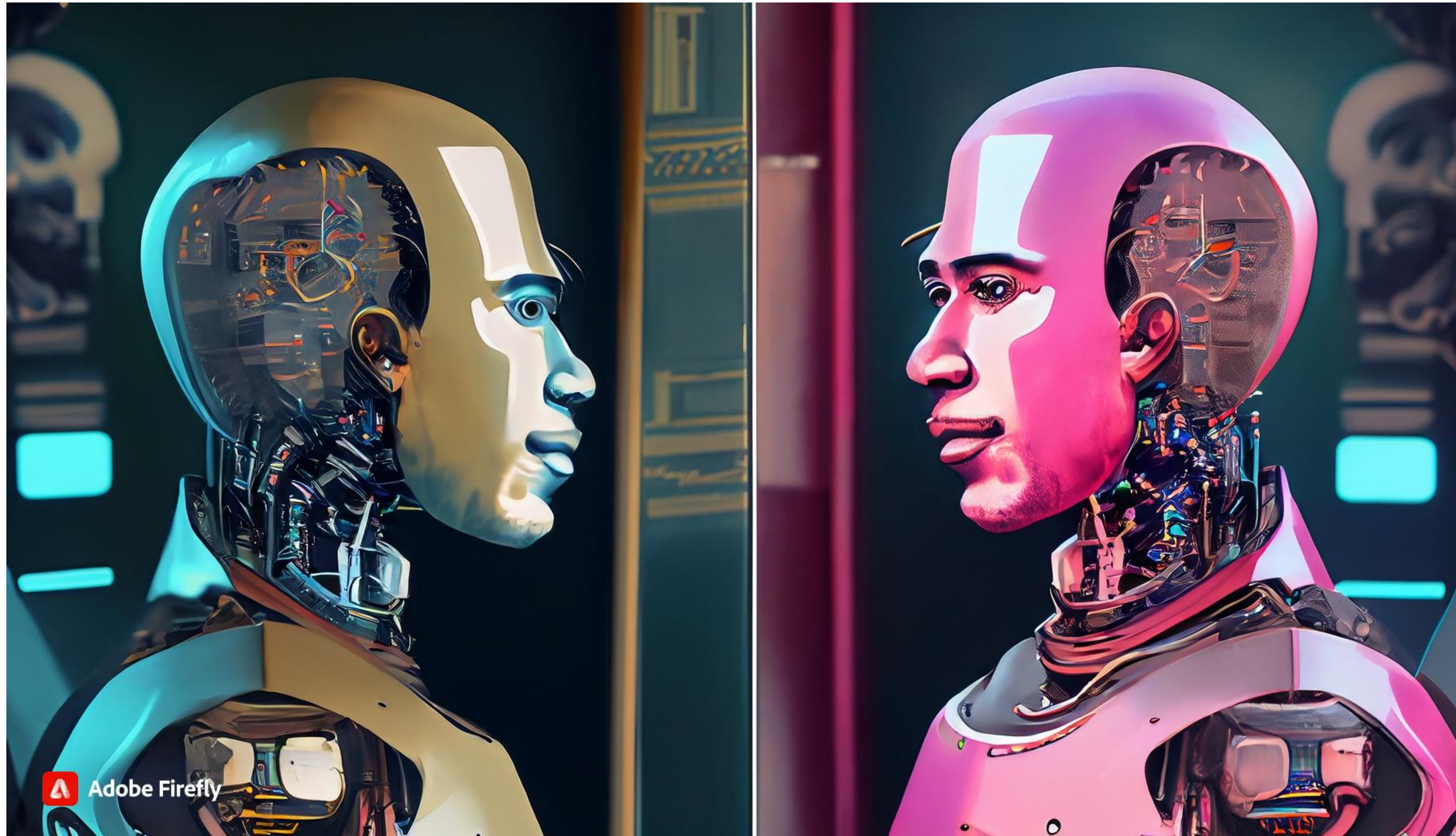




A Brief History of Generative AI

The Imitation Game

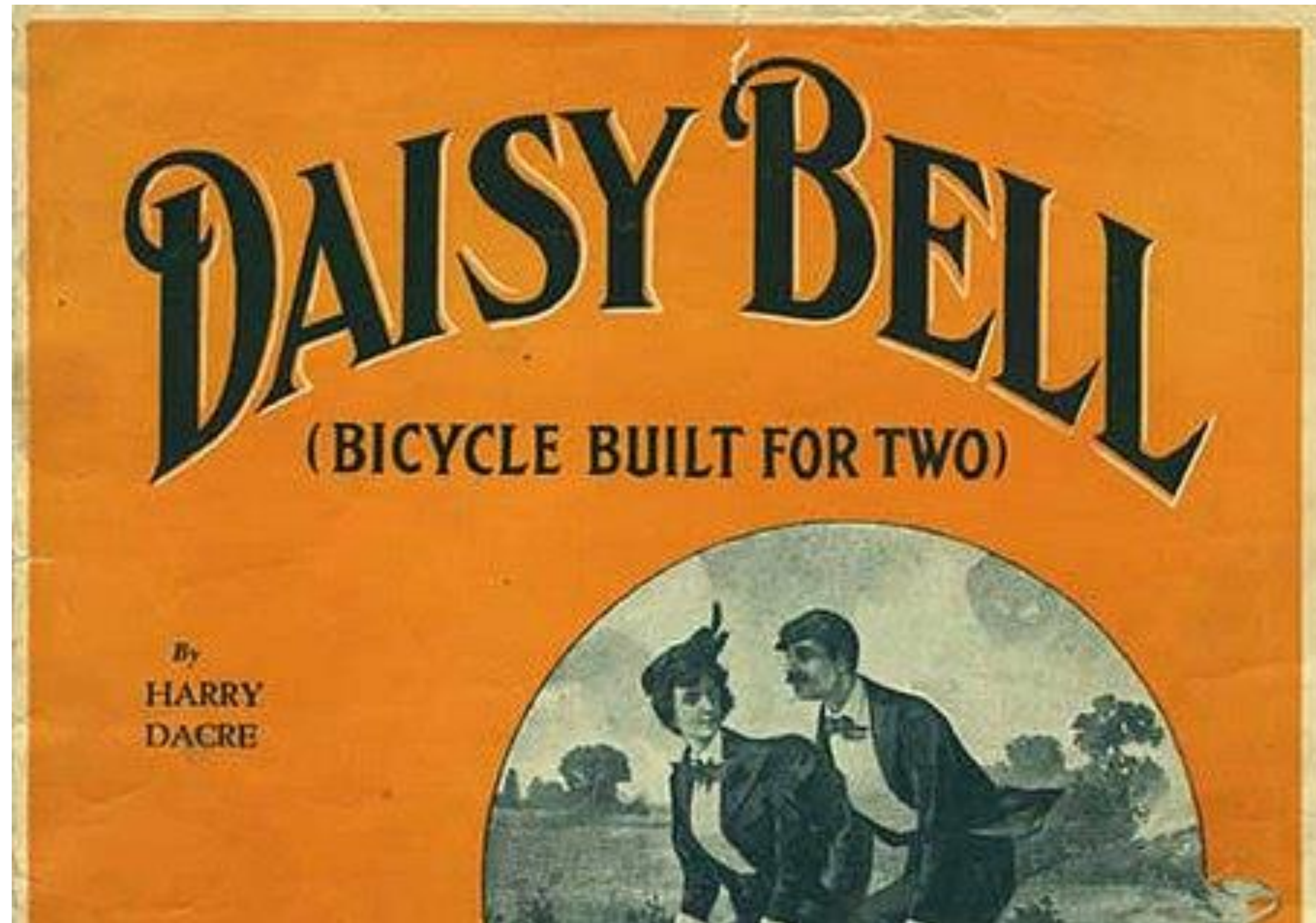
A.K.A The Turing Test



A robot looks in a mirror and the reflection is human, cyberpunk

IBM 704

The First Singing Computer



Eliza

The First Gen AI Chatbot?

Talk to Eliza

```
> Hello, I am Eliza.  
* Nice to meet you  
> Oh... ?  
* How are you  
> Would you prefer if I were not ?  
* were not what?  
> Have you asked anyone else?
```

Input:

Generative AI of the 70's, 80's and 90s?

- Electronic music
- Video games graphics
- Video game AI
- Computer animation
- Instant messaging chatbots

