

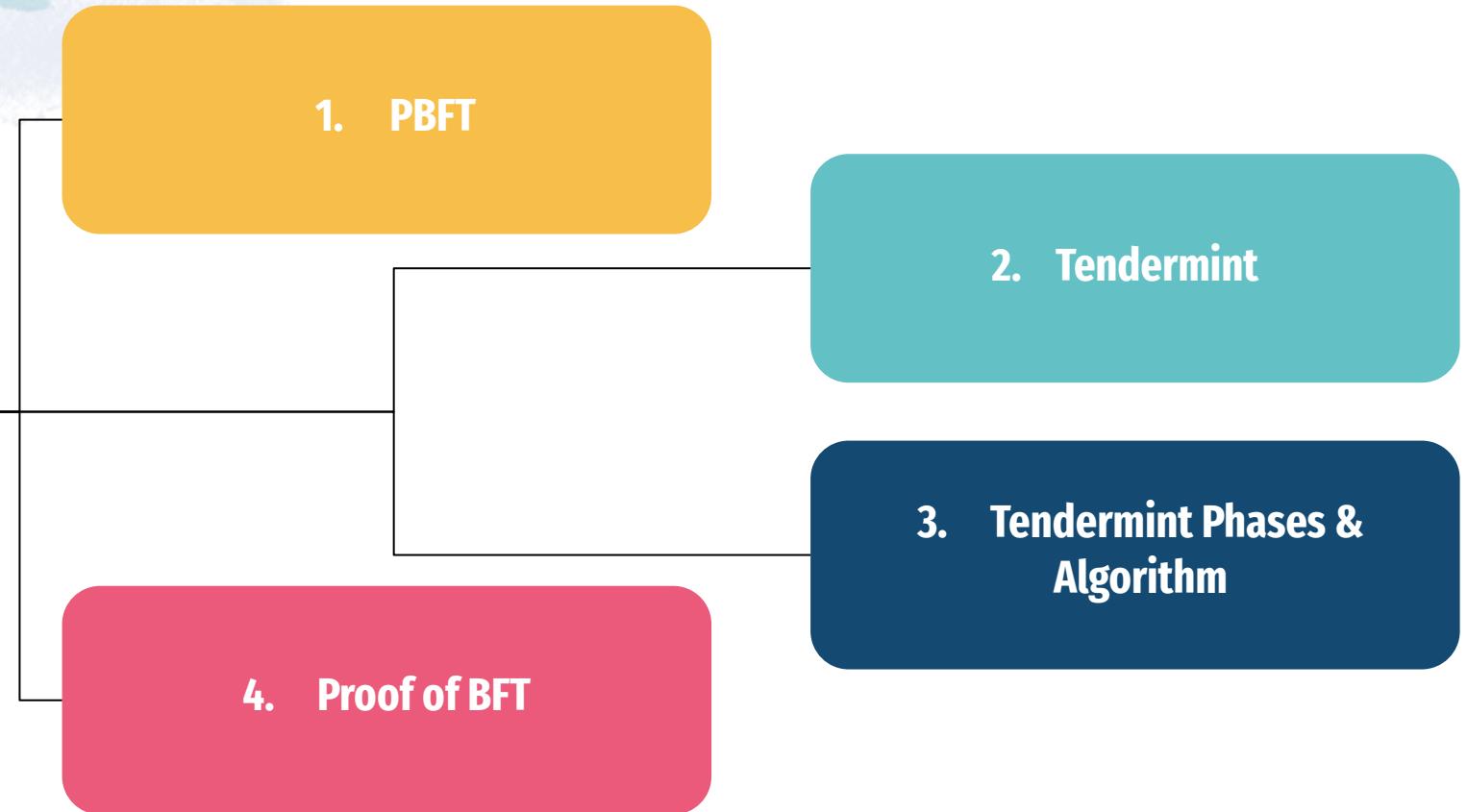
ECS 265

# The latest gossip on BFT consensus [Tendermint]

Ethan Buchman, Jae Kwon and Zarko Milosevic

Presented by : SaiVivek Peddi & Suvi Varshney

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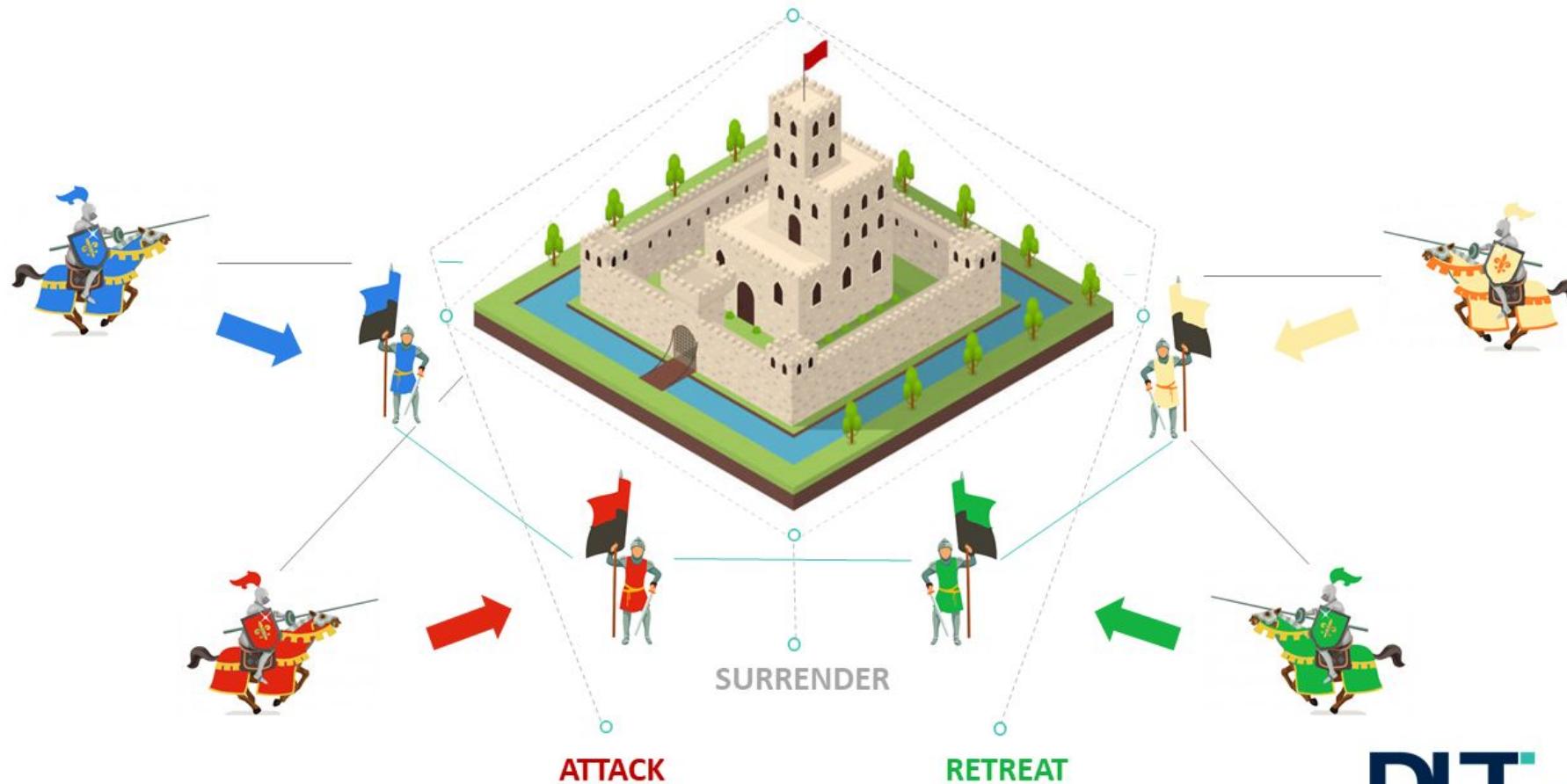


# PBFT

# Questions

- What's Consensus in Synchronous and Asynchronous System?
- What's the difference between Synchronous and Asynchronous System?
- How and where the PBFT originate from?
- Why  $3f + 1$  replicas? Why not  $2f + 1$ ?
- What's the final outcome of PBFT (Abstraction of the Protocol)?
- Why 3 Phases in PBFT? Why not 2 Phases?
- What happens in each phase at a High Level?
- How does the election of primary happen?

