

Стенуко Дарья = 0362

Вариант 18

№ Ответ

1 ФУМ

2 C: 111; T: 010; Y: 110; P: 100; X: 011; Y: 101; Z: 00

3 166

4 (2, 1, 3)

n1

$$e = 11$$

$$m = 133$$

$$(29, 91, 22, 20)$$

$$\{2, 33\} \text{ (circled and crossed out)}$$

$$\textcircled{1} \quad de = 1 \pmod{\varphi(m)}$$

$$\varphi(133) = \varphi(7) \cdot \varphi(19) = 6 \cdot 18 = 108$$

$$11d = 1 \pmod{108}$$

$$11d + 108y = 1$$

p	11	108	11	9	2	1	0
q		0	9	1	4	2	
d	1	0	1	-9	10	-49	

$$d = -49 \pmod{108} = 59$$

$$d = 59$$

$$\textcircled{2} \quad 29^{59} \pmod{133} = 22 \rightarrow \Phi$$

$$91^{59} \pmod{133} = 21 \rightarrow \Psi$$

$$22^{59} \pmod{133} = 15 \rightarrow \Upsilon$$

$$20^{59} \pmod{133} = 20 \rightarrow T$$

Order: $\Phi \Psi \Upsilon T$

n2

$$C: 75$$

$$T: 16$$

$$Y: 70$$

$$\Phi: 31$$

$$X: 19$$

$$U: 60$$

$$V: 83$$

① 83(У) 75(С) 70(У) 60(У) 31(Ф) 19(Х) 16(Т)
 35(ХТ) 83(У) 75(С) 70(У) 60(У) 31(Ф)
 91(УФ) 35(ХТ) 83(У) 75(С) 70(У)
 145(СУ) 91(УФ) 35(ХТ) 83(У)
 118(ХТУ) 145(СУ) 91(УФ)
 236(СУУФ) 118(ХТУ)
 1 0

② 0(ХТУ) 1(СУУФ)
 0(ХТУ) 10(УФ) 11(СУ)
 00(У) 01(ХТ) 10(УФ) 11(СУ)
 00(У) 01(ХТ) 10(УФ) 110(У) 111(С)
 00(У) 01(ХТ) 100(Ф) 101(У) 110(У) 111(С)
 00(У) 010(Т) 011(Х) 100(Ф) 101(У) 110(У) 111(С)

③ 111(С) 010(Т) 110(У) 100(Ф) 011(Х) 101(У) 00(У)

Омберн: С: 111 Ф: 100 У: 00
 Т: 010 Х: 011
 У: 110 У: 101

N3

Код Грея: 11110101
 0 1 2 3 4 5 6 7

$$0: 1$$

$$1: 1+1=0$$

$$2: 1+1+1=1$$

$$3: 1+1+1+1=0$$

$$4: 1+1+1+1+0=0$$

$$5: 1+1+1+1+0+1=1$$

$$6: 1+1+1+1+0+1+0=1$$

$$7: 1+1+1+1+0+1+0+1=0$$

$$\begin{matrix} 7 & 6 & 5 & 4 & 3 & 2 & 1 & 0 \\ 1 & 0 & 1 & 0 & 0 & 1 & 1 & 0 \end{matrix}_2 = 128 + 32 + 4 + 2 = 130 + 36 = 166$$

Answer: 166

N4

$$l=3 \quad Z_5 \quad d, 1, 3, 2, 4$$

$$y \quad x \quad | \quad q_0 + q_1 x + q_2 x^2 + q_3 x^3 = (x-d)y$$

$$2 \quad 0 \quad | \quad x=0: q_0 = -2d \quad (1)$$

$$1 \quad 1 \quad | \quad x=1: q_0 + q_1 + q_2 + q_3 = (1-d) \cdot 1 \quad (2)$$

$$3 \quad 2 \quad | \quad x=2: q_0 + 2q_1 + 4q_2 + 3q_3 = (2-d) \cdot 3 \quad (3)$$

$$2 \quad 3 \quad | \quad x=-2: q_0 - 2q_1 + 4q_2 - 3q_3 = (-2-d) \cdot 2 \quad (4)$$

$$4 \quad 4 \quad | \quad x=-1: q_0 - q_1 + q_2 - q_3 = (-1-d) \cdot 4 \quad (5)$$

$$\begin{cases} q_0 = -2d \\ q_0 + q_1 + q_2 + q_3 = 1-d \\ q_0 + 2q_1 + 4q_2 + 3q_3 = 1-3d \\ q_0 - 2q_1 + 4q_2 - 3q_3 = 1-2d \\ q_0 - q_1 + q_2 - q_3 = 1-4d \end{cases} \quad \left. \begin{matrix} \\ \\ \\ \end{matrix} \right) +$$

$$\begin{aligned} 1) \quad & \begin{cases} 2q_0 + 2q_2 = 2 - 5d \\ 2q_0 + 8q_2 = 2 - 5d \end{cases} \Rightarrow 2q_0 + 2q_2 = 2q_0 + 8q_2 \\ & q_2 = 0 \end{aligned}$$

$$2) \quad \begin{cases} q_0 = -2d \\ q_0 + q_1 + q_3 = 1-d \\ q_0 + 2q_1 + 3q_3 = 1-3d \\ q_0 - 2q_1 - 3q_3 = 1-2d \\ q_0 - q_1 - q_3 = 1-4d \end{cases}$$

$$2q_0 = 2 - 5d$$

$$-4d = 2 - 5d \quad \Rightarrow$$

$$d = 2 \Rightarrow q_0 = -4 = 1$$

$$-4 + q_1 + q_3 = 1 - 2$$

$$q_1 = 3 - q_3 \Rightarrow -4 + 2(3 - q_3) + 3q_3 = 1 - 6$$

$$-4 + 6 - 2q_3 + 3q_3 = -5$$

$$q_3 = -7 = 3$$

$$\Rightarrow q_1 = 3 - 3 = 0$$

$$q_0 = 1 \quad q_1 = 0 \quad q_2 = 0 \quad q_3 = 3 \quad d = 2$$

$$x - 2 = x + 3$$

$$\begin{array}{r|l} 3x^3 + 0x^2 + 0x + 1 & x + 3 \\ - (3x^3 + 4x^2) & \\ \hline & -1x^2 + 0x \\ - (-1x^2 + 3x) & \\ \hline & 2x + 1 \\ - (2x + 1) & \\ \hline & 0 \end{array}$$

$$Q = (2, 1, 3) - \text{Orbitem}$$