An 80's arcade with lots of machines



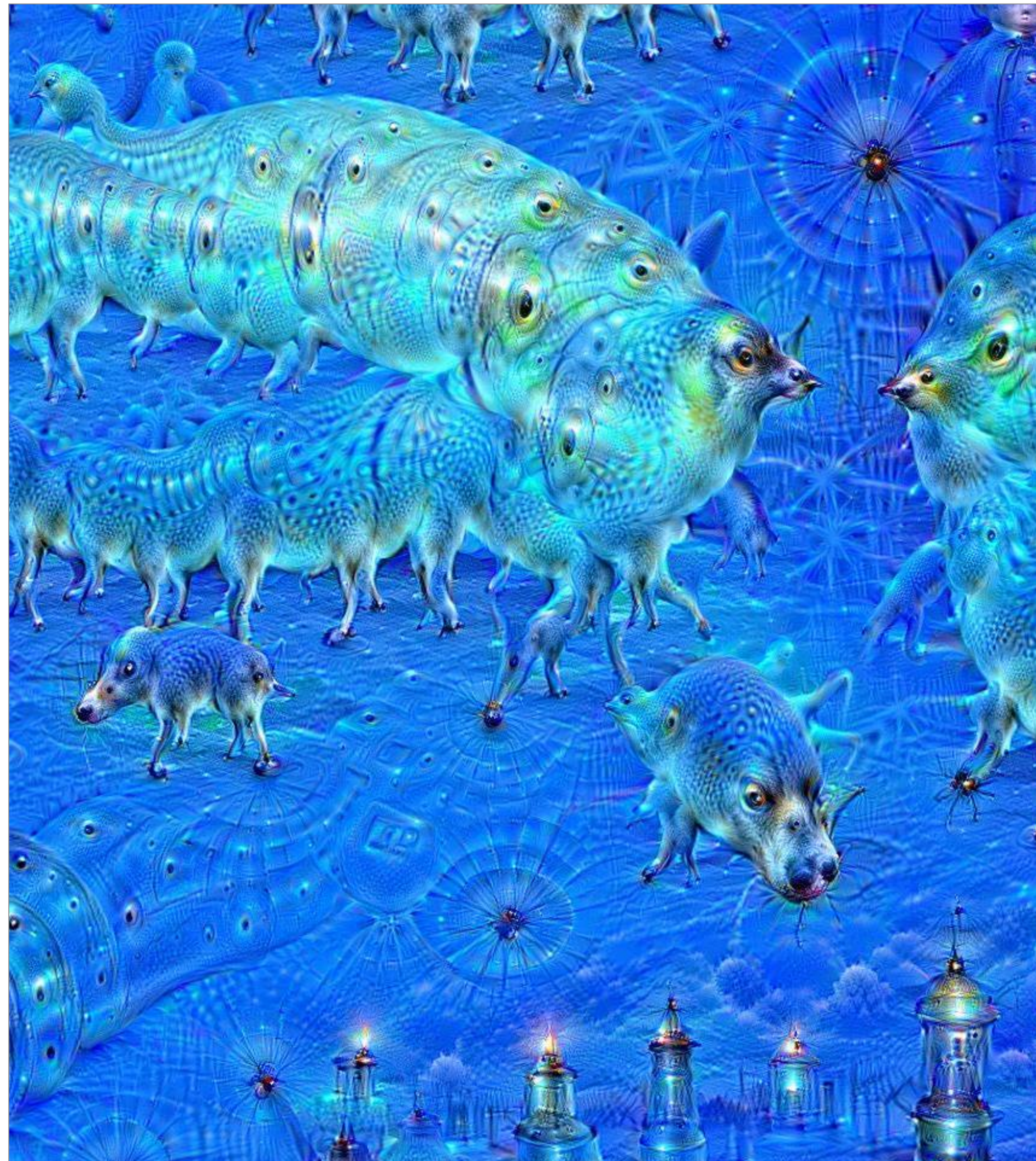
The Rise of Neural Networks

Deep Dreaming

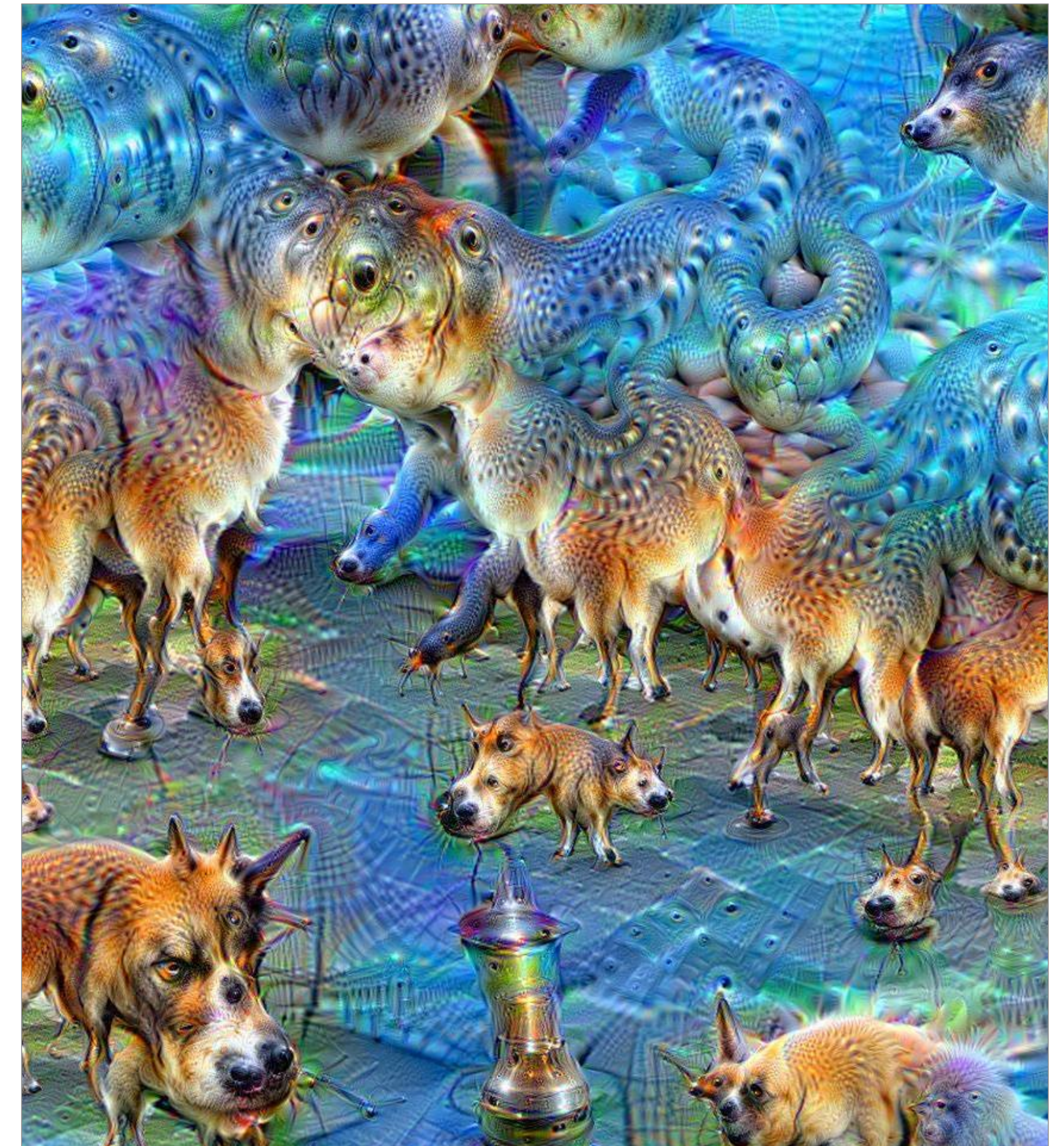
Images by Martin Thoma



Original



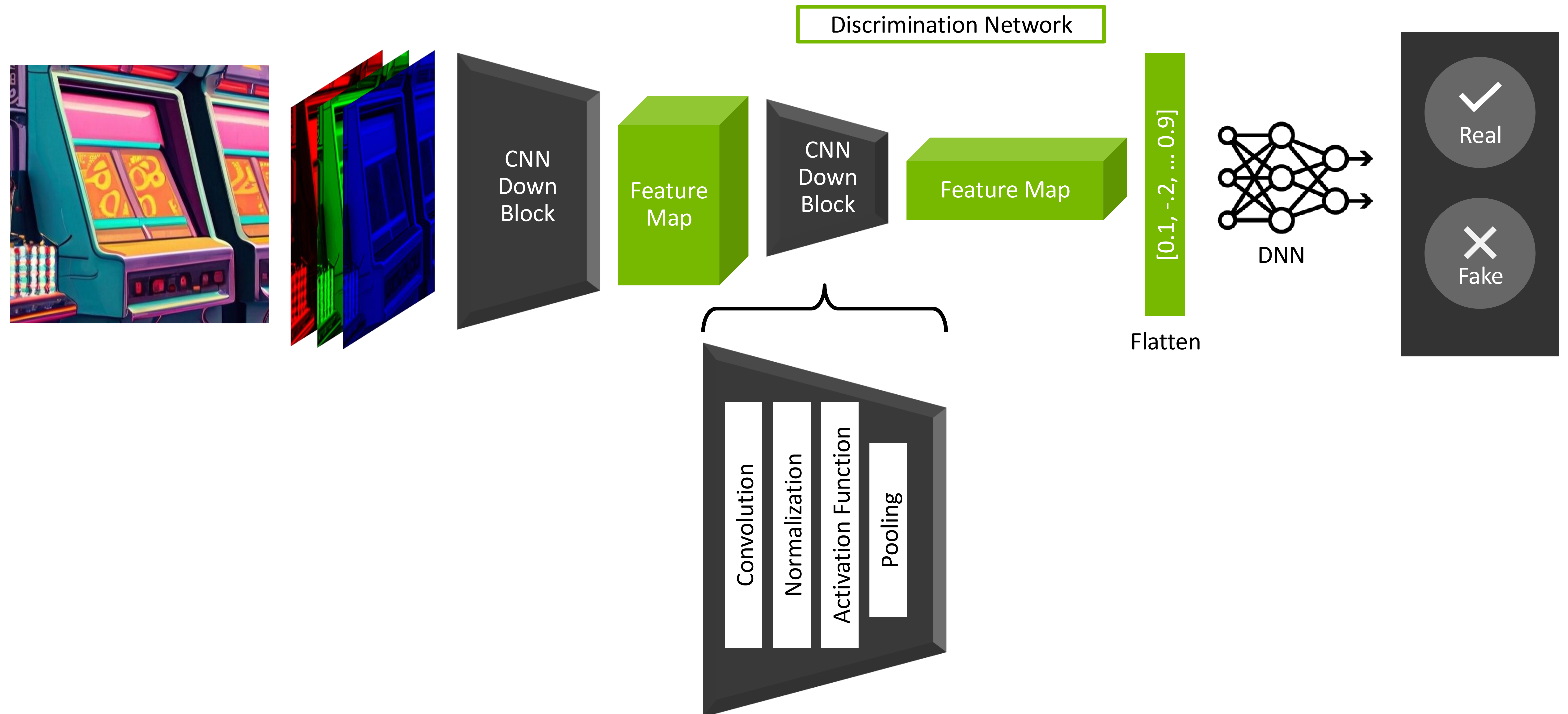
10 Iterations



50 Iterations

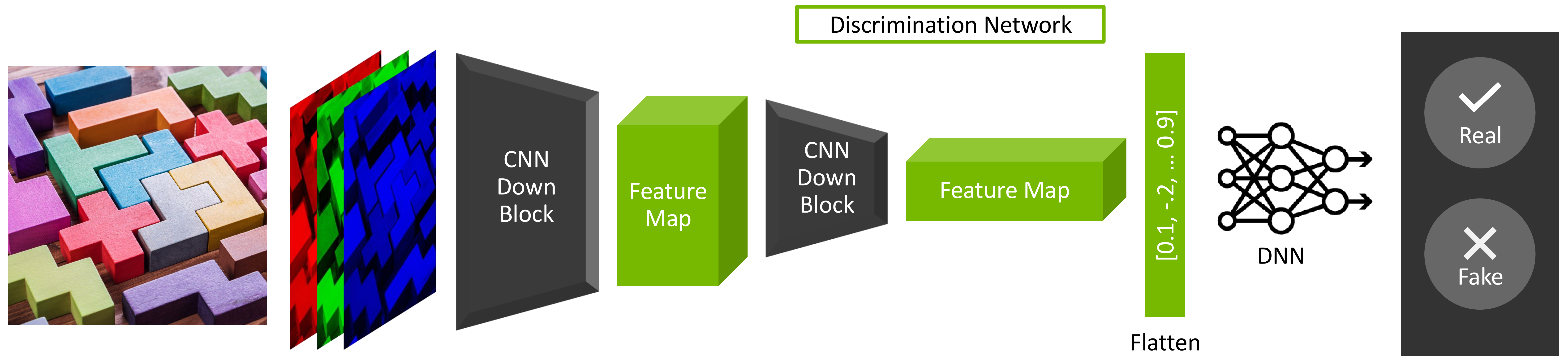
GANs

Generative Adversarial Networks



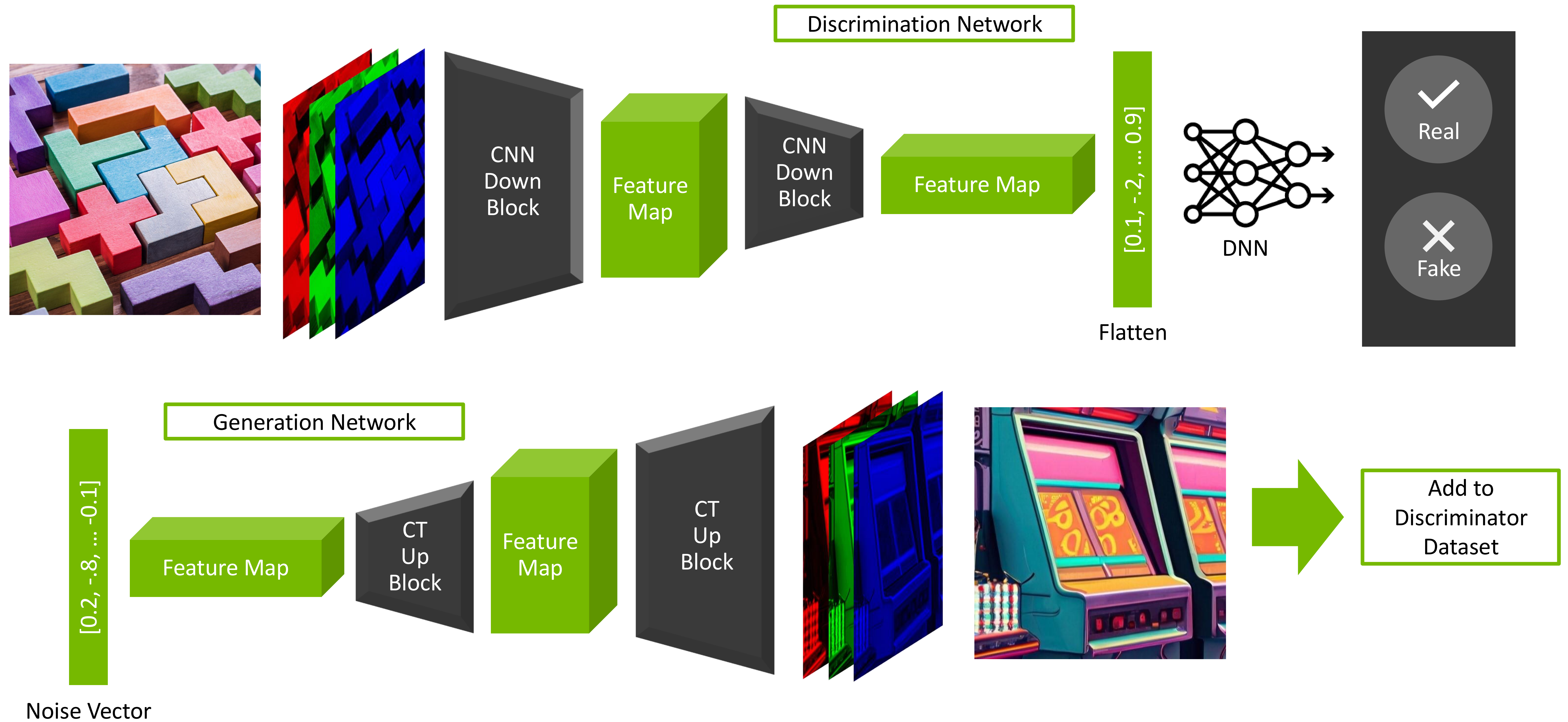
GANs

Generative Adversarial Networks



