

1 - Quiz

- Which of the following statements about the unification algorithm are true?
 - ☐ The algorithm does not terminate if no *mgu* exists.
 - ☐ If the two input terms are not unifiable, an empty substitution is returned.
 - ☒ The occurs check avoids non-termination.
 - ☒ The algorithm always terminates.
 - ☒ Unification is used in Haskell's type inference algorithm.
- Let ϕ be an *mgu* for the terms t_1 and t_2 . Which of the following statements hold?
 - ☐ $\text{ds}(\phi(t_1), t_2) = \{\}$
 - ☐ $t_1 = \phi(t_2)$
 - ☒ $\phi(t_1) = \phi(\phi(t_2))$
 - ☐ $t_1 \neq t_2$
 - ☒ $(\phi \circ \phi)(t_1) = \phi(t_2)$
- Which of the following patterns unify with the expression `[42, true]`?
 - ☒ `[X | [true]]`
 - ☐ `[42 | true]`
 - ☒ `X`
 - ☒ `[42, False | X]`
 - ☐ `[[42] | X]`
- Which of the following sentences are correct?
 - ☒ Prolog uses the selection strategy FIRST in the SLD resolution.
 - ☐ $\text{ds}(f(a, g(Y), 73), f(X, b, 73)) = \{X, a, g(Y), b\}$
 - ☐ `?- g(X, Xs) = X.` has no solution in SWI-Prolog.
 - ☒ σ is a most general unifier, if for all unifiers σ' there exists a substitution ϕ such that $\sigma' = \phi \circ \sigma$.
 - ☐ `?- findall(X, member(X, [21, 42, 73]), L).` has more than one solution.
- Which of the following queries are answered with `true` or a binding for the occurring variables.
 - ☐ `?- 42 + 31 is 31 + 42.`
 - ☒ `?- 42 is 7 * 6.`
 - ☐ `?- 20 + 1 = 22 - 1.`
 - ☒ `?- X = 42 + 31.`
 - ☐ `?- 21 * 2.`

- Give all solutions of the goal `?- p(Y) ..`

```
1 p(X) :- q(X), q(a), !.
2 p(X) :- q(X), !, q(c).
3 p(b).
4
5 q(b) :- q(a).
6 q(c).
```

The only solution is the following.

`Y = c.`

2. Give all solutions of the goal `?- append([1|Xs], [3|Ys], [1, 2, 3, 4, 1, 3])..`

```
Xs = [2],
Ys = [4, 1, 3];
Xs = [2, 3, 4, 1],
Ys = [];
false.
```

3. Give the most general unifier (if it exists) for the terms `fun(g(Y, Z), [Y|[h(X)|[]]])` and `fun(X, [42|Xs])`. Otherwise, explain why no *mgu* exists.

$$\sigma = \{X \mapsto g(42, Z), Y \mapsto 42, Xs \mapsto [h(g(42, Z))|[]]\}$$

2 - Programming in Prolog

```
gt(s(_), o).
gt(s(N), s(M)) :- gt(N, M).
```

```
fromTo(N, N, [N]).
fromTo(N, M, [N|Xs]) :- gt(M, N), fromTo(s(N), M, Xs).
fromTo(N, M, []) :- gt(N, M).
```

```
dropLess(_, [], []).
dropLess(N, [N|Xs], [N|Xs]).
dropLess(N, [X|Xs], [X|Xs]) :- gt(X, N).
dropLess(N, [X|Xs], Ys) :- gt(N, X), dropLess(N, Xs, Ys).
```

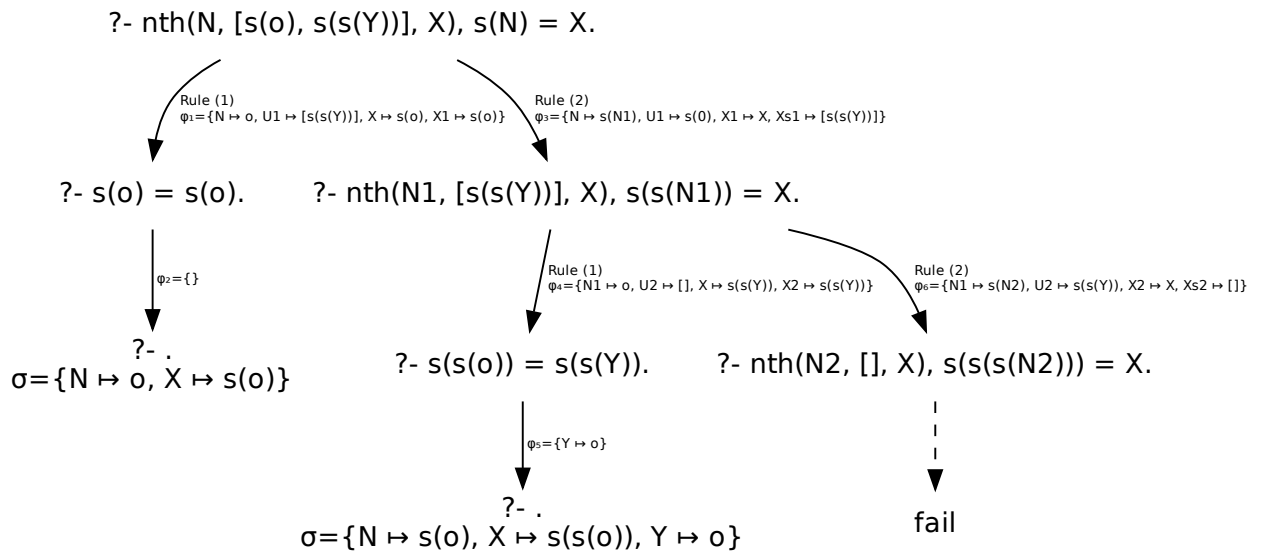


Abbildung 1: SLD-Resolution-Tree for the goal ‘?- nth(N, [s(o), s(s(Y))], X), s(N) = X.’