Project Name - Baseball Case Study Projec

Tommy_Milone_gives_up_a_home_run_to_Mike_Trout_on_May_21,_2017.jpg

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Project Summary -

This project focuses on leveraging data from the 2014 Major League Baseball (MLB) season to construct an algorithm aimed at predicting the number of wins a team might achieve in the 2015 season. The dataset comprises 16 distinct features, serving as inputs for the machine learning model. These features encompass a range of indicators associated with team performance and success within the sport. By employing this comprehensive dataset, the objective is to develop an accurate predictive model that can estimate the number of wins a team is likely to secure in the subsequent season. The project's ultimate goal is to harness these indicators from the previous season to provide insights into and foresee potential success in the forthcoming MLB season, facilitating informed decision-making and strategic planning within the realm of baseball analytics.

By understanding input features from desription, Adding here in shortly

- 1. W Number of wins credited to a pitcher.
- 2. R Runs scored by the team.
- 3. AB At bats or plate appearances excluding certain situations.
- 4. **H** Hits made by the batter.
- 5. 2B Doubles, hits allowing the batter to safely reach second base.
- 6. 3B Triples, hits allowing the batter to safely reach third base.
- 7. HR Home runs scored by the team.
- 8. BB Bases on balls or walks received by a batter.
- 9. SO Strikeouts by the team's batters.
- 10. SB Stolen bases achieved by the team.
- 11. RA Runs Average, a measure of runs allowed or scored.
- 12. ER Earned runs, runs scored without the aid of errors.
- 13. ERA Earned Run Average, earned runs allowed by a pitcher per nine innings.
- 14. **CG** Complete games pitched by a player.
- 15. **SHO** Shutouts pitched by a player.
- 16. SV Saves earned by a pitcher under specific circumstances.
- 17. E Errors committed by the fielders.



Problem Statement

Develop a machine learning model using the 2014 Major League Baseball dataset to predict the number of wins a team might achieve in the 2015 season based on various performance indicators such as runs scored, hits, strikeouts, earned run average, and other key metrics. The objective is to create an accurate predictive model that utilizes historical team statistics to forecast the potential success of MLB teams in the upcoming season, aiding in strategic decision-making and performance analysis within the realm of baseball analytics.

Knowing data and variable in dataset

```
# Will import necessary libraires
import numpy as np
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
import warnings
pd.set_option('display.max_rows',None)

# Loading Dataset
baseball_data = pd.read_csv('/content/drive/MyDrive/DataSets/baseball.csv')
baseball_data.head(5)
```

```
W R AB H 2B 3B HR BB SO SB RA ER ERA CG SHO SV E
```

From head() dataset, we can observe that we have all data in numericle form only and we have column name in short form. Description and meaning of each is mentioned above.

Find that is small dataset with 30 rows and 17 columns. From 17 we have W - Wins is y variable and rest all are x varibales.

baseball_data.info()

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 30 entries, 0 to 29
Data columns (total 17 columns):
# Column Non-Null Count Dtype
0
            30 non-null
                            int64
                            int64
    R
            30 non-null
1
                            int64
2
    AB
            30 non-null
3
            30 non-null
                            int64
    Н
4
    2B
            30 non-null
                            int64
5
    3B
            30 non-null
                            int64
6
    HR
            30 non-null
                            int64
7
    ВВ
            30 non-null
                            int64
8
    S0
            30 non-null
                            int64
9
    SB
            30 non-null
                            int64
10
    RA
            30 non-null
                            int64
11 ER
            30 non-null
                            int64
    ERA
            30 non-null
                            float64
12
                            int64
            30 non-null
13
    CG
14 SHO
            30 non-null
                            int64
15 SV
            30 non-null
                            int64
16 E
            30 non-null
                            int64
dtypes: float64(1), int64(16)
memory usage: 4.1 KB
```

From .info() we can observe that all columns in int and flote datatype only with no null values in any column.