# Byzantine Generals' Problem

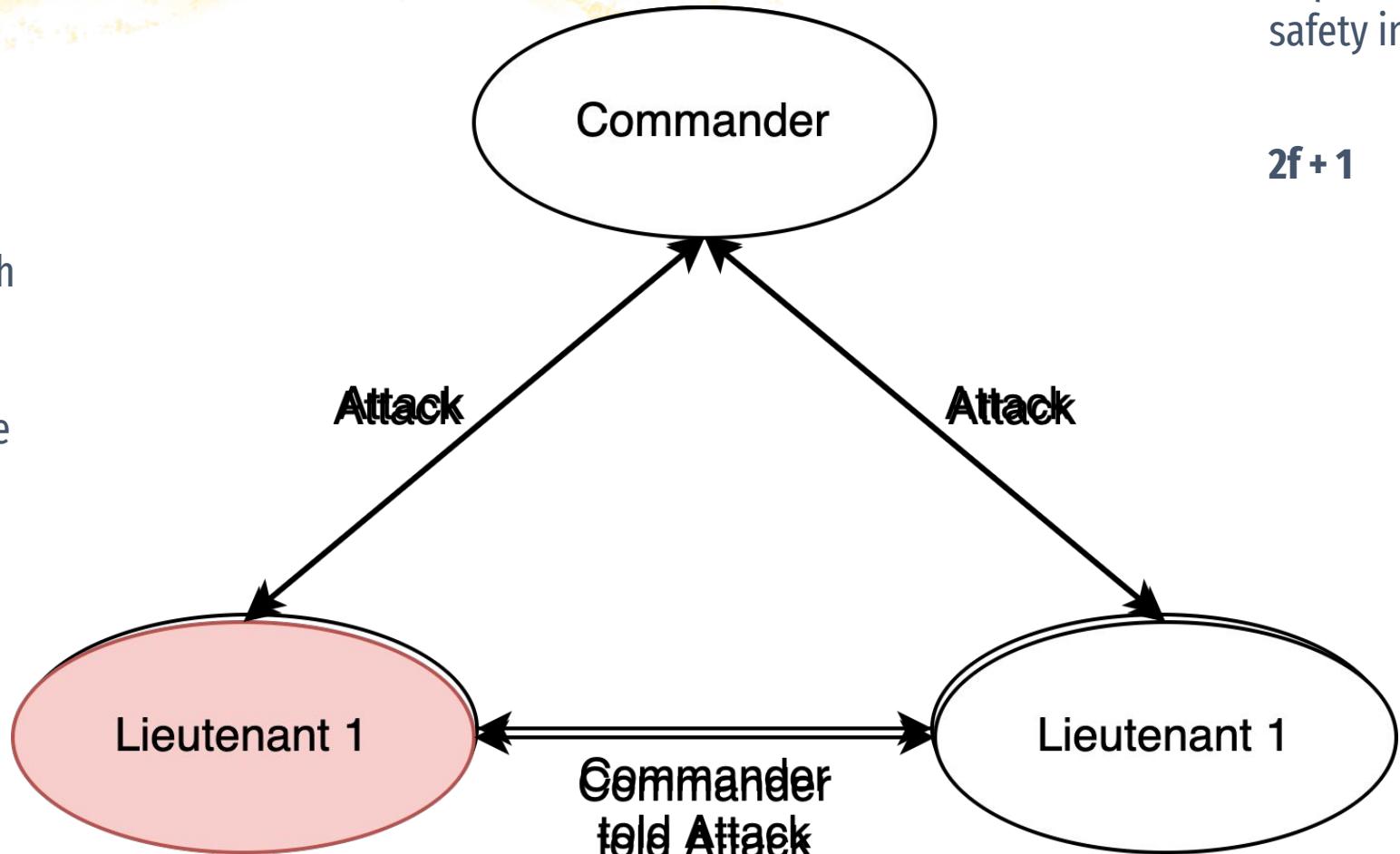


**DLT**  
LABS™

**UCDAVIS**  
COMPUTER SCIENCE

# Scenarios - Sync

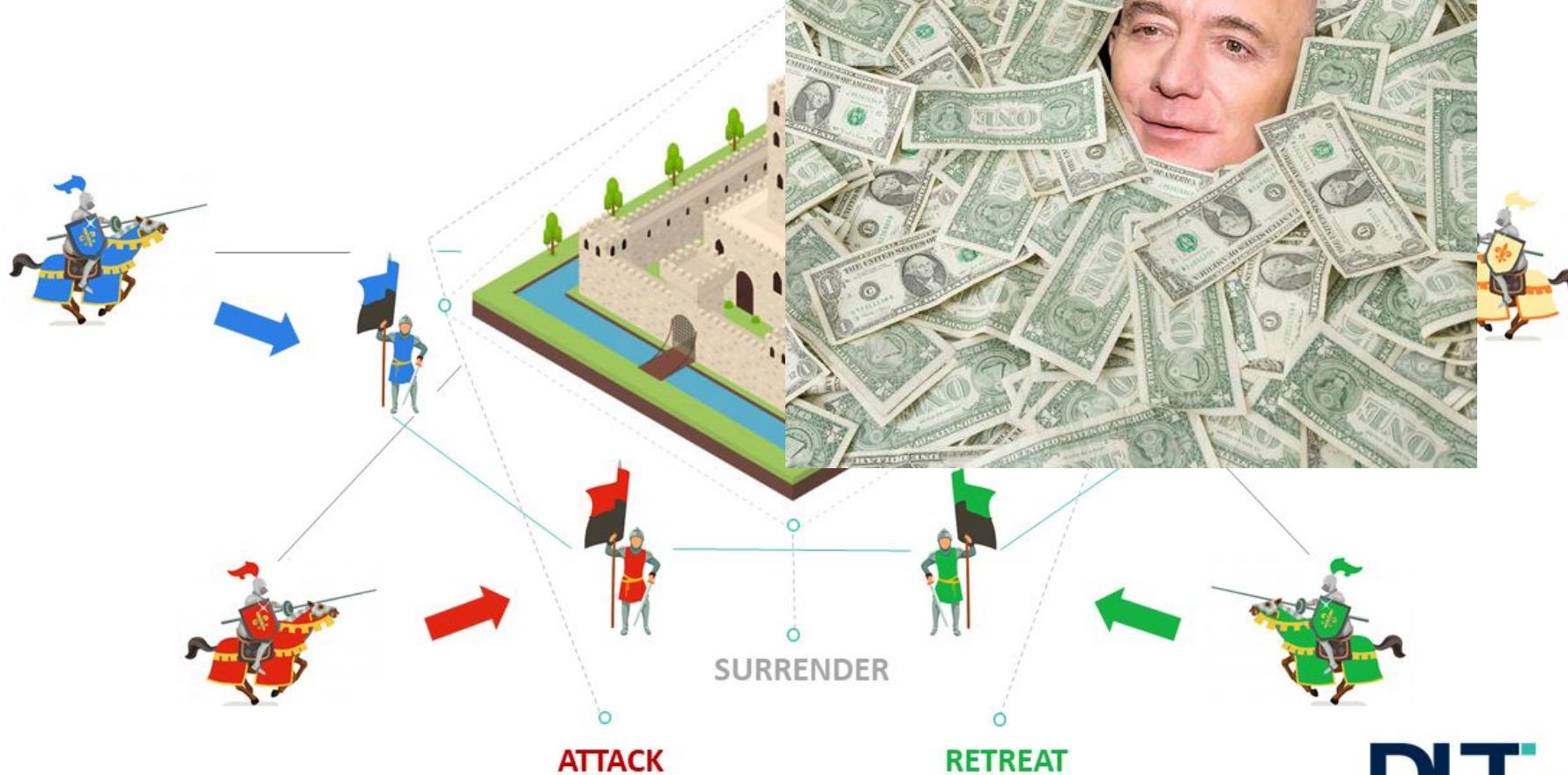
In Sync,  
communication with  
non-faulty is  
guaranteed and  
everyone is genuine



