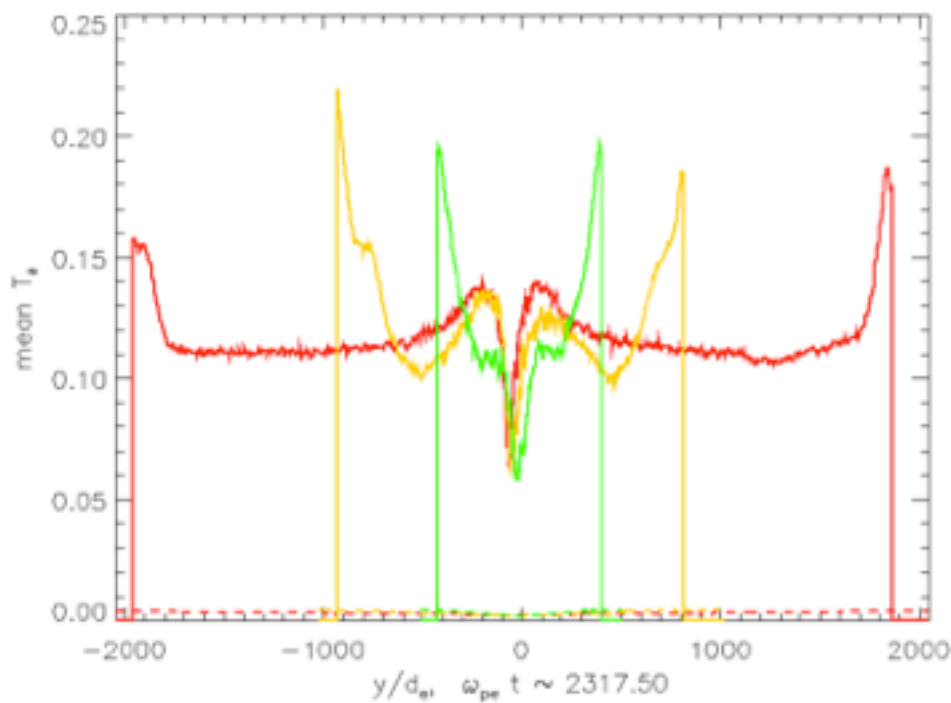




**Heating should not depend on nonphysical parameters**

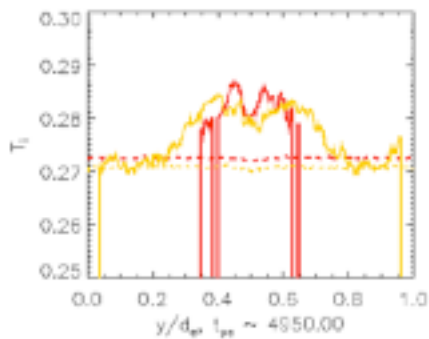
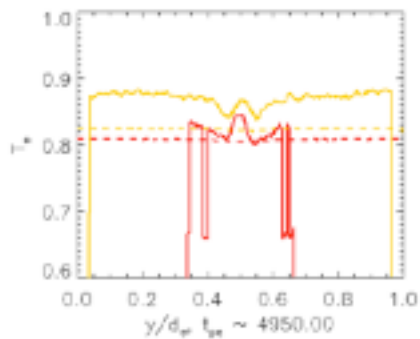
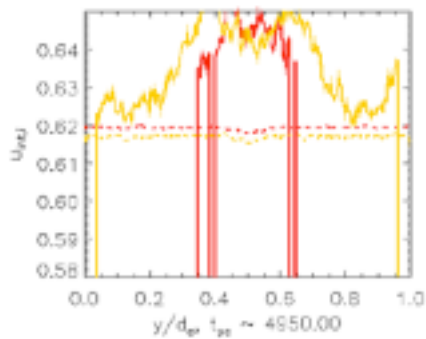
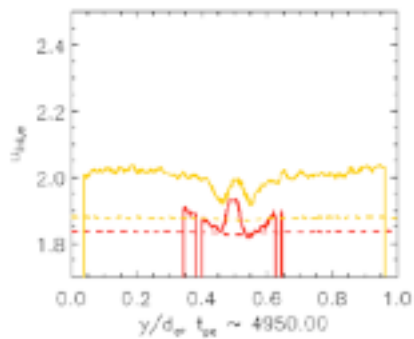




