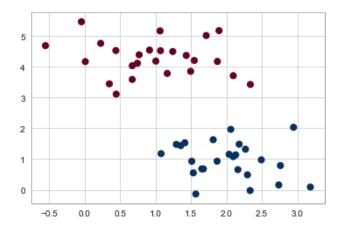
## **Classification - Support Vector Machines (SVM)**

• Support vector machines (SVMs) are a set of supervised learning methods used for classification, regression and outliers detection.

```
In [1]: import numpy as np
        import matplotlib.pyplot as plt
        # use seaborn plotting defaults
        import seaborn as sns
        sns.set style('whitegrid')
In [2]: from sklearn datasets samples generator import make blobs
In [3]: # default n features = 2
        X, y = make blobs(n samples=50, centers=2,
                         random state=0. cluster std=0.60)
In [4]: x:0.5 1
Out[4]: array([[1.41281595, 1.5303347],
               [1.81336135, 1.6311307],
               [1.43289271, 4.37679234],
               [1.87271752, 4.18069237],
               [2.09517785, 1.0791468 ]])
In [5]: v[0.5]
Out[5]: array([1, 1, 0, 0, 1])
```

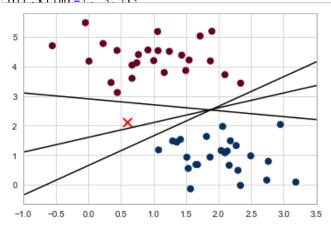
## In [6]: nlt scatter(XI: 01 XI: 11 c=v s=50 cman='RdRu'):



```
In [7]: # Draw a line separating the data - more than one possible lines
# Sample lines (y = mx + b)

xfit = np.linspace(-1, 3.5)
plt.scatter(X[:, 0], X[:, 1], c=y, s=50, cmap='RdBu')
plt.plot([0.6], [2.1], 'x', color='red', markeredgewidth=2, markersize=10)

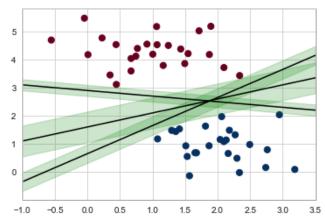
for m, b in [(1, 0.65), (0.5, 1.6), (-0.2, 2.9)]:
    plt.plot(xfit, m * xfit + b, '-k')
```



Depending on which line you choose, a new data point (e.g., the one marked by the "X" in this plot) will be assigned a different label

Support Vector Machines - Maximizing the Margin

Rather than simply drawing a zero-width line between the classes, we can draw around each line a margin of some width, up to the nearest point.



In support vector machines, the line that maximizes this margin is the one we will choose as the optimal model.

Support vector machines are an example of such a maximum margin estimator.

```
In [9]: from sklearn.svm import SVC # "Support vector classifier"
```

```
In [10]: model = SVC(kernel='linear')
         model.fit(X. v)
Out[10]: SVC(C=1.0, cache size=200, class weight=None, coef0=0.0,
             decision function shape='ovr', degree=3, gamma='auto deprecated',
             kernel='linear', max iter=-1, probability=False, random state=None,
             shrinking=True, tol=0.001, verbose=False)
In [11]: model support vectors
Out[11]: array([[0.44359863, 3.11530945],
                [2.33812285, 3.43116792],
                [2.06156753, 1.96918596]])
In [12]: def plot svc decision function(model, ax=None, plot support=True):
             """Plot the decision function for a 2D SVC"""
             if ax is None:
                 ax = plt.gca()
             xlim = ax.get xlim()
             ylim = ax.get ylim()
             # create grid to evaluate model
             x = np.linspace(xlim[0], xlim[1], 30)
             y = np.linspace(ylim[0], ylim[1], 30)
             Y, X = np.meshgrid(y, x)
             xy = np.vstack([X.ravel(), Y.ravel()]).T
             P = model.decision function(xy).reshape(X.shape)
             # plot decision boundary and margins
             ax.contour(X, Y, P, colors='k',
                        levels=[-1, 0, 1],
                        alpha=0.5,
                        linestyles=['--', '-', '--'])
             # plot support vectors
             if plot support:
                 ax.scatter(model.support vectors [:, 0],
                            model.support vectors [:, 1],
                            s=100, linewidth=1, facecolors='g');
             ax.set_xlim(xlim)
             ax.set ylim(ylim)
```

```
In [13]: plt.scatter(X[:, 0], X[:, 1], c=y, s=50, cmap='RdBu')
         plot svc decision function(model):
                   0.0
In [ ]:
In [14]: from sklearn datasets samples generator import make circles
In [15]: X, y = make_circles(100, factor=.1, noise=.1)
          plt.scatter(X[:, 0], X[:, 1], c=y, s=50, cmap='RdBu')
          plt.xlim(-1.5, 1.5)
         nl+.vlim(-1.5. 1.5)
           1.5
           1.0
           0.5
           0.0
           -0.5
           -1.0
          -1.5 -
-1.5
                    -1.0
                           -0.5
                                                1.0
                                                       1.5
```

```
In [16]: # Linear kernel will not work
          model2 = SVC(kernel='linear').fit(X, v)
In [17]: | plt.scatter(X[:, 0], X[:, 1], c=y, s=50, cmap='RdBu')
          plt.xlim(-1.5, 1.5)
          plt.ylim(-1.5, 1.5)
          nlot swc decision function/model? nlot sunnort=False).
            1.5
            1.0
            0.5
            0.0
           -0.5
           -1.0
           -1.5
                    -1.0
                            -0.5
                                   0.0
                                           0.5
                                                  1.0
                                                         1.5
```

