# Let's add some mathematics

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#### Course overview

1. Basics and tips for your first LaTeX document

2. Let's add some mathematics

3. Illuminate your work with color and illustrations

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1. Basics and tips for your first LaTeX document

2. Let's add some mathematics

3. Illuminate your work with color and illustrations

#### What's next?

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Mathematics basis

Arrays

#### Section 1

Bibliography

# BIBT<sub>E</sub>X? What's new?

► A database with entries @TYPE containing fields

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- ► A database with entries @TYPE containing fields
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- ► A source file with \cite and \bibliography{filename}

# BIBTEX? What's new?

- ► A database with entries @TYPE containing fields
- ► A new tool bibtex
- ► A source file with \cite and \bibliography{filename}
- ► A longer compilation process latex, bibtex, latex, latex

```
@book{knuthtex,
  author = {Knuth, Donald E.},
  title = {The \TeX{}book : a complete
    user's guide to computer typesetting
    with \TeX{}},
  publisher = {Addison-Wesley},
  year = {1984},
  month = jan,
  day = {11},
}
```

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@book{knuthtex,
  author = {Knuth, Donald E.},
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    with \TeX{}},
  publisher = {Addison-Wesley},
  year = {1984},
  month = jan,
  day = {11}
}
```

#### Citation command

```
\cite[text]{key1, key2, ...} \nocite{key1, key2, ...}
```

\bibliographystyle{plain}

The \TeX{} language is totally described and discussed in \cite{knuthtex}, boxes are described in \cite[chap.~11]{knuthtex}.

The TeX language is totally described and discussed in [1], boxes are described in [1, chap. 11].

An article from a journal or magazine.

```
@ARTICLE{key
  author = ...,
  title = \dots,
  journal = ...,
  year = ...,
  volume = ...,
  number = ...,
  pages = ...,
  month = ...,
  note = \dots
```

A book with an explicit publisher.

```
@BOOK{key
  author or editor = ...,
  title = \dots,
  publisher = ...,
  year = ...,
  volume or number = \dots,
  series = ...,
  address = ...,
  edition = \dots,
  month = ...,
  note = ...
```

A work that is printed and bound, but without a named publisher or sponsoring institution.

```
@BOOKLET{key
  title = ...,
  year = ...,
  author = ...,
  howpublished = ...,
  address = ...,
  month = ...,
  year = ...,
  note = ...
}
```

```
@INBOOK{key
  author or editor = ....
  title = \dots
  chapter or pages = ...,
  publisher = ...,
  year = ...,
  volume or number = ...,
  series = ...,
  type = ...,
  address = ...,
  edition = ...,
  month = ...,
  note = ...
}
```

```
@INBOOK{key
  author or editor = ....
  title = \dots
  pages = \{25, 38--43\}
  publisher = ...,
  year = ...,
  volume or number = ...,
  series = ...,
  type = \dots,
  address = ...,
  edition = ...,
  month = ...,
  note = ...
}
```

```
@INBOOK{key
  author or editor = ....
  title = \dots
  chapter = 1.2,
  publisher = ...,
  year = ...,
  volume or number = ...,
  series = ...,
  type = ...,
  address = ...,
  edition = ...,
  month = ...,
  note = ...
}
```

```
@INBOOK{key
  author or editor = ....
  title = \dots
  chapter = 1.2,
  publisher = ...,
  year = ...,
  volume or number = ...,
  series = ...,
  type = {Section},
  address = ...,
  edition = ...,
  month = ...,
  note = \dots
}
```

incollection A part of a book having its own title.

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proceedings The proceedings of a conference.

inproceedings An article in a conference proceedings.

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proceedings The proceedings of a conference.

inproceedings An article in a conference proceedings.

manual A technical documentation.

techreport A report published by a school or other institution, usually numbered within a series.

phdthesis A PhD thesis.

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masterthesis A Master's thesis.
```

```
incollection A part of a book having its own title.
```

proceedings The proceedings of a conference.

inproceedings An article in a conference proceedings.

manual A technical documentation.

techreport A report published by a school or other institution, usually numbered within a series.

masterthesis A Master's thesis.

phdthesis A PhD thesis.

unpublished A document having an author and title, but not formally published.

## Allowed entry types

```
incollection A part of a book having its own title.
 proceedings The proceedings of a conference.
inproceedings An article in a conference proceedings.
      manual A technical documentation.
   techreport A report published by a school or other institution,
              usually numbered within a series.
 masterthesis A Master's thesis.
    phdthesis A PhD thesis.
 unpublished A document having an author and title, but not
              formally published.
         misc Anything else.
```

What about the Internet and URLS?

#### First solution

```
@MISC{LaTeX2e,
  author = {\LaTeX3 Project Team},
  title = {\LaTeX{} documentation},
  howpublished = {http://www.latex-project.org/guides/}
}
```

[1] Lagrange Team. La

### Second solution

```
@MISC{LaTeX2e,
  author = {\LaTeX3 Project Team},
  title = {\LaTeX{} documentation},
  howpublished = {\url{http://www.latex-project.org/guides,}
```

[1] Latex-project Team. Latex-project.org/guides/.

\url comes from the url or hyperref package

What's more?