```
baseball_data.isnull().sum()
```

```
0
W
R
       0
AB
       0
Н
       0
2B
       0
3B
       0
ВВ
       0
S0
       0
SB
       0
RA
       0
ER
       0
ERA
       0
CG
       a
SHO
       a
SV
       0
Е
       0
dtype: int64
```

sns.heatmap(baseball_data.isnull())



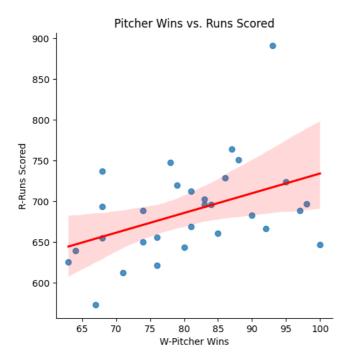
	W	R	AB	Н	2B	3B	HR	ВВ	S0	SB	R
count	30.000000	30.000000	30.000000	30.000000	30.000000	30.000000	30.000000	30.000000	30.00000	30.000000	30.00000
mean	80.966667	688.233333	5516.266667	1403.533333	274.733333	31.300000	163.633333	469.100000	1248.20000	83.500000	688.23333
std	10.453455	58.761754	70.467372	57.140923	18.095405	10.452355	31.823309	57.053725	103.75947	22.815225	72.10800
min	63.000000	573.000000	5385.000000	1324.000000	236.000000	13.000000	100.000000	375.000000	973.00000	44.000000	525.00000
25%	74.000000	651.250000	5464.000000	1363.000000	262.250000	23.000000	140.250000	428.250000	1157.50000	69.000000	636.25000
50%	81.000000	689.000000	5510.000000	1382.500000	275.500000	31.000000	158.500000	473.000000	1261.50000	83.500000	695.50000
75%	87.750000	718.250000	5570.000000	1451.500000	288.750000	39.000000	177.000000	501.250000	1311.50000	96.500000	732.50000
max	100.000000	891.000000	5649.000000	1515.000000	308.000000	49.000000	232.000000	570.000000	1518.00000	134.000000	844.00000

From .describe() we can observe mean, standard Deviation, minimum value, quantile values and maximum values for each vearibale.

∨ Chart - 1

Pitcher Wins vs. Runs Scored

```
sns.lmplot(data=baseball_data,x='W',y='R',line_kws=dict(color="r"))
plt.xlabel('W-Pitcher Wins')
plt.ylabel('R-Runs Scored')
plt.title('Pitcher Wins vs. Runs Scored')
plt.show()
```



Insights from above graph -

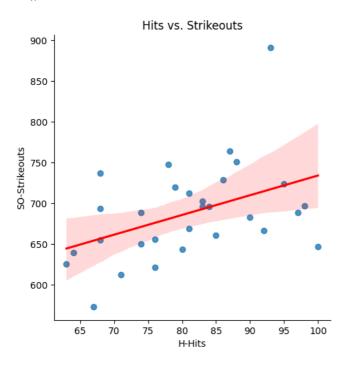
- · The red regression line on the scatter plot indicates the overall trend between Pitcher Wins and Runs Scored.
- The line slopes upwards, it implies a positive correlation—more pitcher wins tend to coincide with higher runs scored.

Number of wins credited to pitchers corresponds to the team's offensive performance in terms of runs scored, understanding the overall relationship and potential predictive tendencies between these two variables in Major League Baseball.

∨ Chart - 2

Hits vs. Strikeouts

```
sns.lmplot(data=baseball_data,x='W',y='R',line_kws=dict(color="r"))
plt.xlabel('H-Hits')
plt.ylabel('SO-Strikeouts')
plt.title('Hits vs. Strikeouts')
plt.show()
```



Insights from above graph -

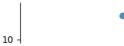
- The red regression line on the scatter plot indicates the overall trend between Hits and Strikeouts.
- The line slopes upwards, it implies a positive correlation—more Hits tend to coincide with more Srikeouts

∨ Chart - 3

Earned Run Average vs. Complete Games

```
sns.lmplot(data=baseball_data,x='ERA',y='CG',line_kws=dict(color="r"))
plt.xlabel('ERA-Earned Run Average')
plt.ylabel('CG-Complete Games')
plt.title('Earned Run Average vs. Complete Games')
plt.show()
```

Earned Run Average vs. Complete Games



Insights from above graph -

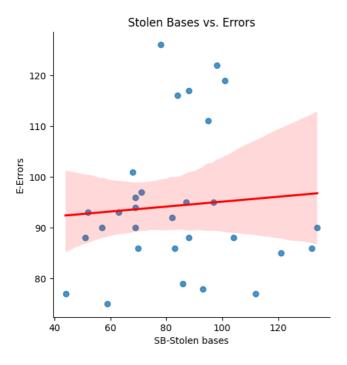
- The linear regression line and the scatter plot points indicate the direction and strength of the relationship between ERA and CG. A negative slope might suggest that as the Earned Run Average decreases, the number of Complete Games tends to increase, or vice versa.
- A lower ERA usually signifies a pitcher's effectiveness in preventing earned runs. A positive correlation between lower ERA and higher CG
 could imply that pitchers with better effectiveness tend to pitch more complete games, showcasing their endurance and pivotal role in
 finishing games.

This plot provides how Earned Run Average and Complete Games might be related in Major League Baseball, offering potential insights into pitching effectiveness, player endurance, and team strategies.



Stolen Bases vs. Errors