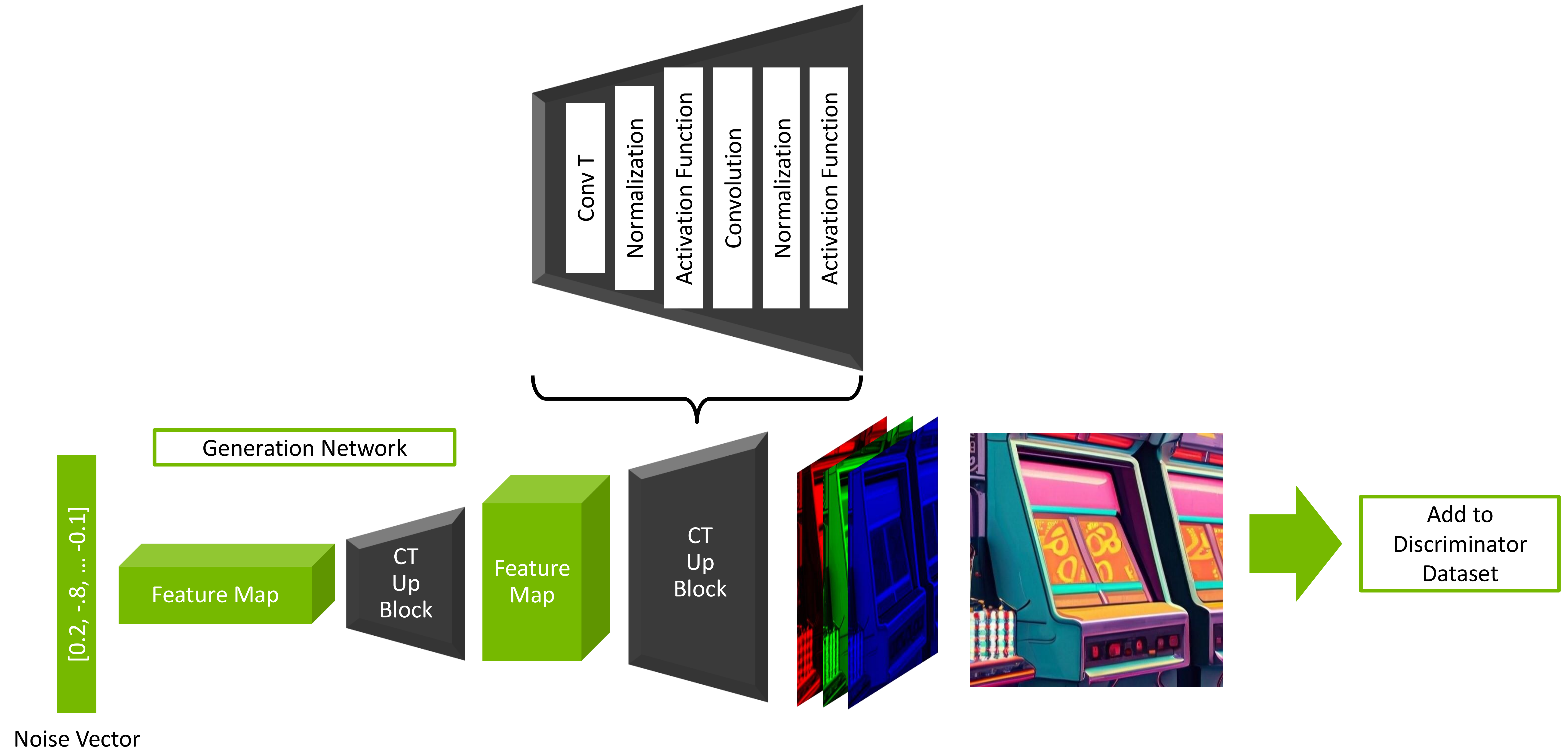
GANs

Generative Adversarial Networks



GANs

Generative Adversarial Networks



GANs

Generative Adversarial Networks

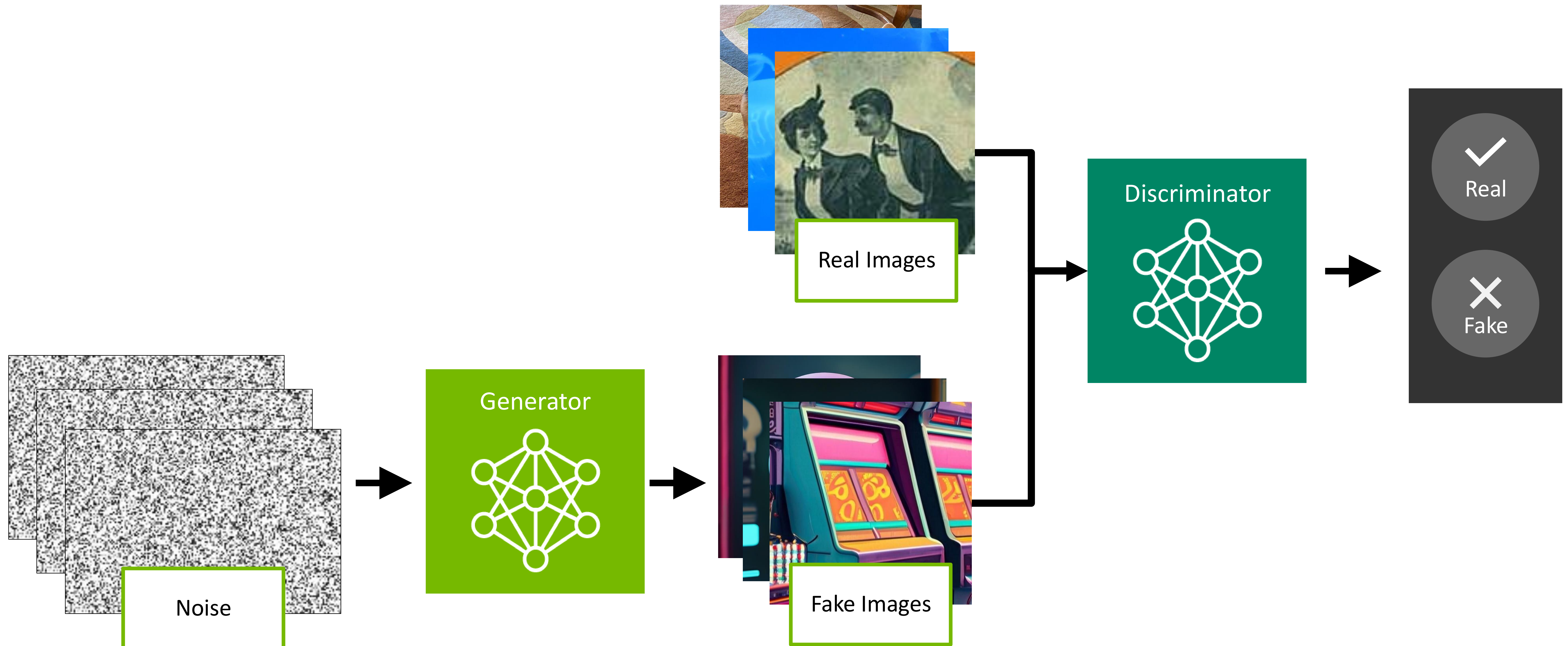


Image Segmentation

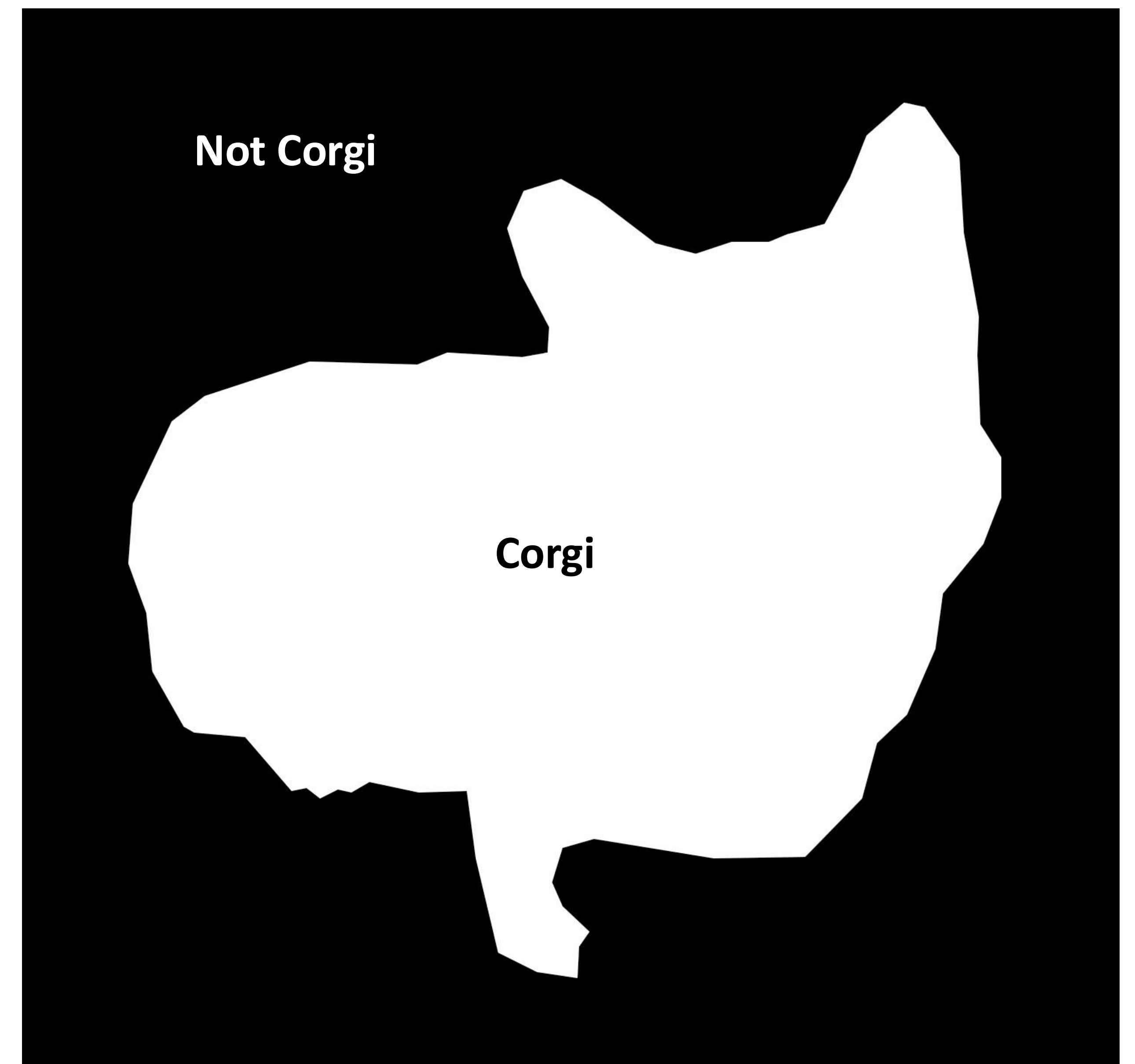
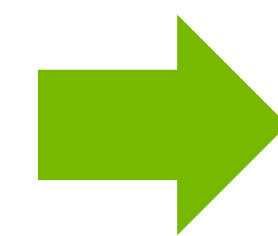
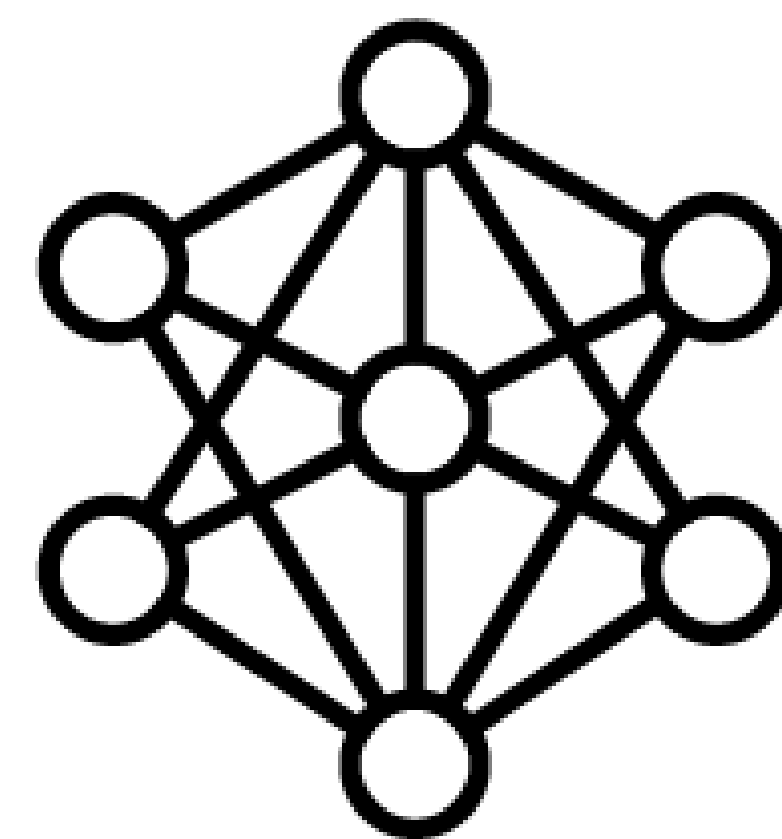
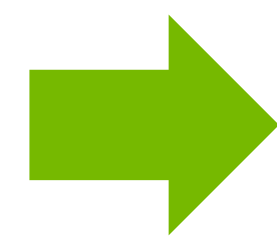
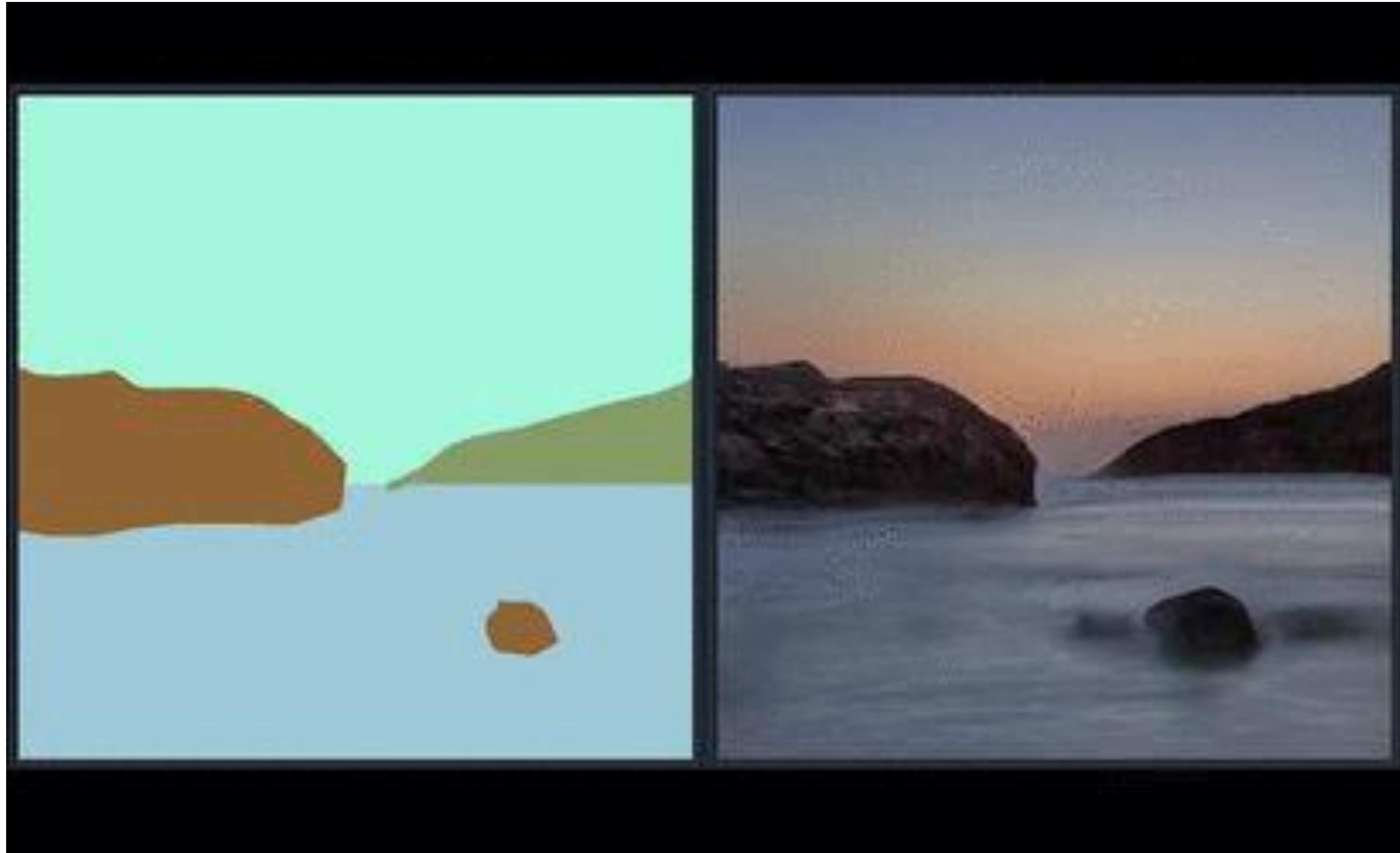