► An @ONLINE type, with url field

- ► An @ONLINE type, with url field
- ▶ A lot of new type, all supporting the url field

- ► An @ONLINE type, with url field
- ▶ A lot of new type, all supporting the url field
- Lots of different citation styles

# 

- An @ONLINE type, with url field
- ▶ A lot of new type, all supporting the url field
- Lots of different citation styles
- Lots of sorting and bibliography styles

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- ▶ A lot of new type, all supporting the url field
- Lots of different citation styles
- Lots of sorting and bibliography styles
- Support for Unicode

- An @ONLINE type, with url field
- ▶ A lot of new type, all supporting the url field
- Lots of different citation styles
- Lots of sorting and bibliography styles
- Support for Unicode
- ► Compatible with BibTeX

## Sum up about bibliography

```
\documentclass{article}
                                 \documentclass{article}
                                 \usepackage[...] {biblatex}
                                 \bibliography{file}
\begin{document}
                                 \begin{document}
  ... \cite[text] {key}...
                                    ... \cite[text]{kev}...
  \bibliographystyle{plain}
  \bibliography{file}
                                    \operatorname{printbibliography}[...]
\end{document}
                                 \end{document}
```

## Documentation for BIBTEX and BIBLETEX

- Oren Patashnik. BIBTEXing. Feb. 8, 1988. URL: http://bibtexml.sourceforge.net/btxdoc.pdf.
- Nicolas Markey. Tame the BeaST. The B to X of Bib TeX. Oct. 11, 2009. URL: ftp://ftp.dante.de/tex-archive/info/bibtex/tamethebeast/ttb\_en.pdf.
- Philipp Lehman. The biblatex Package. Programmable Bibliographies and Citations. Nov. 13, 2011. URL: ftp://www.ctan.org/ctan/macros/latex/exptl/biblatex/doc/biblatex.pdf.

## Section 3

Mathematics basis

$$U_e = \frac{1}{2}kx^2$$

$$U_e = \frac{1}{2}kx^2$$

The elastic potential energy \$  $U_e$  \$ of an ideal spring is:  $U_e = \frac{1}{2} kx^2$ 

$$U_e = \frac{1}{2}kx^2$$

The elastic potential energy  $(U_e)$  of an ideal spring is: \$\$ U\_e =  $\frac{1}{2} kx^2$ \$\$

$$U_e = \frac{1}{2}kx^2$$

## ...extended by the American Mathematical Society

- American Mathematical Society, ed. User's guide for the amsmath Package. Feb. 25, 2002. URL: http://mirror.ctan.org/macros/latex/required/amslatex/math/amsldoc.pdf.
- Morten Høgholm et al. *The* mathtools *package*. Apr. 6, 2011. URL: http://mirror.ctan.org/macros/latex/contrib/mh/mathtools.pdf.

## **Objectives**

$$\lim_{x \to p} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to p]{} \ell$$

$$\Leftrightarrow \forall \varepsilon > 0, \ \exists \delta > 0, \ \forall x \in I,$$

$$(|x - p| < \delta \Rightarrow |f(x) - \ell| < \varepsilon)$$

$$\sum_{\substack{1 \le i \le m \\ 1 \le j \le n}} x_i y_j = \sum_{i=1}^m \sum_{j=1}^n x_i y_j$$

$$= \left(\sum_{i=1}^m x_i\right) \cdot \left(\sum_{j=1}^n y_j\right)$$

$$\int_{-\infty}^{+\infty} \cos x^2 \, \mathrm{d}x = \sqrt{\frac{\pi}{2}}$$
(3)

```
\[
f(x)
\]
```

```
\[
  f(x) \rightarrow 1
\]
```

$$f(x) \to l$$

```
\[
  f(x) \underset{x\rightarrow p}{\rightarrow} 1
\]
```

$$f(x) \underset{x \to p}{\to} l$$

```
\[
  f(x) \xrightarrow[x \rightarrow p]{} 1
\]
```

$$f(x) \xrightarrow[x \to p]{} l$$

## Extensible arrows, harpoons and hooks

| \xleftarrow[down]{up}      | $\leftarrow \frac{up}{down}$  |
|----------------------------|---|
| \xrightarrow[down]{up}     | $\xrightarrow[down]{up}$  |
| \xleftrightarrow[down]{up} | $\stackrel{up}{\longleftrightarrow} down$                                 |
| \xLeftarrow[down] {up}     | $\overleftarrow{down}$  |
| \xRightarrow[down]{up}     | $\xrightarrow[down]{up}$  |
| \xLeftrightarrow[down]{up} | $\stackrel{up}{\Longleftrightarrow} \stackrel{down}{\longleftrightarrow}$ |

## Extensible arrows, harpoons and hooks

| \xhookleftarrow[down]{up}  | $\stackrel{up}{\longleftrightarrow}$ $down$ |
|----------------------------|---|
| \xhookrightarrow[down]{up} | $\xrightarrow[down]{up}$                    |
| \xmapsto[down] {up}        | $\xrightarrow[down]{up}$                    |

## Extensible arrows, harpoons and hooks

| \xrightharpoondown[down] {up} | $\frac{up}{down}$       |
|-------------------------------|-------------------------|
| \xrightharpoonup[down]{up}    | $\frac{up}{down}$       |
| \xleftharpoondown[down] {up}  | $\frac{up}{down}$       |
| \xleftharpoonup[down]{up}     | $\frac{up}{down}$       |
| \xleftrightharpoons[down]{up} | $\frac{up}{down}$       |
| \xrightleftharpoons[down]{up} | $\overrightarrow{down}$ |

```
\[ f(\mathbf{x}) \Rightarrow l \\ f(x) \xrightarrow{x \to p} l
```

```
\[
  lim f(x) = l \Leftrightarrow
  f(x) \xrightarrow[x \rightarrow p]{} l
\]
```

$$lim f(x) = l \Leftrightarrow f(x) \xrightarrow[x \to p]{} l$$

```
\[
  \lim f(x) = l \Leftrightarrow
  f(x) \xrightarrow[x \rightarrow p]{} l
\]
```

$$\lim f(x) = l \Leftrightarrow f(x) \xrightarrow[x \to p]{} l$$

```
\[
  \lim_{x \rightarrow p} f(x) = 1 \Leftrightarrow
  f(x) \xrightarrow[x \rightarrow p]{} 1
\]
```

$$\lim_{x\to p} f(x) = l \Leftrightarrow f(x) \xrightarrow[x\to p]{} l$$

#### Common functions

\sin \cos \tan \cot
\arcsin \arccos \arctan
\sinh \cosh \tanh \coth
\ln \log \exp
\max \min \sup \inf
\ker \deg

sin cos tan cot arcsin arccos arctan sinh cosh tanh coth ln log exp max min sup inf ker deg

