

## Filter + Amp

toDos :

1.  $V_{out}$  change to 5V
2. Check what  $V_{in}$  actually is
3. Test with noises added (drift and powerline)
4. Determine which R to be adjustable ( $R_1$ ) and how

### Current Design (May 6th)

- Two bp amplifiers

Single amp gain  $G = 37.8 = 31.55\text{dB}$

Total gain  $G = 1428 = 63.10\text{dB}$

$$R_{IN} = 1k\Omega$$

$$C_{IN} = 1600\mu F$$

$$R_F = 38k\Omega$$

$$C_F = 168nF$$

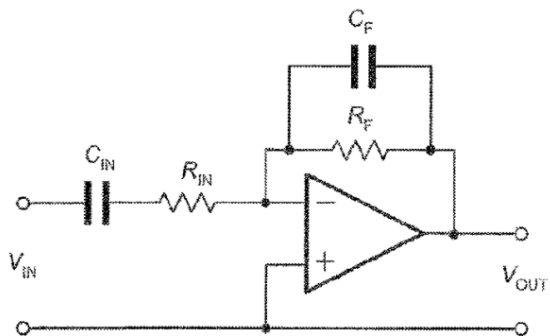
BP : 0.1 - 24.93Hz

- Actions

Verify whether I have the capacitors

Build and validate the circuit in real life

### Detail



**Figure 8.8** Adding capacitors to modify the frequency response of an inverting operational amplifier

(from perusal week 6 op amp)

Since only the frequency between 0.1 and 20Hz is related to eye movement, we will choose a bandpass between 0.1 to 25 Hz.

From ref[2], the typical signal is 50 to 3500  $\mu V$ , and we want to amplify it to 0~1.5 V  
 So we need a gain of 428.6. If we choose  $R_{IN} = 100\Omega$ ,  $R_F = 42k\Omega$

Higher cutoff frequency :

$$R_F = 42k\Omega$$

$$F_H = \frac{1}{2\pi R_F C_F} = 25Hz$$

$$C_F = \frac{1}{2\pi R_F F_H} = 152nF$$

For simpler circuit, we choose

$$C_F = \frac{1}{2\pi R_F F_H} = 150nF$$

$$F_H = \frac{1}{2\pi R_F C_F} = 25.26Hz$$

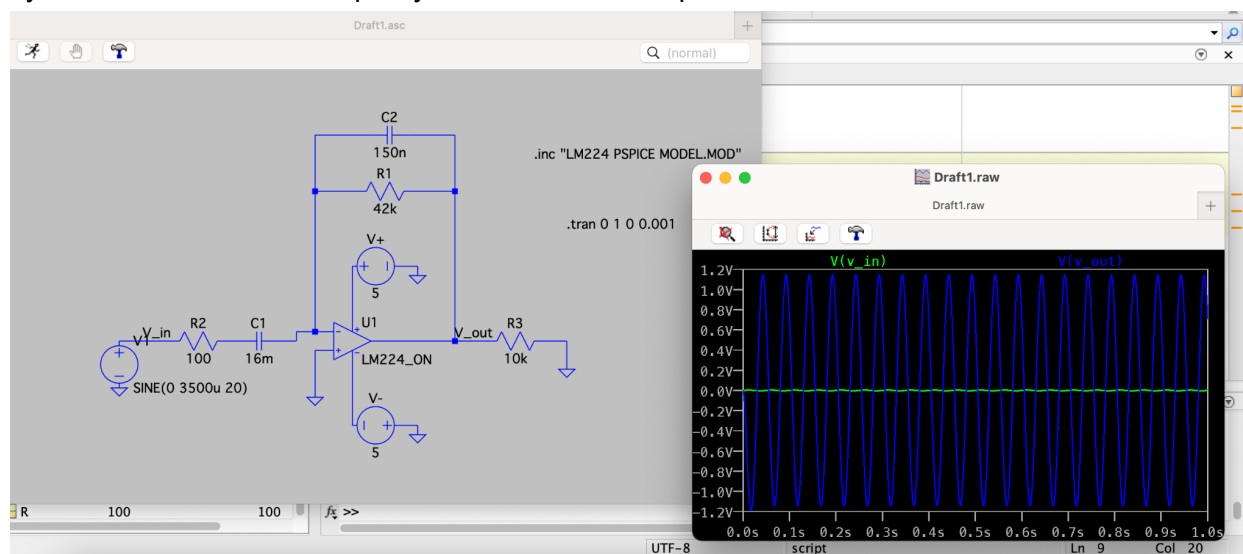
Lower cutoff frequency :

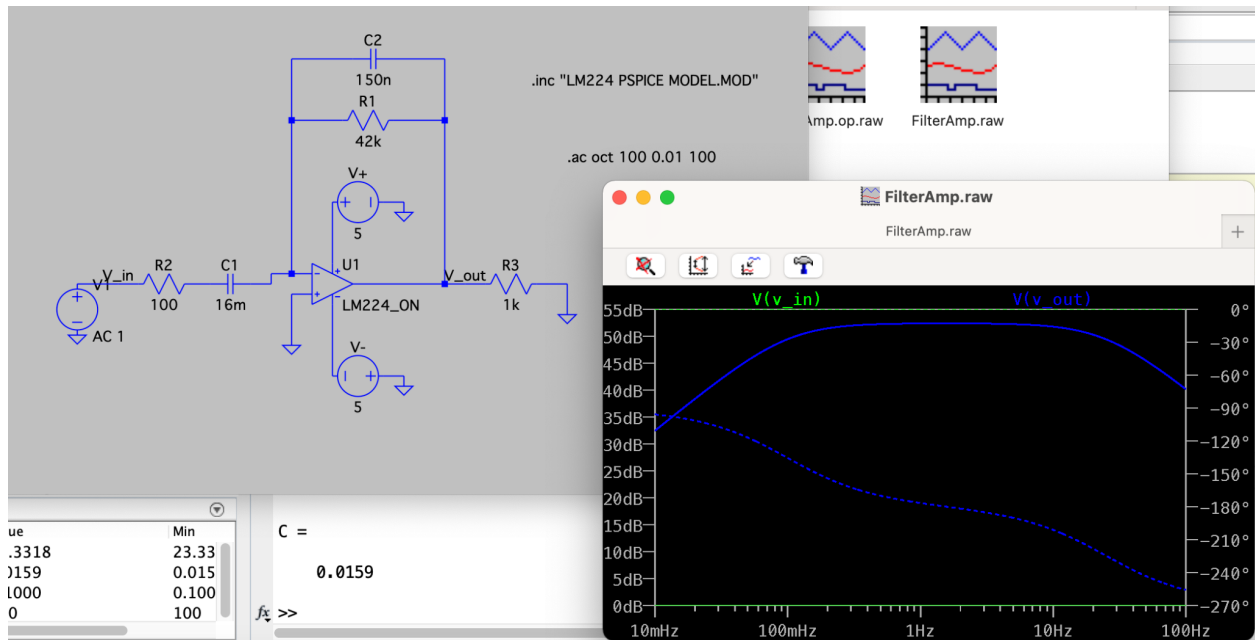
$$R_{IN} = 100\Omega$$

$$F_L = \frac{1}{2\pi R_{IN} C_{IN}} = 0.1Hz$$

$$C_{IN} = \frac{1}{2\pi R_{IN} F_L} = 16mF$$

By simulation, the result is pretty similar to what I expected





Ref

[2] - Deng, L. Y., Hsu, C.-L., Lin, T.-C., Tuan, J.-S., Chang, S.-M. (2010). EOG-based Human–Computer Interface system development. Expert Systems with Applications, 37(4), 3337–3343. doi:10.1016/j.eswa.2009.10.017

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Issue 1 : The capacitance come in 1mF maximum

> R\_in must be increased

Issue 2 : We need the output signal to be 5V instead of 1.5V

> Either change Rf or add another amplifier

New Gain :  $5V/3500\mu V = 1428$

If we use  $R_{in} = 1k\Omega$

$$F_L = \frac{1}{2\pi R_{IN} C_{IN}} = 0.1Hz$$

$$C_{IN} = \frac{1}{2\pi R_{IN} F_L} = 1600\mu F$$

$$R_f = 1428k\Omega$$

$$C_F = \frac{1}{2\pi R_F F_H} = 4.581nF$$

This is a bit too small for our components, and 1.4M $\Omega$  may also induce large currents.

New Strategy: use two amplifiers with a same cutoff frequency

New Gain :  $\sqrt{1428} = 37.78$

$$R_f = 37.78k\Omega$$

$$C_F = \frac{1}{2\pi R_F F_H} = 168.5nF$$

For simplicity,

Choose  $R_f = 38k\Omega$ ,  $C_F = 168nF$

New cut-off  $F_H = 24.93Hz$