Image Segmentation + GANs

NVIDIA Spade

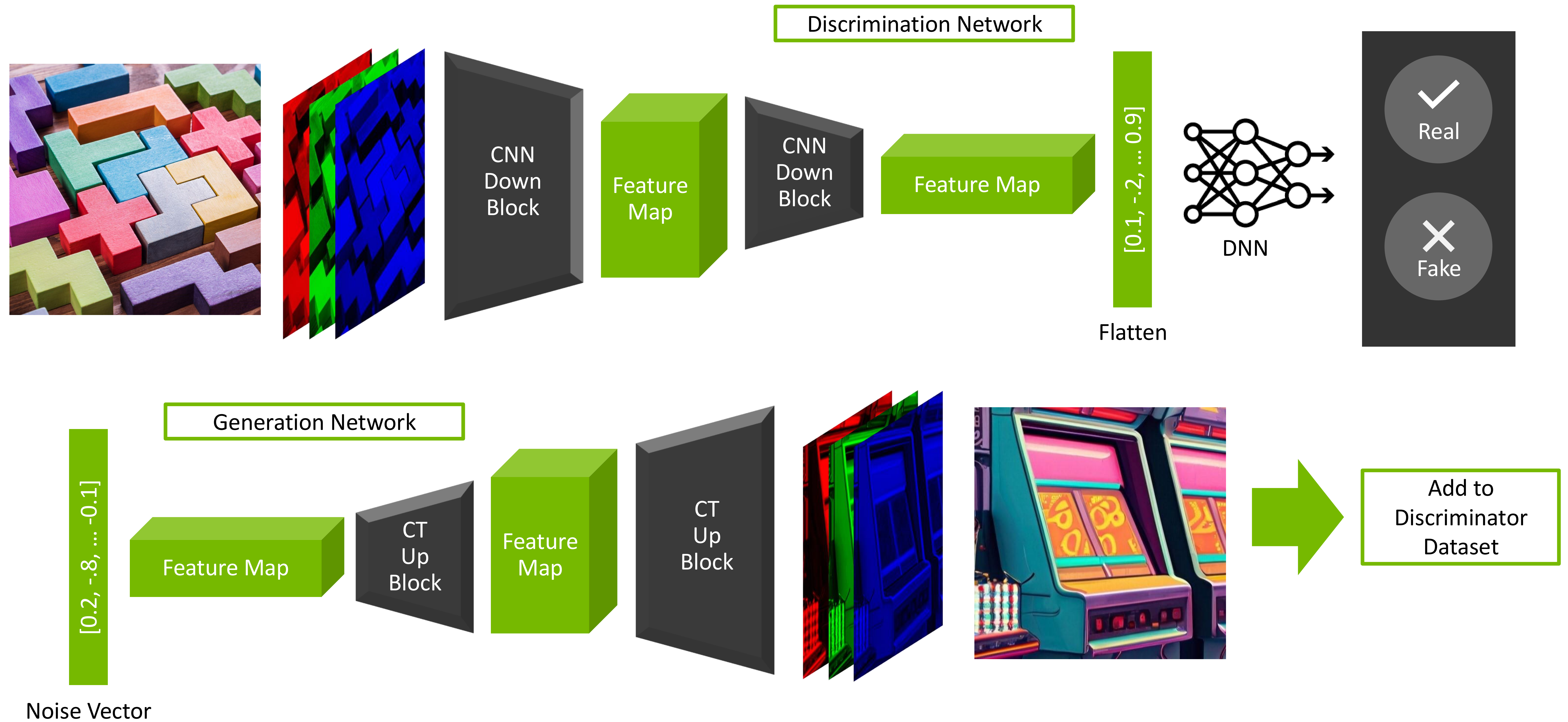




U-Nets

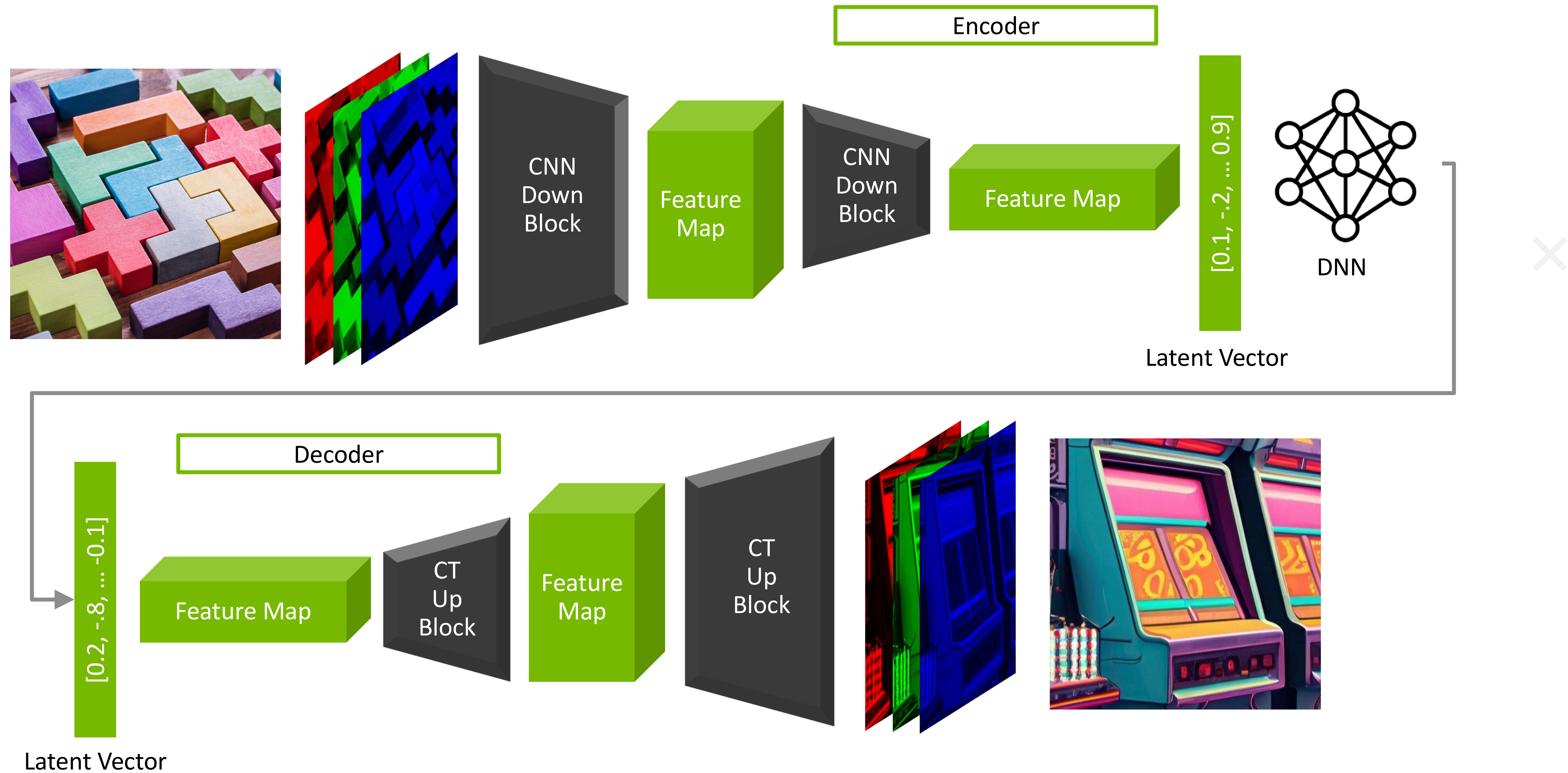
GANs

Generative Adversarial Networks



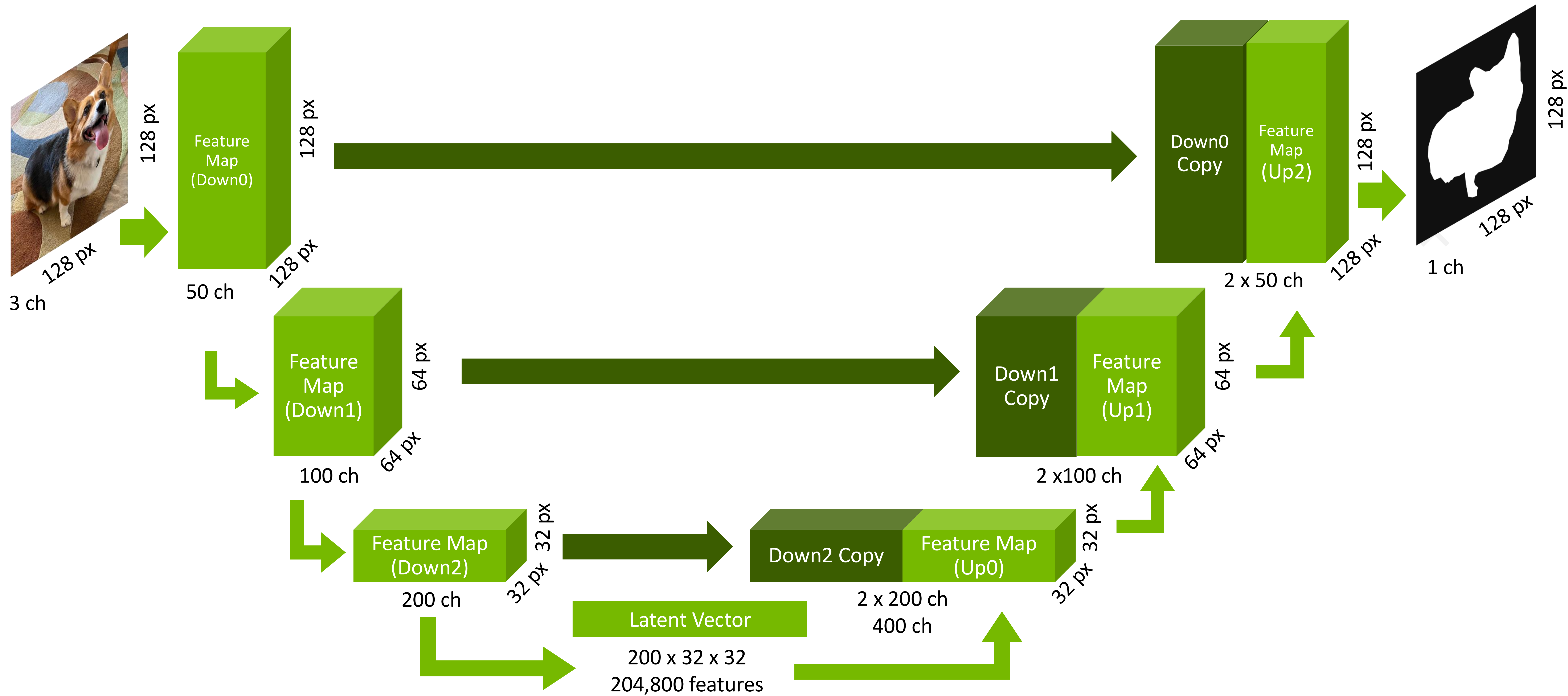
GANs U-Nets

The U shaped Autoencoder



U-Nets

The U shaped Autoencoder





Transposed Convolution

Transposed Convolution

Convolution Review

Kernel

.25	.25
.25	.25

Image

1	0	1
0	1	0
1	0	1

Output

Transposed Convolution

Convolution Review

Kernel

.25	.25
.25	.25

Image

$1 \bullet .25$	$0 \bullet .25$	1
$0 \bullet .25$	$1 \bullet .25$	0
1	0	1

Output

.5	

Transposed Convolution

Convolution Review

Kernel

.25	.25
.25	.25

Image

1	$0 \bullet .25$	$1 \bullet .25$
0	$1 \bullet .25$	$0 \bullet .25$
1	0	1

Output

.5	.5

Transposed Convolution

Convolution Review

Kernel

.25	.25
.25	.25

Image

1	0	1
$0 \bullet .25$	$1 \bullet .25$	0
$1 \bullet .25$	$0 \bullet .25$	1

Output

.5	.5
.5	

Transposed Convolution

Convolution Review

Kernel

.25	.25
.25	.25

Image

1	0	1
0	$1 \bullet .25$	$0 \bullet .25$
1	$0 \bullet .25$	$1 \bullet .25$

Output

.5	.5
.5	.5

Transposed Convolution

Image Upscaling

Kernel

.25	.25
.25	.25

Image

1	0	1
0	1	0
1	0	1

Output

Transposed Convolution

Image Upscaling

Kernel

.25	.25
.25	.25

Image

Stride = 2

1	0	0	0	1
0	0	0	0	0
0	0	1	0	0
0	0	0	0	0
1	0	0	0	1

Output

Transposed Convolution

Image Upscaling

Kernel

.25	.25
.25	.25

Image

Stride = 2

$1 \bullet .25$	$0 \bullet .25$	0	0	1
$0 \bullet .25$	$0 \bullet .25$	0	0	0
0	0	1	0	0
0	0	0	0	0
1	0	0	0	1

Output

.25			

Transposed Convolution

Image Upscaling

Kernel

.25	.25
.25	.25

Image

Stride = 2

1	0 • .25	0 • .25	0	1
0	0 • .25	0 • .25	0	0
0	0	1	0	0
0	0	0	0	0
1	0	0	0	1

Output

.25	0		

Transposed Convolution

Image Upscaling

Kernel

.25	.25
.25	.25

Image

Stride = 2

1	0	0	0	1
0	0	0	0	0
0	0	1	0	0
0	0	0	0	0
1	0	0	0	1

Output

.25	0	0	.25
0	.25	.25	0
0	.25	.25	0
.25	0	0	.25

Transposed Convolution

Stride

Image

Stride = 2

1	0	0	0	1
0	0	0	0	0
0	0	1	0	0
0	0	0	0	0
1	0	0	0	1

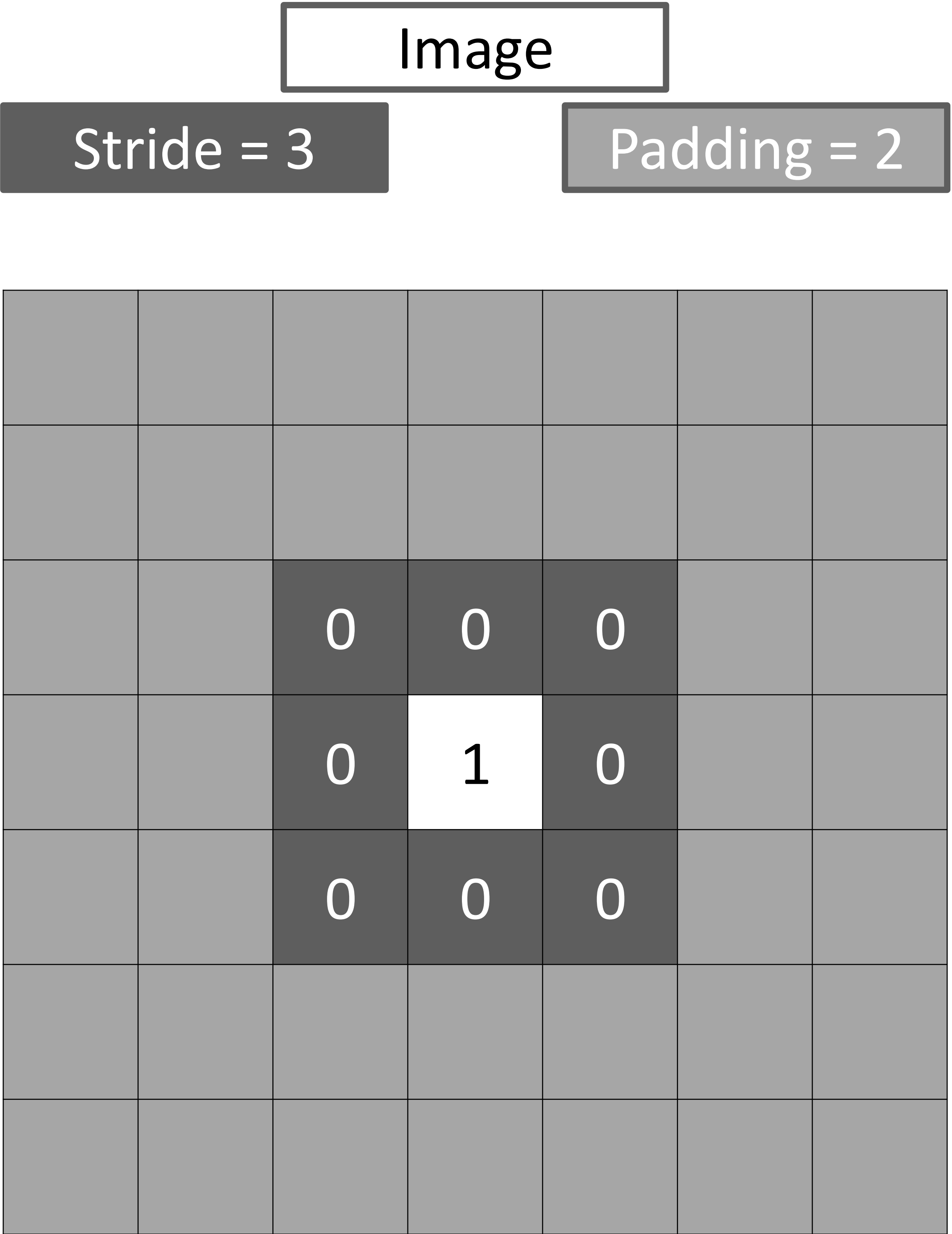
Image

Stride = 3

1	0	0	0	0	0	1
0	0	0	0	0	0	0
0	0	0	0	0	0	0
0	0	0	1	0	0	0
0	0	0	0	0	0	0
0	0	0	0	0	0	0
1	0	0	0	0	0	1

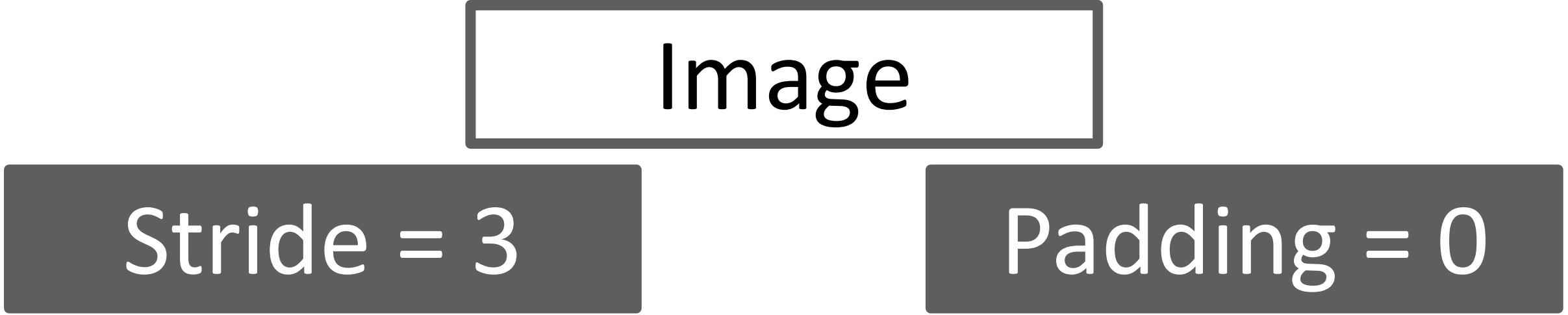
Transposed Convolution

Padding

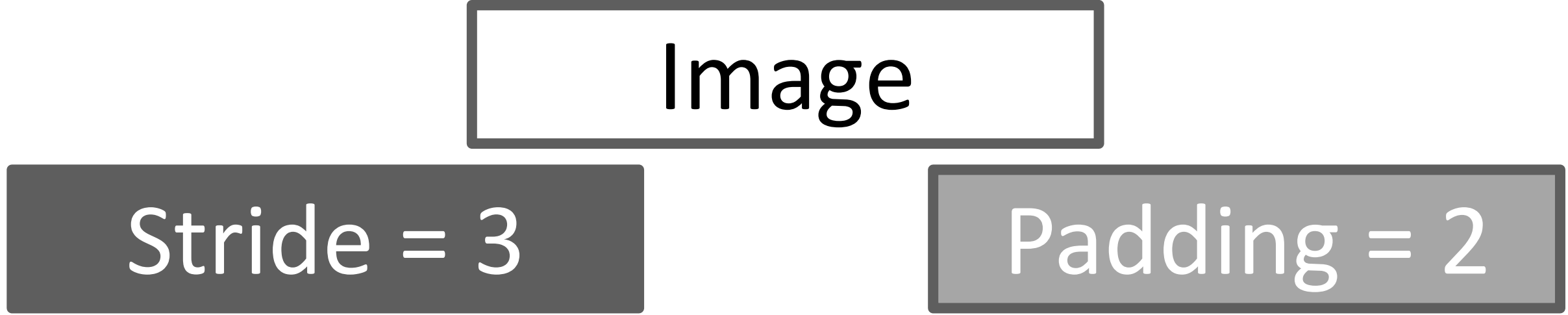


Transposed Convolution

Padding



1	0	0	0	0	0	1
0	0	0	0	0	0	0
0	0	0	0	0	0	0
0	0	0	1	0	0	0
0	0	0	0	0	0	0
0	0	0	0	0	0	0
1	0	0	0	0	0	1