How many replicas are required to ensure safety in case of Sync?

$$2f + 1$$

# Byzantine Generals' Problem



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# Scenarios - Async

Can we reach Consensus  
in either of the cases?

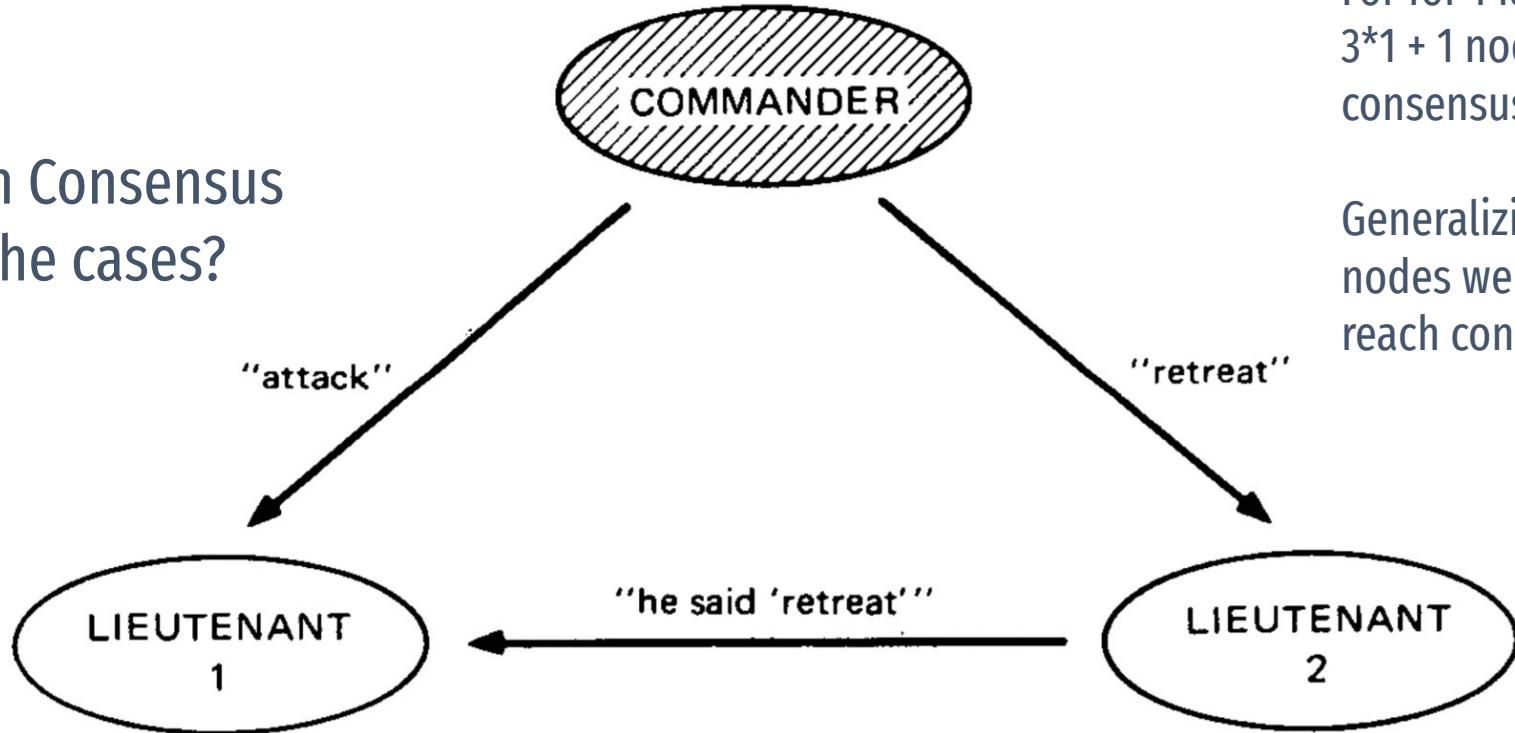


Fig. 2. The commander a traitor.

Consensus possible only if  
there are 4 if there is 1 Faulty  
Node.

For 1 faulty node we need  
 $3*1 + 1$  nodes to reach  
consensus.