```
sns.lmplot(data=baseball_data,x='SB',y='E',line_kws=dict(color="r"))
plt.xlabel('SB-Stolen bases')
plt.ylabel('E-Errors')
plt.title('Stolen Bases vs. Errors')
plt.show()
```



Insights from above graph -

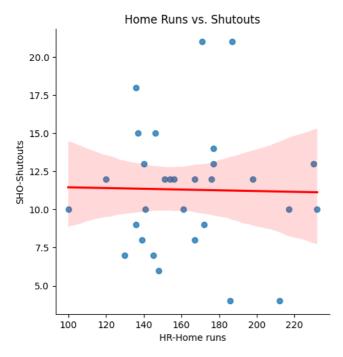
- Observing the dispersion of data points around the regression line reveal how loosely the relationship holds. Points are dispersed widely, the correlation is weaker.
- · Slight Positive regression line on the scatter plot indicates the overall trend between Stolen Bases and Errors.

Analyzing this graph can offer valuable insights into the relationship between aggressive base-running (stolen bases) and defensive errors in Major League Baseball, aiding in understanding strategic dynamics between offense and defense in the sport.

∨ Chart - 5

Home Runs vs. Shutouts

```
sns.lmplot(data=baseball_data,x='HR',y='SHO',line_kws=dict(color="r"))
plt.xlabel('HR-Home runs')
plt.ylabel('SHO-Shutouts')
plt.title('Home Runs vs. Shutouts')
plt.show()
```



Insights from above graph -

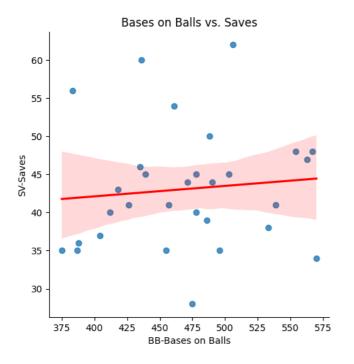
- The linear regression line indicate there's a linear relationship between the number of home runs scored by a team and the number of shutouts pitched by players.
- Higher home run counts coincide with instances where teams pitch more shutouts. This indicate that teams with strong offensive capabilities in hitting home runs might also have pitching strengths resulting in fewer runs conceded.

These insights offer a glimpse into potential relationships between offensive prowess (home runs) and pitching success (shutouts) within the context of baseball, aiding in understanding the interplay between these key metrics in team performance.

✓ Chart - 6

Bases on Balls vs. Saves

```
sns.lmplot(data=<u>baseball_data</u>,x='BB',y='SV',line_kws=dict(color="r"))
plt.xlabel('BB-Bases on Balls')
plt.ylabel('SV-Saves')
plt.title('Bases on Balls vs. Saves')
plt.show()
```



Insights from above graph -

- The plot and the regression line indicate there's a relationship between the number of bases on balls (walks received) and the number of saves earned by pitchers. The positive slope of the regression line suggests the direction and strength of this relationship.
- · A positive relationship or slope imply that as the number of walks increases, there be a tendency for more saves to be earned.

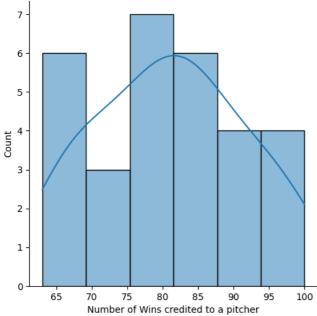
This graph aims to uncover potential connections between the number of walks and the number of saves in baseball, offering insights into the role of pitching strategy and its impact on securing wins.

∨ Chart - 7

Distribution plot for W - Wins

```
sns.displot(data=baseball_data, x='W', kde=True)
plt.xlabel('Number of Wins credited to a pitcher')
plt.title('Kernel Density Estimation for Wins')
plt.show()
```





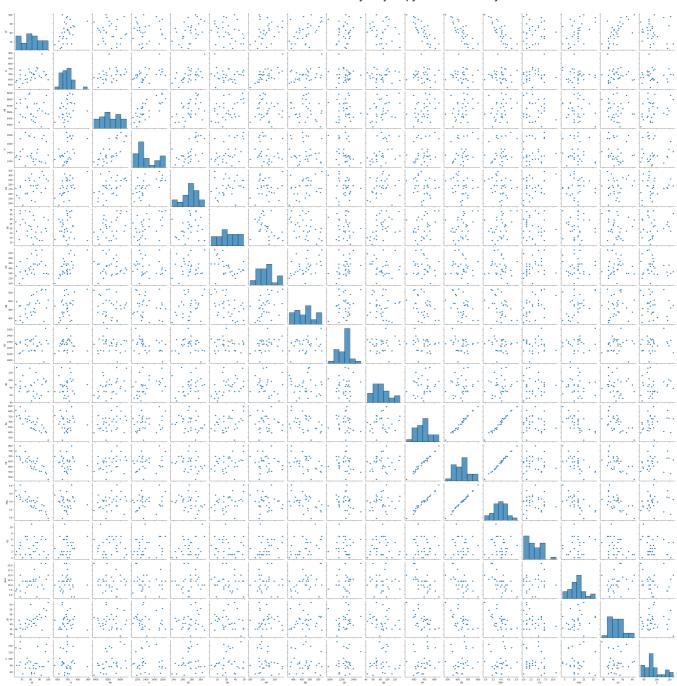
Insights from above graph -

- 1. The KDE plot displays the distribution of the number of wins credited to pitchers. It indicates the density of wins across different values, showcasing where the concentration of win counts lies within the dataset.
- 2. The peak of the KDE plot suggests the most common or central values for wins credited to pitchers.

∨ Chart - 8

Pair Plot

