

LESSON 3: DATA VISUALIZATION

Content

- 1. Static chart
- 2. Pixel-based visualization
- 3. Visualization in vector space
- 4. Super sphere tree
- 5. SOM



Static chart 1.1 Attributes

- Data objects represent entities in the data (e.g. customers, products, transactions)
- Data objects are also known as samples, examples, or data points
- An attribute is a data field that represents a property or features of the data
- Attributes are also known as dimensions, features, or variables



- The values of a given attribute are called observations
- The set of attributes that describe a given object is called an attribute vector (or feature vector).
- The attribute type is determined by the set of attribute values

Nominal attribute

- Valuable as symbols or names
- eg: 'hair color' includes 'blue', 'red', 'black', 'white', 'platinum'
- Description of categories, codes, states
- Common value based on mode function



Binary attribute

- The category attribute has only two categories or two states
 - $0 \sim \text{absent}$, $1 \sim \text{exists}$
 - or $0 \sim \text{false}$, $1 \sim \text{true}$
- Symmetrical attributes (e.g. 'gender' includes 'male' and 'female')
- Asymmetric attributes (e.g. 'result' includes 'positive' and 'negative'



Ordinal attribute

- The values follow a certain order
- Example: 'size' includes 'small', 'normal', 'large' and 'oversized'
- Typical value based on mode and median function



Interval attribute

- Use to define values measured along a scale, with each point placed at an equal distance from one another.
- Can compare, calculate the distance between values
- For example: Temperature according to the Celsius scale.

Ratio atribute

- Thuộc tính số có giá trị 0
- Có thể nhân các giá trị với nhau
- VD: Các giá trị đếm và đo đạc:
 - Số lượng
 - Trọng lượng
 - Chiều cao
 - Số tiền
 - **...**



Discrete and Continuous Attributes

- Has only a finite or countably infinite set of values.
- Example:
 - Finite: color, age
 - Countable infinite: Customer ID
- Attribute is continuous if not discrete



1.2 Basic data statistics

- Data Description:
 - Central value
 - Distribution range
 - Visualization based on charts
- Identify outliers



mean

Values have the same role

$$X = \frac{X_1 + X_2 + \dots}{+X_n + X_n}$$

Values with different weights

$$x = \frac{w_1 x_1 + w_2 x_2 + \dots}{+ w_n x_n}$$

 The most common measurement, however sensitive to outliers

median

- The median divides the data into larger and smaller parts; These two parts have the same number of elements
- Calculate the median approximation
 - Group data into ranges of values
 - Calculate the frequency of values in each interval
 - Find the interval containing the median frequency



median

Approximate median by formula:

$$median = L_1 + \begin{bmatrix} N/2 - \\ (\Sigma freq)_1 \\ freq_{media} \end{bmatrix} widt$$

Where:

- L_1 : lower boundary of median
- N: number of value
- $(\Sigma freq)_l$ sum of the frequencies of intervals less than median
- $freq_{median}$: frequency of median range
- width: width of the median range



mode

- The most frequency value in the dataset
- Multimodal: more than one mode
- Set containing only unique values without mode
- Với tập unimodal (one mode)

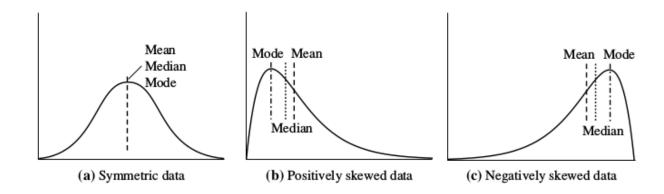
mean - mode ≈ 3 x (mean - median)



