fall 2014 Question a) Bayesian Networks P(x,1 x 5, x 7) = f(x, x5, x6, x6) + P(X21X1) = F(x2, x4,) + 0= P(x31x2) = + (>(2, >(3)+ P(x4 1 x6, x8) = f(x4, x6, x8) = constant P(xg) = f(xg) P(x6 M3)= F(x3,x6) + P(xg7) = F(x7) +  $P(x_3|x_8) = f(x_3, x_8) +$ => \( \x(x(x)x\x) \x(x)x\x) = g(x) =>  $\leq g(x_2, x_5, x_7) \in (x_2, x_5) = g'(x_3, x_5, x_7)$ =) = g'(x, x5, x7) f(x3, x6) f(x3, x8)= g'(x5, x6, x7, x =>  $\leq g'''(x_6, x_7, x_8) = h(x_7, x_8)$ Fliminate X  $\Rightarrow \frac{1}{2} h(x_7, x_8) f(x_7) = h'(x_8)$ Eliminale DC8

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complixity,
                        ( for g"(x5, x6, x7, x6
 Time = O(ds)
 Space = 0(4d4)
 Eliminate Xs
\frac{\xi}{x_5} f(x_1, x_5, x_7) = g(x_1, x_7) -
 Eliminak XI
 \frac{\xi}{x_2} + cx_7 = g(x_1, x_7) = g'(x_1, x_7)
 Eliminate XI
\frac{\xi}{x_1} g'(x_1) f(x_2, x_1) = g''(x_2)
\frac{\xi}{x_2} g''(x_2) + (x_2, x_3) = g'''(x_3)
Eliminak X3
£ +(x3, x6) g"'(x3) +(x3, x8) = h (x6, x8
Eliminak X6
 \frac{2}{x_6} h(x_6, x_8) = h'(x_8)
   Eliminate xg & done
complexity
Time = 0 (d3)
    Space = 0 (2d2)
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