

x order 3
 y order 2
 z order 1

t
 solution term
 $x(\lambda z. x'(\lambda z'. z))$

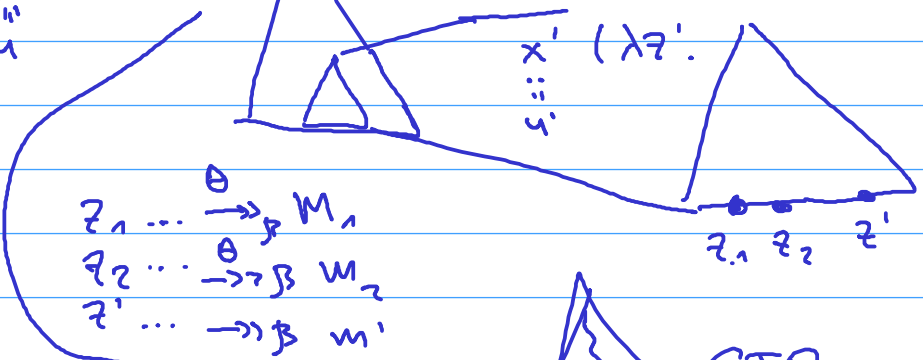
$u_1 \dots u_n$
 arguments

r
 rhs
 $\lambda z. z$
 $u = \lambda y. y(y(y f))$

$t =$

$x(\lambda z_1 z_2. \dots)$
 \vdash

$u = \lambda y. \dots$



$z_1 \dots \xrightarrow{\theta} M_1$
 $z_2 \dots \xrightarrow{\theta} M_2$
 $z' \dots \xrightarrow{\theta} M'$

$M_1 = M'$



GTR

$\# z_1$ on a path in GTR $\sim \# y$ in u of $\# z_1$ in \dots

$\frac{x(\lambda z. t_1) t_2}{(\lambda z. t_1) v \{ \gamma_1 = \lambda z. t_1 \} \gamma_2 = t_2}$

$u = \lambda y_1 y_2. \gamma_1 v$
 $\lambda y_1 y_2. f(\lambda g. \dots)$

\sim t_1 $\{ \gamma_1 = \lambda z. t_1 \} \gamma_2 = t_2$

$t = x_1(\lambda z_1. \underline{x_1(\lambda z_2. \underline{x_1(\lambda z_3. x_2(z_3)} z_2)} (z_1)) t$

$u_1 = \lambda y_1 y_2. \gamma_1 \gamma_2$

$u_2 = \lambda y. y$

$\begin{cases} z_1 \rightsquigarrow \gamma_1 \\ z_2 \rightsquigarrow \gamma_2 \\ z_3 \rightsquigarrow \gamma_3 \end{cases}$

$\sim t' = x_1(\lambda z. z_1) f$