midrange

Average of the maximum and minimum values

$$midrange = \frac{max + min}{2}$$



range

 distance between the largest and the smallest value in the set

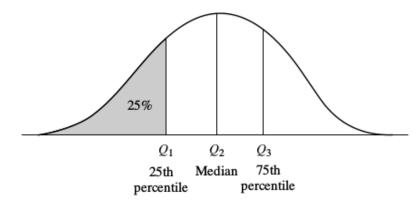
range = max - min



quantile

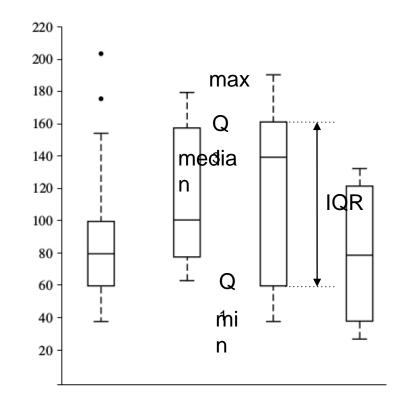
- Quantiles are points that divide data into (nearly) equal parts (with equal number of elements).
 - 2-quantile: a point that divides data into two equal parts ~ median

 - 4-quantile (quartile)100-quantile (percentile)
 - Interquartile range IQR = Q3 -
- Interquartile range $IQR = Q_3$ $-\mathbf{Q}_1$



boxplot

- The box chart includes:
 - Q_1 , Q_3 : the beginning and the end of the box
 - IQR: length of the box
 - Median
 - Min and max values





variance, standard deviation

Variance

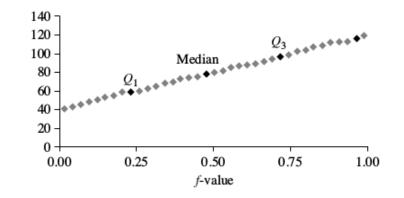
$$\sigma^{2} = \frac{1}{N} \sum_{i=1}^{N} (x_{i} - \bar{x})^{2} = \left(\frac{1}{N} \sum_{i=1}^{N} x_{i}^{2}\right) - \bar{x}^{2},$$

• σ: standard deviation represents the dispersion of the data relative to mean

Quantile chart

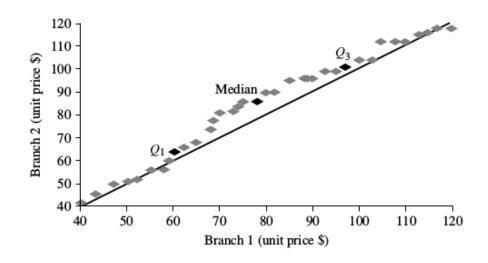
- Sort the values in ascending order $x_1 < x_2 < \dots x_n$
- Frequency f_i corresponding to x_i là is the percentage of data with values below x_i

$$f_i = \frac{i - 0.5}{N}$$



Quantile - quantile chart

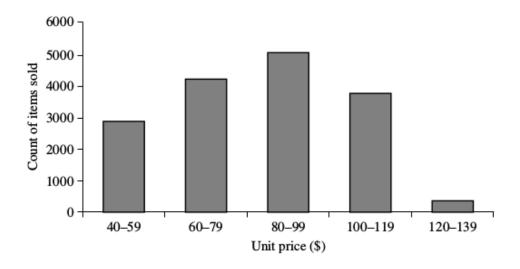
 Show the relationship between quantile values of two univariate distributions





Histogram

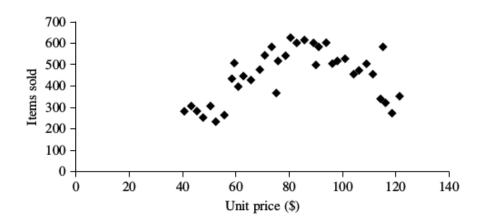
 Values are grouped into equal intervals called buckets.