0	0	0
0	1	0
0	0	0

Transposed Convolution

Out Padding

Image

Out Padding =
0

1	0	1
0	1	0
1	0	1

Image

Out Padding =
1

1	0	1	0
0	1	0	0
1	0	1	0
0	0	0	0

Image

Out Padding =
2

1	0	1	0	0
0	1	0	0	0
1	0	1	0	0
0	0	0	0	0
0	0	0	0	0

Image Resizing

Upsampling



64 px

64 px



128 px

128 px

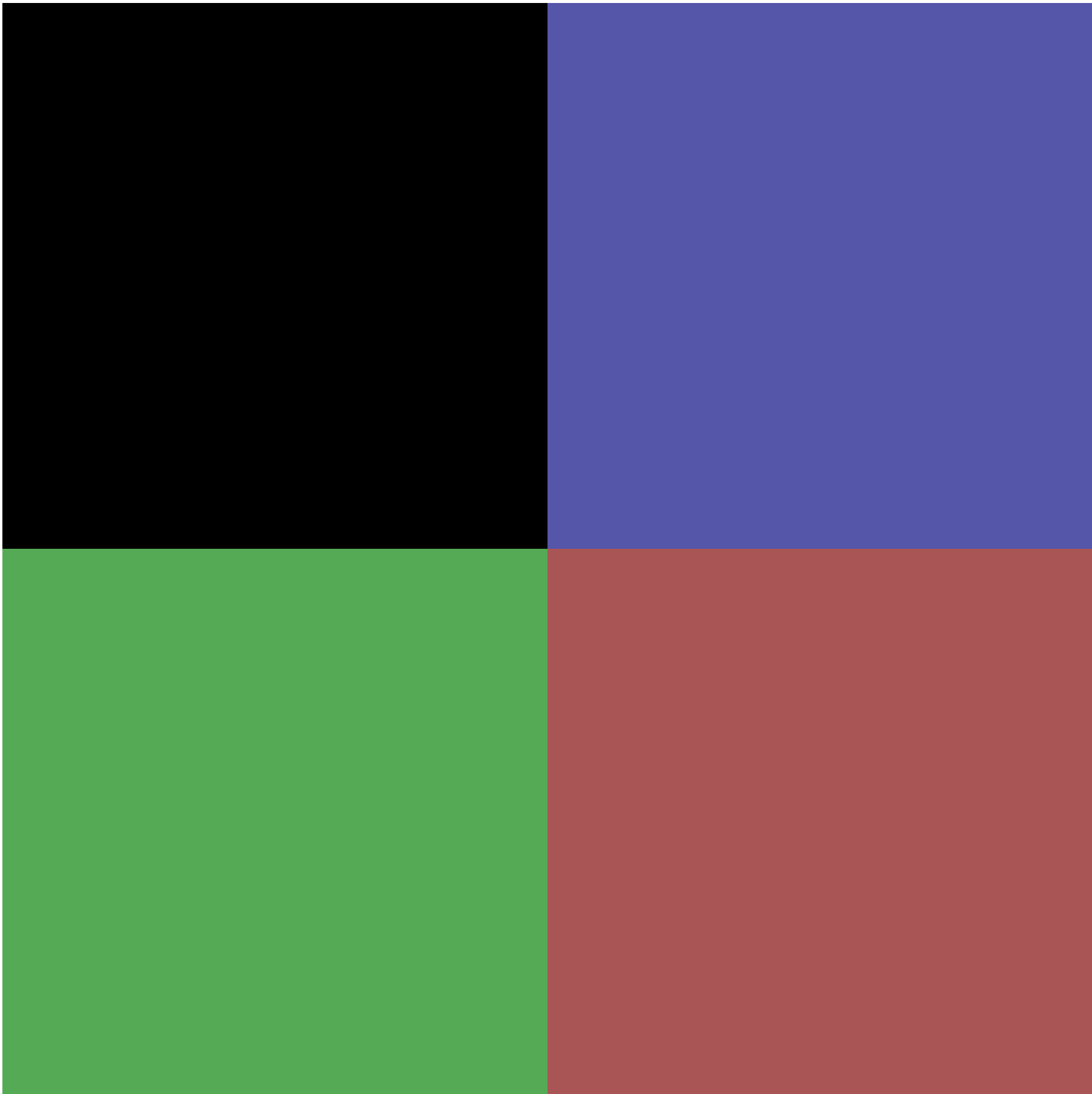


192 px

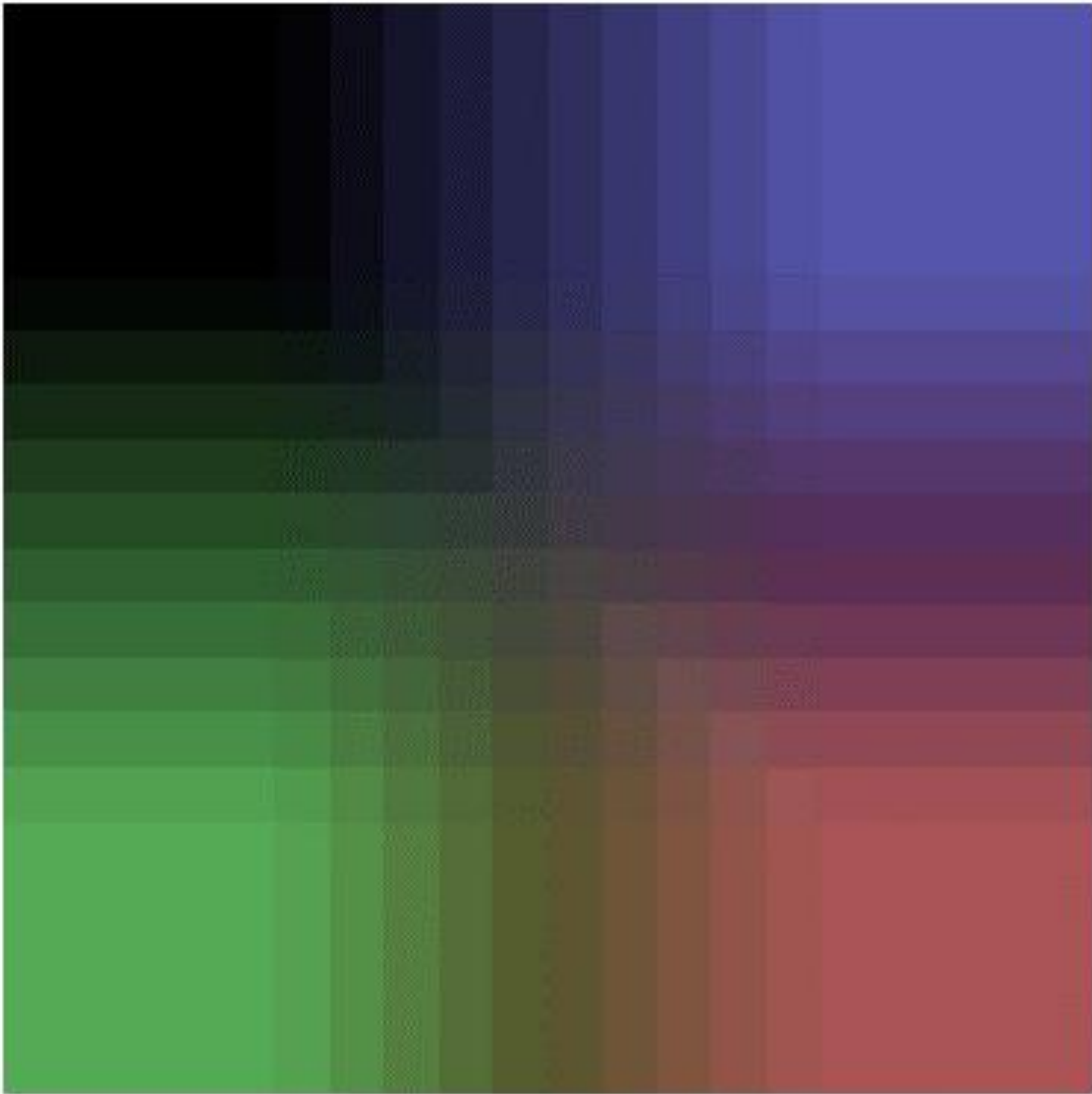
192 px

Image Resizing

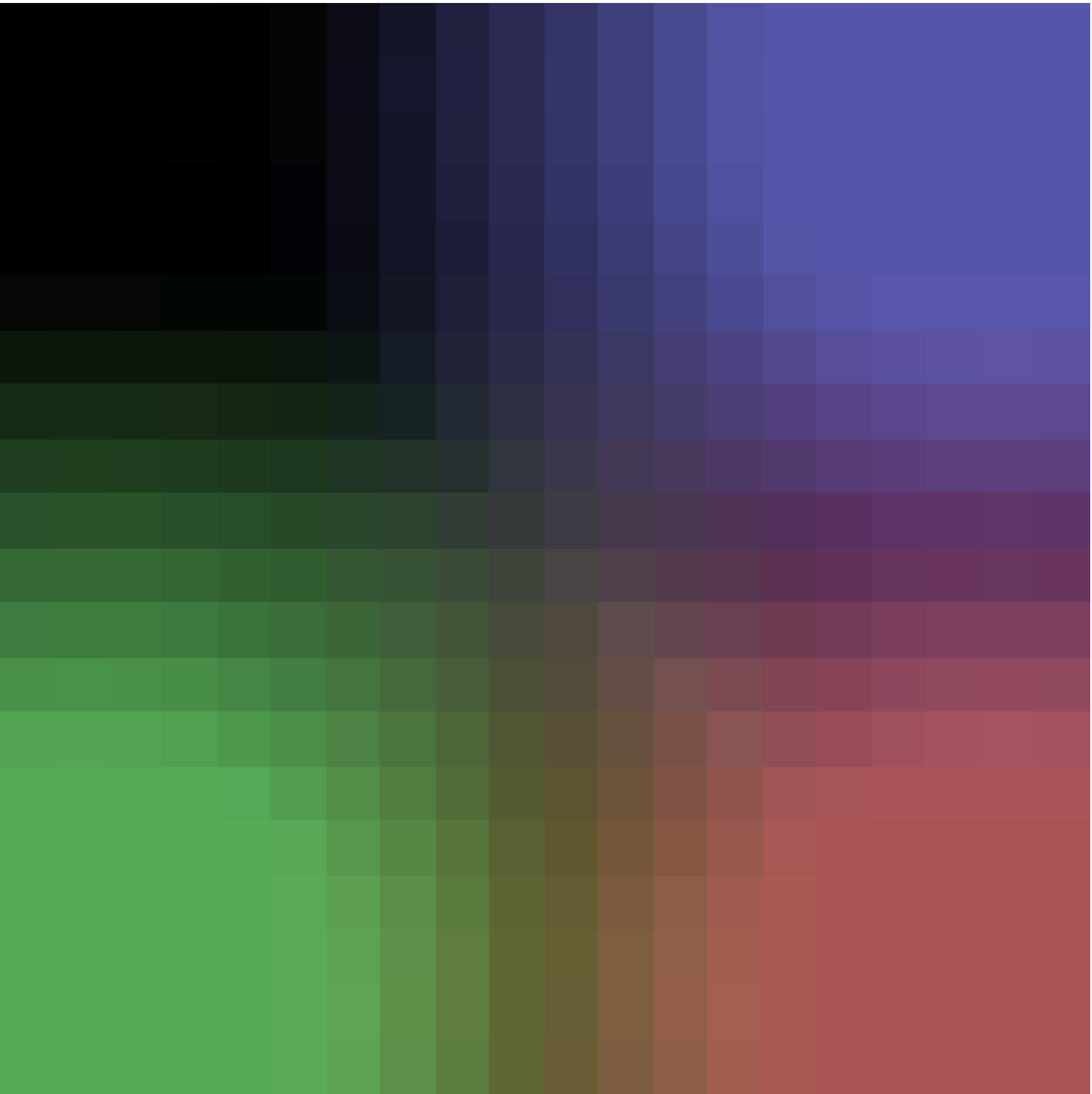
Upsampling



Nearest



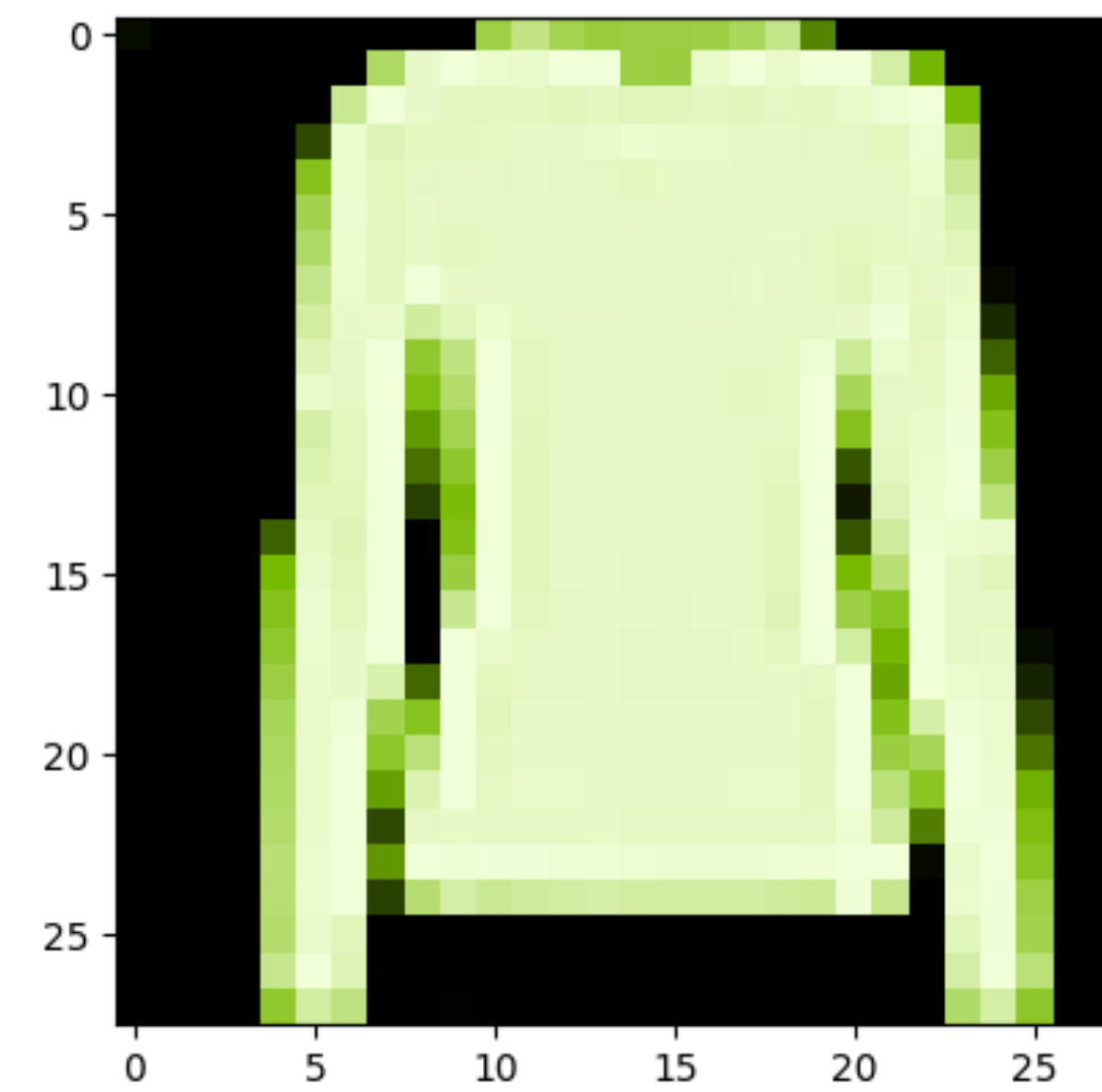
Bilinear



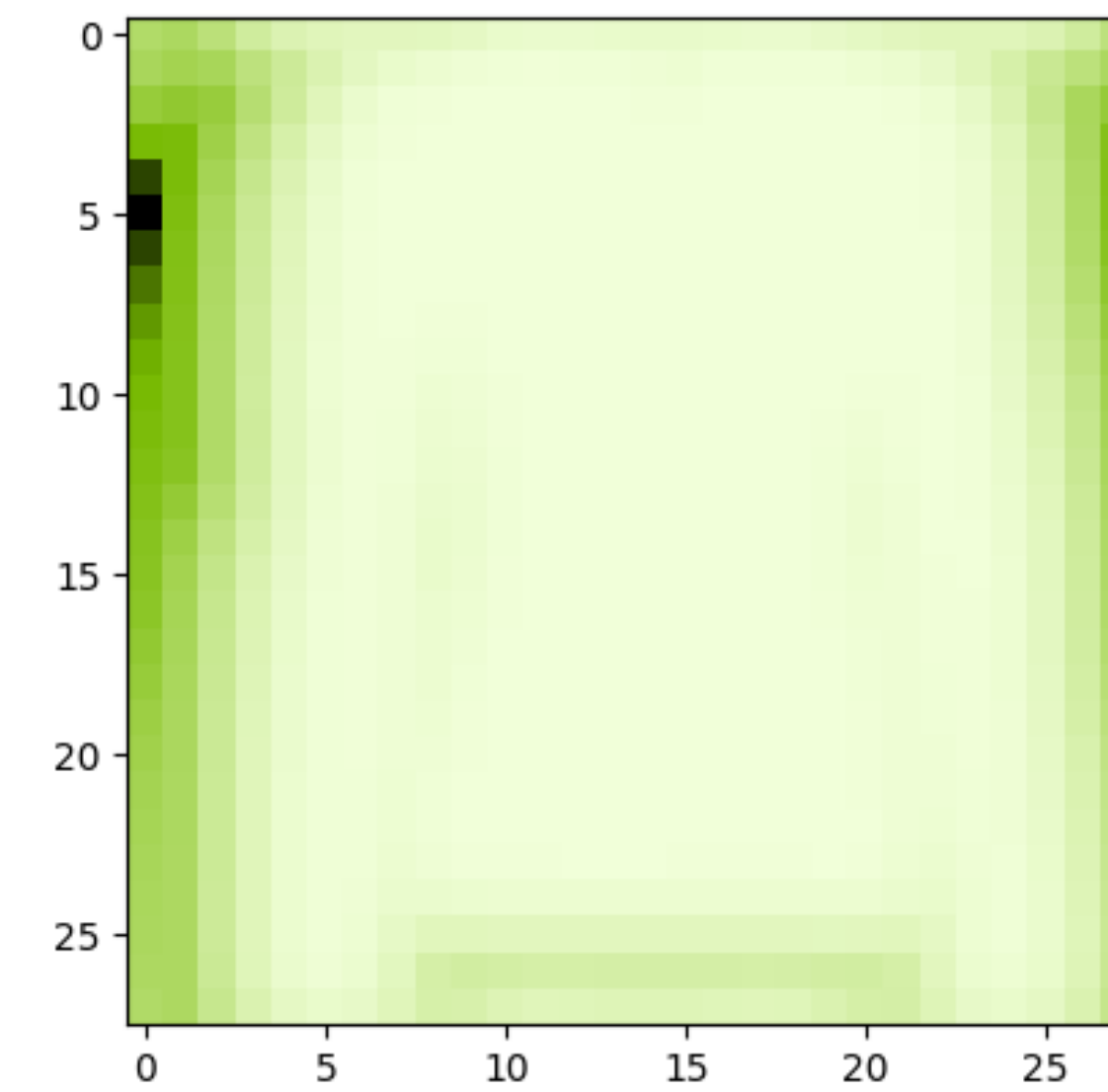
Bicubic

Deconvolution?