In Scikit-Learn, we can apply kernelized SVM simply by changing our linear kernel to an RBF (radial basis function) kernel, using the kernel model hyperparameter:

```
In [19]: plt.scatter(X[:, 0], X[:, 1], c=y, s=50, cmap='RdBu')
         plt.xlim(-1.5, 1.5)
         plt.ylim(-1.5, 1.5)
         nlot svc decision function(model3)
           1.0
           0.5
           0.0
          -0.5
In [20]: model 3 support vectors
Out[20]: array([[ 0.87458364, -0.32529304],
                [-0.88285475, 0.26816679],
                [ 0.0503305 , 0.84845701],
                [0.00243228, -0.85618398],
                [ 0.59933641, -0.6709688 ],
                [ 0.5734485 , 0.65138603],
                [-0.71816916, -0.40812948],
                [-0.22407102, -0.21182966]])
In [ ]:
```

## **Case Study - Face Recognition**

In [21]: from sklearn datasets import fetch lfw meonle

```
In [25]: # Plot a few of the faces
          fig, ax = plt.subplots(3, 5, figsize=(12,8))
          for i, axi in enumerate(ax.flat):
              axi.imshow(faces.images[i], cmap='bone')
              axi.set(xticks=[], yticks=[],
                       xlabel=faces.target names[faces.target[i]])
                              George W Bush
                                                                 George W Bush
                                                                                    Ariel Sharon
```

George W Bush

George W Bush

Donald Rumsfeld

Each image contains [62×47] or nearly 3,000 pixels. Not effective to use each pixel value as a feature. We will use a principal component analysis to extract 150 fundamental components to feed into our support vector machine classifier

Colin Powell

Gerhard Schroeder

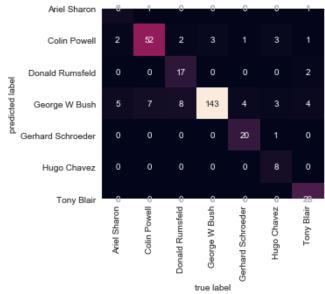
```
In [26]: from sklearn.svm import SVC from sklearn.decomposition import PCA

from sklearn.pipeline import Pipeline
```

```
In [27]: pca = PCA(n components=150, svd solver='randomized', whiten=True)
         svc = SVC(kernel='rbf', gamma=0.005, C=1000, class_weight='balanced')
         model = Pipeline([('pca', pca),
                               ('svc', svc)1)
         For testing the classifier output, we will split the data into a training and testing set
In [28]: from sklearn model selection import train test split
In [29]: Xtrain, Xtest, ytrain, ytest = train test split(faces.data, faces.target,
                                                           random state=42) # default test size 0.25
In [30]: nn.unique/faces target)
Out[30]: array([0, 1, 2, 3, 4, 5, 6])
In [31]: model.fit(Xtrain. vtrain)
Out[31]: Pipeline(memory=None,
                  steps=[('pca',
                           PCA(copy=True, iterated_power='auto', n_components=150,
                               random state=None, svd solver='randomized', tol=0.0,
                               whiten=True)),
                          ('svc',
                           SVC(C=1000, cache size=200, class weight='balanced', coef0=0.0,
                               decision function shape='ovr', degree=3, gamma=0.005,
                               kernel='rbf', max iter=-1, probability=False,
                               random state=None, shrinking=True, tol=0.001,
                               verbose=False))],
                  verbose=False)
In [32]: vfit = model nredict(Xtest)
In [33]: from sklearn.metrics import confusion matrix
```