#### Common functions

```
\sin \cos \tan \cot
\arcsin \arccos \arctan
\sinh \cosh \tanh \coth
\ln \log \exp
\max \min \sup \inf
\ker \deg
```

sin cos tan cot arcsin arccos arctan sinh cosh tanh coth ln log exp max min sup inf ker deg

```
\DeclareMathOperator {\argmax}{arg\,max}
\[\argmax_a f(a)\]
```

 $\arg\max_{a}f(a)$ 

#### Common functions

```
\sin \cos \tan \cot
\arcsin \arccos \arctan
\sinh \cosh \tanh \coth
\ln \log \exp
\max \min \sup \inf
\ker \deg
```

sin cos tan cot arcsin arccos arctan sinh cosh tanh coth ln log exp max min sup inf ker deg

```
\DeclareMathOperator*{\argmax}{arg\,max}
\[\argmax_a f(a)\]
```

$$\underset{a}{\arg\max} f(a)$$

## Special characters

```
\[
  \lim_{x\rightarrow p} f(x) = l \Leftrightarrow
  f(x) \xrightarrow[x \rightarrow p] l
\]
```

$$\lim_{x \to p} f(x) = l \Leftrightarrow f(x) \xrightarrow[x \to p]{} l$$

## Special characters

```
\[
  \lim_{x\rightarrow p} f(x) = \ell \Leftrightarrow
  f(x) \xrightarrow[x \rightarrow p] \ell
\]
```

$$\lim_{x \to p} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to p]{} \ell$$

## Special characters

#### Where to find a symbol?

- Scott Pakin. The Comprehensive LATEX Symbol List. Nov. 9, 2009. URL: http://mirrors.ctan.org/info/symbols/comprehensive/symbols-a4.pdf.
- Daniel Kirsh. Detexify<sup>2</sup> ETEX symbol classifier. URL: http://detexify.kirelabs.org.

# Writing the second equivalence

$$\lim_{x \to p} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to p]{} \ell$$

$$\Leftrightarrow \forall \varepsilon > 0, \ \exists \delta > 0, \ \forall x \in I,$$

$$(|x - p| < \delta \Rightarrow |f(x) - \ell| < \varepsilon)$$
(1)

# Writing the second equivalence

```
\[ \forall\epsilon > 0,\exists\delta>0,\forall x\in I, (|x-p|<\delta \Rightarrow |f(x) - \ell|<\epsilon) \] \forall \epsilon > 0, \exists \delta > 0, \forall x \in I, (|x-p| < \delta \Rightarrow |f(x)-\ell| < \epsilon)
```

## Writing the second equivalence

```
\[ \forall\varepsilon > 0,\exists\delta>0,\forall x\in I, (|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon) \] \forall \varepsilon > 0, \exists \delta > 0, \forall x \in I, (|x-p| < \delta \Rightarrow |f(x)-\ell| < \varepsilon)
```

```
\begin{align}
  \lim_{x\rightarrow p} f(x) = \ell
    &\Leftrightarrow
    f(x) \xrightarrow[x\rightarrow p]{} \ell \\
    &\Leftrightarrow
    \forall\varepsilon>0,\exists\delta>0,\forall x\in I,
    (|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon)
\end{align}</pre>
```

$$\lim_{x \to p} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to p]{} \ell$$

$$\Leftrightarrow \forall \varepsilon > 0, \exists \delta > 0, \forall x \in I, (|x - p| < \delta \Rightarrow |f(x) - \ell| < \varepsilon)$$
(3)

```
\begin{align}
 \lim_{x\rightarrow p} f(x) = \ell
  &\Leftrightarrow
  f(x) \xrightarrow[x\rightarrow p]{} \ell \\
  &\Leftrightarrow
  \forall\varepsilon>0,\exists\delta>0,\forall x\in I,
  (|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon)
\end{align}</pre>
```

$$\lim_{x \to p} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to p]{} \ell$$

$$\Leftrightarrow \forall \varepsilon > 0, \exists \delta > 0, \forall x \in I, (|x - p| < \delta \Rightarrow |f(x) - \ell| < \varepsilon)$$
(3)

```
\begin{align*}
  \lim_{x\to y} f(x) = \ell
     &\Leftrightarrow
       f(x) \xrightarrow[x\rightarrow p]{} \ell \\
     &\Leftrightarrow
       \forall\varepsilon>0,\exists\delta>0,\forall x\in I,
       (|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon)
\end{align*}
   \lim_{x \to n} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to n]{} \ell
                   \Leftrightarrow \forall \varepsilon > 0, \exists \delta > 0, \forall x \in I, (|x - p| < \delta \Rightarrow |f(x) - \ell| < \varepsilon)
```

```
\begin{align*}
 \lim_{x\to y} f(x) = \ell
   &\Leftrightarrow
    f(x) \xrightarrow[x\rightarrow p]{} \ell \\
   &\Leftrightarrow
    \forall\varepsilon>0,\exists\delta>0,\forall x\in I,\\
   &(|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon)
\end{align*}
```