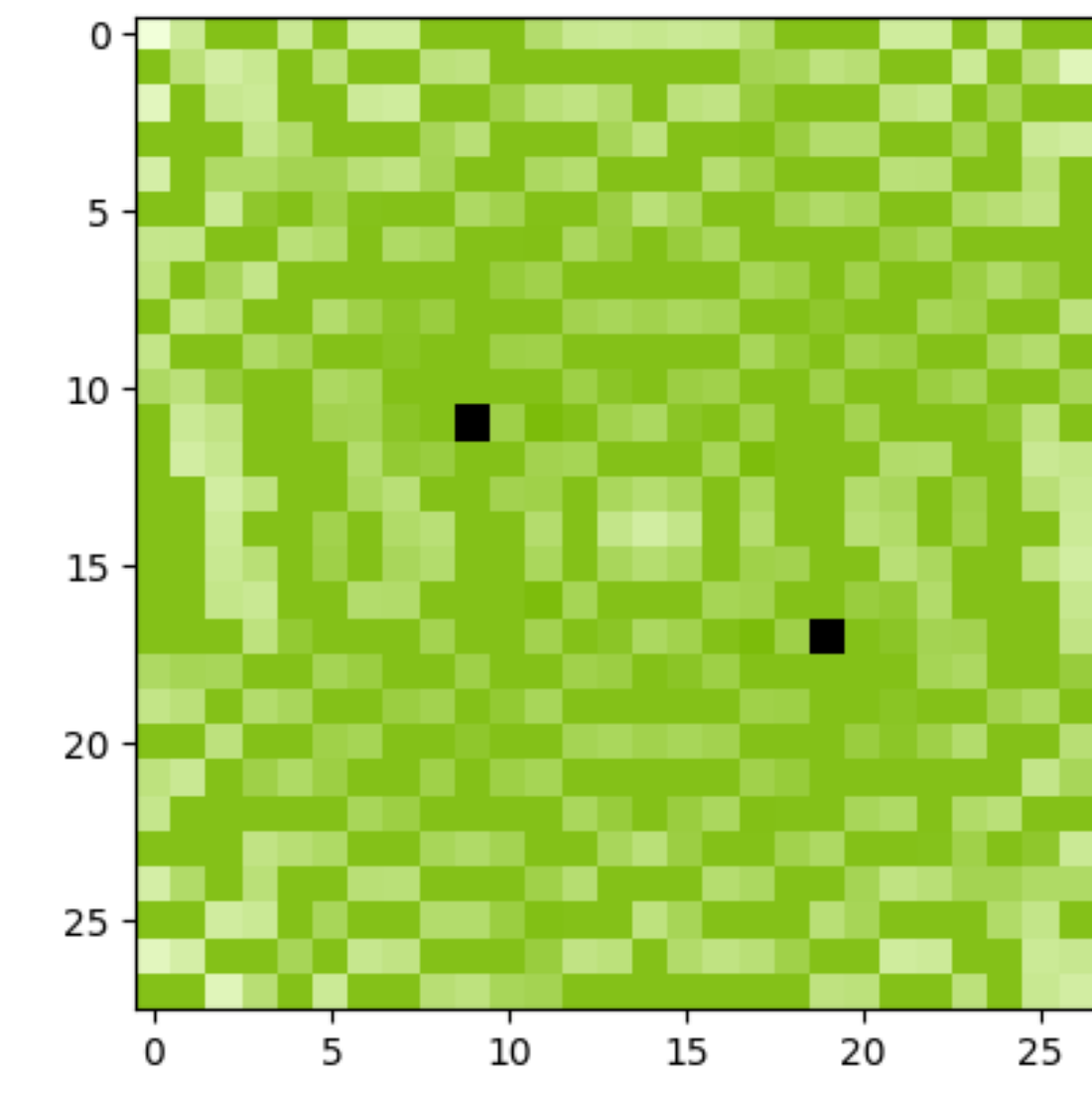
Same as Transposed Convolution?