$m_y = 4096$  (green), 8192 (yellow), 16384

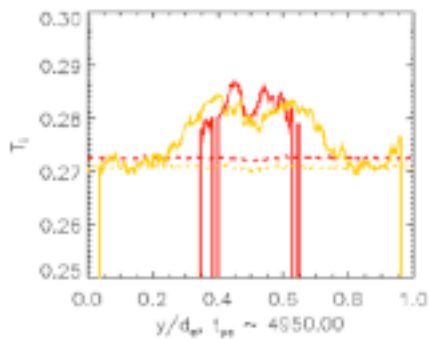
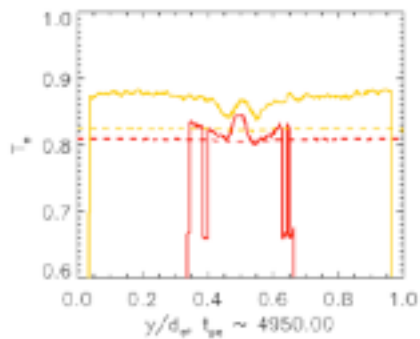
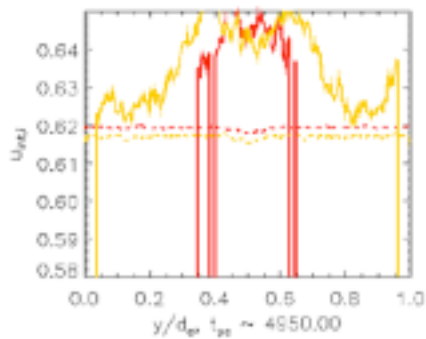
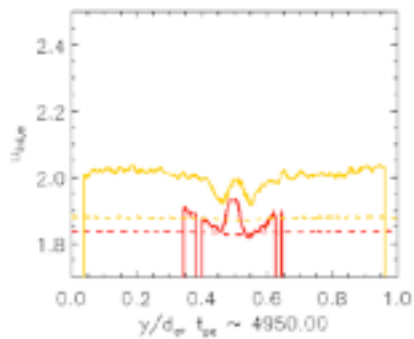


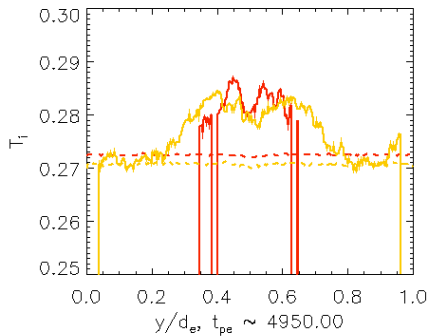
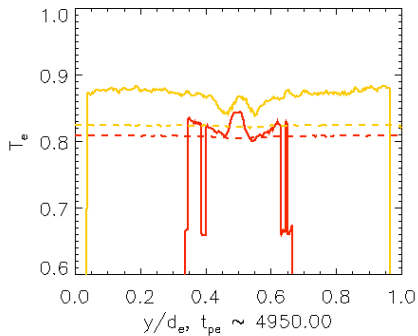
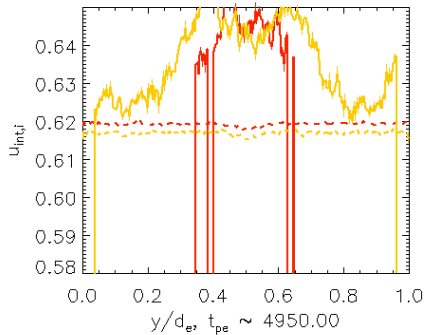
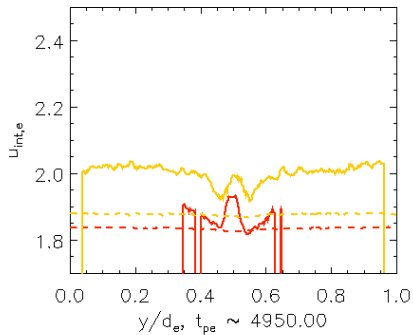