$$\lim_{x \to p} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to p]{} \ell$$

$$\Leftrightarrow \forall \varepsilon > 0, \exists \delta > 0, \forall x \in I,$$

$$(|x - p| < \delta \Rightarrow |f(x) - \ell| < \varepsilon)$$

```
\begin{align*}
  \lim_{x\to y} f(x) = \ell
     &\Leftrightarrow
      f(x) \xrightarrow[x\rightarrow p]{} \ell \\
     &\Leftrightarrow
 \forall\varepsilon>0,\exists\delta>0,\forall x\in I,\\
     &\phantom{\Leftrightarrow}
       (|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon)
\end{align*}
               \lim_{x \to n} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to n]{} \ell
                              \Leftrightarrow \forall \varepsilon > 0, \exists \delta > 0, \forall x \in I,
                                (|x-p|<\delta\Rightarrow |f(x)-\ell|<\varepsilon)
```

```
\begin{align*}
  \lim_{x\to y} f(x) = \ell
     &\Leftrightarrow
       f(x) \xrightarrow[x\rightarrow p]{} \ell \\
     &\Leftrightarrow
 \forall\varepsilon>0,\exists\delta>0,\forall x\in I,\\
     &\phantom{\Leftrightarrow}
       (|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon)
\end{align*}
               \lim_{x \to n} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to n]{} \ell
                               \Leftrightarrow \forall \varepsilon > 0, \exists \delta > 0, \forall x \in I,
                               \Leftrightarrow (|x-p| < \delta \Rightarrow |f(x)-\ell| < \varepsilon)
```

```
\begin{align*}
  \lim_{x\to y} f(x) = \ell
     &\Leftrightarrow
      f(x) \xrightarrow[x\rightarrow p]{} \ell \\
     &\Leftrightarrow
 \forall\varepsilon>0,\exists\delta>0,\forall x\in I,\\
     &\phantom{\Leftrightarrow}
       (|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon)
\end{align*}
               \lim_{x \to n} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to n]{} \ell
                              \Leftrightarrow \forall \varepsilon > 0, \exists \delta > 0, \forall x \in I,
                                (|x-p|<\delta\Rightarrow |f(x)-\ell|<\varepsilon)
```

```
\begin{align*}
  \lim_{x\to y} f(x) = \ell
     &\Leftrightarrow
      f(x) \xrightarrow[x\rightarrow p]{} \ell \\
     &\Leftrightarrow
 \forall\varepsilon>0,\exists\delta>0,\forall x\in I,\\
     &\phantom{{} \Leftrightarrow {}}
       (|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon)
\end{align*}
              \lim_{x \to p} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to p]{} \ell
                              \Leftrightarrow \forall \varepsilon > 0, \exists \delta > 0, \forall x \in I,
                                 (|x-p| < \delta \Rightarrow |f(x) - \ell| < \varepsilon)
```

```
\begin{align*}
  \lim_{x\rightarrow p} f(x) = \ell
    &\Leftrightarrow
    f(x) \xrightarrow[x\rightarrow p]{} \ell \\
    &\Leftrightarrow
  \forall\varepsilon>0,\;\exists\delta>0,\;\forall x\in I,\\
    &\phantom{{} \Leftrightarrow {}}\qquad
    (|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon)
\end{align*}</pre>
```

$$\lim_{x \to p} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to p]{} \ell$$

$$\Leftrightarrow \forall \varepsilon > 0, \ \exists \delta > 0, \ \forall x \in I,$$

$$(|x - p| < \delta \Rightarrow |f(x) - \ell| < \varepsilon)$$

# Mathematic spaces

```
\begin{align}
\lim_{x\rightarrow p} f(x) = \ell
    &\Leftrightarrow
f(x) \xrightarrow[x\rightarrow p]{} \ell \\
    &\Leftrightarrow
\forall\varepsilon>0,\;\exists\delta>0,\;\forall x\in I,\\
    &\phantom{{} \Leftrightarrow {}}\qquad
    (|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon)
\end{align}</pre>
```

$$\lim_{x \to p} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to p]{} \ell \tag{1}$$

$$\Leftrightarrow \forall \varepsilon > 0, \ \exists \delta > 0, \ \forall x \in I, \tag{2}$$

$$(|x - p| < \delta \Rightarrow |f(x) - \ell| < \varepsilon) \tag{3}$$

```
\begin{align}
\lim_{x\rightarrow p} f(x) = \ell
    &\Leftrightarrow\notag
f(x) \xrightarrow[x\rightarrow p]{} \ell \\
    &\Leftrightarrow\notag
\forall\varepsilon>0,\;\exists\delta>0,\;\forall x\in I,\\
    &\phantom{{} \Leftrightarrow {}}\qquad
    (|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon)
\end{align}</pre>
```

$$\lim_{x \to p} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to p]{} \ell$$

$$\Leftrightarrow \forall \varepsilon > 0, \ \exists \delta > 0, \ \forall x \in I,$$

$$(|x - p| < \delta \Rightarrow |f(x) - \ell| < \varepsilon) \tag{1}$$

```
\begin{align}
\lim_{x\rightarrow p} f(x) = \ell
    &\Leftrightarrow
f(x) \xrightarrow[x\rightarrow p]{} \ell \\
    &\Leftrightarrow\begin{multlined}
\forall\varepsilon>0,\;\exists\delta>0,\;\forall x\in I,\\
    (|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon)
    \end{multlined}
\end{align}</pre>
```

$$\lim_{x \to p} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to p]{} \ell$$