```
sns.pairplot(baseball_data)
plt.show()
```



∨ Chart - 8

Heatmap

```
correlation_data = baseball_data
correlation_matrix = correlation_data.corr()
plt.figure(figsize=(20,10))
sns.heatmap(correlation_matrix,annot=True)
plt.title('Correlation Map')
plt.show()
```

Correlation Map -0.81 -0.81 -0.82 ≥ -1 -0.088 1 -0.07 0.67 -0.042 -0.041 -0.049 ď -0.088 1 0.74 -0.14 AB 0.74 1 -0.4 I 1 -0.24 -0.25 1 -0.43 -0.45 -0.14 38 0.67 -0.067 -0.091 0.056 -0.43 1 -0.14 -0.1 -0.086 -0.091 뚠 -0.14 -0.12 -0.45 1 -0.098 -0.42 -0.45 -0.46 88 S 0.11 -0.055 -0.11 -0.4 -0.15 -0.14 1 -0.13 -0.16 -0.18 0.081 -0.098 1 0.13 0.14 SB -0.16-0.140.13 -0.81 -0.042 -0.13 0.13 0.99 -0.22 -0.421 0.99 ₹ -0.81 0.34 -0.041 -0.24-0.086 -0.45-0.16 0.14 0.99 \mathbb{F} 1 1 ERA -0.82 -0.049 0.26 -0.25 -0.46 -0.18 0.99 1 1 8 -0.0099 -0.081 -0.066 -0.093 -0.021 -0.02 SHO -0.15 -0.041 -0.64 -0.63 -0.63 0.67 -0.096 -0.11 -0.14 -0.18 -0.62 -0.59 -0.61 SS -0.089

To get VIF, will first define x and y varibales for our ML Model

```
x = baseball_data.drop(columns=['W'])
y = baseball_data['W']

from sklearn.preprocessing import StandardScaler
from statsmodels.stats.outliers_influence import variance_inflation_factor

scalar = StandardScaler()
x_scaled=scalar.fit_transform(x)

# VIF

vif = pd.DataFrame()

vif['vif']=[variance_inflation_factor(x_scaled,i) for i in range(x_scaled.shape[1])]

vif['features'] = x.columns

vif
```

	vif	features	
0	11.522370	R	ılı
1	13.311532	AB	
2	10.070668	Н	
3	4.019297	2B	
4	3.294146	3B	
5	10.079902	HR	

Features like 'RA' (Runs Average), 'ER' (Earned Runs), and 'ERA' (Earned Run Average) have extremely high VIF values, indicating strong multicollinearity issues. This suggests that these features are highly correlated with other predictors, potentially making their individual contributions less reliable when used together in a regression model.

Features such as 'BB' (Bases on Balls), 'SO' (Strikeouts), 'SV' (Saves), 'CG' (Complete Games), 'SHO' (Shutouts), and 'R' (Runs scored) have VIF values indicating moderate multicollinearity. While not as severe as the high VIF features, their correlations might still affect the model's coefficient estimates.

Features like 'SB' (Stolen Bases), 'E' (Errors), '2B' (Doubles), '3B' (Triples), and 'H' (Hits) show relatively low VIF values, suggesting less multicollinearity with other predictors. These features could be considered more independent within the dataset.

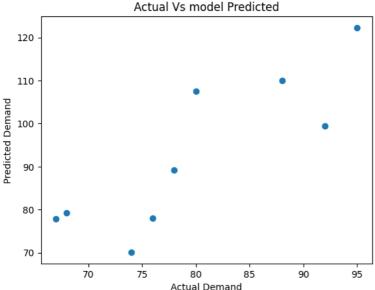
ML Model - 1

Using all Variables for ML Model-1

```
# Importing Libraries
from sklearn.preprocessing import MinMaxScaler
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LinearRegression
from sklearn.metrics import r2_score
from sklearn.metrics import mean_squared_error
from sklearn.metrics import mean_absolute_error
from sklearn.linear_model import Ridge
import math
# splitting data into train and test set.
x_train,x_test,y_train,y_test = train_test_split(x,y,test_size=0.30,random_state=248)
("Shape of x\_train", x\_train.shape)
("Shape of x_test",x_test.shape)
("Shape of y_train",y_train.shape)
("Shape of y_train",y_test.shape)
# Transforming data standardization
scaler = MinMaxScaler()
x_train = scaler.fit_transform(x_train)
x_test = scaler.fit_transform(x_test)
# Fitting linear regressio to training set
LR = LinearRegression()
LR.fit(x_train, y_train)
# Predicting on test set results
y_pred = LR.predict(x_test)
y_pred
# Evaluate the Linear Regression model
LR_predictions = LR.predict(x_test)
LR_mse = mean_squared_error(y_test, LR_predictions)
LR_RMSE = math.sqrt(mean_squared_error(y_test,y_pred))
LR_r2 = r2_score(y_test, LR_predictions)
print("Linear Regression MSE For Model 1: ", LR_mse)
print("Linear Regression RMSE For Model 1: ", LR_RMSE)
print("Linear Regression R-squared For Model 1: ", LR_r2)
plt.scatter(y_test,y_pred)
nl+ vlahel('Actual · Demand')
```