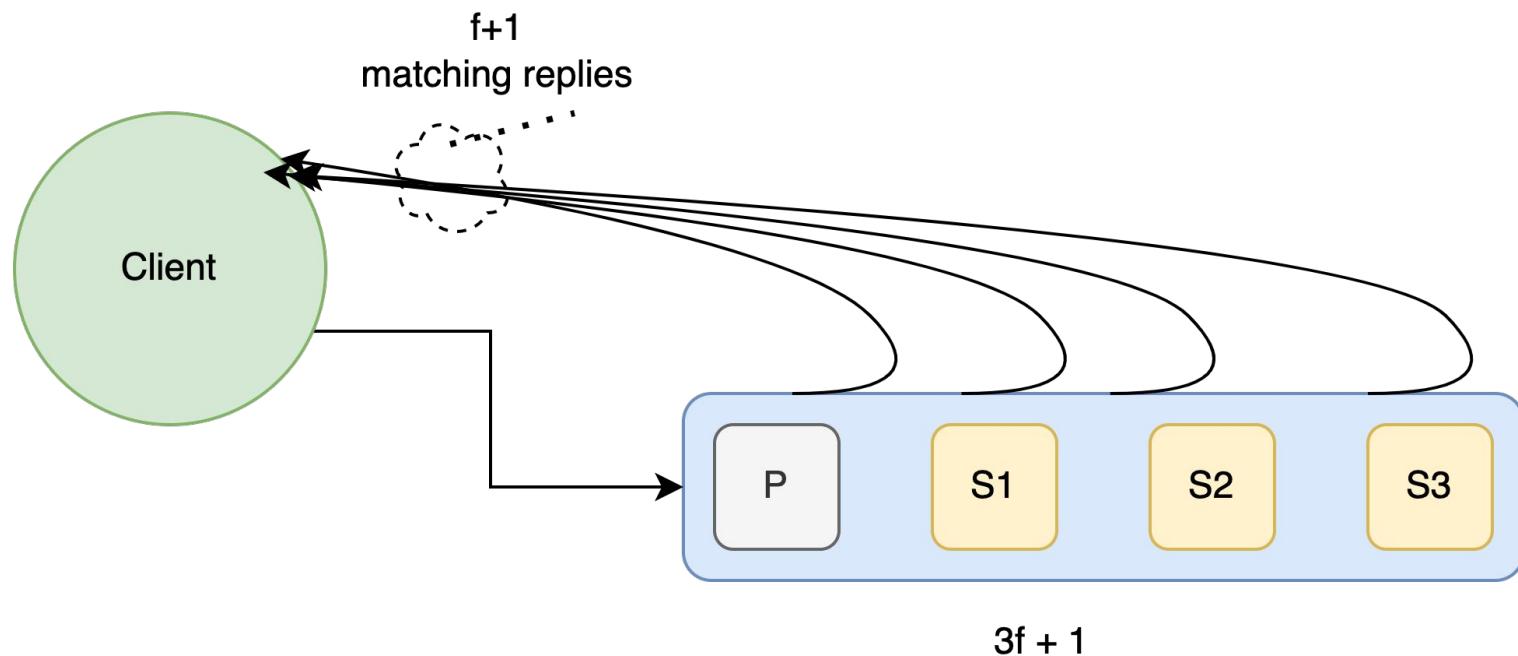
Generalizing this, for  $f$  faulty  
nodes we need  $3*f + 1$  nodes to  
reach consensus

# PBFT

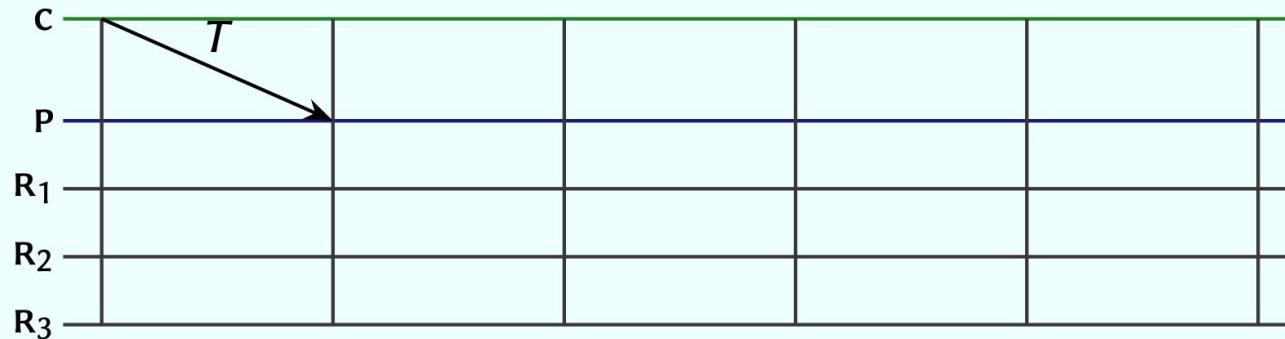
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# PBFT in Abstract

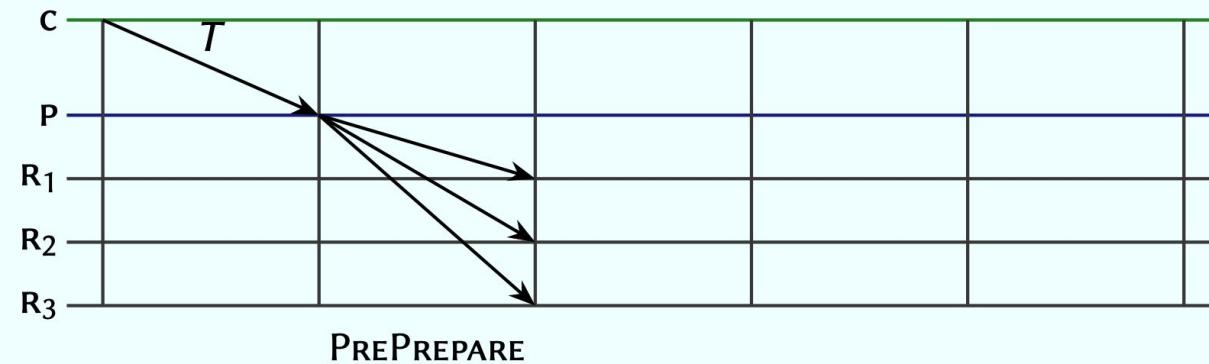


# PBFT in Action



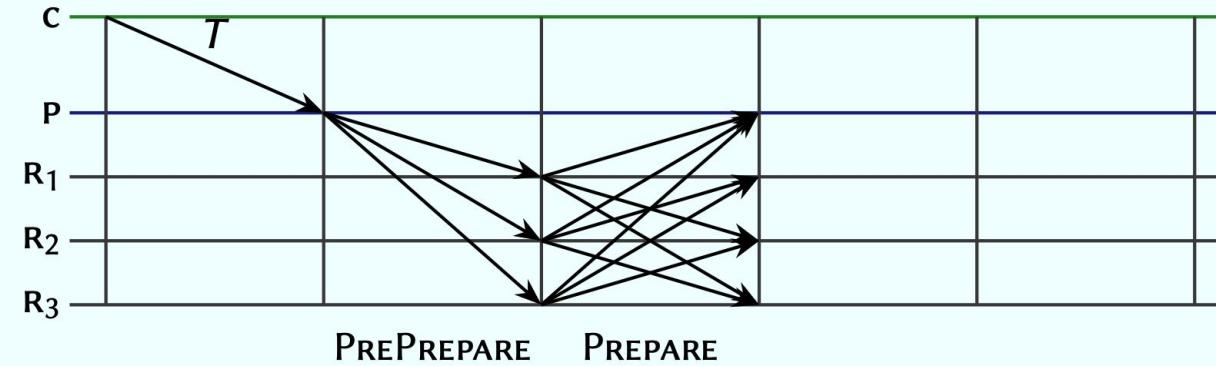
$\langle T \rangle_c$ .

