

# pHandDyingRoughDraft

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## 1 pH and Dying

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A project examining how to model an assumed relation between crustaceans and pH levels

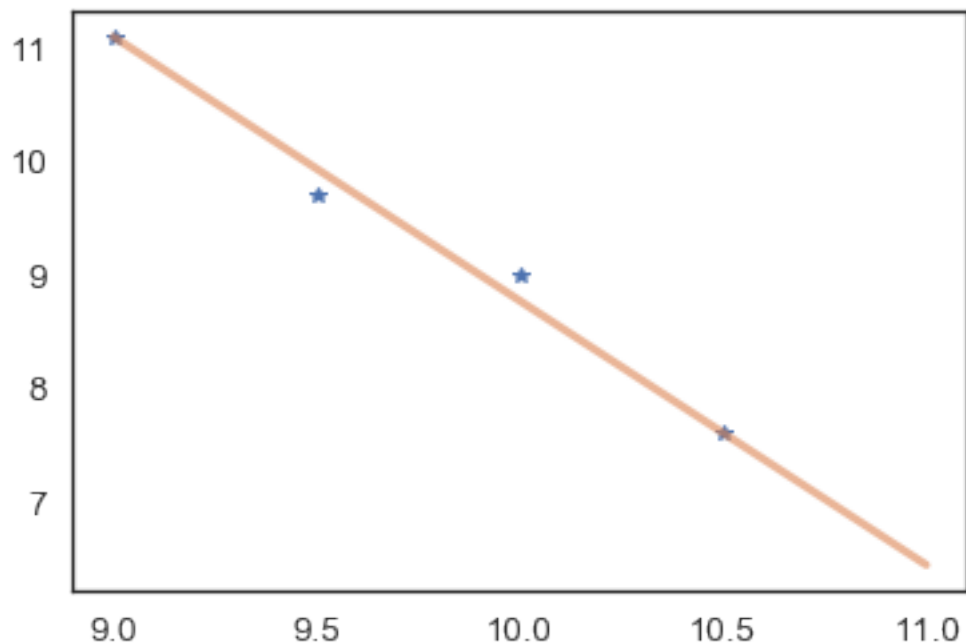
```
In [2]: # Configure Jupyter so figures appear in the notebook
        %matplotlib inline

        # import functions from the modsim.py module
        from modsim import *
        import random
        import matplotlib.pyplot as plt

In [8]: # Plot our data points for pH levels and crustacean birth rates
        plt.plot([9,9.5,10,10.5], [11.1, 9.7, 9, 7.6], '*')

        # Create a best-fit line
        def run_match():
            match = TimeSeries()
            match[9] = 11.1
            for p in linrange(9, 11, 1):
                match [p+1] = match[p] - 2.33
            return match

        # overlay the fit line with our data
        p2 = run_match()
        plot (p2)
        plt.show()
```



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In [5]: def run_match2():
        match = TimeSeries()
        match[9] = 11.1
        for p in linrange(9, 11, 1):
            match[p+1] = match[p] - 2.33
        return match[11]
run_match2()
```

Out[5]: 6.4399999999999995

```
In [80]: # set our constants
        birth_rate_normal = 0.12
        birth = run_match2()
        birth1 = birth_rate_normal*(birth/11.1)
        values = System(death=0.1, birth_lb = birth1-0.07, birth_ub = birth1+0.07, pop_0 = 40)
```

