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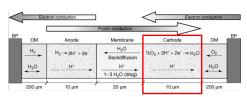
Polymer Electrolyte Membrane Fuel Cell (PEMFC) The Challenges

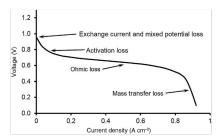
**Performance limitations** 

**Material degradation** 

Diagnosis of state of health

R. Gloukhovski et al. Reviews in Chem. Eng. (2017) 34, 455-479 Tang et al. J Electrochem. Soc. (2006) 153, A2036–43.

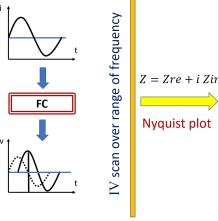




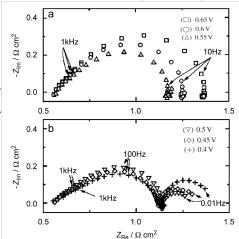
Voltage drop caused by charger transfer, membrane and mass transfer resistances at different current densities at 80 °C.



#### Frequency response analysis

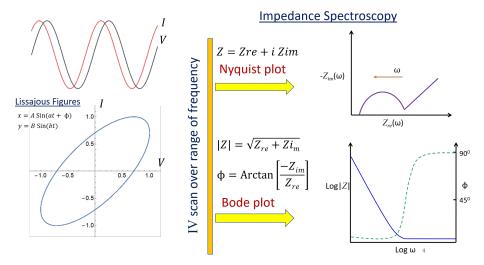


## Electrochemical Impedance Spectra



Paganin et al., Electrochim. Acta (1998) 43, 3761.

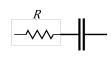


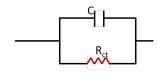


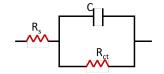


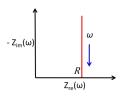


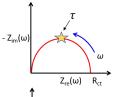
#### **Nyquist Plot**

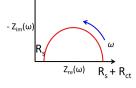












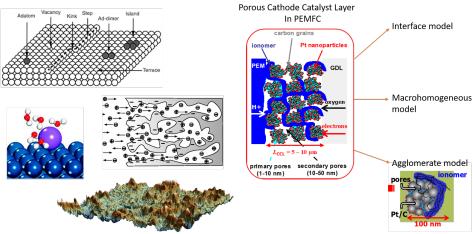
$$Z = R + \frac{1}{i\omega C}$$

$$Z = \left(\frac{1}{R_{ct}} + i\omega C\right)^{-1}$$
$$R_{ct} = \frac{RT}{nFi_0}$$

$$Z = R_s + \left(\frac{1}{R_{ct}} + i\omega C\right)^{-1}$$



#### Sensitivity of EIS response and physics based modeling approaches



M. Eikerling and A. Kulikovsky. Polymer Electrolyte Fuel Cells - Physical Principles of Materials and Operation. CRC Press, 2017. ISBN 9781138077447

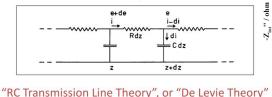


#### Transport in porous electrodes

Electrochimica Acta, 1963, Vol. 8, pp. 751 to 780.

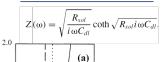
## ON POROUS ELECTRODES IN ELECTROLYTE SOLUTIONS\*

R. DE LEVIE§
Electrochemistry Laboratory, University of
Amsterdam, Holland



the transmission line theory, or be levie theory

#### Distributed circuit elements



1.0

- Not any random distribution would work.
- Distributed time constant, pore size distribution.

0.5 **Z...' / ohm** 

1.5

1.0

0.5

0.0

Song et al. Electrochimica Acta 44 (1999) 3513-3519

M. E. Orazem and Bernard Tribollet. Electrochemical Impedance Spectroscopy. John Wiley \& Sons, 2018. DOI:10.1002/9780470381588





Linear

G(s)

#### **Frequency Response Analysis**

#### Transfer Functions

Assume an initially relaxed linear system excited at t=0 by an input x(t), and assume that y(t) is the corresponding output. Let

$$X(s) = \mathcal{I}[x(t)]$$

$$Y(s) = \mathcal{I}[y(t)]$$

For a linear system



where  $G(s) = \frac{Y(s)}{X(s)}$  is called the transfer function of the circuit or

X(s)

system, and it provides a direct mathematical relationship between the input and the output for any arbitrary input.

#### Transient response function response of a system to a

change from an equilibrium or a steady state

## Impedance response probe

Small harmonic perturbation Linear response

M. E. Orazem and Bernard Tribollet. Electrochemical Impedance Spectroscopy, John Wiley \& Sons, 2018. DOI:10.1002/9780470381588

M. Eikerling and A. Kulikovsky, Polymer Electrolyte Fuel Cells - Physical Principles of Materials and Operation, CRC Press, 2017, ISBN 9781138077447 A. A.Kulikovsky, Analytical Modeling of Fuel Cells, Second Edition, Elsevier, 2017, ISBN 978-0-444-64222-6

 $\rightarrow v(t)$ 

 $\rightarrow Y(s)$ 

Transform into s-domain (frequency domain)





#### MODELING METHODOLOGY Conservation equations: Mass, charge, momentum, energy Pore size distribution $\frac{\partial c_{H}^{+}}{\partial t} - D_{H}^{+} \nabla \cdot \left( \nabla c_{H}^{+} + \frac{F c_{H}^{+}}{RT} \nabla \varphi \right) = 0$ Particle size distribution $\frac{\partial c_{O_2}}{\partial t} - D_{O_2}(\nabla c_{O_2}) = 0$ Electrochemical Impedance response of a pore For concentration and potential $Z(\omega) = \frac{1}{2\pi R} \cdot \frac{\delta \phi^{M}(\omega)}{\int_{0}^{L} \delta j(\omega, z) dz}$ For concentration and potential **Boundary conditions:** reaction kinetics. metal charging. surface charge density Linearization in Fourier space M. Eikerling, A.A. Kornyshev, J. Electroanal, Chem. 475 (1999) 107-123 K. Chan, M. Eikerling, J. Electrochem. Soc. 159 (2012) B155-B164 A. Kulikovsky, J. Electrochem, Soc. 164 (2017) F374-F386