```
plt.ylabel('Predicted Demand')
plt.title('Actual Vs model Predicted')
plt.show()

Linear Regression MSE For Model 1: 270.3253807274042
Linear Regression RMSE For Model 1: 16.441574764219034
Linear Regression R-squared For Model 1: -2.035258641380612
```



Importing Necessary Libraries

```
from sklearn.model_selection import train_test_split, GridSearchCV
from sklearn.linear_model import LinearRegression, Lasso, Ridge
# Lasso Regression model with hyperparameter tuning
lasso model = Lasso()
lasso_param_grid = {'alpha': [0.01, 0.1, 1, 10]}
lasso_grid = GridSearchCV(lasso_model, lasso_param_grid, cv=5)
lasso\_grid.fit(x\_train, \ y\_train)
\mbox{$\#$} \cdot \mbox{$Evaluate} \cdot \mbox{$the$} \cdot \mbox{$Lasso} \cdot \mbox{$Regression} \cdot \mbox{$model}
lasso_predictions = *lasso_grid.predict(x_test)
lasso_mse = mean_squared_error(y_test, lasso_predictions)
lasso_r2 = r2_score(y_test, lasso_predictions)
print("Lasso Regression MSE: ", lasso_mse)
print("Lasso Regression R-squared: ", lasso_r2)
print("Best Lasso Alpha: ", lasso_grid.best_params_['alpha'])
\label{eq:similarly} \mbox{\tt \#-Similarly-for-ridge-regression}
# Ridge Regression model with hyperparameter tuning
ridge_model = Ridge()
ridge_param_grid = {'alpha': [0.01, 0.1, 1, 10]}
ridge_grid = GridSearchCV(ridge_model, ridge_param_grid, cv=5)
ridge_grid.fit(x_train, y_train)
# Evaluate the Ridge Regression model
ridge_predictions = ridge_grid.predict(x_test)
ridge_mse = mean_squared_error(y_test, ridge_predictions)
ridge_r2 = r2_score(y_test, ridge_predictions)
print("Ridge Regression MSE: ", ridge_mse)
print("Ridge Regression R-squared: ", ridge_r2)
print("Best Ridge Alpha: ", ridge_grid.best_params_['alpha'])
     Lasso Regression MSE: 76.26988784934554
     Lasso Regression R-squared: 0.14362892766884006
     Best Lasso Alpha: 0.1
     Ridge Regression MSE: 40.35331573996413
     Ridge Regression R-squared: 0.5469062136211402
     Best Ridge Alpha: 1
```

Insights from ML Model 1:

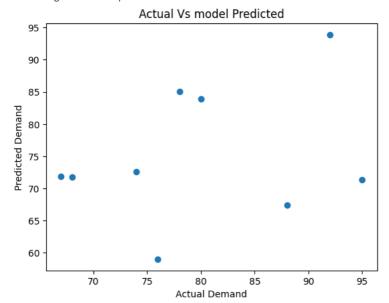
- The Linear Regression model performs poorly with a high MSE and negative R-squared. The negative R-squared indicates that this model is worse than a horizontal line, showing no predictive power and possibly indicating severe overfitting or inappropriate use of the model.
- Lasso Regression significantly improves over the Linear Regression with a notably lower MSE and a positive R-squared, showing some predictive capability. Lasso's ability to perform feature selection might have helped in reducing overfitting or multicollinearity issues present in the linear model.
- Ridge Regression performs even better than Lasso and Linear Regression with the lowest MSE and a higher R-squared. It shows improved predictive power, indicating a better fit to the data compared to both the Linear and Lasso models.

✓ ML Model - 2

Selected features (From VIF score neglecting features whose score is more than 5)