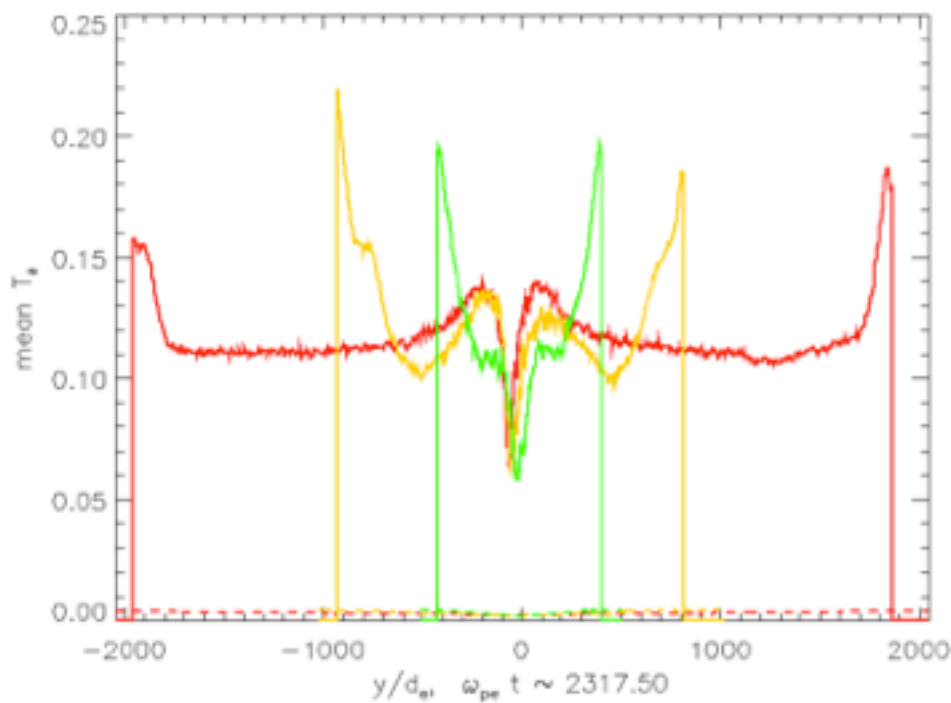


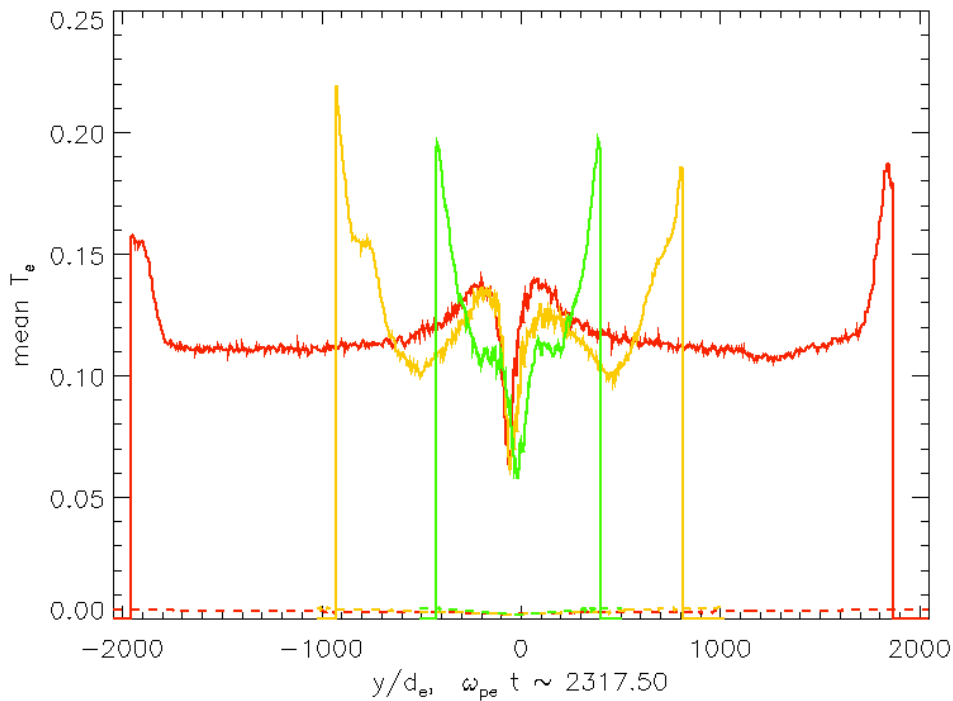


**ppc = 64 (yellow), ppc = 256 (red)**





