Aims

- practice writing loops and conditionals
- learn how to read from a file
- learn how to work with matrices

Problem 1 - Addresses

The aim here is to practice reading and writing files, as well as using dictionaries and tuples. Write your solutions in a file **sol.py**.

You are given an input file 'addresses.txt' which contains details (names, age, address, job) about several persons. Have a look at the file first and then write the following functions:

1. Write a function loadFile(filePath) which takes a string variable filePath, loads the file contents in a dictionary called persDetails and returns the dictionary. In general, a dictonary is a collection of (key, value) pairs. In your case, the key will be a string representing the person's name and the value will be a 3-element tuple (age, address, job). At the end of the script (outside the function), run the following code:

```
persDetails = loadFile('addresses.txt')
print(persDetails)
```

This should show (not necessary in this order as dictionaries are not ordered):

```
{'Radu': (24, 'Str_Corvin_nr_7', 'programator'), 'Maria': (40, 'Str_Corvin_nr_7', 'economist'), 'Enescu': (30, 'Str_Muzicienilor_nr_1', 'pianist'), 'Ana': (25, 'Str_Maslinilor_nr_3', 'lingvist'), 'George': (18, 'Str_Grozavesti_nr_7', 'student'), 'Ionel': (20, 'Str_Bratianu_nr_4', 'consultant')}
```

- 2. Write a function **getAge(persDetails, name)** which takes the previously loaded dictionary persDetails and the name of a person and returns the corresponding age of that person. For example, getAge(persDetails, 'Ionel') = 20
- 3. Write a similar function **getAddress(persDetails, name)** which works like getAge but returns the corresponding address of that person. For example, getAddress(persDetails, 'Ionel') = 'Str_Bratianu_nr_4'
- 4. Write a function **getNamesFromAge(persDetails, age)** which takes the dictionary persDetails and an age (integer) and returns a list of the names of persons that have this age. For example, getNamesFromAge(persDetails, 24) = ['Radu', 'Ana']
- 5. Write a function addToDict(persDetails, name, age, address, job) which takes a dictionary persDetails, a new name, age, address and job and adds them to the dictionary. You might find the function dict.keys() useful. The function should return the updated dictionary. Run the following code to check if the result worked:

6. Write a function **removeFromDict(persDetails, name)** which takes a dictionary persDetals and a name and removes the entry with the corresponding name from the dictionary. Do not use del or pop. Do this by constructing a new dictionary newDict with all the entries apart from the removed one and return it. You can test your code as follows:

```
persDetails = removeFromDict(persDetails, 'Enescu')
# Should not show Enescu entry
print(persDetails)
```

- 7. Write a function writeToFile(persDetails, filePath) which takes the dictionary and saves it to a file called filePath. Save one dictionary entry on each line. On each line, show the name, age, address and job, separated by a whitespace. Run the function call writeToFile(persDetails, 'new_addresses.txt') and check the file outputs.
- 8. You can use this code for calling all functions:

```
persDetails = loadFile('addresses.txt')
print(persDetails)

ageIonel = getAge(persDetails, 'Ionel')
print('ageIonel', ageIonel)
addressIonel = getAddress(persDetails, 'Ionel')
print('addressIonel', addressIonel)

names24 = getNamesFromAge(persDetails, 24)
print('names24', names24)
persDetails = addToDict(persDetails, 'Adriana', 25, 'Str_Maniu_nr_3', 'medic')
# should show entry with Adriana
print(persDetails)

persDetails = removeFromDict(persDetails, 'Enescu')
# Show not show Enescu entry
print(persDetails)

writeToFile(persDetails, 'new_addresses.txt')
```

Problem 2 - Matrices

The aim here is to practice using matrices in Python using numpy. You need to have a working version of numpy to proceed with this problem. We can define a 1-dimensional numpy vector in python as follows:

```
import numpy as np # place this at the beginning of the file

m = np.zeros(10, float) # vector has 10 entries, all elements are initialised to zero

m[0] = 4 # assign the value of 4 to the first element
print(m[0])
```

We can also convert a list of numbers into a (numpy) array as follows:

```
n = np.array([1,2,3,7,8])

print(n) \# show the value of n
```

For declaring a 2-dimensional numpy matrix and accessing an element we can use the following syntax:

```
m = np.zeros((3,3), float) \# create a 3x3 matrix where all elements are initialised to zero, float is the type of date being stored in the matrix <math>m[0,1] = 7 \# assign the value of 7 to element at position (0,1) print(m)
```