```
x = baseball_data[['2B', '3B', 'BB', 'SO', 'SB', 'CG', 'SHO', 'E']]
y = baseball_data['W']
# splitting data into train and test set.
x_train,x_test,y_train,y_test = train_test_split(x,y,test_size=0.30,random_state=248)
("Shape of x_train",x_train.shape)
("Shape of x_test",x_test.shape)
("Shape of y_train",y_train.shape)
("Shape of y_train",y_test.shape)
# Transforming data standardization
scaler = MinMaxScaler()
x_train = scaler.fit_transform(x_train)
x_test = scaler.fit_transform(x_test)
# Fitting linear regressio to training set
LR = LinearRegression()
LR.fit(x_train, y_train)
# Predicting on test set results
y_pred = LR.predict(x_test)
y pred
# Evaluate the Linear Regression model
LR_predictions = LR.predict(x_test)
LR_mse = mean_squared_error(y_test, LR_predictions)
LR_RMSE = math.sqrt(mean_squared_error(y_test,y_pred))
LR_r2 = r2_score(y_test, LR_predictions)
print("Linear Regression MSE For Model 2: ", LR_mse)
print("Linear Regression RMSE For Model 2: ", LR_RMSE)
print("Linear Regression R-squared For Model 2: ", LR_r2)
plt.scatter(y_test,y_pred)
plt.xlabel('Actual Demand')
plt.ylabel('Predicted Demand')
plt.title('Actual Vs model Predicted')
plt.show()
# Importing Necessary Libraries
from sklearn.model selection import train test split, GridSearchCV
from sklearn.linear_model import LinearRegression, Lasso, Ridge
# Lasso Regression model with hyperparameter tuning
lasso_model = Lasso()
lasso_param_grid = {'alpha': [0.01, 0.1, 1, 10]}
lasso_grid = GridSearchCV(lasso_model, lasso_param_grid, cv=5)
lasso_grid.fit(x_train, y_train)
# Evaluate the Lasso Regression model
lasso_predictions = lasso_grid.predict(x_test)
lasso_mse = mean_squared_error(y_test, lasso_predictions)
lasso_r2 = r2_score(y_test, lasso_predictions)
print("Lasso Regression MSE: ", lasso_mse)
print("Lasso Regression R-squared: ", lasso_r2)
print("Best Lasso Alpha: ", lasso_grid.best_params_['alpha'])
# Similarly for ridge regression
# Ridge Regression model with hyperparameter tuning
ridge_model = Ridge()
ridge_param_grid = {'alpha': [0.01, 0.1, 1, 10]}
ridge_grid = GridSearchCV(ridge_model, ridge_param_grid, cv=5)
ridge_grid.fit(x_train, y_train)
# Evaluate the Ridge Regression model
ridge_predictions = ridge_grid.predict(x_test)
ridge_mse = mean_squared_error(y_test, ridge_predictions)
ridge_r2 = r2_score(y_test, ridge_predictions)
```

```
print("Ridge Regression MSE: ", ridge_mse)
print("Ridge Regression R-squared: ", ridge_r2)
print("Best Ridge Alpha: ", ridge_grid.best_params_['alpha'])
    Linear Regression MSE For Model 2: 153.4741060579764
    Linear Regression RMSE For Model 2: 12.388466654835714
    Linear Regression R-squared For Model 2: -0.7232329623920275
```



Lasso Regression MSE: 124.16547124425607 Lasso Regression R-squared: -0.3941507029088911 Best Lasso Alpha: 0.1 Ridge Regression MSE: 97.87086995530397 Ridge Regression R-squared: -0.09891051654832572 Best Ridge Alpha: 1

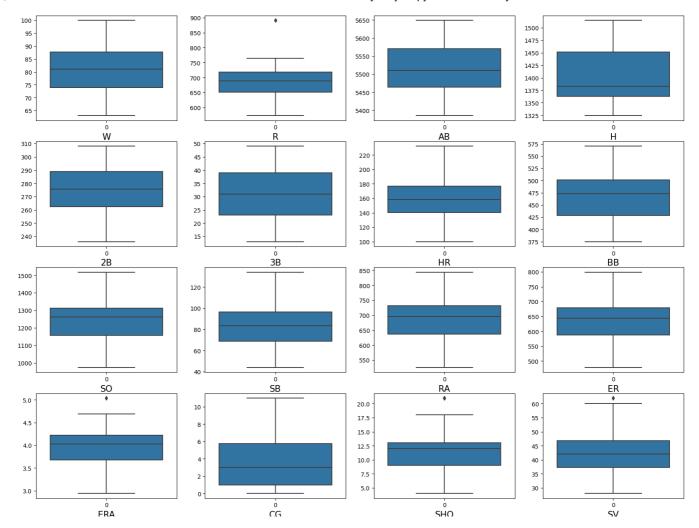
Insights from ML Model 2:

- The linear regression model performs poorly with a high MSE and negative R-squared value. The negative R-squared indicates that this model doesn't fit the data well and might be worse than a model that predicts the mean of the target variable.
- Lasso regression improves upon the linear regression model, reducing the MSE and somewhat improving the R-squared value. However, it still indicates poor fit or performance due to the negative R-squared value.
- Ridge regression performs better than both linear and Lasso regression models, showing a lower MSE and a relatively improved R-squared value. However, the negative R-squared suggests that this model might not capture the variability in the data effectively.

Will Check for outliers