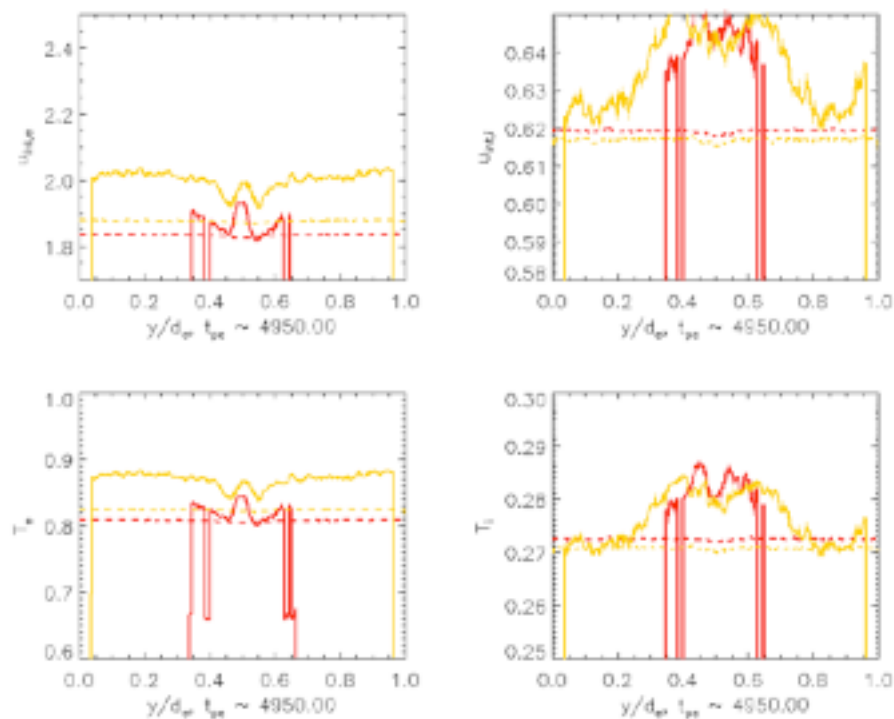




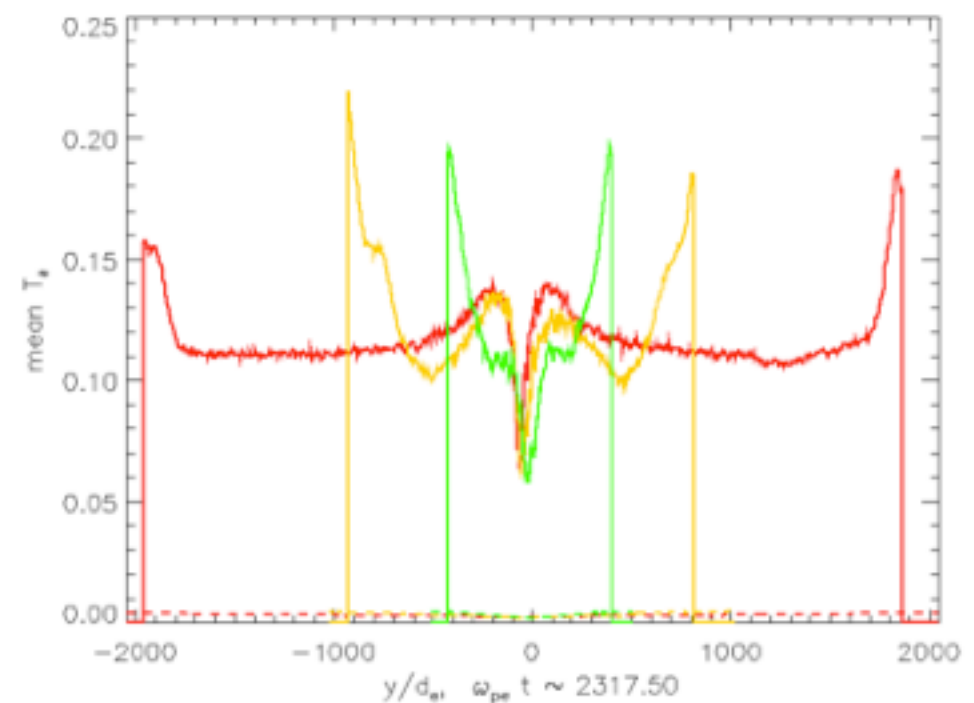
# Heating should not depend on nonphysical parameters