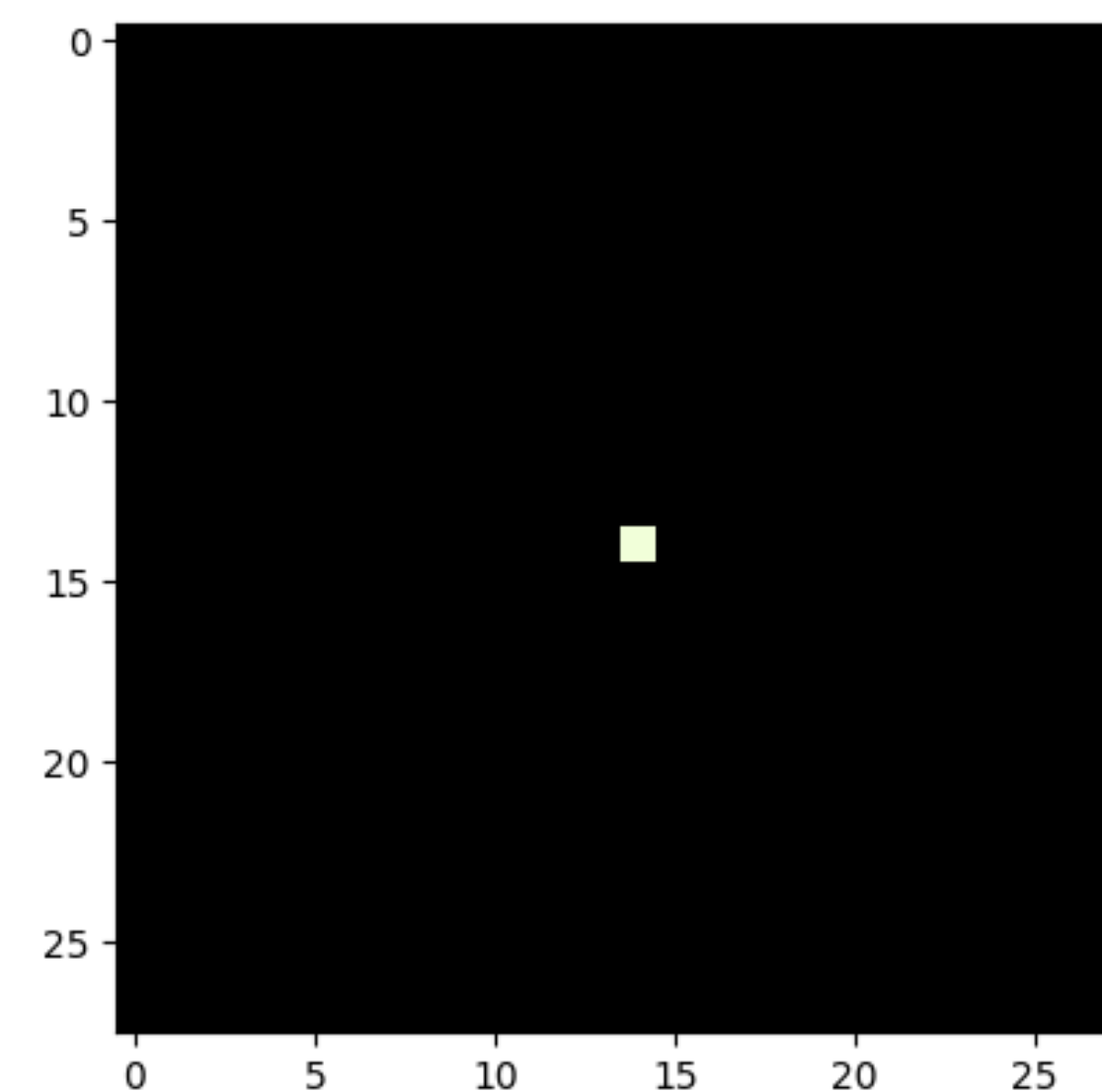
Image



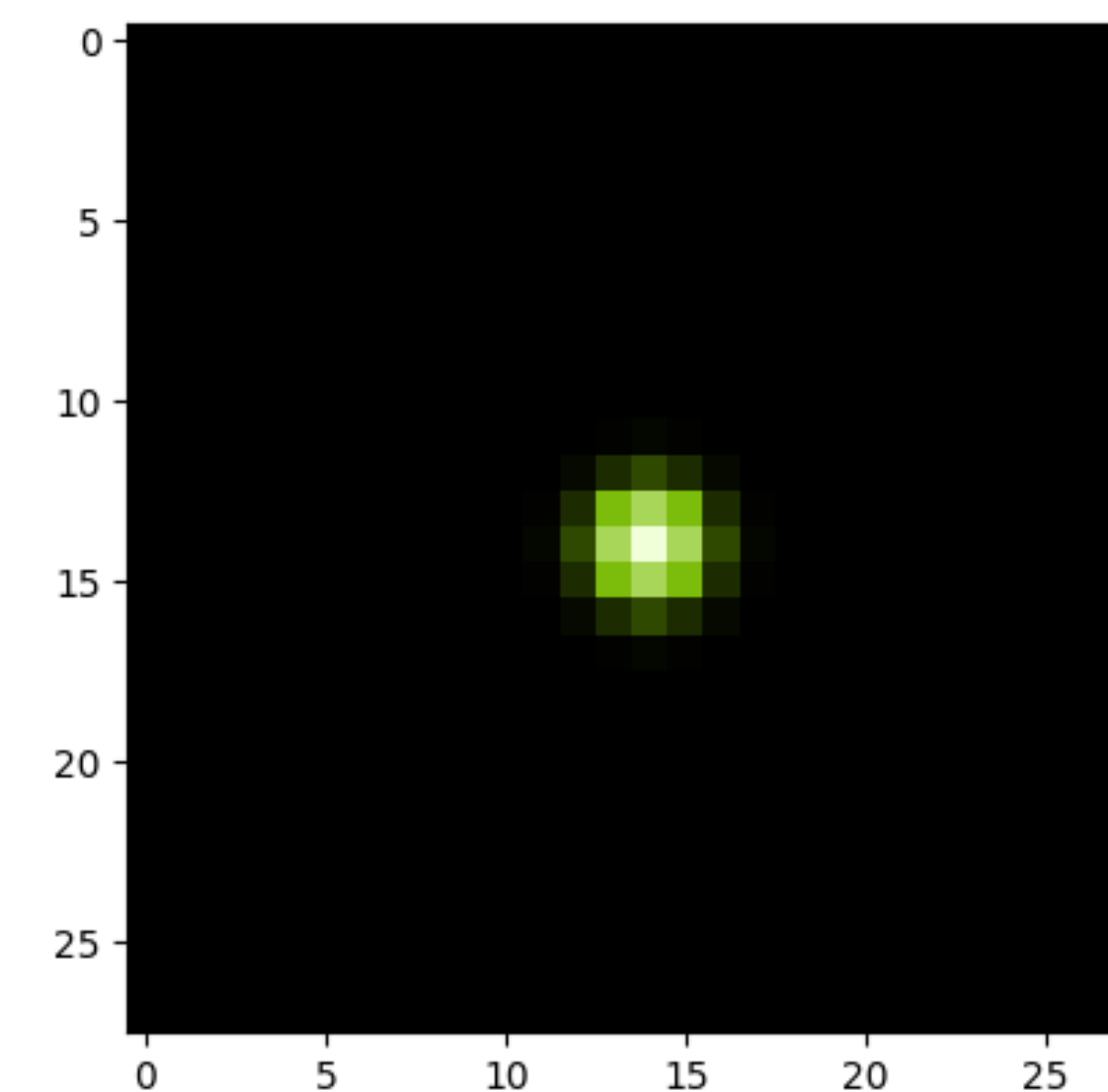
Convolved Image



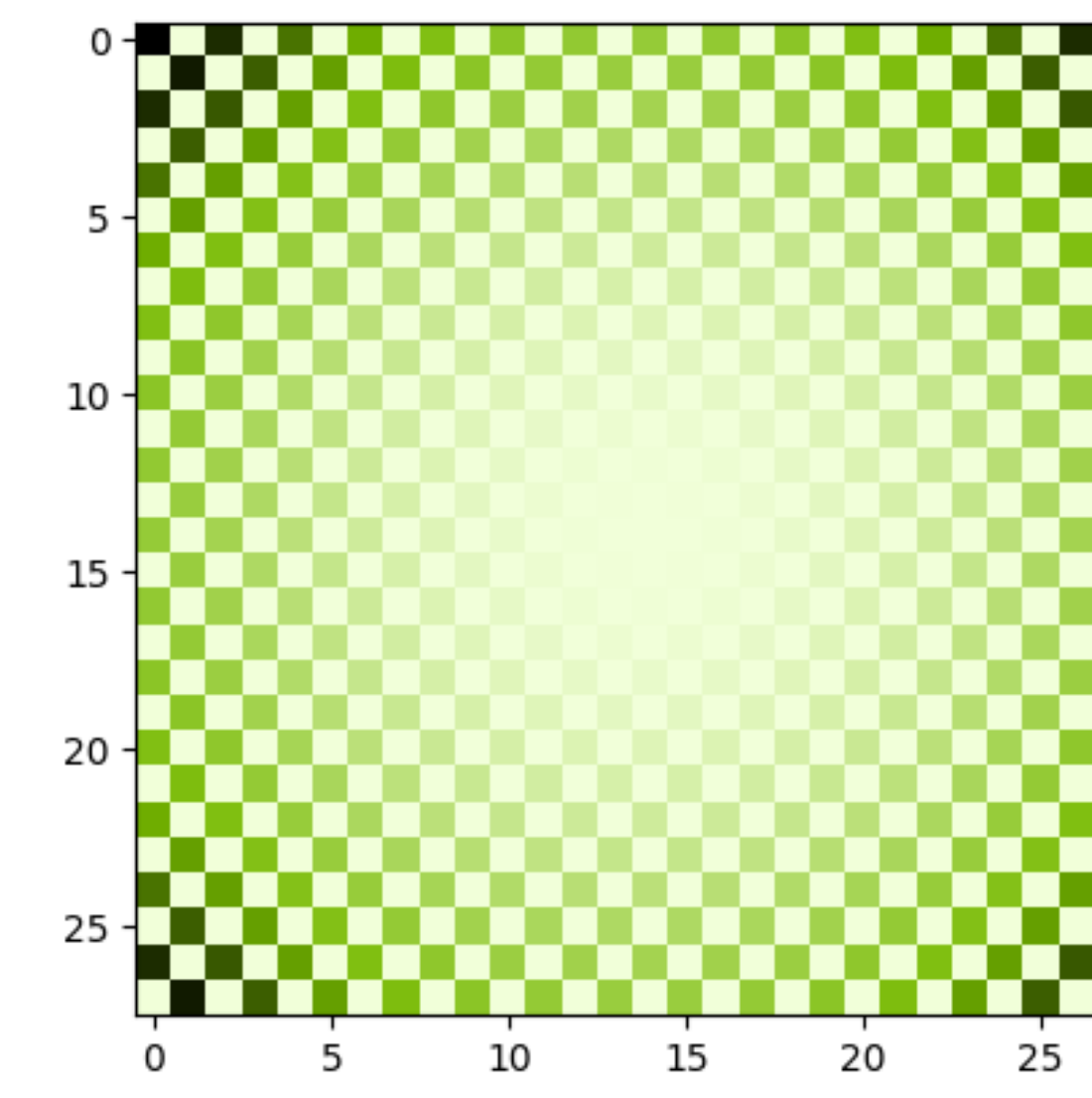
FFT Convolved



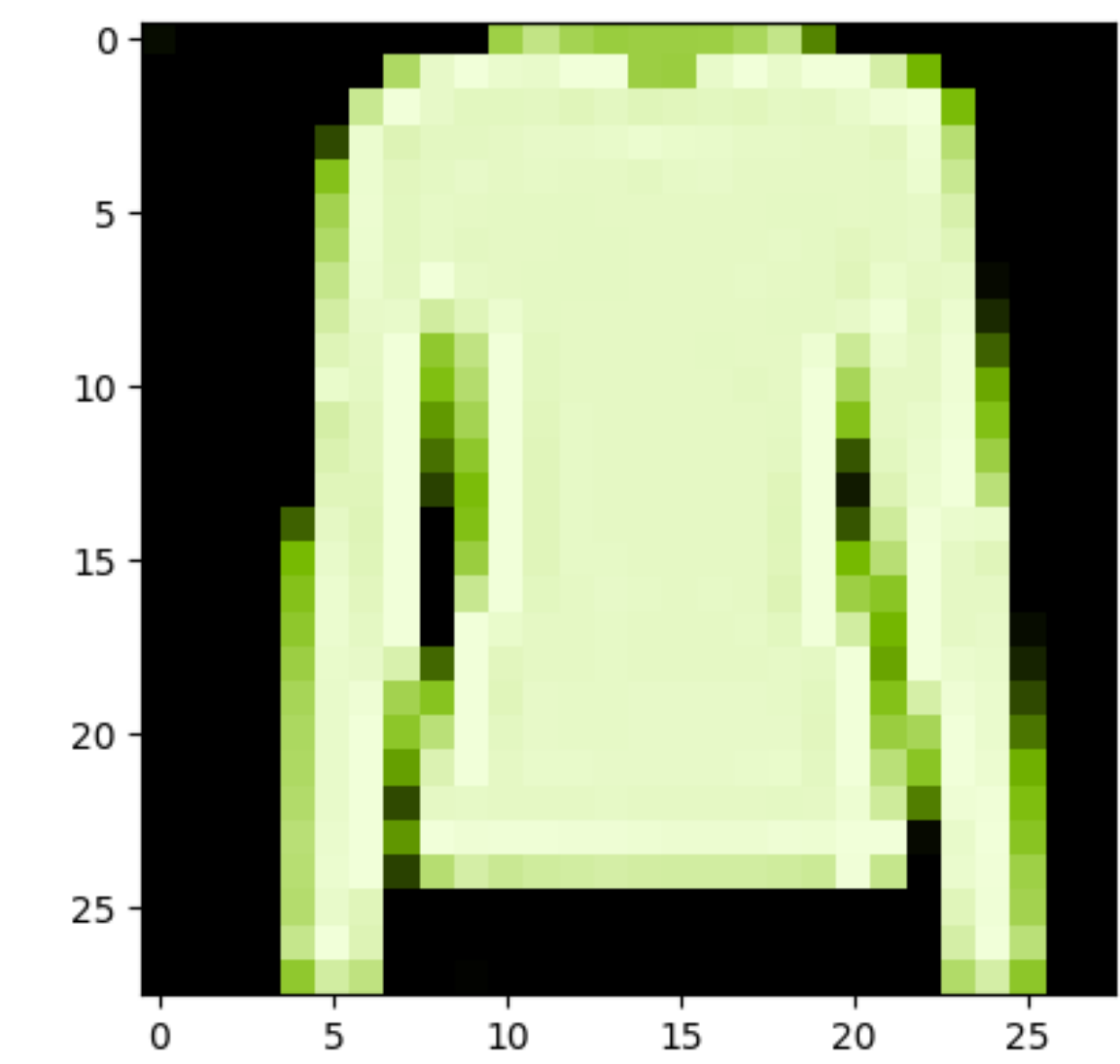
Point



Point Spread
Function



FFT Point Spread
Function



Deconvolved
Convolved Image



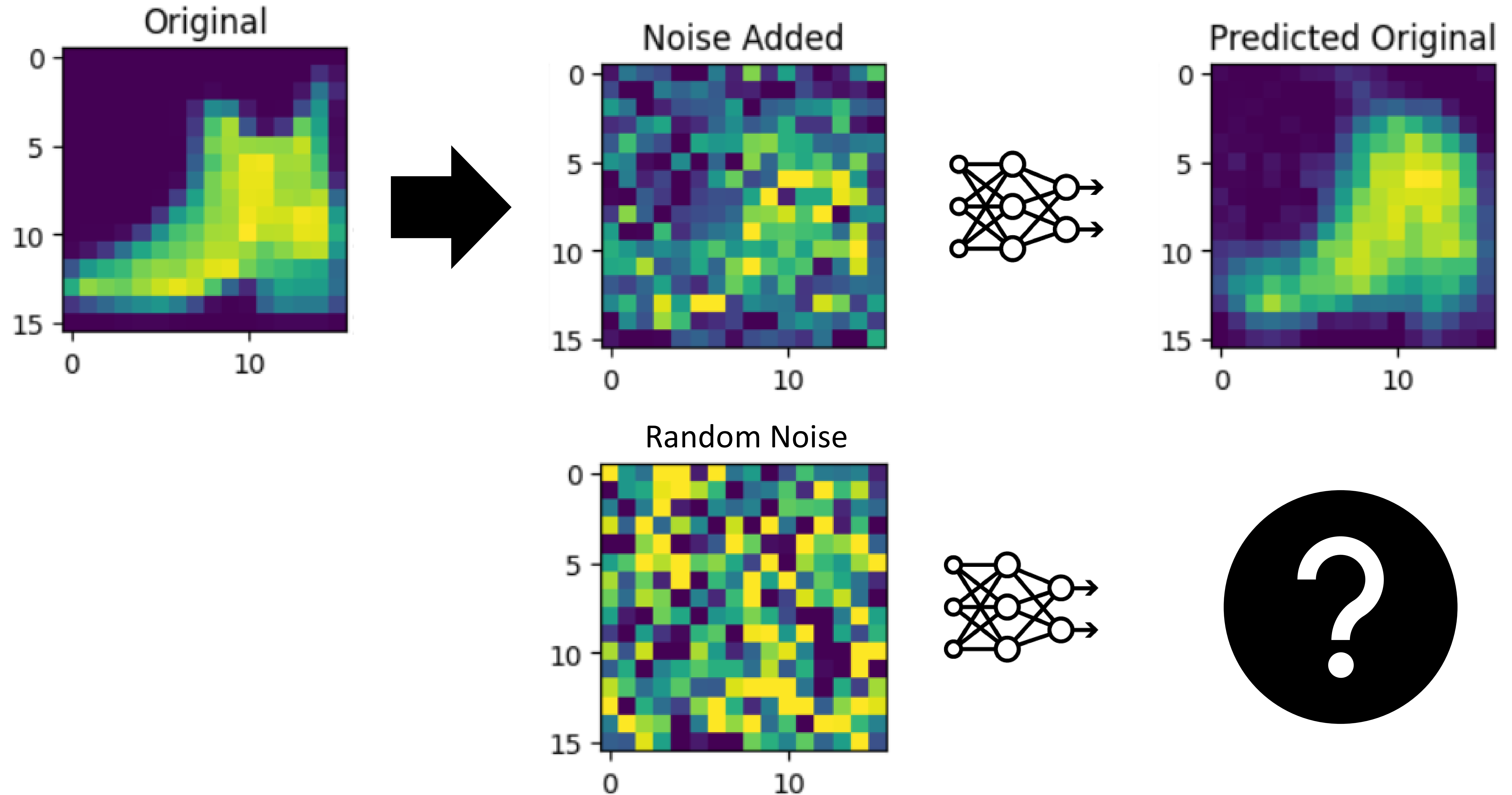
Lab

FashionMNIST

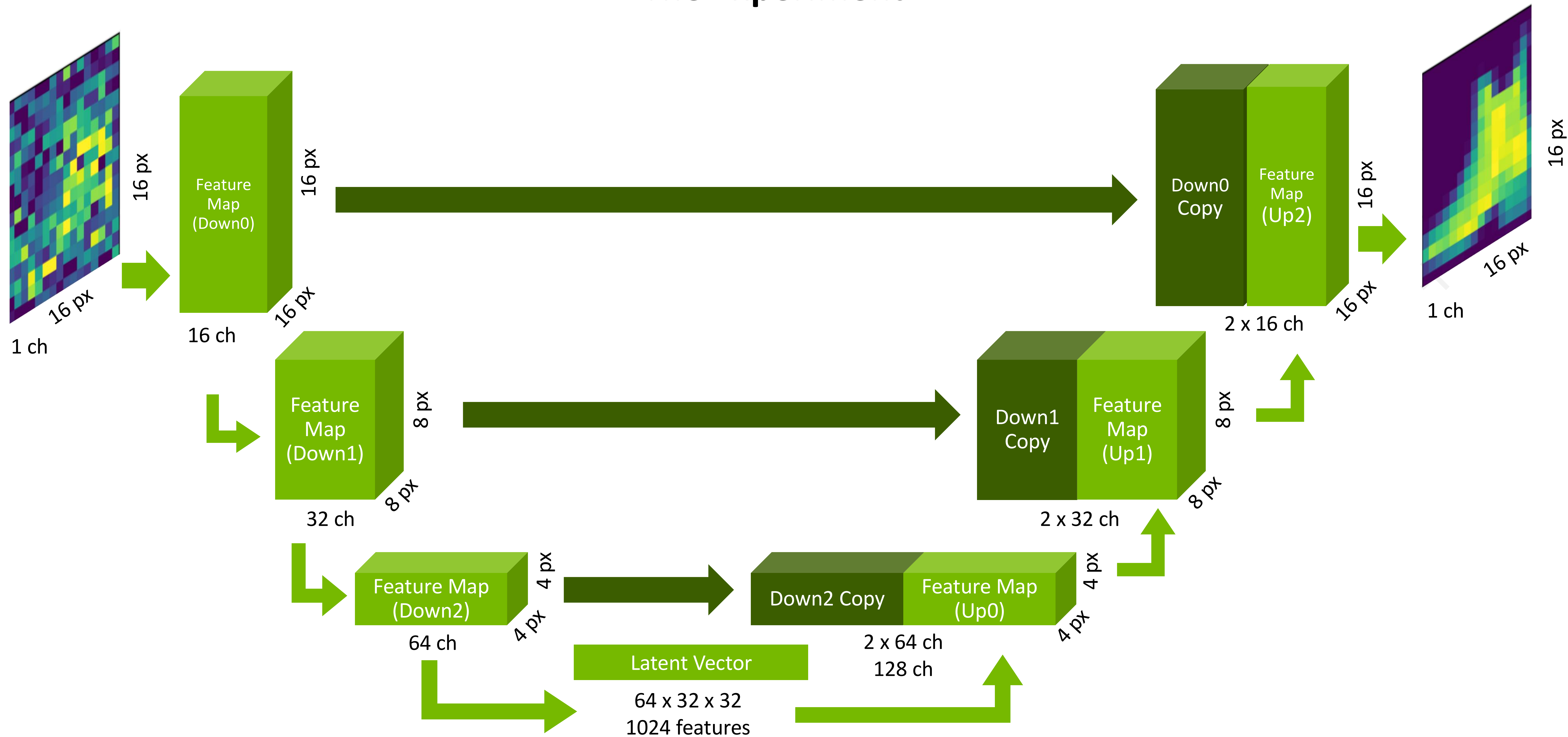
Convolutional Neural Network “Hello World”



Hypothesis: Generate an image from Noise



The Experiment





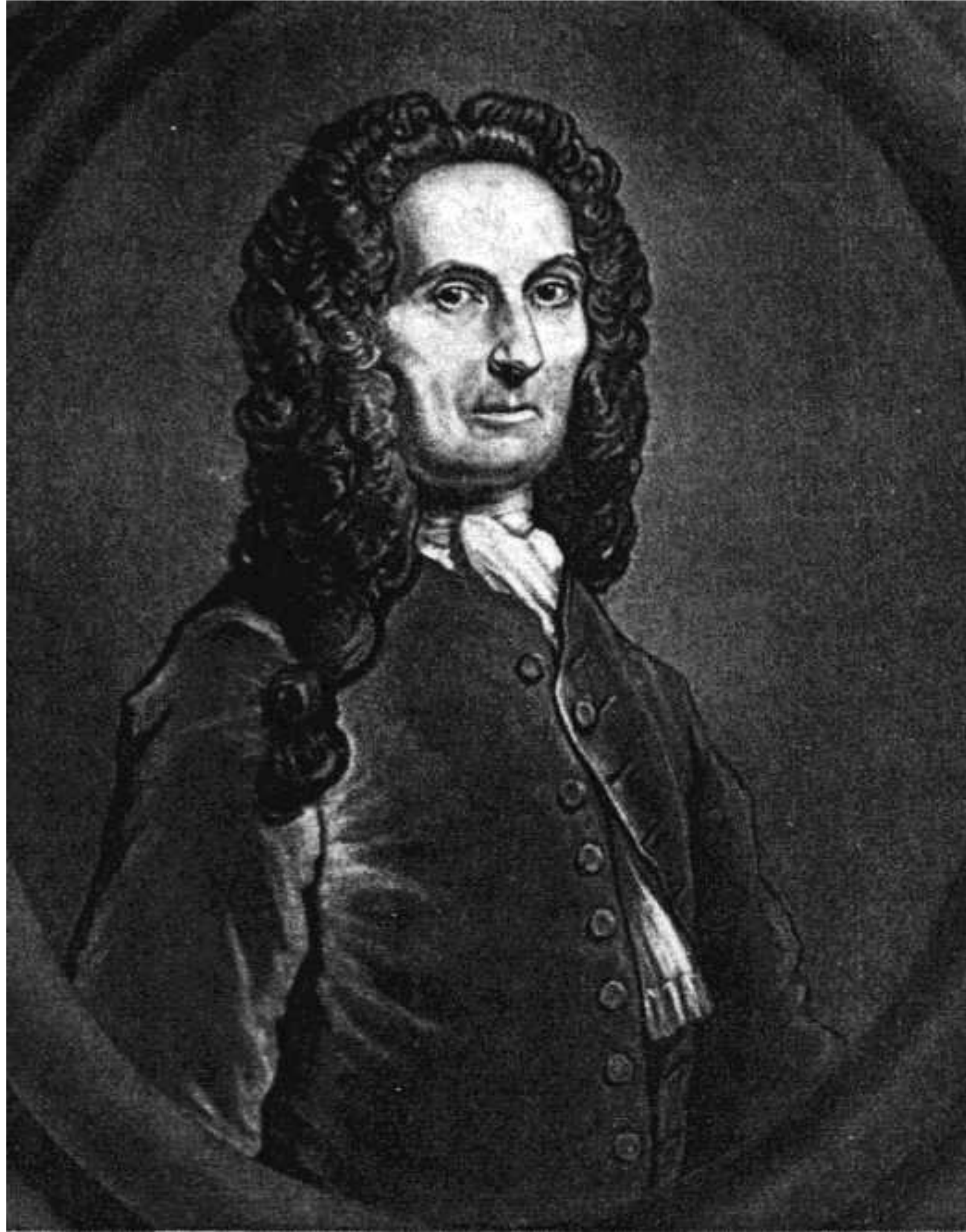
Let's get started!



Appendix: The Normal Distribution

De Moivre

From Coin Flips to Bells



$$\Pr(X = k) = \binom{n}{k} p^k (1 - p)^{n-k}$$

$$\Pr(X = k) = \frac{n!}{k! (n - k)!} p^k (1 - p)^{n-k}$$

$$\Pr(X = 2) = \frac{4!}{2! (4 - 2)!} \left(\frac{1}{2}\right)^2 \left(1 - \frac{1}{2}\right)^{4-2}$$

$$\Pr(X = 2) = \frac{4 \cdot 3 \cdot 2 \cdot 1}{2 \cdot 1 \cdot 2 \cdot 1} \left(\frac{1}{4}\right) \left(\frac{1}{4}\right)$$