```
In [81]: def run_ph_sim(system):
        """
        Runs the simulation

        system: a System object with our initial constants, relies on:
            - pop_0: initial population
            - birthi: lower range deviation of birthrate due to pH
            - birthii: upper range deviation of birthrate due to pH
            - death: death rate
```

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        - time period: how many weeks to run the simulation for

Return TimeSeries with results
"""
run = TimeSeries()
run[0] = system.pop_0
for t in linrange (0, values.time_period, 1):
    for x in range(1):
        b = random.uniform(system.birth_lb, system.birth_ub)
        run[t+1] = run[t] + run[t]*(b)-run[t]*(system.death)
return run

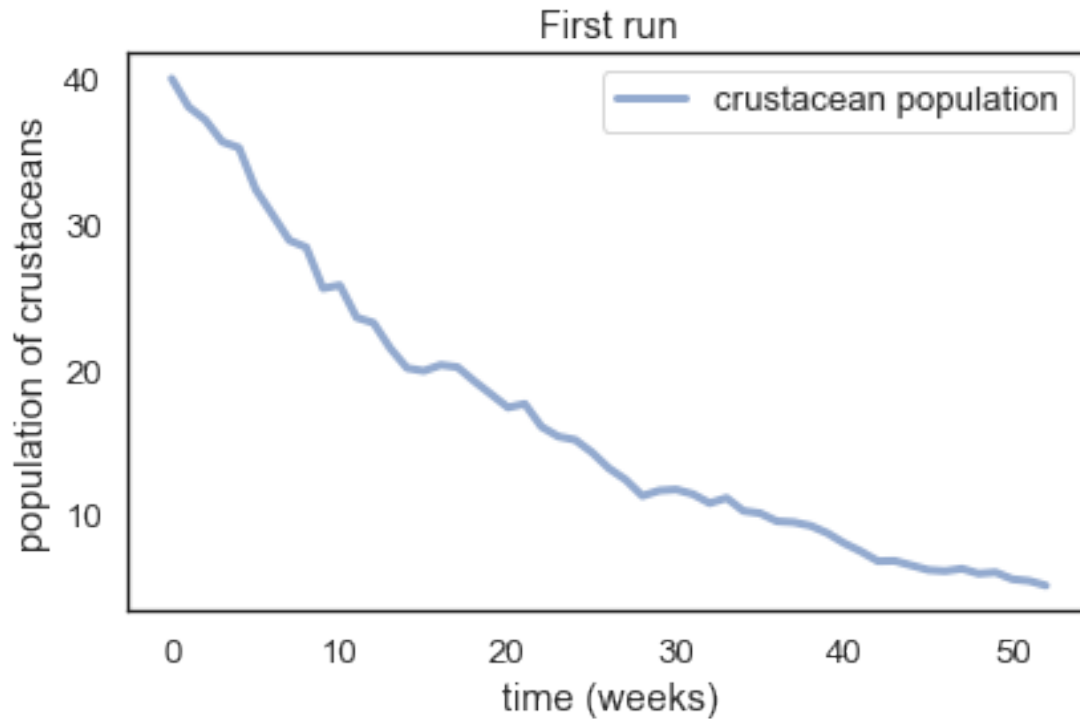
def plot_rps(variable, title):
    """
    Plots data

    variable: the data we want to graph
    title: the title of the graph

    directly plots data with no return statement
    """
    plot (variable, label = 'crustacean population')
    decorate(xlabel = 'time (weeks)',
            ylabel = 'population of crustaceans',
            title = title)

In [82]: x = run_ph_sim(values)
         plot_rps(x, 'First run')

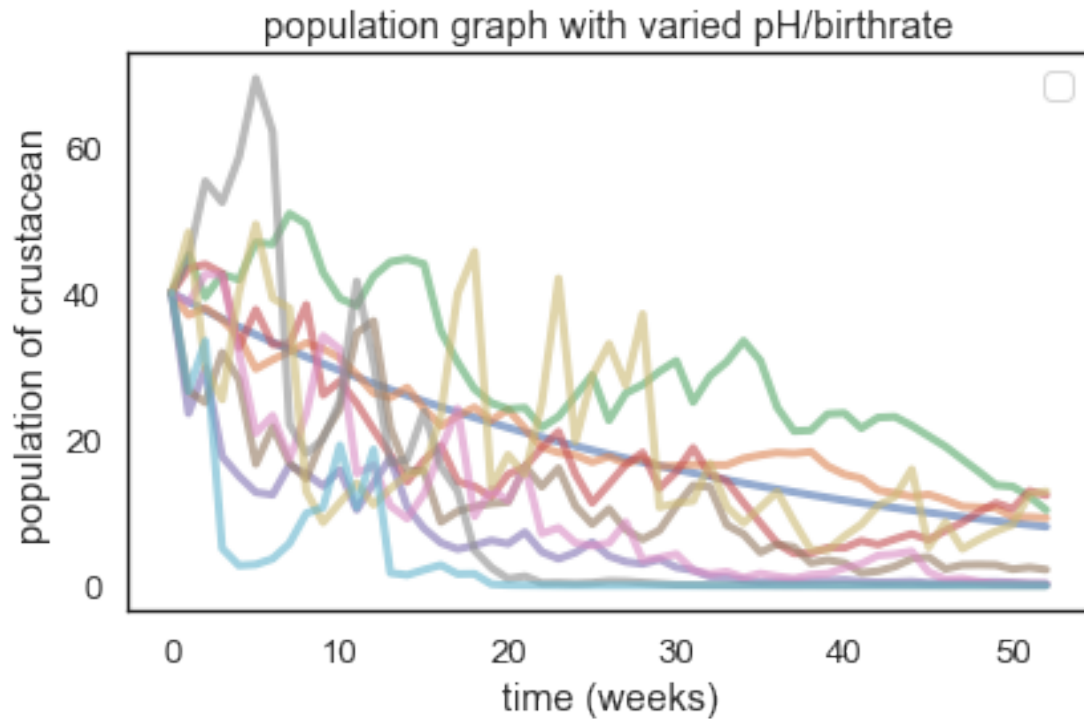
```



```
In [112]: # sweep for a few different birthrate / pH ranges
          birth_ub_array = linspace(0, 0.9, 10);

          for rate in birth_ub_array:
              # for now, let's keep the upper and lower limits absolute value the same
              values.birth_lb = birth1 - rate
              values.birth_ub = birth1 + rate
              x = run_ph_sim(values)
              plot(x)

          decorate(xlabel = 'time (weeks)',
                  ylabel = 'population of crustacean',
                  title = "population graph with varied pH/birthrate")
```



```
In [113]: def run_ph_sim2(system):
    """
    Runs the simulation

    system: a System object with our initial constants, relies on:
        - pop_0: initial population
        - birthi: lower range deviation of birthrate due to pH
        - birthii: upper range deviation of birthrate due to pH
        - death: death rate
        - time period: how many weeks to run the simulation for

    Return TimeSeries with 52nd result
    """
    run = TimeSeries()
    run[0] = system.pop_0

    for t in linrange (0, values.time_period, 1):
        for x in range(1):
            # randomly select a decimal number between
            # the lower and upper birth rate(pH) bounds
            b = random.uniform(system.birth_lb, system.birth_ub)
            run[t+1] = run[t] + run[t]*(b)-run[t]*(system.death)
    return run[52]
```

```

In [114]: def run_program(number_of_runs, system, state):
          """
          Runs the simulation multiple times

          number_of_runs: how many times we want to run the simulation
          system: a System object with our initial constants, relies on:
                  - extinct: tracks number of runs in which the population went extinct
          state: a State object with the number of extinctions that have occurred

          """
          for i in range (number_of_runs):
              x = run_ph_sim2(system)
              if x<=8:
                  extinct.extinct +=1
          return extinct.extinct

In [115]: # run the simulation 100 times
          extinct = State(extinct = 0)
          extinctions = run_program(12, values, extinct)
          print(extinctions)

```

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