```
plt.figure(figsize=(20,15))
graph = 1

for column in baseball_data:
   if graph<=16:
     plt.subplot(4,4,graph)
     ax=sns.boxplot(data= baseball_data[column])
     plt.xlabel(column,fontsize=15)
     graph+=1
plt.show()</pre>
```



From above box plot can observe that, have very less ouliers present in dataset. As dataset shape is very small, not deleting any of outliers to maintain data balance. Will check with multiple ML model to get better results.

ML Model - 3

knn Regression Model

```
x = baseball_data[['R', 'AB','2B', '3B','BB', 'SO','SB','RA','CG', 'SHO', 'SV']]
y = baseball_data['W']
# Imporing Library
from sklearn.metrics import confusion_matrix,classification_report,accuracy_score
from sklearn.feature_selection import SelectKBest,f_classif
from sklearn.neighbors import KNeighborsRegressor
from sklearn.preprocessing import StandardScaler
# Normalization
scalar = StandardScaler()
x_scalar = scalar.fit_transform(baseball_data)
best_features = SelectKBest(score_func=f_classif,k=1)
fit = best_features.fit(x,y)
df_score = pd.DataFrame(fit.scores_)
df_columns = pd.DataFrame(x.columns)
feature_scores = pd.concat([df_columns,df_score],axis=1)
feature scores.columns = ['Feature Name', 'Score']
print(feature_scores.nlargest(1,'Score'))
# Fitting knn Model
knn = KNeighborsRegressor(n_neighbors=5)
knn.fit(x_train, y_train)
# Evaluting matrix
def metric_score(model, x_train, x_test, y_train, y_test, train=True):
    if train:
       y_pred = model.predict(x_train)
    else:
       y_pred = model.predict(x_test)
    mse = mean_squared_error(y_train if train else y_test, y_pred)
    rmse = np.sqrt(mse)
    r2 = r2_score(y_train if train else y_test, y_pred)
    return mse, rmse, r2
# Calculate training and testing scores
train_mse, train_rmse, train_r2 = metric_score(knn, x_train, x_test, y_train, y_test, train=True)
test_mse, test_rmse, test_r2 = metric_score(knn, x_train, x_test, y_train, y_test, train=False)
print("Training MSE:", train_mse)
print("Training RMSE:", train_rmse)
print("Training R2:", train_r2)
print("Testing MSE:", test_mse)
print("Testing RMSE:", test_rmse)
print("Testing R2:", test_r2)
from sklearn.model_selection import KFold,cross_val_score
k_f =KFold(n_splits=5)
k_f
for train,test in k_f.split([12,23,35,46,51,63,75,86,96,108]):
 print('train : ',train,'test :',test)
cross_val_score(knn,x_scalar,y,cv=5)
cross_val_score(knn,x_scalar,y,cv=5).mean
from sklearn.model_selection import GridSearchCV
param_grid = {'algorithm': ['kd_tree','brute'],
              'leaf_size':[3,5,6,7,8],
              'n_neighbors': [3,5,7,9,11,13]}
gridsearch = GridSearchCV(estimator =knn,param_grid=param_grid)
```

```
gridsearch.fit(x_train,y_train)
gridsearch.best score
gridsearch.best_estimator_
metric_score(knn,x_train,x_test,y_train,y_test,train=True) # for training score
metric_score(knn,x_train,x_test,y_train,y_test,train=False) # for testing score
      Feature_Name
                R 4.325471
     Training MSE: 58.19428571428572
     Training RMSE: 7.628517923835909
    Training R2: 0.479797300036486
    Testing MSE: 111.48888888888887
    Testing RMSE: 10.55882990150371
    Testing R2: -0.2518159135015243
    train : [2 3 4 5 6 7 8 9] test : [0 1]
             [0 1 4 5 6 7 8 9] test : [2 3]
     train: [0 1 2 3 6 7 8 9] test: [4 5]
     train : [0 1 2 3 4 5 8 9] test : [6 7]
     train : [0 1 2 3 4 5 6 7] test : [8 9]
     (111.4888888888887, 10.55882990150371, -0.2518159135015243)
```

Insights from kNN model:

- 'R' has a score of 4.33, indicating its higher importance in predicting the target variable (number of wins). This suggests that 'R' (Runs scored by the team) is a significant predictor in the model.
- The Mean Squared Error (MSE) on the training set is approximately 58.19, which signifies the average squared difference between the actual and predicted values of wins. Lower values indicate better model fit.
- The Root Mean Squared Error (RMSE) on the training set is around 7.63, representing the standard deviation of the residuals. Lower values indicate better fit. The R-squared value of approximately 0.48 indicates that the model explains around 48% of the variance in the target variable, 'W' (number of wins).
- The Mean Squared Error (MSE) on the testing set is about 111.49. A higher MSE on the testing set compared to the training set might suggest some overfitting or the model's inability to generalize well to unseen data.
- The Root Mean Squared Error (RMSE) on the testing set is approximately 10.56, higher than the training RMSE, indicating a larger deviation of predictions from actual values in the testing data.
- The negative R-squared value (-0.25) on the testing set suggests that the model performs worse than a model that simply predicts the mean of the target variable. It indicates poor predictive performance.

∨ ML Model - 4

Decision Tree Regression Model