$$\Pr(X = 2) = \frac{6}{16}$$

A weighted coin flipping through the air
like a cartoon

$$p = \frac{1}{2}$$

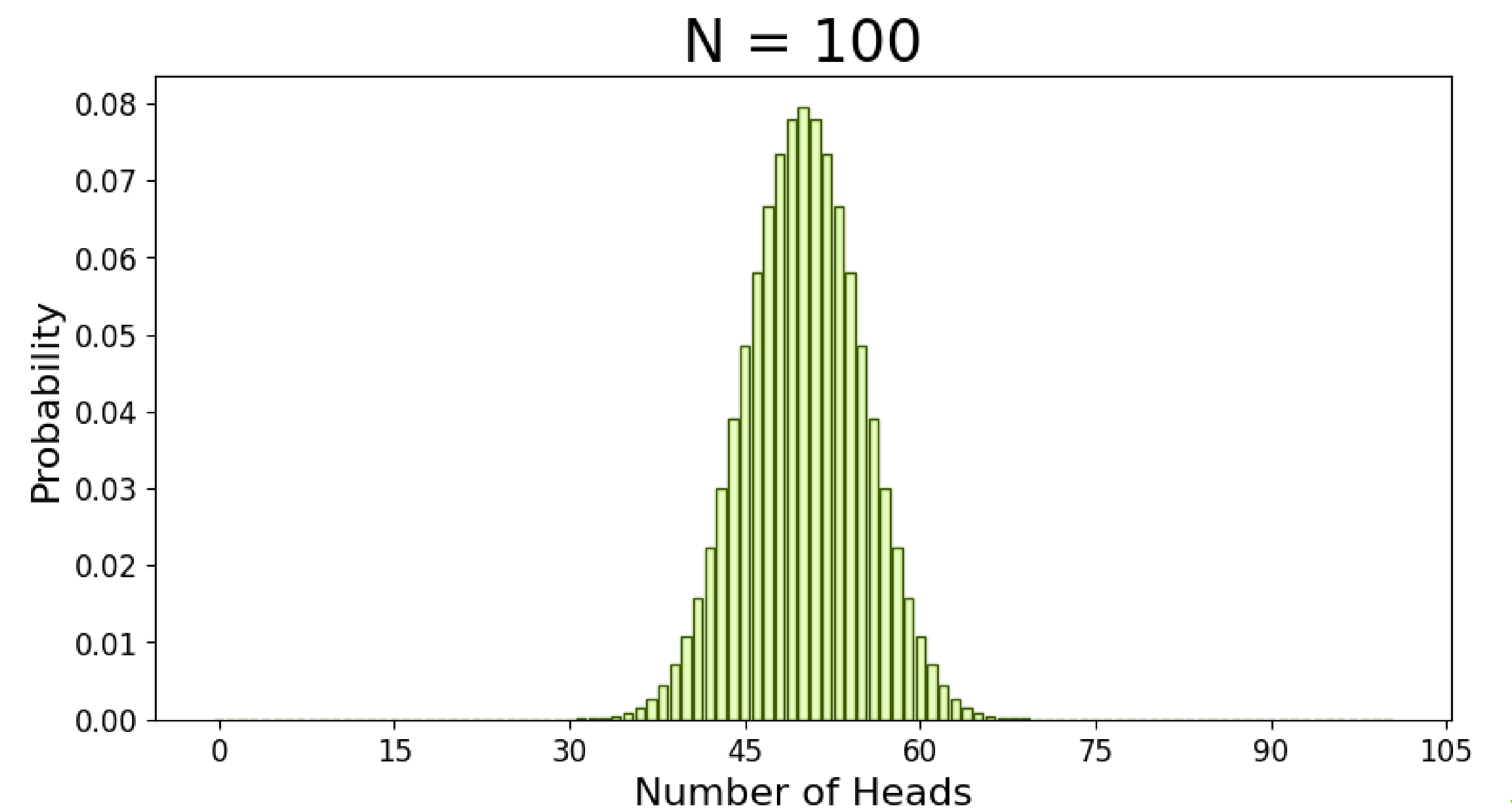
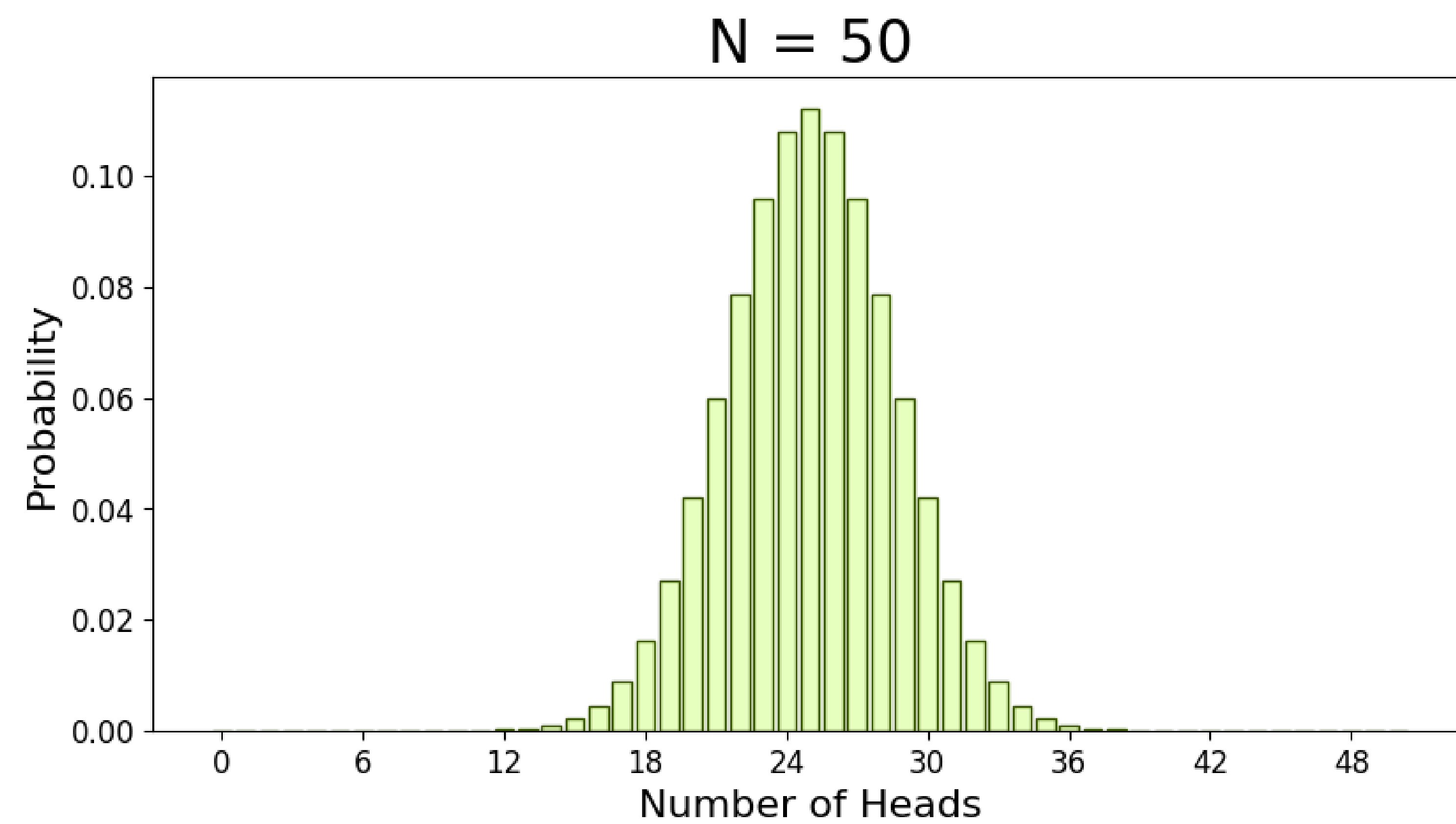
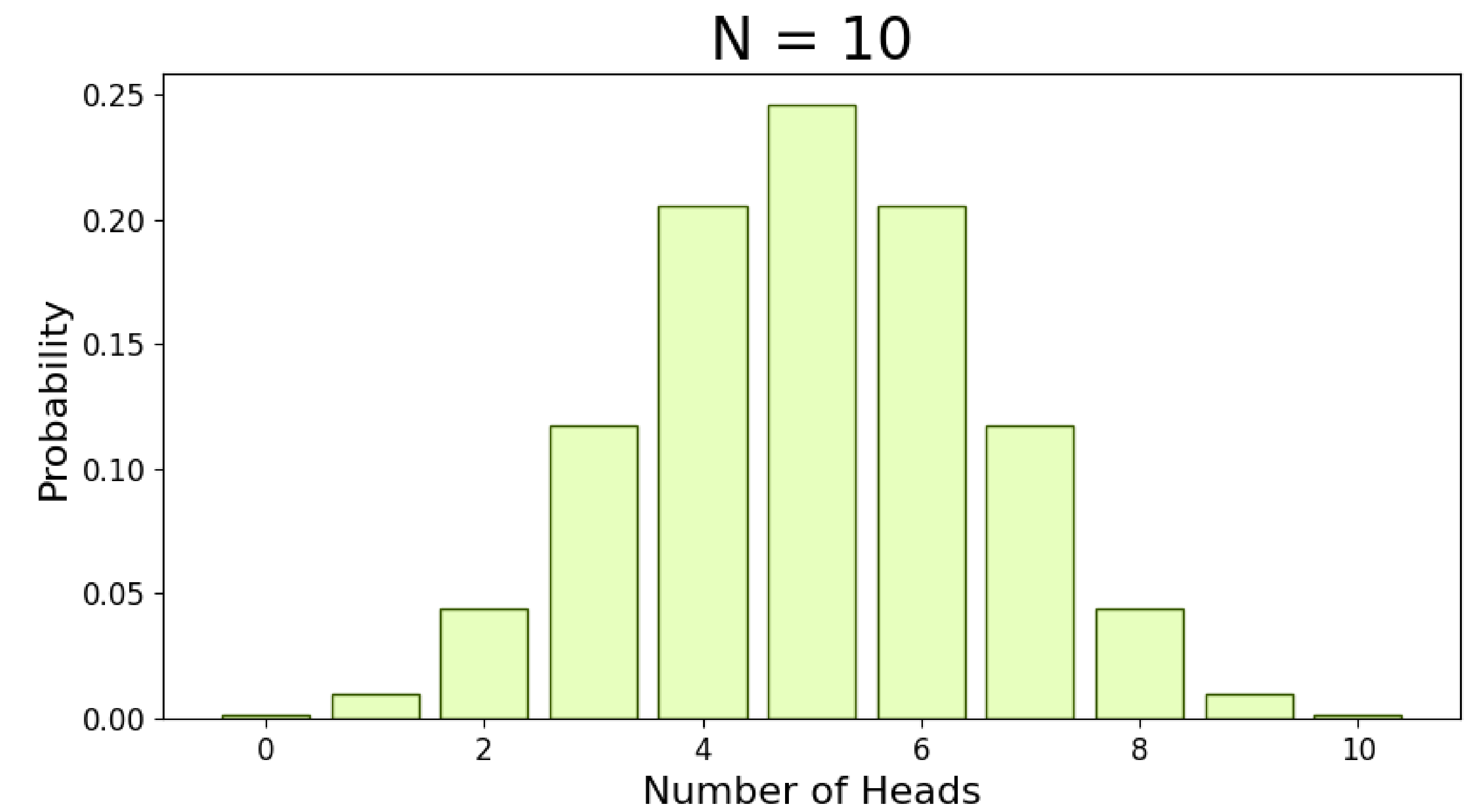
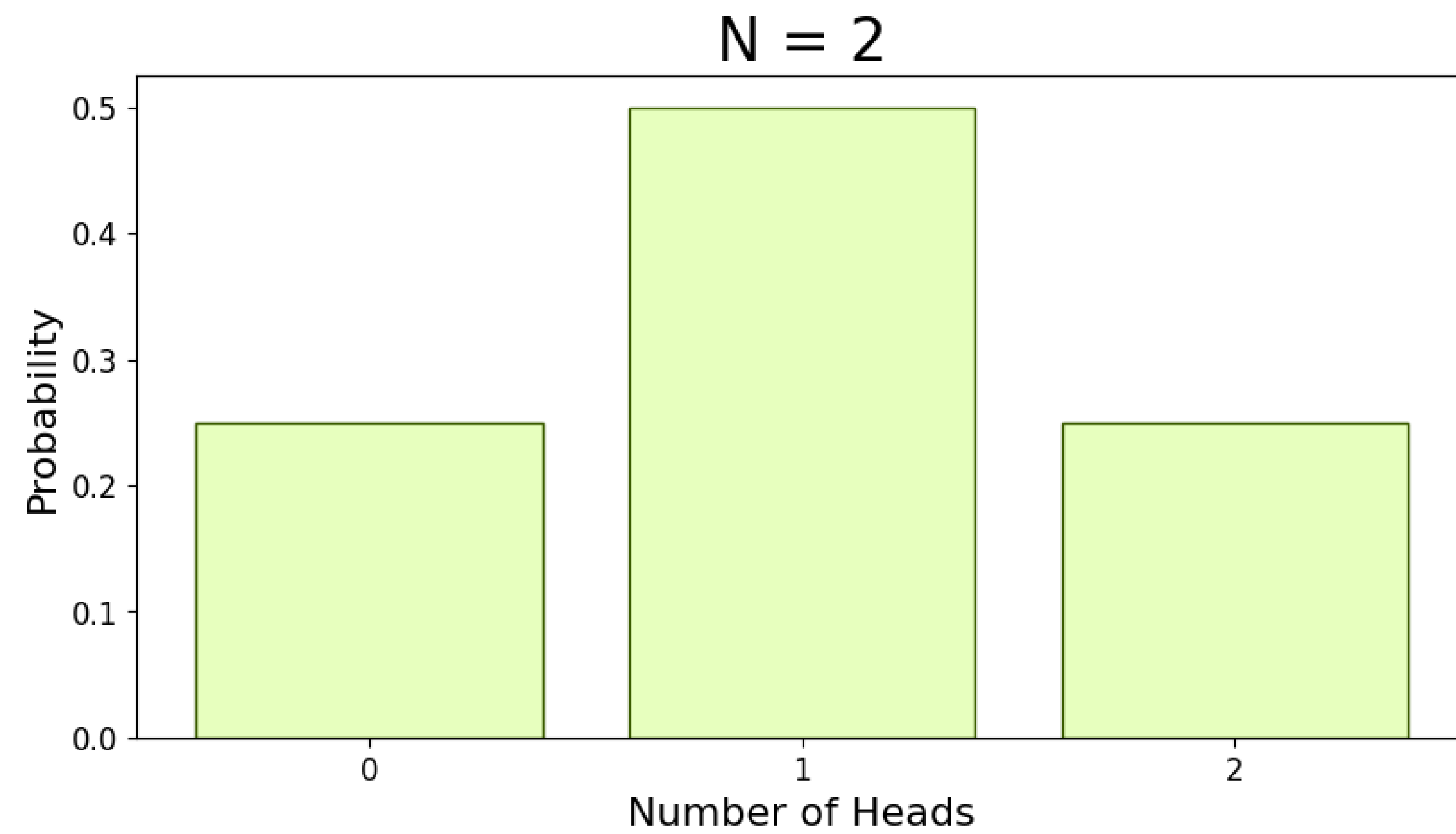
$$n = 4$$

$$k = 2$$



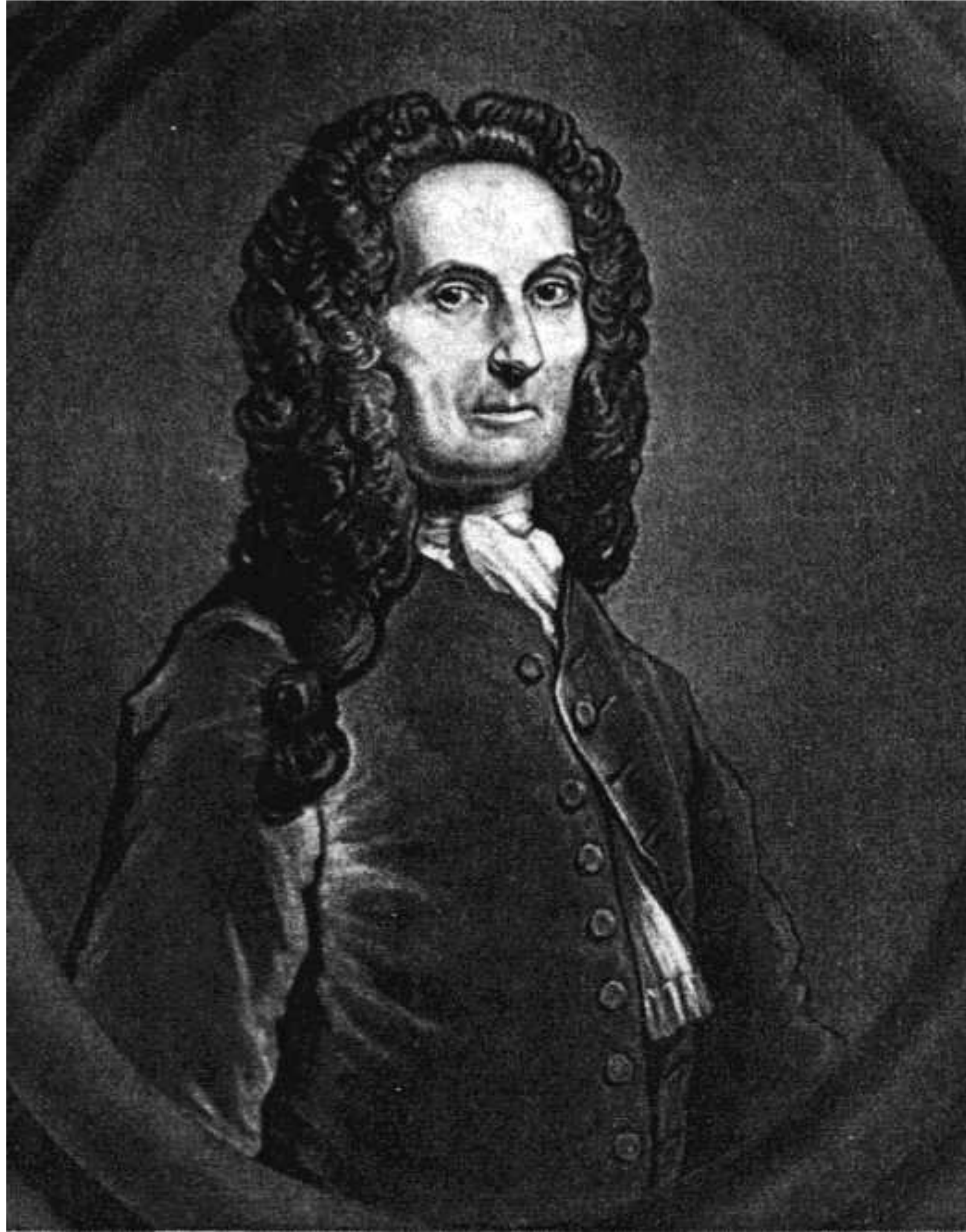
De Moivre

From Coin Flips to Bells



De Moivre

From Coin Flips to Bells



$$\Pr(X = k) = \binom{n}{k} p^k (1 - p)^{n-k}$$

$$\Pr(X = k) = \frac{n!}{k! (n - k)!} p^k (1 - p)^{n-k}$$

$$n! \approx \sqrt{2\pi} \left(\frac{n}{e}\right)^n$$

$$\binom{n}{k} p^k q^{n-k} \simeq \frac{1}{\sqrt{2\pi npq}} e^{-\frac{(k-np)^2}{2npq}}$$

$$N(x; \mu, \sigma^2) = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{1}{2}\left(\frac{x-\mu}{\sigma}\right)^2}$$

A weighted coin flipping through the air
like a cartoon



De Moivre

From Coin Flips to Bells

$$N(x; \mu, \sigma^2) = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{1}{2}\left(\frac{x-\mu}{\sigma}\right)^2}$$

$\mu = \text{mean, a.k.a. average}$

$\sigma = \text{standard deviation, a.k.a. spread}$

$$z = \frac{x - \mu}{\sigma}$$