# PBFT in Action



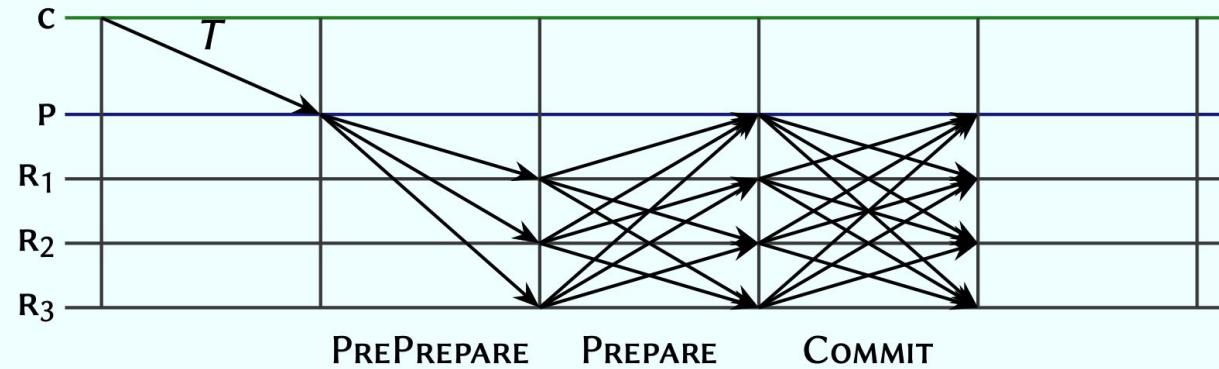
$\text{PREPARE}(\langle T \rangle_c, v, \rho).$

# PBFT in Action



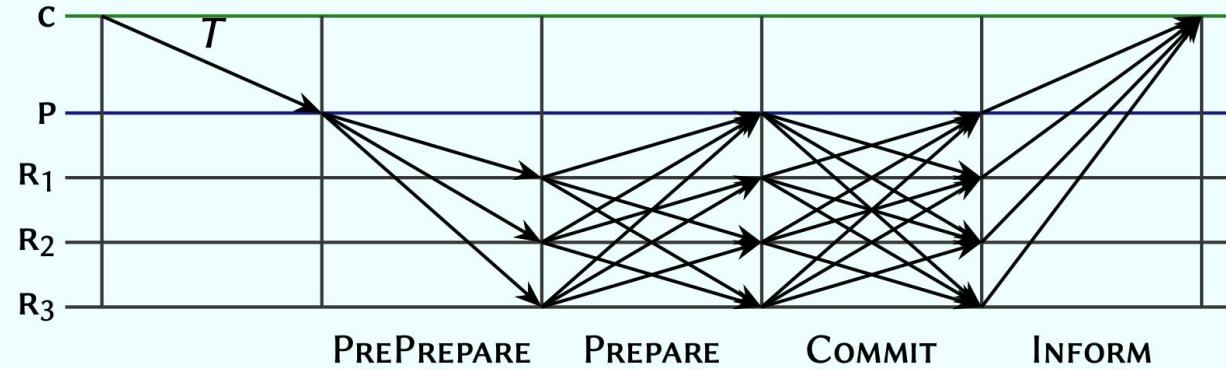
If receive PREPARE message  $m$ :  $\text{PREPARE}(m)$ .

# PBFT in Action



If  $n - f$  identical PREPARE( $m$ ) messages: COMMIT( $m$ ).

# PBFT in Action

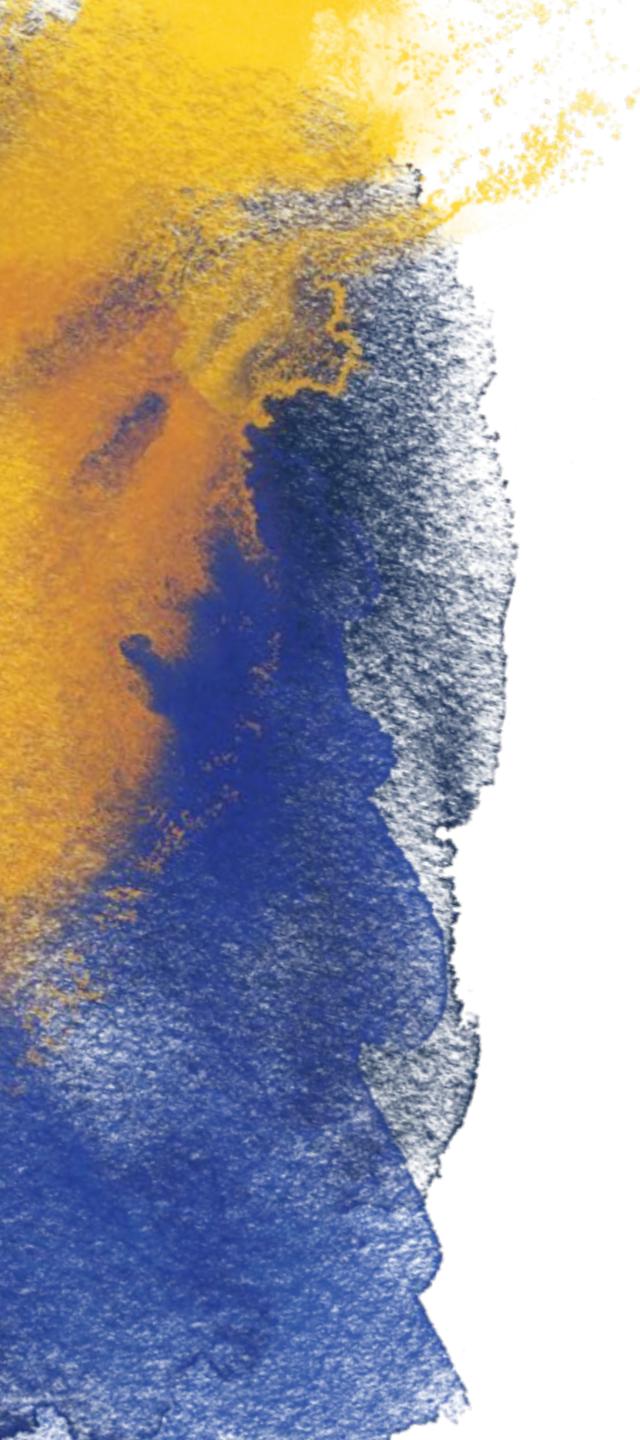


If  $n - f$  identical COMMIT( $m$ ) messages: execute, INFORM( $\langle T \rangle_c, \rho, r$ ).

# PBFT

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# Tendermint

# Terms

- **State Machine Replication**
- Gossip protocol
- Block
- Height of a blockchain
- Round
- Byzantine Fault

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# Terms

- State Machine Replication
- Gossip protocol
- Block
- Height of a blockchain
- Round
- **Byzantine Fault**

# Overview of Tendermint

- What is Tendermint?
  - Byzantine Fault Tolerant Consensus
    - Like PBFT, 3 Phases
    - Rotation proposer
  - Tolerance of failure of upto  $\frac{1}{3}$  nodes/validators.

# Overview of Tendermint

- What is Tendermint?
  - The 3 phases of a single round are:

(Propose -> Pre-vote -> Pre-commit)

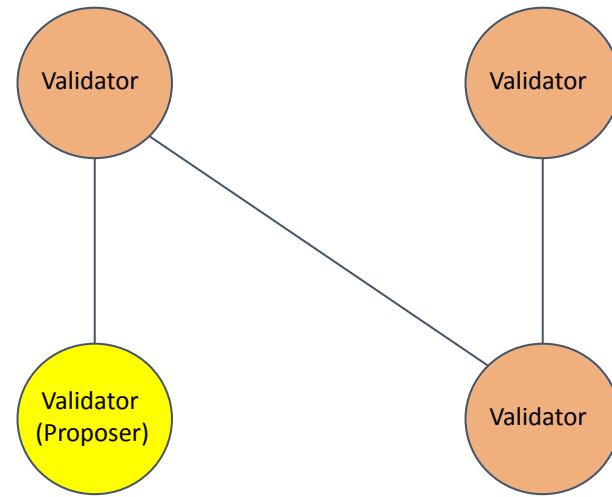
# Overview of Tendermint

- What is Tendermint?
  - The 3 phases of a single round are:

NewHeight -> (Propose -> Pre-vote -> Pre-commit)+ -> Commit -> NewHeight ->...