Predicted Names; Incorrect Labels in Red





## **GridSearchCV**

```
In [41]: print("Best estimator found by grid search:")
         nrint/clf hest estimator )
         Best estimator found by grid search:
         SVC(C=1000.0, cache size=200, class weight='balanced', coef0=0.0,
             decision function shape='ovr', degree=3, gamma=0.005, kernel='rbf',
             max iter=-1, probability=False, random state=None, shrinking=True,
             tol=0.001, verbose=False)
         PCA - # of features
In [42]: | pca = PCA(n_components=10, svd_solver='randomized', whiten=True)
         nca fit/faces data)
Out[42]: PCA(copy=True, iterated_power='auto', n_components=10, random_state=None,
             svd solver='randomized', tol=0.0, whiten=True)
In [43]: components = pca.transform(faces.data)
         projected = pca.inverse transform(components)
In [44]: # Plot the results
         fig, ax = plt.subplots(2, 10, figsize=(10, 2.5),
                               subplot kw={'xticks':[], 'yticks':[]},
                               gridspec kw=dict(hspace=0.1, wspace=0.1))
         for i in range(10):
             ax[0, i].imshow(faces.data[i].reshape(62, 47), cmap='bone')
             ax[1, i].imshow(projected[i].reshape(62, 47), cmap='bone')
         ax[0, 0].set ylabel('full-dim\ninput')
         ax[1. 0].set vlabel('10-dim\nreconstruction'):
```

```
In [45]: noa explained variance ratio
Out[45]: array([0.1841573 , 0.1474062 , 0.07128289, 0.05923904, 0.05049089,
                0.03009569, 0.02451012, 0.02092452, 0.02018103, 0.01896057],
                dtype=float32)
In [46]: nn cumsum(nca explained variance ratio )
Out[46]: array([0.1841573 , 0.3315635 , 0.4028464 , 0.46208543, 0.51257634,
                 0.54267204, 0.5671822 , 0.5881067 , 0.6082877 , 0.6272483 ],
                dtype=float32)
In [47]: plt.plot(np.cumsum(pca.explained variance ratio ))
         plt.xlabel('number of components')
         nlt.vlabel('cumulative explained variance'):
            0.6
          variance
            0.5
          explained
            0.4
            0.3
            0.2
                             number of components
In [48]: pca = PCA(n components=250, svd solver='randomized', whiten=True)
         nca.fit(faces.data)
Out[48]: PCA(copy=True, iterated power='auto', n components=250, random state=None,
             svd solver='randomized', tol=0.0, whiten=True)
```

```
In [49]: plt.plot(np.cumsum(pca.explained_variance_ratio_))
         plt.xlabel('number of components')
         nlt.vlabel('cumulative explained variance'):
            1.0
            0.9
            0.8
            0.7
            0.6
            0.5
            0.4
            0.3
            0.2
                             number of components
In [50]: components = pca.transform(faces.data)
         projected = pca_inverse transform(components)
In [51]: # Plot the results
         fig, ax = plt.subplots(2, 10, figsize=(10, 2.5),
                                subplot_kw={'xticks':[], 'yticks':[]},
                                 gridspec kw=dict(hspace=0.1, wspace=0.1))
          for i in range(10):
              ax[0, i].imshow(faces.data[i].reshape(62, 47), cmap='bone')
              ax[1, i].imshow(projected[i].reshape(62, 47), cmap='bone')
         ax[0, 0].set_ylabel('full-dim\ninput')
          ax[1. 0].set vlabel('250-dim\nreconstruction'):
```

	1 1.	•
sklearn	classification	svmu

In [ ]: