

Day 4: Demand I

In this lecture, we talked about measuring the response to different demand-side policies.

We will replicate some of the results in "Estimating the Elasticity to Real Time Pricing," by Fabra, Rapson, Reguant, and Wang.

Loading **packages**. Here we load RCall, which will allow us to use some libraries in R.

```
• begin
•   using PlutoUI
•   using DataFrames, Statistics, Missings
•   using CSV
•   using Plots
•   using StatsPlots
•   using RCall
•   using Binscatters
•   using StatsBase
•   using FixedEffectModels
• end
•
```

Data exploration

Loading **data**.

- data_rtp.csv: Smart meter data of a small sample of 40 consumers.

The data is already merged with several other hourly data that can be either consumer specific (weather) or market specific (solar, wind, prices).

	id	rtp	tou	date	y	m	dom	hr	more
1	8	1	0	20563	2016	4	19	2	
2	8	1	0	20563	2016	4	19	3	
3	8	1	0	20563	2016	4	19	4	
4	8	1	0	20563	2016	4	19	5	
5	8	1	0	20563	2016	4	19	6	

```
• begin
•   mydata = CSV.read("data_rtp.csv", DataFrame)
•   mydata = dropmissing(mydata)
•   first(mydata, 5)
• end
```

Summary Stats:
Length: 380063
Missing Count: 0
Mean: 0.107055
Minimum: 0.060730
1st Quartile: 0.096970
Median: 0.105800
3rd Quartile: 0.116400
Maximum: 0.182050

```
• summarystats(mydata.price)
```

	variable	mean	min	median	max	nmissing	eltype
1	:id	3395.14	8	3733.0	7057	0	Int64
2	:rtp	0.520608	0	1.0	1	0	Int64
3	:tou	0.0	0	0.0	0	0	Int64
4	:date	20708.6	20454	20703.0	20982	0	Int64
5	:y	2016.31	2016	2016.0	2017	0	Int64
6	:m	5.21937	1	4.0	11	0	Int64
7	:dom	15.4816	1	15.0	31	0	Int64
8	:hr	12.5732	1	13.0	24	0	Int64
9	:wk	36.8488	1	36.0	76	0	Int64
10	:dow	3.01718	0	3.0	6	0	Int64
	more						
18	:mwh_dayaheadiberia	26605.9	0.0	26642.3	38955.6	0	Float64

```
• describe(mydata)
```

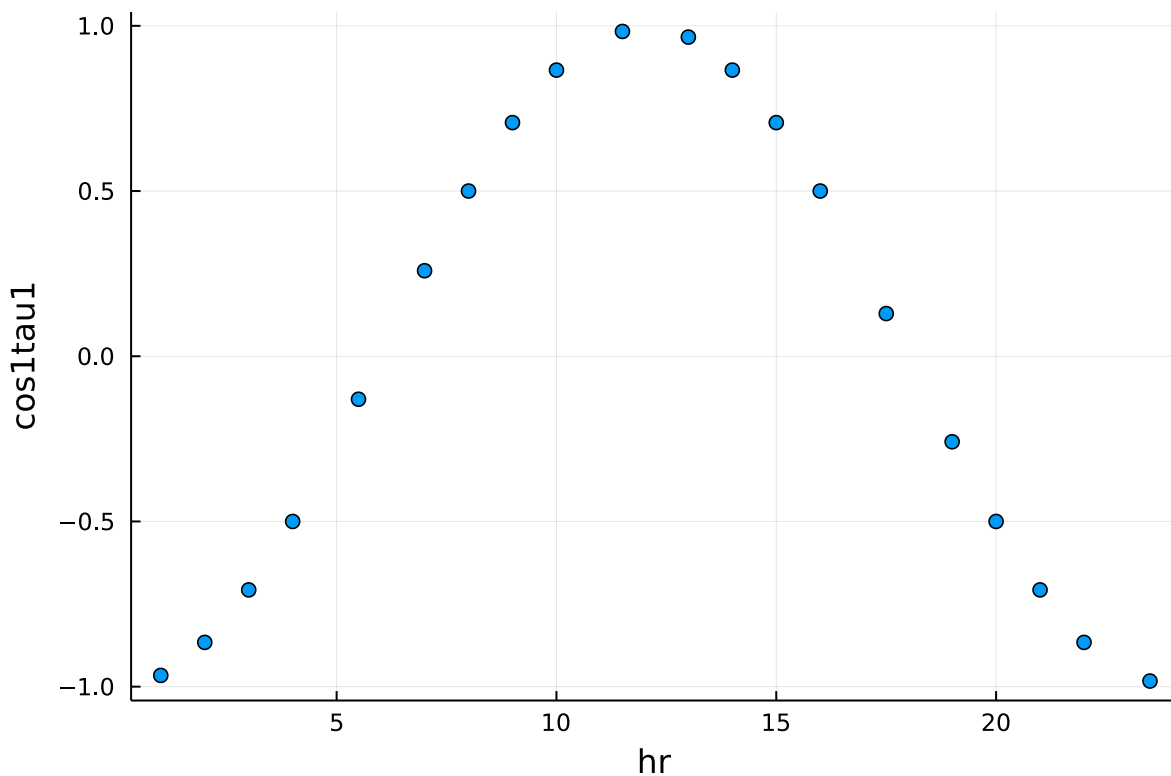
We create some Fourier transforms of time in order to capture temporal frequencies at daily, weekly and yearly levels due to seasonality.

	id	rtp	tou	date	y	m	dom	hr	more
1	8	1	0	20563	2016	4	19	2	
2	8	1	0	20563	2016	4	19	3	
3	8	1	0	20563	2016	4	19	4	
4	8	1	0	20563	2016	4	19	5	
5	8	1	0	20563	2016	4	19	6	

```

• begin
•   mydata.t = mydata.date + mydata.hr/24 .- 20560.0;
•   for x in [1, 7, 365]
•     mydata[!, string("tau",x)] = ((mydata.t .+ 0.5)/x) * π * 2.0
•     mydata[!, string("tau2",x)] = mydata[!, string("tau",x)].^2.0
•     for k = 1:4
•       mydata[!, string("cos",k,"tau",x)] = cos.(mydata[!, string("tau",x)]/k)
•     end
•   end
•   select!(mydata,Not(:t));
•   first(mydata, 5)
• end

```



```
• binscatter(mydata,@formula(cos1tau1~hr))
```

We rescale variables to avoid problems with Lasso, which is also sensitive to scaling!

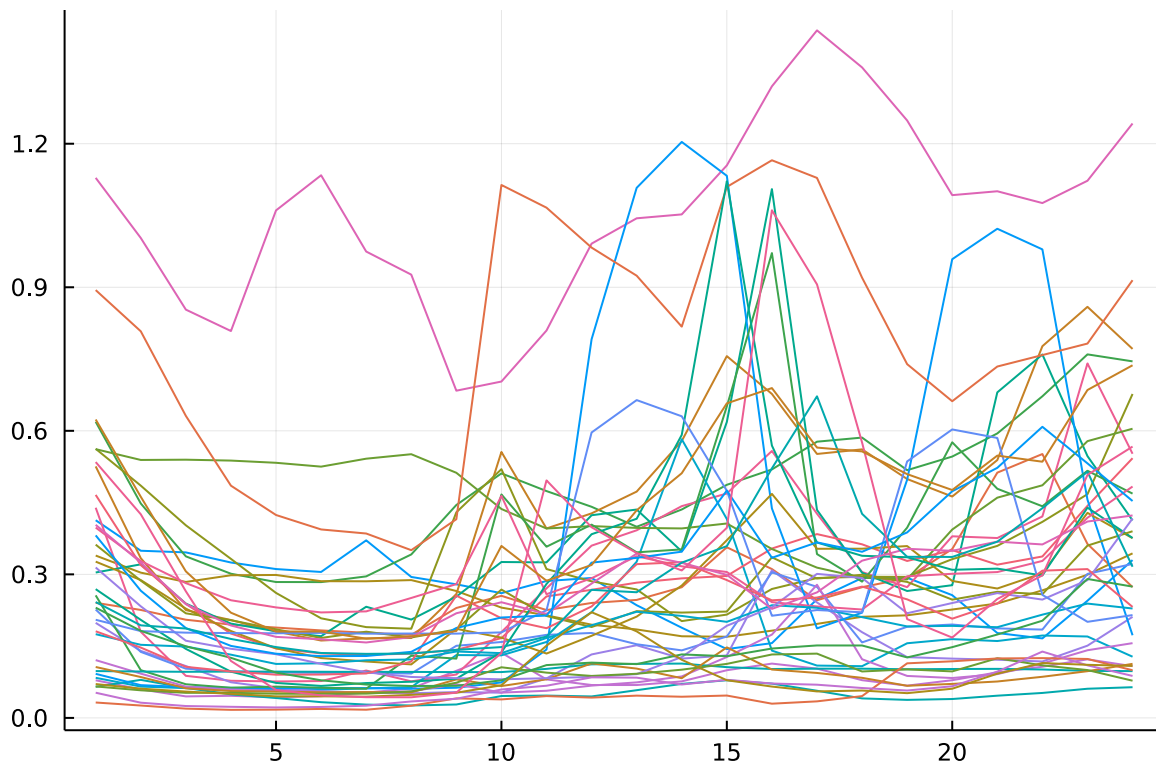
	id	rtp	tou	date	y	m	dom	hr	more
1	8	1	0	20563	2016	4	19	2	
2	8	1	0	20563	2016	4	19	3	
3	8	1	0	20563	2016	4	19	4	
4	8	1	0	20563	2016	4	19	5	
5	8	1	0	20563	2016	4	19	6	

```

• begin
•     # we rescale some variables as lasso can go "bananas". We do not rescale price
and kwh because we will be using the log
•     for v in names(mydata[:,Between(:wind_hat,:cos4tau365)])
•         mu = mean(mydata[:,v]);
•         sigma = std(mydata[:,v]);
•         mydata[:,v] = (mydata[:,v] .- mu)/sigma
•     end
•     first(mydata, 5)
• end

```

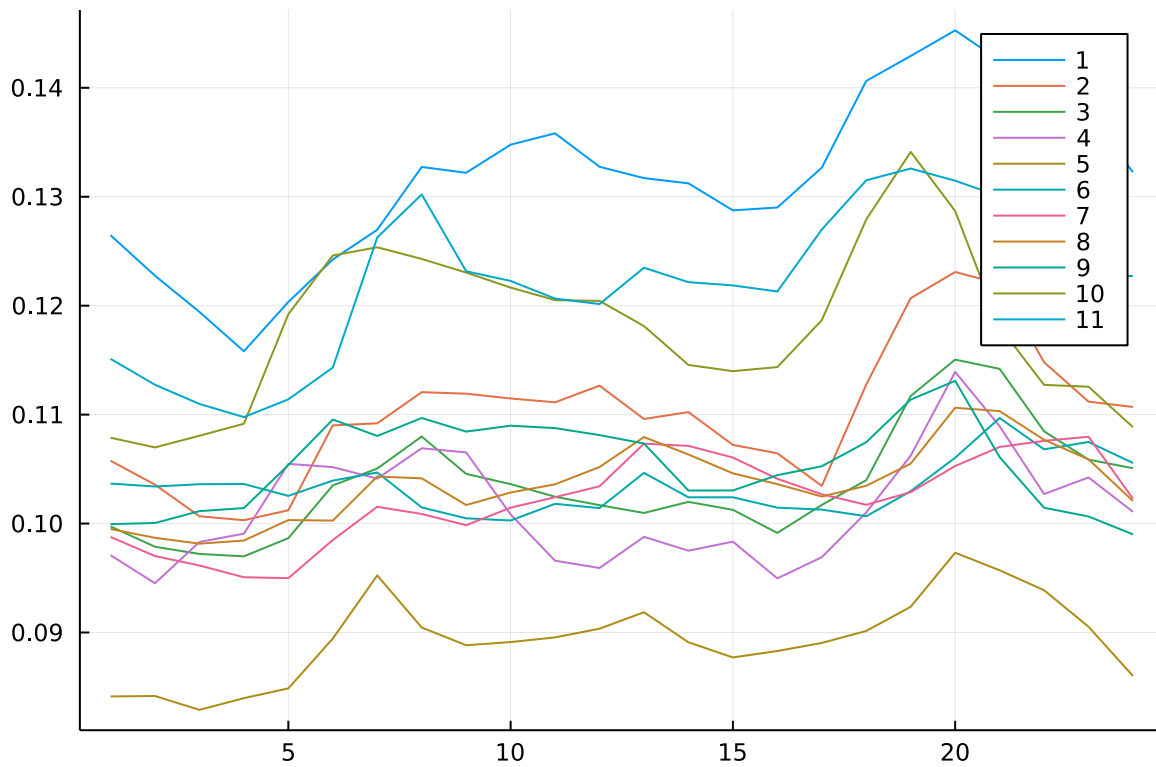
It can be useful to plot the data to examine patterns. We can plot the typical consumption pattern of consumers during the day.



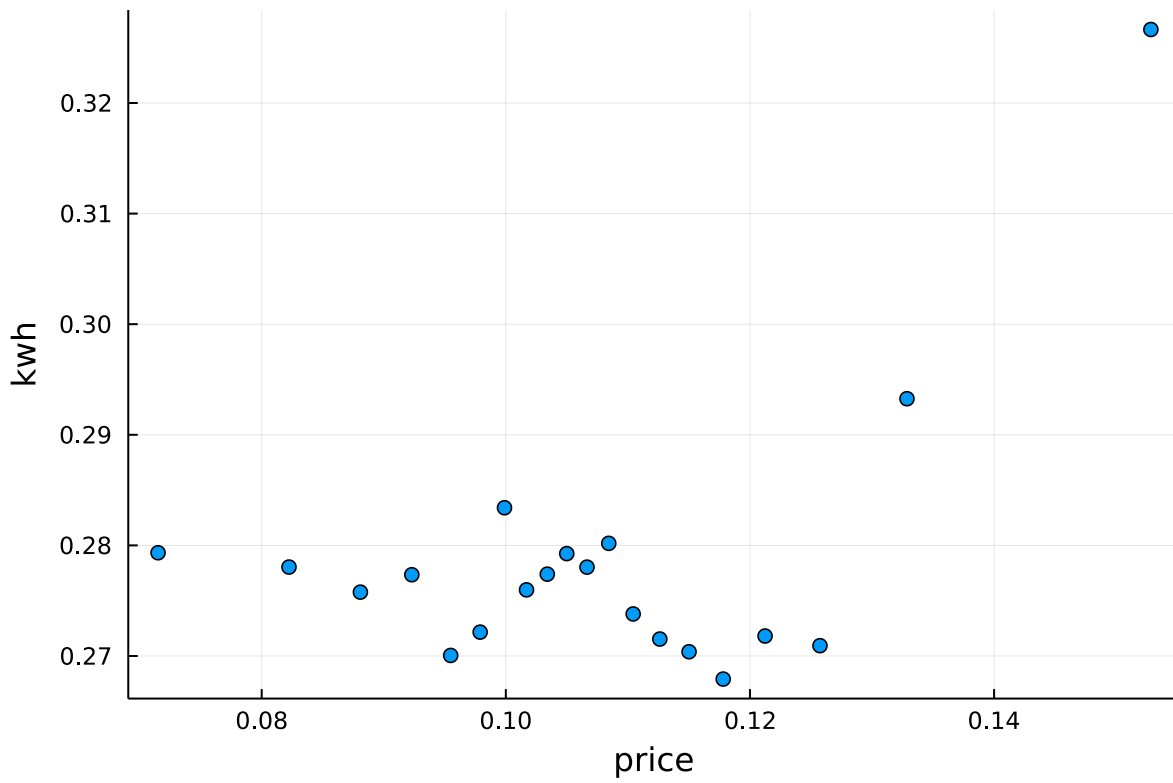
```

• let
•   # here we can learn about ways of collapsing data in Julia
•   # lots going on here! see suggested exercise below
•
•   df_plt = select(mydata, [:id, :hr, :kwh])
•   df_plt = combine(groupby(df_plt, [:id, :hr]), :kwh => mean)
•   @df df_plt plot(:hr, :kwh_mean, group=:id, legend=false)
•
• end

```

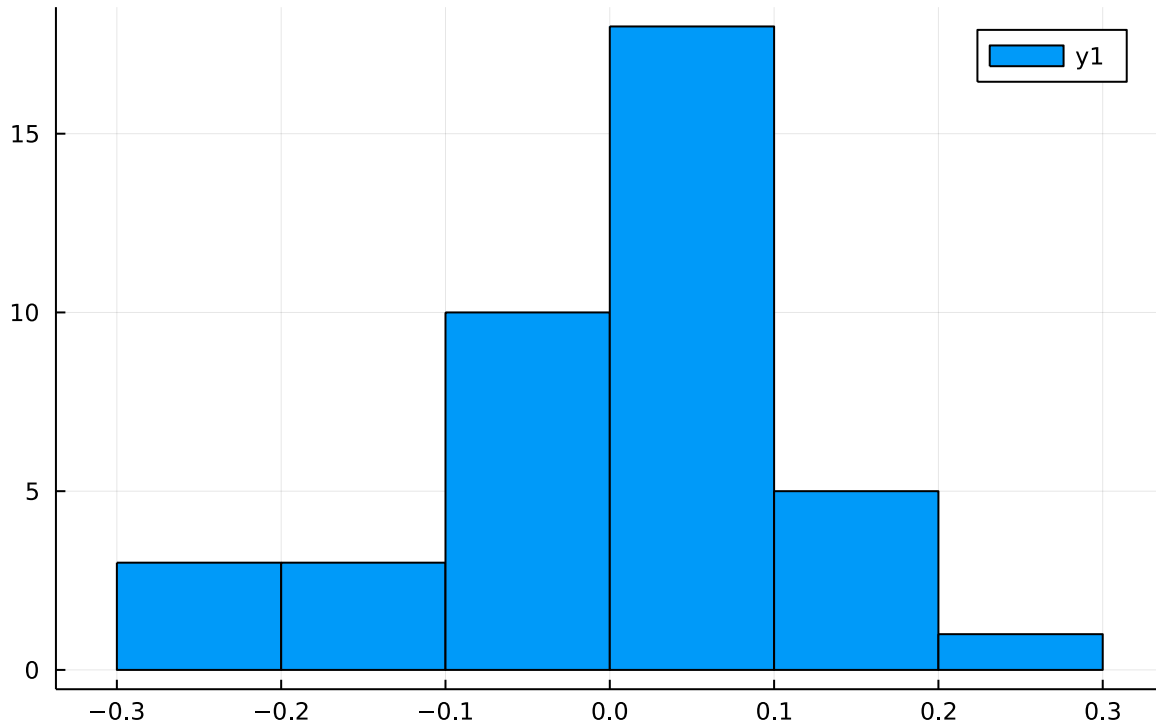


```
• let
•   # we can also plot prices
•   df_plt = select(mydata, [:hr, :price, :m])
•   df_plt = combine(groupby(df_plt, [:hr, :m]), :price => median)
•   @df df_plt plot(:hr, :price_median, group=:m)
•
• end
```

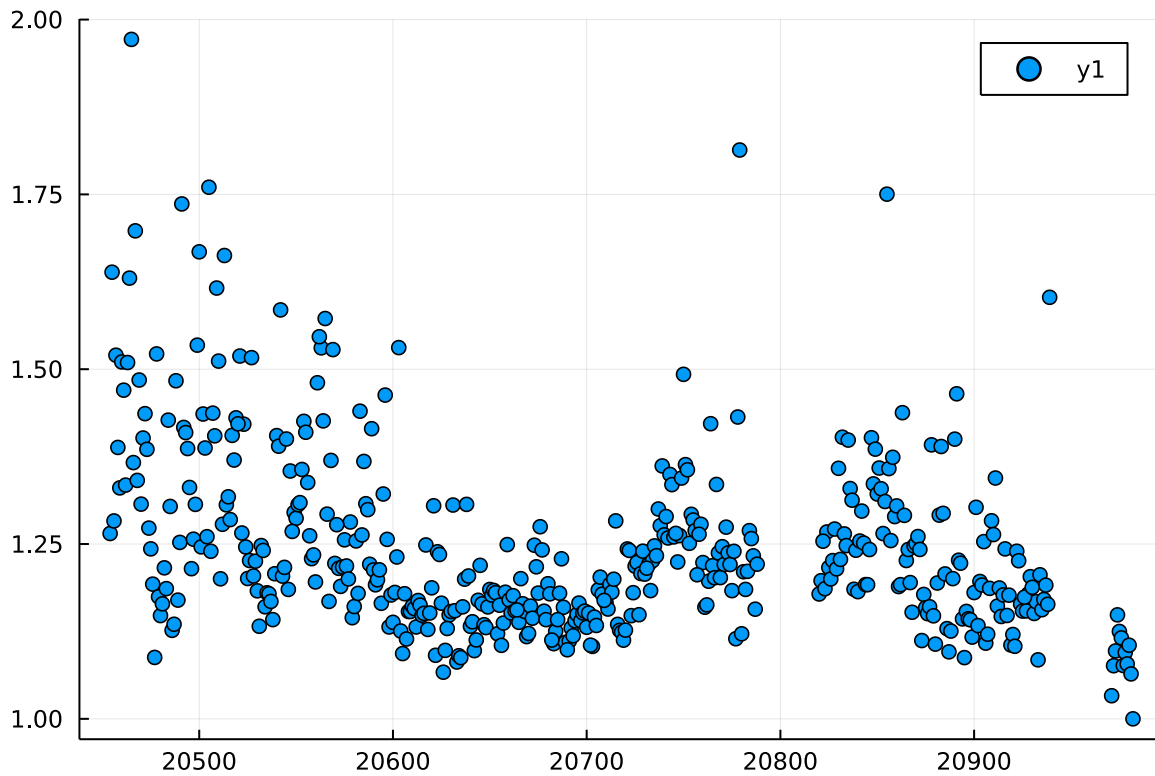


```
• let
•   # we can plot the raw correlation of consumption and prices
•   # interesting that not particularly correlated with price
•   binscatter(mydata, @formula(kwh ~ price + fe(id)))
• end
```

Individual correlation between consumption and prices



```
• let
•   # let's look at individual correlations
•   ids = unique(mydata.id);
•   corrs = [cor(mydata[mydata.id==i,:].price,
•               mydata[mydata.id==i,:].kwh) for i in ids];
•   histogram(corrs, title="Individual correlation between consumption and prices")
• end
```

```

• let
•     # let's look at temporal correlations
•     dates = unique(mydata.date);
•     corrs = [maximum(mydata[mydata.date.==i,:].price)/
•              minimum(mydata[mydata.date.==i,:].price) for i in dates];
•     #histogram(corrs, title="Temporal correlation between consumption and prices")
•     scatter(dates, corrs)
•     # Plots.savefig("scatter_diffs.pdf");
• end

```

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```

• length(unique(mydata.date))

```

Estimation of elasticities

We will be running the regression in R. Julia allows you to call R packages, as well as have access to R REPL mode.

- Make sure you have the needed libraries installed in R (hdm, dp1yr).
- Use `@rput` to send Julia objects to R.

	id	rtp	tou	date	y	m	dom	hr	more
1	8	1	0	20563	2016	4	19	2	
2	8	1	0	20563	2016	4	19	3	
3	8	1	0	20563	2016	4	19	4	
4	8	1	0	20563	2016	4	19	5	
5	8	1	0	20563	2016	4	19	6	
6	8	1	0	20563	2016	4	19	7	
7	8	1	0	20563	2016	4	19	8	
8	8	1	0	20563	2016	4	19	9	
9	8	1	0	20563	2016	4	19	10	
10	8	1	0	20563	2016	4	19	11	
more									
380063	7057	0	0	20981	2017	6	11	12	

```

• begin
•   @rput mydata
• end

```

```
"solar_actual + temp + temp2 + mwh_dayaheadiberia + tau1 + tau21 + cos1tau1 + cos2tau1 +
```

```

• begin
•   controls = join(names(mydata[!,Between(:solar_actual,:cos4tau365)]), " + ");
•   @rput controls
• end

```

To insert a chunk of R code, use R and triple quotes.

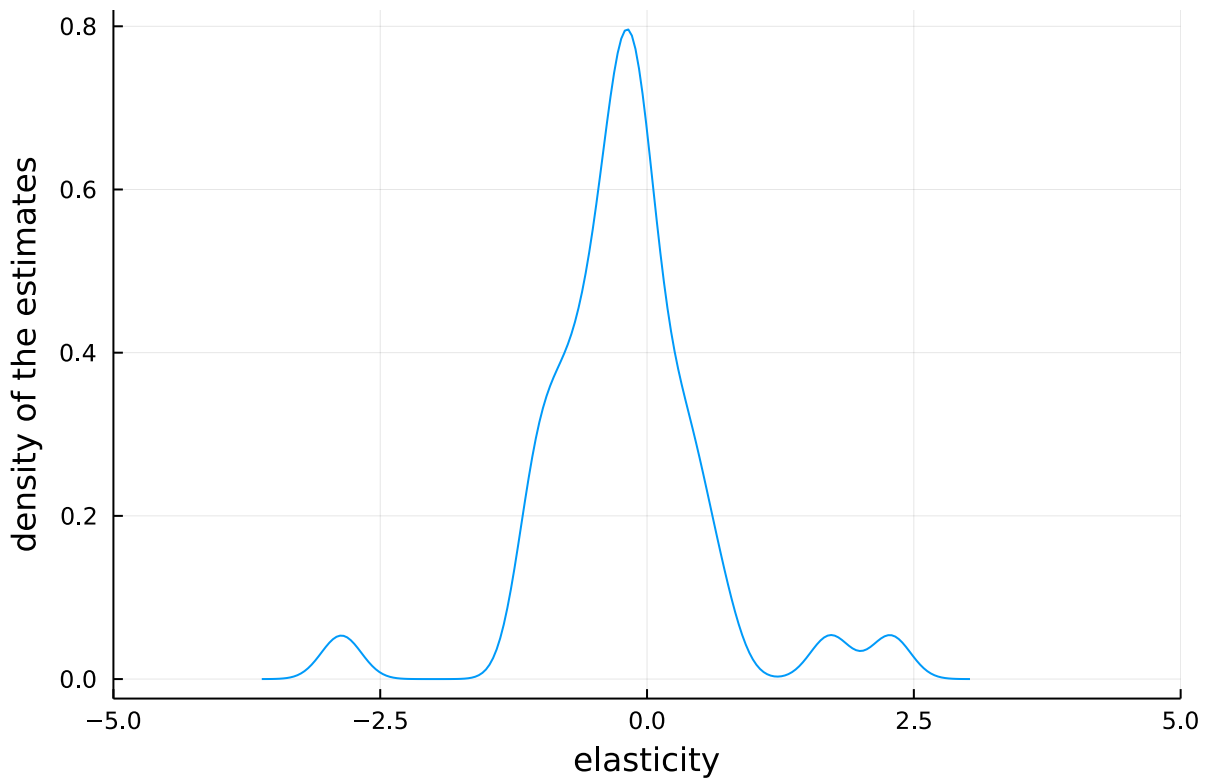
Note that in the following chunk, the loop is defined in Julia, while the regression calls an R package.

We run a separate regression per household.

[-0.226943, -0.20244, -0.422858, 2.2808, -2.86462, -0.527884, -0.185933, -0.775516, -0.2

```
• begin
• R"""
• library(hdm)
• library(dplyr)
•
• sample = unique(mydata$id)
• beta_Hh=rep(0,length(sample))
• se_Hh=rep(0,length(sample))
•
•
•
• for (i in 1:length(sample)){
•     iv.reg = rlassoIV(as.formula(paste0("log(kwh+.01) ~
•         log(price+.01) + ", controls, " |
•         wind_hat + ", controls)),
•         data = filter(mydata,id==sample[i]),
•         select.X = TRUE, select.Z = FALSE)
•
•     beta_Hh[i]<-iv.reg$coef
• }
•
• """
• @rget beta_Hh
•
• end
```

We can plot the distribution of our household estimates



```
• begin
•   density(beta_Hh, legend = false)
•   plot!(xlab="elasticity", ylab="density of the estimates", xlim=(-5,5))
• end
•
```

`rlassoIV` is partialling out the effect of the controls from the endogenous variable, the outcome variable and the instrument. Second, it then uses the residuals to compute the IV estimator (2SLS). In theory, we could have partially out using OLS. The difference is that the LASSO method first selects the relevant variables in each case (and those could be different). For example, we can check which of the controls is relevant for the outcome variable of the first household in our sample:

```
RObject{VecSxp}
```

```
Call:
```

```
rlasso.formula(formula = fmla.y, data = filter(mydata, id ==
  unique(mydata$id)[1]))
```

```
Coefficients:
```

(Intercept)	solar_actual	temp	temp2
-2.143096	-0.017095	-0.011903	0.000000
mwh_dayaheadiberia	tau1	tau21	cos1tau1
0.048072	0.000000	0.000000	0.000000
cos2tau1	cos3tau1	cos4tau1	tau7
0.000000	0.000000	-0.006185	0.000000
tau27	cos1tau7	cos2tau7	cos3tau7
0.000000	0.000000	-0.005330	-0.005858
cos4tau7	tau365	tau2365	cos1tau365
0.006777	0.000000	0.000000	-0.040636
cos2tau365	cos3tau365	cos4tau365	
-0.076222	0.000000	0.000000	

```
• begin
• R"""
• library(hdm)
• library(dplyr)
•
• fmla.y = as.formula(paste0("log(price+.01) ~",controls))
• Ylasso = rlasso(fmla.y, data = filter(mydata,id == unique(mydata$id)[1]))
• summary(Ylasso)
•
• """
•
• end
```

Only 5 out of the 22 possible controls are relevant in that case...

RTP vs Non-RTP elasticities

Next, we will check whether consumers under RTP have different price elasticities.

For that, we split our data between household with and without RTP.

The rest is similar than the previous exercise.

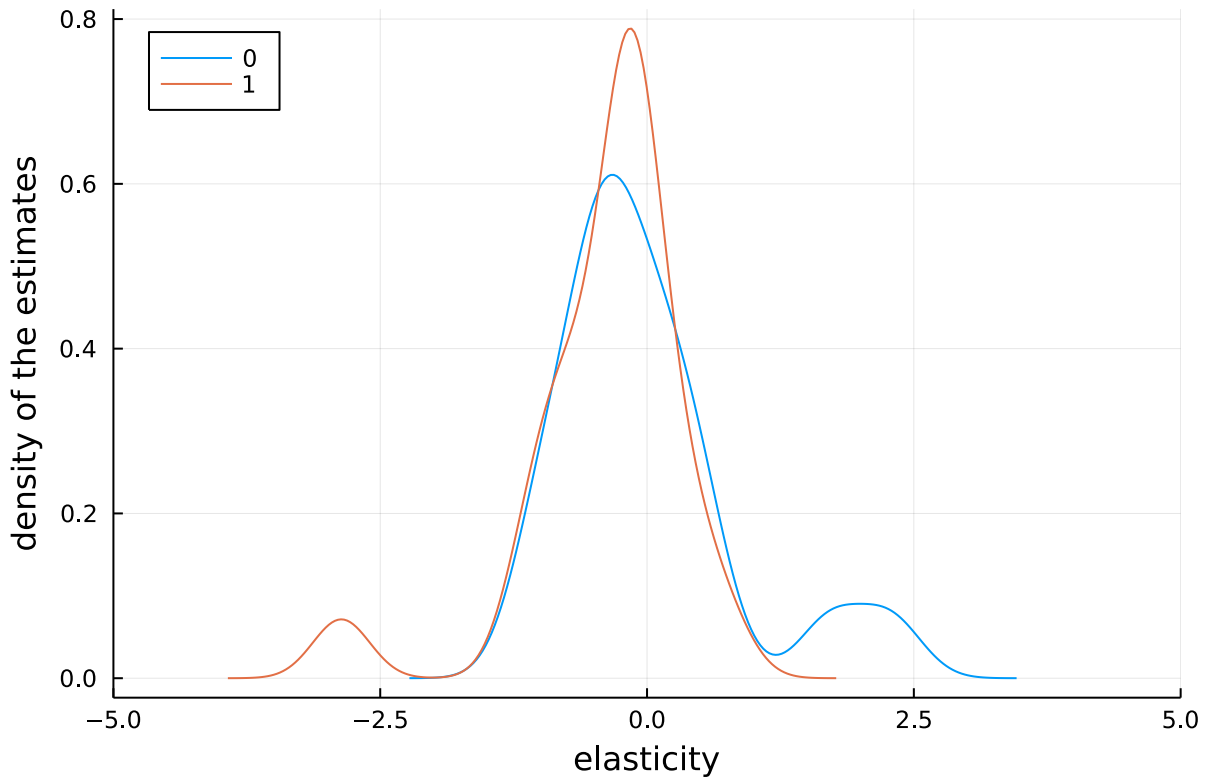
	estimate	rtp
1	-0.226943	1
2	-2.86462	1
3	-0.185933	1
4	-0.775516	1
5	-0.208226	1
6	0.312143	1
7	-1.06439	1
8	0.0153953	1
9	0.709645	1
10	-0.265946	1
more		
40	-0.968756	0

```

• begin
•
•   R"""
•   library(hdm)
•   library(dplyr)
•
•   betas<-NULL
•
•   for (j in unique(mydata$rtp)){
•     data_rtp = filter(mydata, rtp==j)
•     sample_rtp = unique(data_rtp$id)
•     beta_rtp=rep(0,length(sample_rtp))
•
•
•     for (i in 1:length(sample_rtp)){
•       iv.reg = rlassoIV(as.formula(paste0("log(kwh+.01) ~
•         log(price+.01) + ", controls, " |
•         wind_hat + ", controls)),
•         data = filter(data_rtp,id==sample_rtp[i] ),
•         select.X = TRUE, select.Z = FALSE)
•
•       beta_rtp[i]<-iv.reg$coef
•     }
•     betas_j = data.frame(estimate=beta_rtp,rtp=j)
•     betas = rbind(betas,betas_j)
•   }
•
•
•   """
•   @rget betas
•
• end

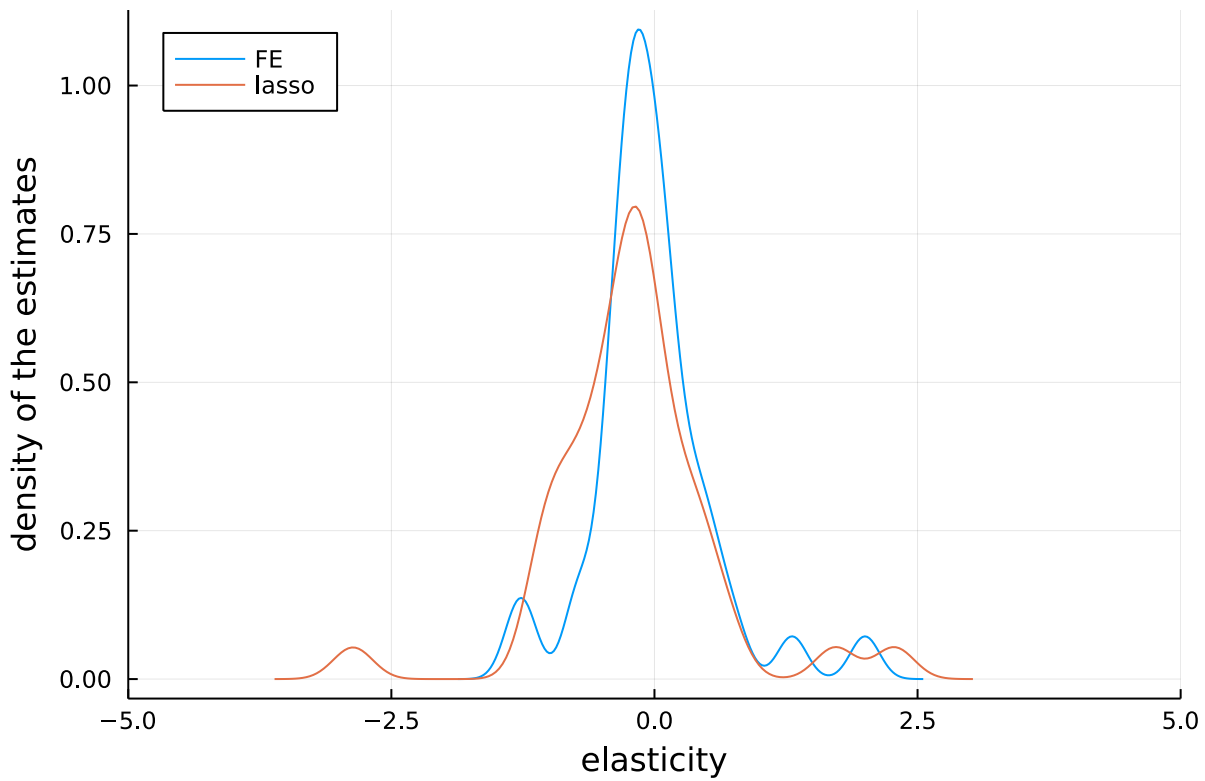
```

Again, we can plot the density of each group of estimates and check whether there are significant differences.



```
• begin
•   @df betas density(:estimate, group = :rtp, legend = :topleft)
•   plot!(xlab="elasticity", ylab="density of the estimates", xlim=(-5,5))
• end
```

Finally, we can compare the LASSO results with an standard fixed effects regression. For that, instead of including the date Fourier transformations, we will directly include time fixed effects:



```

• begin
•     betas_fe = zeros(length(unique(mydata.id)))
•
•     for i in 1:length(unique(mydata.id))
•
•         reg_fe = reg(mydata[mydata.id .== unique(mydata.id)[i], :],
•                       @formula(log(kwh + 1.0/100.0) ~ (log(price + 1/100) ~
• wind_hat)
•
•                                     + fe(hr)*fe(m) + fe(y) + fe(weekend)*fe(hr)
•                                     + solar_actual + temp + temp2 +
• mwh_dayaheadiberia
•
•                                     ))
•
•         betas_fe[[i]] = coef(reg_fe)[coefnames(reg_fe) .=="log(price + 1 / 100)"]
•     end
•
•     df_beta = DataFrame(betas=[beta_Hh;betas_fe],
•                         model=[repeat(["lasso"],
• length(unique(mydata.id)));repeat(["FE"], length(unique(mydata.id)))]])
•
•     @df df_beta density(:betas, group = :model, legend = :topleft)
•     plot!(xlab="elasticity",ylab="density of the estimates",xlim=(-5,5))
•
•
•
• end

```


Follow-up exercises

1. Explore your ML method of choice as an alternative method to estimate the elasticities.
- 2(*). Include the consumption of non-RTP households as a potential control to the Lasso, as in Burlig et al. (2020). What can be some challenges without a pre-treatment period?
- 3(*). Use the Clustering.jl library we used on day 2 to classify consumers into "typical" profiles. This can be a useful way of reducing the dimensionality of the data. We will do something like this on day 5 as well.