$$\Leftrightarrow \frac{\forall \varepsilon > 0, \ \exists \delta > 0, \ \forall x \in I,}{(|x - p| < \delta \Rightarrow |f(x) - \ell| < \varepsilon)}$$
(1)

```
\begin{align}
\lim_{x\rightarrow p} f(x) = \ell
    &\Leftrightarrow
f(x) \xrightarrow[x\rightarrow p]{} \ell \\
    &\Leftrightarrow\begin{multlined}[t]
\forall\varepsilon>0,\;\exists\delta>0,\;\forall x\in I,\\
    (|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon)
    \end{multlined}
\end{align}</pre>
```

$$\lim_{x \to p} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to p]{} \ell$$

$$\Leftrightarrow \forall \varepsilon > 0, \ \exists \delta > 0, \ \forall x \in I,$$

$$(|x - p| < \delta \Rightarrow |f(x) - \ell| < \varepsilon)$$
(1)

```
\begin{align}
\lim_{x\rightarrow p} f(x) = \ell
    &\Leftrightarrow
f(x) \xrightarrow[x\rightarrow p]{} \ell \\
    &\Leftrightarrow
\forall\varepsilon>0,\;\exists\delta>0,\;\forall x\in I,\\
    &\phantom{{} \Leftrightarrow {}}\qquad
    (|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon)
\end{align}</pre>
```

$$\lim_{x \to p} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to p]{} \ell \tag{1}$$

$$\Leftrightarrow \forall \varepsilon > 0, \ \exists \delta > 0, \ \forall x \in I, \tag{2}$$

$$(|x - p| < \delta \Rightarrow |f(x) - \ell| < \varepsilon) \tag{3}$$

```
\begin{equation}
\begin{aligned}
\lim_{x\to y} f(x) = \ell
  &\Leftrightarrow
f(x) \xrightarrow[x\rightarrow p]{} \ell \\
  &\Leftrightarrow
\forall\varepsilon>0,\;\exists\delta>0,\;\forall x\in I,\\
  &\phantom{{} \Leftrightarrow {}}\qquad
  (|x-p|<\delta \Rightarrow |f(x) - \ell|<\varepsilon)
\end{aligned}
\end{equation}
       \lim_{x \to p} f(x) = \ell \Leftrightarrow f(x) \xrightarrow[x \to n]{} \ell
                                                                   (1)
                      \Leftrightarrow \forall \varepsilon > 0, \ \exists \delta > 0, \ \forall x \in I.
```

 $(|x-p|<\delta\Rightarrow |f(x)-\ell|<\varepsilon)$ 

#### **Equation environments**

Outer Mostly inner Exclusively inner environment environment environment

equation\* multline[b|t]\* aligned[b|t]
align\* split gathered[b|t]
xxalignat\* alignedat[b|t]
gather\*

# Equation environments

| Outer<br>environment        | Mostly inner environment        | Exclusively inner environment                        |  |
|-----------------------------|---------------------------------|--|--|
| equation* align* xxalignat* | <pre>multline[b t]* split</pre> | <pre>aligned[b t] gathered[b t] alignedat[b t]</pre> |  |
| gather*                     |                                 |  |  |

And many more within the  ${\tt mathtools}$  package...

$$\sum_{\substack{1 \le i \le m \\ 1 \le j \le n}} x_i y_j = \sum_{i=1}^m \sum_{j=1}^n x_i y_j$$

$$= \left(\sum_{i=1}^m x_i\right) \cdot \left(\sum_{j=1}^n y_j\right)$$
(2)

```
\begin{equation}
  \sum_i=1^m\sum_j=1^n x_i y_j
\end{equation}
```

$$\sum_{i} = 1^m \sum_{j} = 1^n x_i y_j \tag{2}$$

```
\begin{equation}
  \sum_{i=1}^m\sum_{j=1}^n x_i y_j
\end{equation}
```

$$\sum_{i=1}^{m} \sum_{j=1}^{n} x_i y_j \tag{2}$$

# Big operators

| \sum      | $\sum$    | \prod      | $\prod$   | \coprod   | $\prod$            |
|-----------|-----------|------------|-----------|-----------|--------------------|
| \bigoplus | $\oplus$  | \bigotimes | $\otimes$ | \bigodot  | $\odot$            |
| \bigcup   | $\bigcup$ | \bigcap    | $\cap$    | \biguplus | +                  |
| \bigsqcup |           | \bigvee    | $\bigvee$ | \bigwedge | $\wedge$           |
| \int      | $\int$    | \oint      | $\oint$   | \iint     | $\iint$            |
| \iiint    | $\iiint$  | \iiiint    |           | \idotsint | $\int \cdots \int$ |

```
\begin{equation}
\sum_{1\leq i\leq m,\;1\leq j\leq n}
= \sum_{i=1}^m\sum_{j=1}^n x_i y_j
\end{equation}
```

$$\sum_{1 \le i \le m, \ 1 \le j \le n} = \sum_{i=1}^{m} \sum_{j=1}^{n} x_i y_j \tag{2}$$

```
\begin{equation}
\sum_{1\leq i\leq m,\;1\leq j\leq n}
= \sum_{i=1}^m\sum_{j=1}^n x_i y_j
\end{equation}
```

$$\sum_{1 \le i \le m, \ 1 \le j \le n} = \sum_{i=1}^{m} \sum_{j=1}^{n} x_i y_j \tag{2}$$