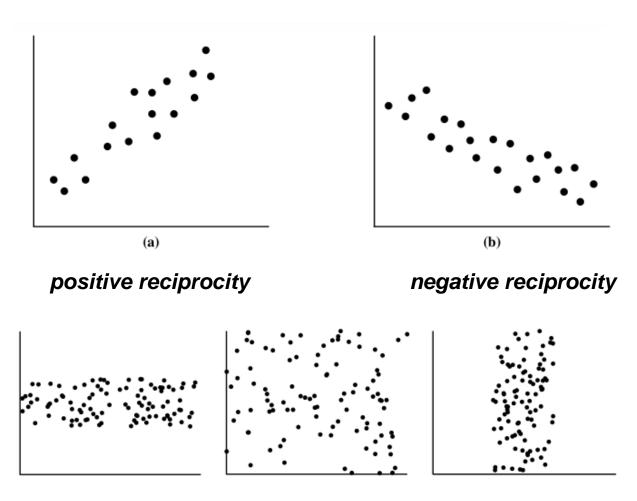
Scatter chart

• Determine the reciprocity between two numeric attributes





Scatter chart (cont.)







2. Pixel based visualization

- The value of a data dimension represented by a pixel with the color corresponding to the value
- Example: Small value corresponds to light color, large value corresponds to dark color
- *m* dimension corresponds to *m* window. A data point with *m* dimensions is represented by *m* pixels at corresponding positions in each window

- Records are usually sorted in a dimension of interest
- Correlation, if any, between the data dimensions is expressed through the color distribution (data values) over the windows



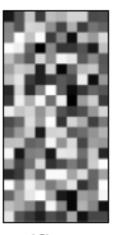




(b) credit_limit



(c) transaction_volume



(**d**) age

3. Visualization in vector space

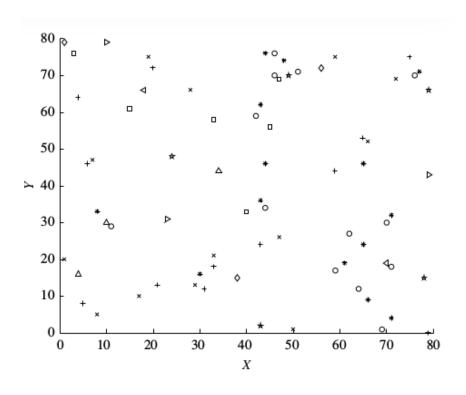
- Pixel-based visualization does not represent the density of data points
- Visualization on vector space based on projection technique to represent multidimensional data in 2D space

Scatter Charts

- How to represent:
 - Two axes X and Y used to represent two-dimensional numbers in Cartesian coordinates
 - The third dimension is represented by different shapes
 - The fourth dimension can be represented by color



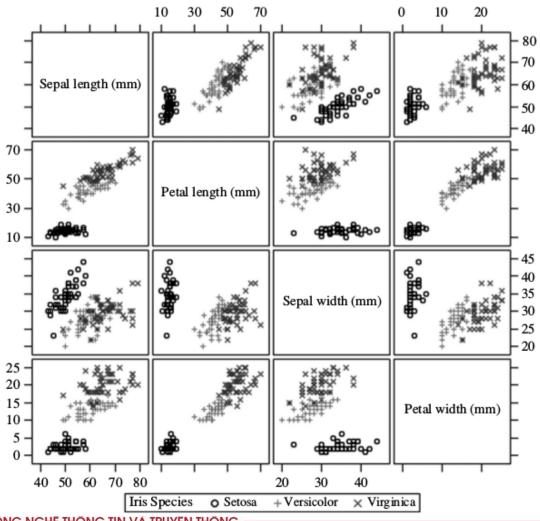
Scatter Chart (cont)



Scatter chart matrix

- Scatter charts can only represent up to 4 dimensions
- For data with more than 4 dimensions, use the scatter plot method
 - Data has m dimensions
 - Use a 2D scatter plot m x m matrix to represent each data dimension with the remaining data dimensions
 - Example: The Iris dataset has 5 dimensions visualized by a 4 x 4 matrix consisting of 24 3D scatter plots