```
from sklearn.tree import DecisionTreeRegressor
x = baseball_data[['R', 'AB','2B', '3B','BB', 'SO','SB', 'RA','CG', 'SHO', 'SV']]
y = baseball_data['W']
# Train and test set split
x_train,x_test,y_train,y_test = train_test_split(x,y,random_state=348)
# Fitting Model
clf = DecisionTreeRegressor()
clf.fit(x_train,y_train)
# defining function for evalution matrix
def metric_score(model, x_train, x_test, y_train, y_test, train=True):
    if train:
       y_pred = model.predict(x_train)
       mse = mean_squared_error(y_train, y_pred)
        rmse = np.sqrt(mse)
       r2 = r2_score(y_train, y_pred)
       print('\n=====Train Result=====')
        print(f'Mean Squared Error (MSE): {mse:.2f}')
        print(f'Root Mean Squared Error (RMSE): {rmse:.2f}')
        print(f'R-squared (R2): {r2:.2f}')
    else:
       y_pred = model.predict(x_test)
        mse = mean_squared_error(y_test, y_pred)
        rmse = np.sqrt(mse)
        r2 = r2_score(y_test, y_pred)
        print('\n=====Test Result=====')
        print(f'Mean Squared Error (MSE): {mse:.2f}')
        print(f'Root Mean Squared Error (RMSE): {rmse:.2f}')
        print(f'R-squared (R2): {r2:.2f}')
# Calling above function and passing dataset to check train and test score
metric_score(clf,x_train,x_test,y_train,y_test,train=True) # for training score
metric score(clf,x train,x test,y train,y test,train=False) # for testing score
# Now doing Hypertuning
grid param = {
    'criterion': ['squared_error'],
    'max_depth': range(5, 10),
    'min_samples_leaf': range(1, 3),
    'min_samples_split': range(1, 5),
    'max_leaf_nodes': range(3, 6)
grid_search = GridSearchCV(estimator=clf,
                           param_grid=grid_param,
                           n_jobs=-1,
                           error_score=np.nan)
grid_search.fit(x_train, y_train)
best_parameters = grid_search.best_params_
print(best_parameters)
# Using best_param for model
clf = DecisionTreeRegressor(criterion='squared_error',min_samples_split=3,max_depth=5,min_samples_leaf=1)
clf.fit(x train,y train)
\verb|metric_score(clf,x_train,x_test,y_train,y_test,train=True)| # | for training score|
metric_score(clf,x_train,x_test,y_train,y_test,train=False) # for testing score
    Mean Squared Error (MSE): 84.88
```

Insights from Decision Tree Regression Model:

- The model achieved exceptionally good performance on the training set with an MSE and RMSE of 0.00, indicating a perfect fit. The R-squared value of 1.00 suggests that the model perfectly captures the variance in the training data.
- On the test set, the model's performance deteriorated significantly compared to the training set. The MSE and RMSE increased notably, indicating a considerable increase in prediction error on unseen data.
- The model's performance on the training set decreased slightly after hyperparameter tuning, as evidenced by the increase in MSE and RMSE. However, the R-squared value of 0.97 still indicates a very high level of variance explained by the model.
- · Despite the hyperparameter tuning, the model's performance on the test set remained similar to the pre-tuning performance.

```
-1.03458682 -0.9311209/ nan -1.3008982/ -1.3008982/ -1.28663802
```

✓ ML Model - 5

RandomForesteRegressor

```
nan _1 A1102531 _1 A1102531 _1 A1102531
from sklearn.ensemble import RandomForestRegressor
x = baseball_data[['R', 'AB','2B', '3B','BB', 'SO','SB','RA','CG', 'SHO', 'SV']]
v = baseball data['W']
# Train and test set split
x_train,x_test,y_train,y_test = train_test_split(x,y,random_state=348)
# Random Forest Regression
rf_model = RandomForestRegressor()
rf_model.fit(x_train,y_train)
# defining function for evalution matrix
def metric_score(model, x_train, x_test, y_train, y_test, train=True):
    if train:
       y_pred = model.predict(x_train)
       mse = mean_squared_error(y_train, y_pred)
       rmse = np.sqrt(mse)
       r2 = r2_score(y_train, y_pred)
        print('\n=====Train Result=====')
       print(f'Mean Squared Error (MSE): {mse:.2f}')
       print(f'Root Mean Squared Error (RMSE): {rmse:.2f}')
       print(f'R-squared (R2): {r2:.2f}')
    else:
```