# Inequalities

|          |            | \neq | $\neq$              |        |   |
|----------|------------|------|---------------------|--------|---|
| \geq     | $\geq$     | \gg  | <b>&gt;&gt;</b>     | \ngeq  | ≱ |
| \leq     | <u>≤</u>   | \11  | «                   | \nleq  | ≰ |
| \lesssim | $\lesssim$ | \111 | <b>**</b>           | \nless | ≮ |
| \gtrsim  | $\gtrsim$  | \ggg | <b>&gt;&gt;&gt;</b> | \ngtr  | * |

```
\begin{equation}
  \sum_{1\leq i\leq m,\;1\leq j\leq n}
  = \sum_{i=1}^m\sum_{j=1}^n x_i y_j
\end{equation}
```

$$\sum_{1 \le i \le m, \ 1 \le j \le n} = \sum_{i=1}^{m} \sum_{j=1}^{n} x_i y_j \tag{2}$$

```
\begin{equation}
  \sum_{\substack{1\leq i\leq m\\1\leq j\leq n}}
  = \sum_{i=1}^m\sum_{j=1}^n x_i y_j
\end{equation}
```

$$\sum_{\substack{1 \le i \le m \\ 1 \le j \le n}} = \sum_{i=1}^m \sum_{j=1}^n x_i y_j \tag{2}$$

```
\begin{equation}
  \begin{aligned}
    \sum_{\substack{1\leq i\leq m\\1\leq j\leq n}}
    & = \sum_{i=1}^m\sum_{j=1}^n x_i y_j \\
    & = (\sum_{i=1}^m x_i)(\sum_{j=1}^n y_j)
  \end{aligned}
\end{equation}
```

$$\sum_{\substack{1 \le i \le m \\ 1 \le j \le n}} = \sum_{i=1}^{m} \sum_{j=1}^{n} x_i y_j$$

$$= (\sum_{i=1}^{m} x_i) (\sum_{i=1}^{n} y_j)$$
(2)

```
\begin{equation}
  \begin{aligned}
    \sum_{\substack{1\leq i\leq m\\1\leq j\leq n}}
    & = \sum_{i=1}^m\sum_{j=1}^n x_i y_j \\
    & = (\sum_{i=1}^m x_i)(\sum_{j=1}^n y_j)
  \end{aligned}
\end{equation}
```

$$\sum_{\substack{1 \le i \le m \\ 1 \le j \le n}} = \sum_{i=1}^{m} \sum_{j=1}^{n} x_i y_j$$

$$= (\sum_{i=1}^{m} x_i) (\sum_{i=1}^{n} y_j)$$
(2)

#### Delimiters size

```
\big(
                  \big)
 \Big(
                  \Big)
\bigg(
                 \bigg)
\Bigg(
                 \Bigg)
\left(
                \right)
                                 variable size
```

#### **Delimiters**

```
\{
\langle
                \rangle
\lfloor
                \rfloor
\lceil
                \rceil
\left.
                \right.
                                balancing
```

```
\begin{equation}
  \begin{aligned}
     \sum_{\sum_{i=0}^{n}} \sum_{i=0}^{n} i\leq m/1\leq j\leq n}
     & = \sum_{i=1}^m\sum_{j=1}^n x_i y_j \
& = \left(\sum_{i=1}^m x_i\right)
          \left(\sum {j=1}^n y j\right)
  \end{aligned}
\end{equation}
                    \sum_{1 \le i \le m} = \sum_{i=1} \sum_{j=1} x_i y_j
                                                                        (2)
                           =\left(\sum_{i=1}^{m}x_i\right)\left(\sum_{i=1}^{n}y_i\right)
```

## Let's continue with the second equation

```
\begin{equation}
   \begin{aligned}
     \sum_{\sum_{i=0}^{n}} \sum_{i=0}^{n} i\leq m/1\leq j\leq n}
     & = \sum_{i=1}^m\sum_{j=1}^n x_i y_j \
\& = \left(\sum_{i=1}^m x_i\right) \cdot dot
           \left(\sum {j=1}^n y j\right)
   \end{aligned}
\end{equation}
                    \sum_{1 \le i \le m} = \sum_{i=1} \sum_{j=1} x_i y_j
                                                                          (2)
                           = \left(\sum_{i=1}^{m} x_i\right) \cdot \left(\sum_{i=1}^{n} y_i\right)
```

▶ By using a static size, with \Big, \bigg, etc.

- ▶ By using a static size, with \Big, \bigg, etc.
- ▶ With \vphantom{...}.

\left(\vphantom{\sum\_j^n}\sum\_{i=1}^m x\_i\right)\cdot
\left(\sum\_{j=1}^n y\_j\right)

$$\left(\sum_{i=1}^{m} x_i\right) \cdot \left(\sum_{j=1}^{n} y_j\right)$$

- ▶ By using a static size, with \Big, \bigg, etc.
- ▶ With \vphantom{...}.
- ▶ By defining new delimiters.

```
\label{limiterXparprod} $$ \left( \left\{ \right\} \right) $$ {\#1\delimsize}_{\colored{harmonics}} \colored{harmonics} $$ \left( \left\{ \right\} \right) $$ \parprod* {\sum_{i=1}^m x_i} {\sum_{j=1}^n y_j} $$ $$ \left( \sum_{j=1}^n y_j \right) $$ $$ $$ $$
```

- ▶ By using a static size, with \Big, \bigg, etc.
- ▶ With \vphantom{...}.
- ▶ By defining new delimiters.