The following example creates the matrix $\begin{bmatrix} 1 & 2 & 6 \\ 3 & 4 & 7 \end{bmatrix}$ and stores it in variable m:

```
\begin{array}{lll} m = & \text{np.zeros}\left(\left(3\,,2\right)\,, & \text{float}\right) \\ m[0\,,1] & = & 1 \\ m[0\,,2] & = & 2 \\ m[0\,,3] & = & 6 \\ m[1\,,0] & = & 3 \\ m[1\,,1] & = & 4 \\ m[1\,,2] & = & 7 \\ print\left(m\right) \; \# \; \text{try printing the matrix} \end{array}
```

• Following the examples above, create two matrices and store them in variables m1 and m2:

$$m1 = \begin{bmatrix} 1 & 2 & 6 & 9 \\ 3 & 4 & 7 & 1 \end{bmatrix}$$
$$m2 = \begin{bmatrix} 1 & 2 & 3 & 1 \\ 5 & 6 & 7 & 0 \end{bmatrix}$$

- Write a function **printMatrix(m)** that takes a 4x2 matrix m and loops through each element of m and prints it on the screen. Do not use any other higher-level functions such as print(). You need to loop through each element m[i,j] (requires two nested for-loops, one until 4 and the other until 2) and print it, along with an extra space character. At the end of each row, don't forget to print a newline character.
- Write a function addMatrix(m,n) that takes two numpy matrices m and n and returns m+n. Do not use the high-level operator '+'. Instead, create a new numpy matrix p and loop over every element p[i,j] of the matrix p (requires two nested forloops) and assign it the correct value. You can assume m,n have size 4x2. Test your function using the matrixes m1 and m2 defined above.
- Write a function **transposeMatrix(m)** which computes and returns m^T , the transpose of matrix m. The transpose of a matrix m with dimensions AxB is a matrix m^T with dimensions BxA, such that $m^T[i,j] = m[j,i]$ (elements are flipped around the diagonal). You can assume m has size 4x2. For example, for matrix m1 defined above, it's transpose is:

$$transposeMatrix(m1) = \begin{bmatrix} 1 & 3 \\ 2 & 4 \\ 6 & 7 \\ 9 & 1 \end{bmatrix}$$

• Write a function **slideMatrix(m)** which returns a new matrix n, where all elements are slided to the right by one position. Moreover, the elements on the last column are placed on the first column. For example:

$$slideMatrix(m1) = \begin{bmatrix} 9 & 1 & 2 & 6 \\ 1 & 3 & 4 & 7 \end{bmatrix}$$

• HARDER (you can skip this if too difficult): Given two matrices $M: A \times B$ (i.e. M has A rows and B columns) and $N: B \times C$ we can multiply then them to get P = MN, where P is an $A \times C$ matrix defined as

$$P[i,j] = \sum_{k=0}^{B-1} M[i,k] * N[k,j], \forall i \in [0 \dots (A-1)], j \in [0 \dots (C-1)]$$

For example, if we consider
$$m1 = \begin{bmatrix} 1 & 2 & 6 & 9 \\ 3 & 4 & 7 & 1 \end{bmatrix}$$
 and $m3 = \begin{bmatrix} 1 & 3 \\ 0 & 4 \\ -2 & 0 \\ 9 & 1 \end{bmatrix}$, then

$$matrixMultiply(m1, m3) = \begin{bmatrix} 70 & 24 \\ -2 & 26 \end{bmatrix}$$

Write a function **multiplyMatrix(m,n)** which takes as input a matrix 2x4 matrix m, a 4x2 matrix n and returns a new matrix p=m*n, the result of multiplying matrices m and n.

• Modify all the functions above to accept matrices of any shape (so far we only assumed 4x2 matrices). If we are given a matrix m, we can find it's shape using function **m.shape**. We can then use this to create a new matrix n of the same size as

```
\begin{array}{lll} shape M = m.\, shape \\ n = np.\, zeros \, (shape M\,, & float\,) \,\,\# \,\, create \,\, a \,\, matrix \,\, n \,\, of \,\, the \,\, same \,\, size \,\, as \,\, m \end{array}
```

Use this strategy to change your previous functions to accept matrices of any shape. Test all your functions for new matrices of different sizes.