Example: Iris Dataset



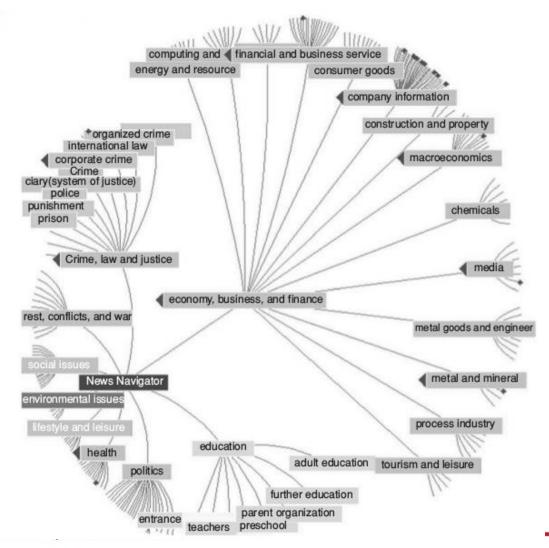


4. Super sphere tree

- Visualize large amounts of data
- Data has a tree structure
- focus on a part of the data, on the other hand still represent the general context of the data
- Fish eye properties:
 - The size of unfocused buttons rapidly decreases when
 - The size of the buttons are focused is rapidly increasing



Example



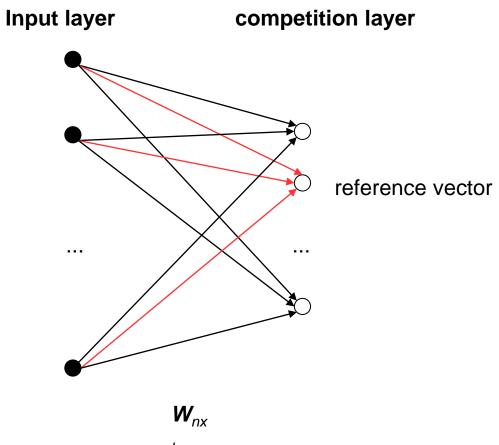


5. SOM (Self Organizing Map)

- SOM learns 2D representation of multidimensional data
- SOM is a feed-forward neural network (2 layers)
 - Input layer receives a signal from the input data, whose dimension is equal to the dimension of the data
 - Competition layer is organized in a certain shape (rectangle, hexagon, etc.) showing the spatial relationship between neurons.
 - Each neuron in competition layer has association weights from the input layer called a reference vector



SOM architecture





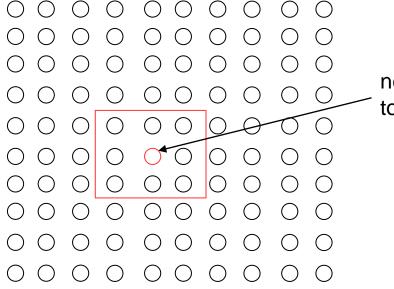
Competitive learning

- For each input x_i , select neuron m_k whose distance to x_i is the smallest
- Distance between x_i and m_k : euclide distance between x_i and reference vector of m_k
- Objective function: Minimize total distance between input and corresponding nearest neuron
- Weight Update: Only update weights of m_k and neighboring neurons



Example: neighboring neurons

Competition layer

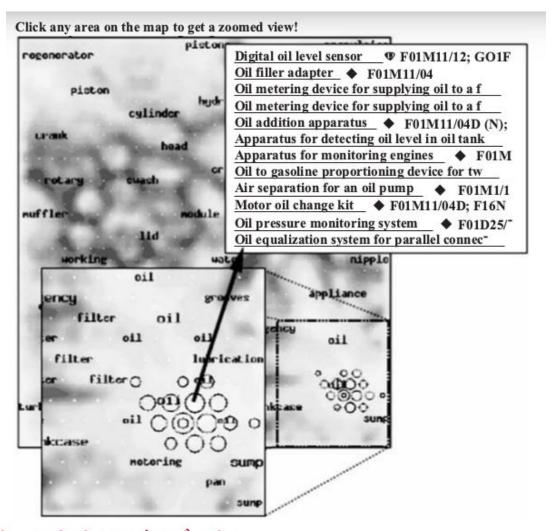


neuron with minimum distance to \mathbf{x}_i

WEBSOM

- Representation of a set of documents on a 2D map
- Texts are represented as bags of words
- After learning, each text group can be represented by specific keywords
- Areas with high density are places where a lot of text is concentrated

WEBSOM







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Thank you for your attentions!