#### Other use of this solution

```
\DeclarePairedDelimiterX\brakket[3]{\langle}{\rangle}
{#1\,\delimsize|\,#2\,\delimsize|\,#3}
```

 $\[ \left[ Big]{B}{\sum_k \right]} \$ 

$$\langle B \mid \sum_{k} \varphi_{k} \mid C \rangle$$

#### Other use of this solution

```
\DeclarePairedDelimiter\abs{|}{|}
\[ \abs*{\frac12} \]
```

## I think we're over with equation 2

```
\DeclarePairedDelimiterX\parprod[2]
  \{(\}, \{)\}
  {#1\delimsize){}\cdot{}\delimsize(#2}
\begin{equation}
  \begin{aligned}
     \sum_{\sum_{i=0}^{n}} \sum_{i=0}^{n} i\leq m/1\leq j\leq n}
     & = \sum_{i=1}^m\sum_{j=1}^n x_i y_j \\
     \& = \frac{i=1}^m x_i!}{\sum_{j=1}^n y_j!}
  \end{aligned}
\end{equation}
                   \sum_{1 \le i \le m} = \sum_{i=1}^{n} \sum_{j=1}^{n} x_i y_j
                                                                     (2)
                          = \left(\sum_{i=1}^{m} x_i\right) \cdot \left(\sum_{j=1}^{n} y_j\right)
```

$$\int_{-\int_{-}^{+\int_{-}^{+}} dx} dx$$

$$\int_{-\infty}^{+\infty} \cos x^2 dx$$

 $\int_{-\int_{-\infty}^{+\int_{-\infty}^{+\infty}} \cos x^2 \operatorname{d}x}$ 

$$\int_{-\infty}^{+\infty} \cos x^2 \mathrm{d}x$$

#### Math fonts

```
ABCabc123
\mathrm
           ABCabc123
\mathit
           ABCabc123
\mathbf
           ABCabc123
\mathsf
           ABCabc123
\mathtt
           ABCabc123
\mathcal
           ABC
           ABC
\mathbb
\mathfrak
           ABCabc123
                      \usepackage[mathscr]{euscript}
\mathscr
           .A.B.C.
\mathscr
           A BC
                      \usepackage{mathrsfs}
```

$$\int_{-\int_{-\infty}^{+\infty} \cos x^2 \mathrm{d}x}$$

$$\int_{-\infty}^{+\infty} \cos x^2 \mathrm{d}x$$

$$\int_{-\int_{-\infty}^{+\int_{-\infty}^{+\infty}} \cos x^2 \, \$$

$$\int_{-\infty}^{+\infty} \cos x^2 \, \mathrm{d}x$$

$$\int_{-\infty}^{+\infty} \cos x^2 \, \mathrm{d}x$$

```
\newcommand\ud{\,\mathrm{d}}
\int_{\mathrlap{-\infty}}^{\mathrlap{+\infty}}
\cos x^2 \ud x
```

$$\int_{-\infty}^{+\infty} \cos x^2 \, \mathrm{d}x$$

```
\newcommand\ud{\,\mathrm{d}}
\int_{\mathrlap{-\infty}}^{\mathrlap{+\infty}}
\cos x^2 \ud x
= \sqrt{\frac{\pi}{2}}
```

$$\int_{-\infty}^{+\infty} \cos x^2 \, \mathrm{d}x = \sqrt{\frac{\pi}{2}}$$

```
\begin{equation}
\newcommand\ud{\,\mathrm{d}}
\int_{\mathrlap{-\infty}}^{\mathrlap{+\infty}}
\cos x^2 \ud x
= \sqrt{\frac{\pi}{2}}
\end{equation}
```

$$\int_{-\infty}^{+\infty} \cos x^2 \, \mathrm{d}x = \sqrt{\frac{\pi}{2}} \tag{3}$$

What haven't we seen yet?

# What haven't we seen yet?

$$A = \begin{pmatrix} 0 & -1 & -2 & \cdots & -20 \\ 1 & 0 & -1 & \cdots & -19 \\ \vdots & \vdots & \ddots & \ddots & \vdots \\ 19 & 18 & 17 & \ddots & -1 \\ 20 & 19 & 18 & \cdots & 0 \end{pmatrix}$$

### Section 6

Arrays

```
A = \begin{matrix}
    0 & -1 & -2 \\
    1 & 0 & -1 \\
    2 & 1 & 0 \\
\end{matrix}
```

$$A = \begin{matrix} 0 & -1 & -2 \\ 1 & 0 & -1 \\ 2 & 1 & 0 \end{matrix}$$

```
A = \left(\begin{matrix}
    0 & -1 & -2 \\
    1 & 0 & -1 \\
    2 & 1 & 0 \\
\end{matrix}\right)
```

$$A = \begin{pmatrix} 0 & -1 & -2 \\ 1 & 0 & -1 \\ 2 & 1 & 0 \end{pmatrix}$$

```
A = \begin{pmatrix}
    0 & -1 & -2 \\
    1 & 0 & -1 \\
    2 & 1 & 0 \\
\end{pmatrix}
```

$$A = \begin{pmatrix} 0 & -1 & -2 \\ 1 & 0 & -1 \\ 2 & 1 & 0 \end{pmatrix}$$

#### Matrix environments

```
\begin{xmatrix}a&b\\c&d\end{xmatrix}
       matrix
      pmatrix
      bmatrix
      Bmatrix
      vmatrix
      Vmatrix
```

```
A = \begin{pmatrix}
    0 & -1 & -2 & \cdots & -20 \\
    1 & 0 & -1 & \cdots & -19 \\
    \vdots & \vdots & \ddots & \ddots & \vdots \\
    19 & 18 & 17 & \ddots & -1 \\
    20 & 19 & 18 & \cdots & 0
\end{pmatrix}
```

$$A = \begin{pmatrix} 0 & -1 & -2 & \cdots & -20 \\ 1 & 0 & -1 & \cdots & -20 \\ \vdots & \vdots & \ddots & \ddots & \vdots \\ 19 & 18 & 17 & \ddots & -1 \\ 20 & 19 & 18 & \cdots & 0 \end{pmatrix}$$