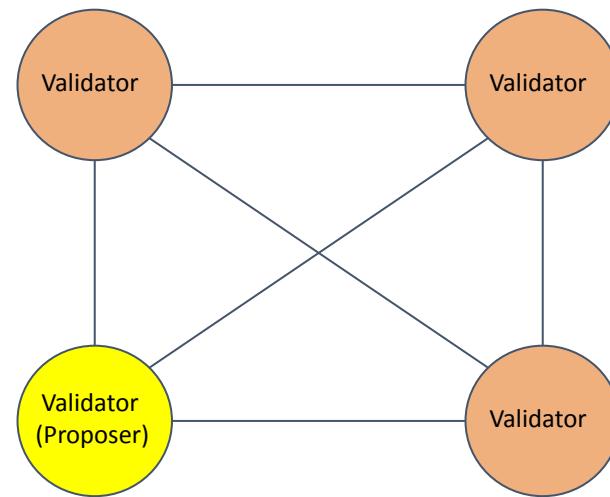
# Overview of Tendermint

- What is Tendermint?



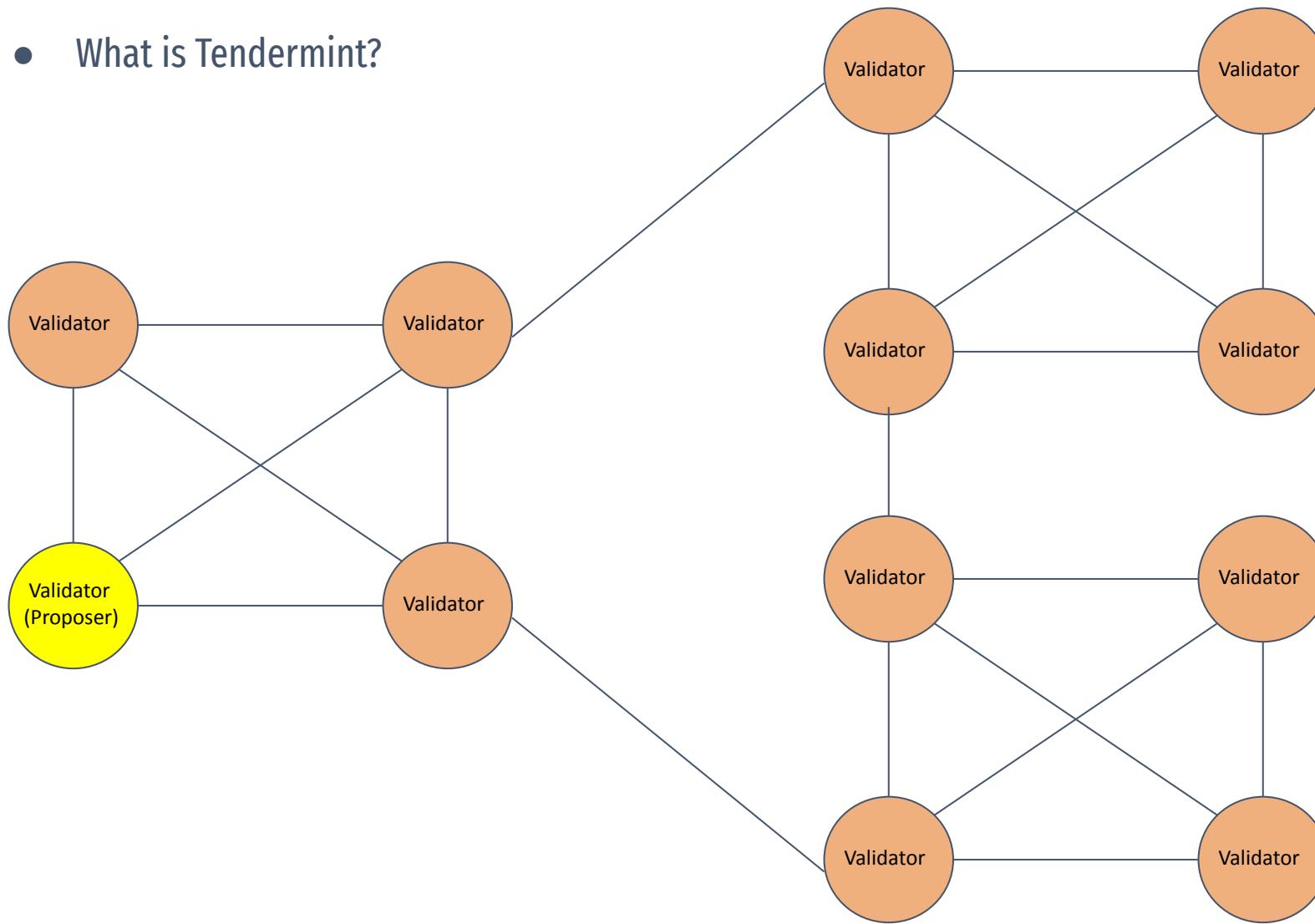
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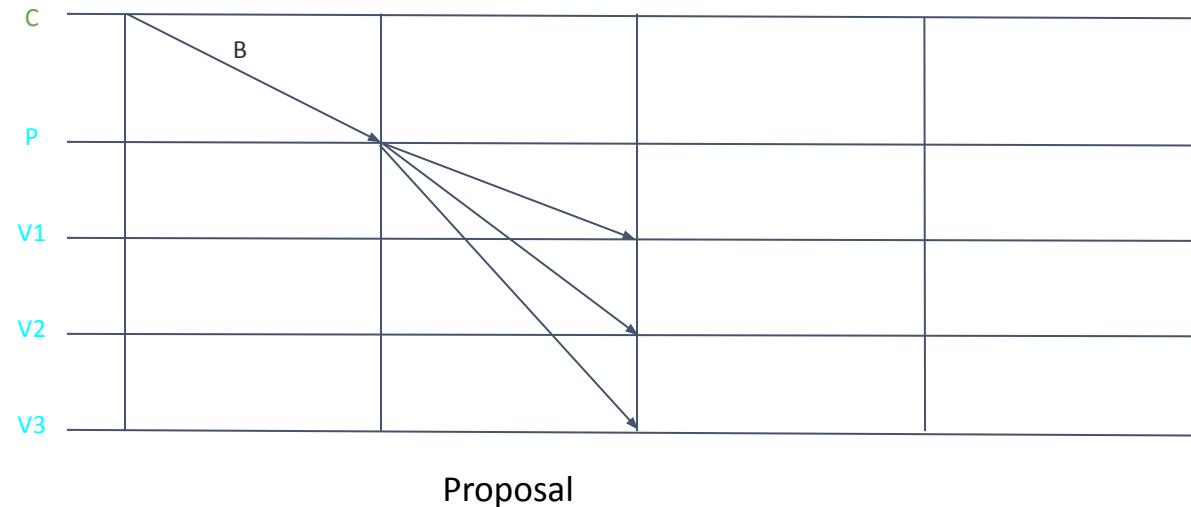
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- What is Tendermint?