- ▶ Check for convergence by varying computational parameters
- ▶ To trust the numerical results, need to make sure numerical heating is relatively small
- ▶ Particles per cell, domain size, boundary conditions, etc.

ppc = 64 (yellow), ppc = 256 (red)



$m_y = 4096$  (green), 8192 (yellow), 16384

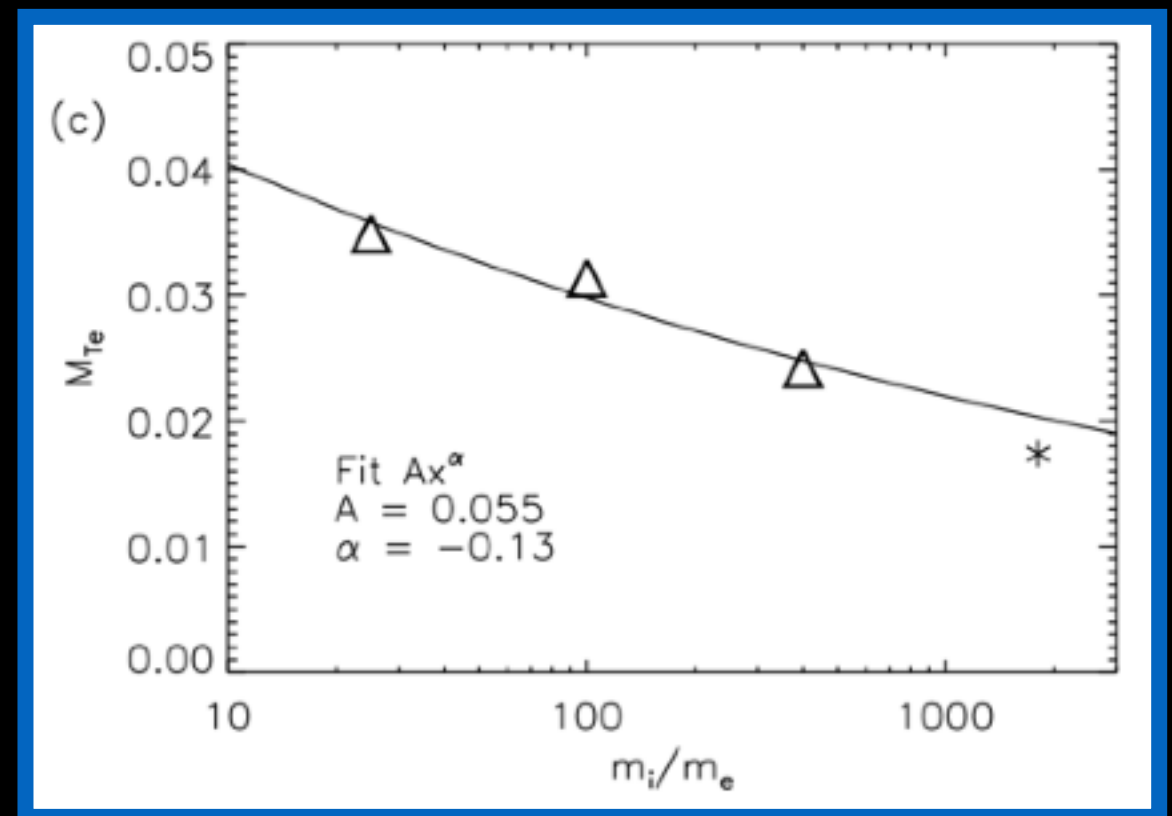


# Electron heating will decrease with higher $m_i/m_e$

- ▶ In our simulations, we use an artificial mass ratio of  $m_i/m_e = 25$ 
  - ▶ Why? This makes the problem computationally tractable
- ▶ We can expect our measured heating will decrease with higher mass ratio;

$$M_{Te} \sim (m_i/m_e)^{-0.13}$$

(Drake et al., 2014)



- ▶ Note: this scaling is consistent with the analytical model of Egedal et al.