#### Dots

$$\begin{array}{lll} \verb+ ldots & A,B,\dots,\Omega \\ \verb+ ldots & A+B+\dots+\Omega \\ \verb+ ldots & \vdots & \\ \verb+ ldots & \ddots & \\ \verb+ ldotsfor{n} & \begin{bmatrix} A & B & \cdots & \Omega \\ A & \dots & \Omega \end{bmatrix} \end{array}$$

### Semantic Dots

| \dotsc | commas           | $A,B,\ldots,\Omega$                  |
|--------|------------------|--------------------------------------|
| \dotsb | binary operators | $A+B+\cdots+\Omega$                  |
| \dotsm | multiplication   | $AB\cdots\Omega$                     |
| \dotsi | integrals        | $\int_A \int_B \cdots \int_{\Omega}$ |
| \dotso | "other"          |                                      |

### Semantic Dots

| \dotsc | commas           | $A, B, \dots, \Omega$             |
|--------|------------------|-----------------------------------|
| \dotsb | binary operators | $A+B+\cdots+\Omega$               |
| \dotsm | multiplication   | $AB\cdots\Omega$                  |
| \dotsi | integrals        | $\int_A \int_B \dots \int_\Omega$ |
| \dotso | "other"          | please avoid                      |
|        |                  |                                   |

Better: \let\dotsx\xdots

## Matrices, a special case of array

```
\begin{cases} monday = 1 \\ \vdots \\ wednesday = 3 \\ \vdots \\ sunday = 7 \end{cases}
```

## Matrices, a special case of array

```
\begin{cases} monday = 1 \\ \vdots \\ wednesday = 3 \\ \vdots \\ sunday = 7 \end{cases}
```

#### Cases

```
h(x) = \left\{\begin{array}{rl}
    f(x) & when x<0 \\
    g(x) & otherwise
    \end{array}\right.</pre>
```

$$h(x) = \begin{cases} f(x) & when x < 0 \\ g(x) & otherwise \end{cases}$$

#### Cases

```
h(x) = \left\{\begin{array}{rl}
    f(x) & \text{when } x<0 \\
    g(x) & \text{otherwise}
    \end{array}\right.</pre>
```

$$h(x) = \begin{cases} f(x) & \text{when } x < 0 \\ g(x) & \text{otherwise} \end{cases}$$

#### Cases

```
h(x) = \begin{dcases*}
    f(x) & when $x<0$ \\
    g(x) & otherwise
    \end{dcases*}</pre>
```

$$h(x) = \begin{cases} f(x) & \text{when } x < 0\\ g(x) & \text{otherwise} \end{cases}$$

And outside math mode?

#### The tabular environment I

```
\usepackage{array}
\newcolumntype\{L\}\{>\{\$\}\}
\newcolumntype{C}{>{\$}c<{\$}}
\newcolumntype{R}{>{$}r<{$}}
\begin{tabular}{L|1!{$\rightarrow$}R@{,}L}
 \text{id} & fruit & \multicolumn{2}{c}{price} \\ \hline
 1 & apple & 1 & 2 \\
 2 & banana & 3 & 4 \\
 345 & pear & 5 & 63 \\
     & pineapple & 13 & 37 \\
\end{tabular}
```

### The tabular environment II

| id  | fruit     | $\rightarrow$ | price |
|-----|-----------|---------------|-------|
| 1   | apple     | $\rightarrow$ | 1,2   |
| 2   | banana    | $\rightarrow$ | 3,4   |
| 345 | pear      | $\rightarrow$ | 5,63  |
| 42  | pineapple | $\rightarrow$ | 13,37 |

#### The tabular environment I

```
\usepackage{array}
\newcolumntype\{L\}{>\{\$\}}1<{\$\}}
\newcolumntype{C}{>{$}c<{$}}
\newcolumntype{R}{>{\$}r<{\$}}
\begin{tabular}{L|1!{$\rightarrow$}R@{,}L}
 \text{id} & fruit & \multicolumn{2}{c}{price} \\ \hline
     & apple & 1 & 2 \\
 2 & banana & 3 & 4 \\
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\end{tabular}
```

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\newcolumntype\{L\}\{>\{\$\}\}
\newcolumntype{C}{>{\$}c<{\$}}
\newcolumntype{R}{>{$}r<{$}}
\begin{tabular}{L|1!{$\rightarrow$}R0{,}L}
 \text{id} & fruit & \multicolumn{2}{c}{price} \\ \hline
     & apple & 1 & 2 \\
 2 & banana & 3 & 4 \\
 345 & pear & 5 & 63 \\
     & pineapple & 13 & 37 \\
\end{tabular}
```

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|-----|-----------|---------------|-------|
| 1   | apple     | $\rightarrow$ | 1,2   |
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     & apple & 1 & 2 \\
 2 & banana & 3 & 4 \\
 345 & pear & 5 & 63 \\
     & pineapple & 13 & 37 \\
\end{tabular}
```

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 2 & banana & 3 & 4 \\
 345 & pear & 5 & 63 \\
     & pineapple & 13 & 37 \\
\end{tabular}
```

### The tabular environment II

| id  | fruit     | $\rightarrow$ | price |
|-----|-----------|---------------|-------|
| 1   | apple     | $\rightarrow$ | 1,2   |
| 2   | banana    | $\rightarrow$ | 3,4   |
| 345 | pear      | $\rightarrow$ | 5,63  |
| 42  | pineapple | $\rightarrow$ | 13,37 |

# It's over for today, and next week?

- use colors
- import pictures
- draw pictures

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