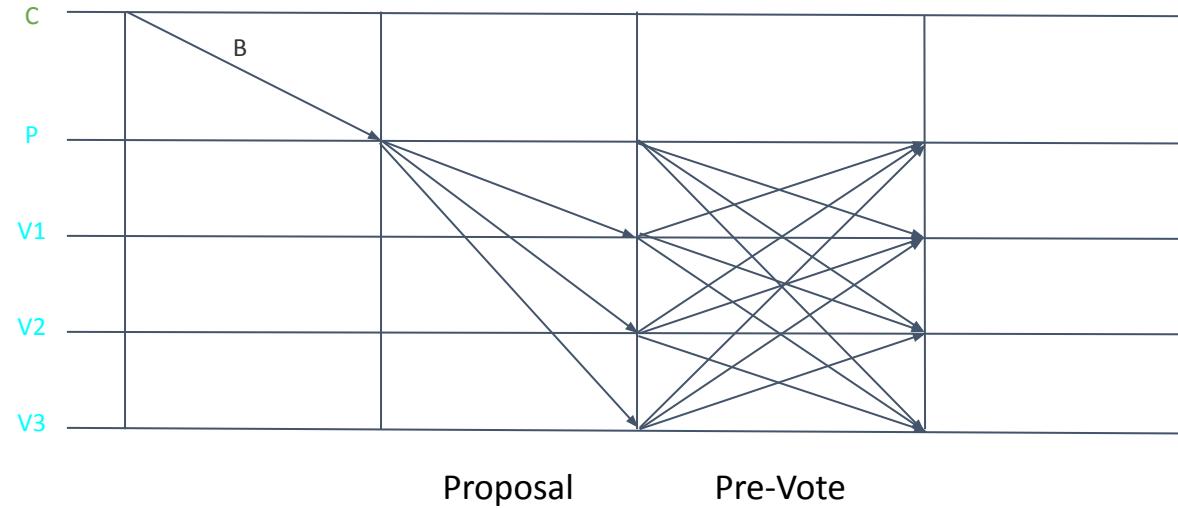
# Proposal Phase

v, r, h



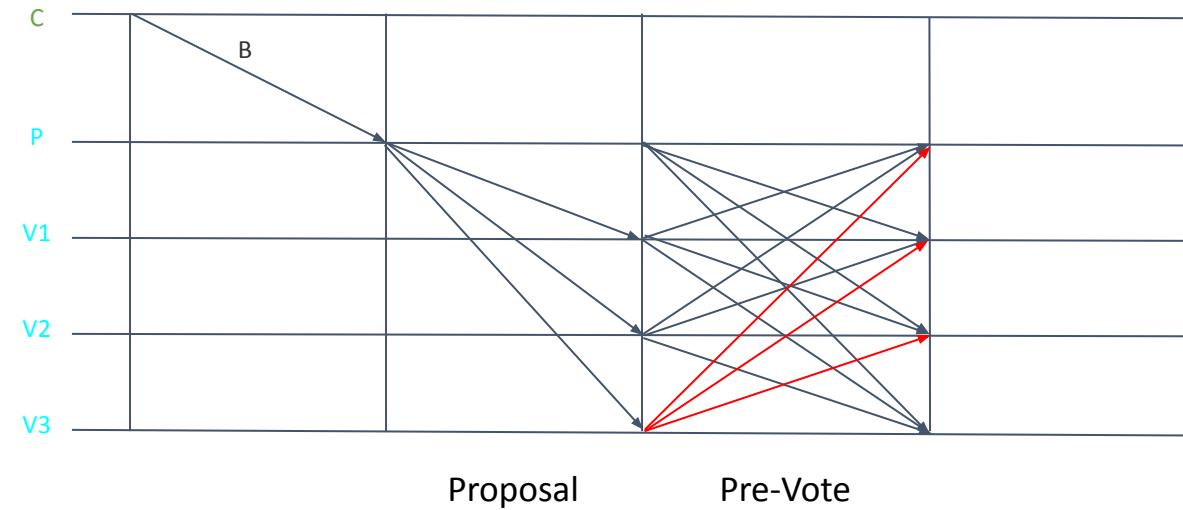
# Pre-Vote Phase

v, r, h



# Pre-Vote Phase

v, r, h

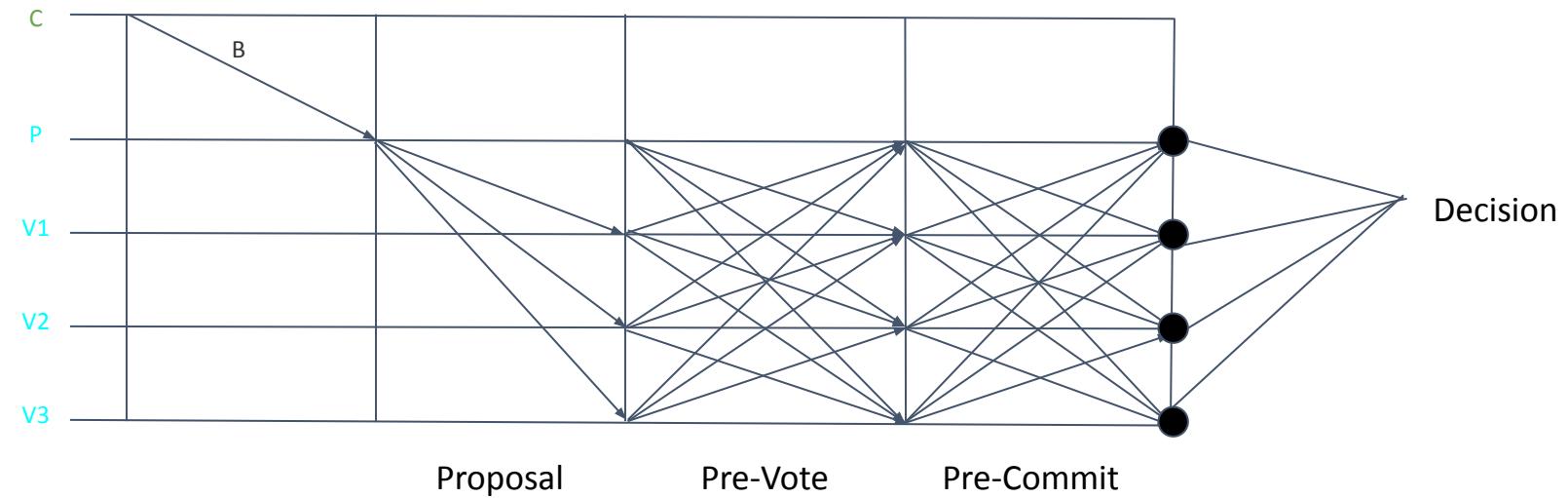


1. Failed validation
2. Proposal timeout

Proposal Timeout (r) = initTimeoutProposal + r \* timeoutDelta

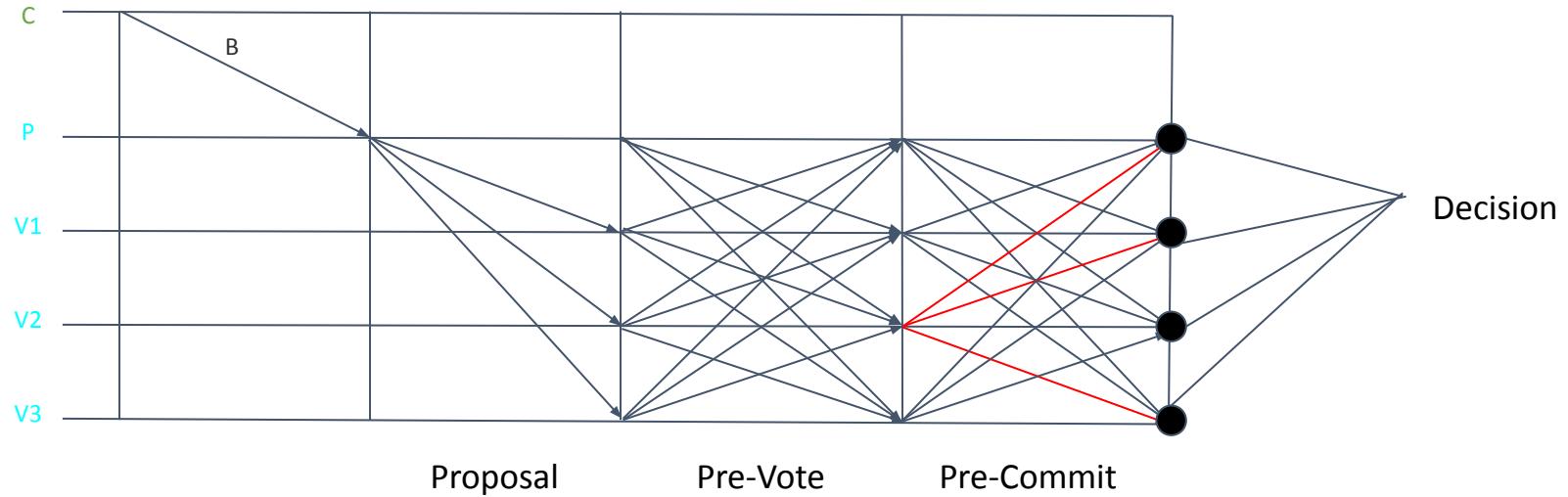
# Pre-Commit Phase

v, r, h



# Pre-Commit Phase

v, r, h



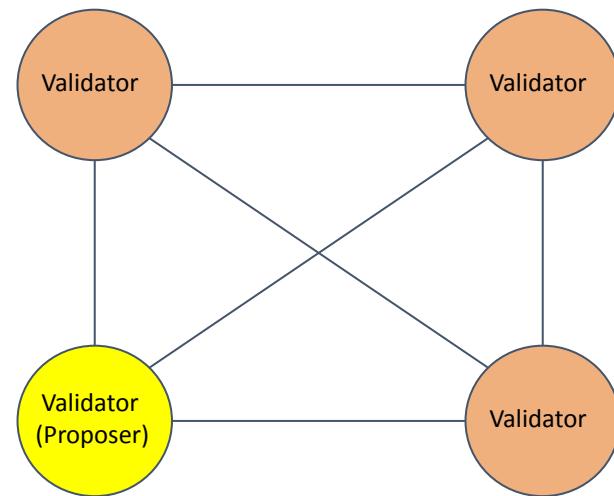
1. Failed validation of majority Pre-Vote
2. Pre-vote timeout before  $2f+1$  Pre-Vote

$2f+1$  Pre-Commit,  $f+1$ (majority in favour)

$$\text{timeoutPre-Vote } (r) = \text{initTimeoutPre-Vote} + r * \text{timeoutDelta}$$

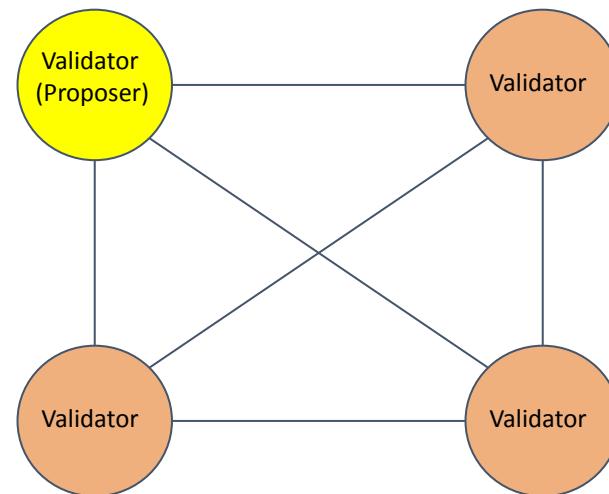
$$\text{timeoutPre-Commit } (r) = \text{initTimeoutPre-Commit} + r * \text{timeoutDelta}$$

# View Change/Faulty Proposer



# View Change

- The round is complete and all the non-faulty nodes committed.
- The proposer is faulty. (offline, timeout, bad proposal)
- $\text{proposer}(h, \text{round})$  ←----- External Function
- Total Votes =  $n = 3f + 1$  (Can be divided in a discriminatory way)



# Algorithm

- $\text{Step}_p : \{\text{propose}, \text{prevote}, \text{precommit}\}$
- $\text{lockedValue}_p : \{\text{nil}, \text{value of transaction}\}$
- $\text{lockedRound}_p : \{-1, \text{round number}\}$
- $\text{validValue}_p : \{\text{nil}, \text{value of transaction}\}$
- $\text{validRound}_p : \{-1, \text{round number}\}$
- $h_p : \{0, \text{height of the blockchain}\}$
- $\text{decision}_p : \{\text{nil}, \text{log of activity}\}$

# Difference between messages

- Proposal:  $\langle \text{PROPOSAL}, h_p, \text{round}_p, \text{proposal}, \text{validRound}_p \rangle$



- Pre-Vote:  $\langle \text{PREVOTE}, h_p, \text{round}_p, \text{id}(v) \rangle$



$$\text{id}(v) = \text{id}(v')$$

$$v = v'$$

- Pre-Commit:  $\langle \text{PRECOMMIT}, h_p, \text{round}_p, \text{id}(v) \rangle$



# Algorithm

```
initialization:
 $h_p := 0$ 
 $round_p := 0$ 
 $step_p \in \{propose, prevote, precommit\}$ 
 $decision_p[] := nil$ 
 $lockedValue_p := nil$ 
 $lockedRound_p := -1$ 
 $validValue_p := nil$ 
 $validRound_n := -1$ 
```

```
upon start do StartRound(0)
Function StartRound(round) :
   $round_p \leftarrow round$ 
   $step_p \leftarrow propose$ 
  if proposer( $h_p, round_p$ ) =  $p$  then
    if  $validValue_p \neq nil$  then
       $proposal \leftarrow validValue_p$ 
    else
       $proposal \leftarrow getValue()$ 
    broadcast ⟨PROPOSAL,  $h_p, round_p, proposal, validRound_pelse
    schedule OnTimeoutPropose( $h_p, round_p$ ) to be executed after timeoutPropose( $round_p$ )$ 
```

```
Function OnTimeoutPropose(height, round) :
  if  $height = h_p \wedge round = round_p \wedge step_p = propose$  then
    broadcast ⟨PREVOTE,  $h_p, round_p, nilstep_p \leftarrow prevote$ 
```

# Algorithm

```
upon <PROPOSAL,  $h_p$ ,  $round_p$ ,  $v$ ,  $-1$ > from proposer( $h_p$ ,  $round_p$ ) while  $step_p = propose$  do
  if  $valid(v) \wedge (lockedRound_p = -1 \vee lockedValue_p = v)$  then
    broadcast <PREVOTE,  $h_p$ ,  $round_p$ ,  $id(v)$ >
  else
    broadcast <PREVOTE,  $h_p$ ,  $round_p$ , nil>
   $step_p \leftarrow prevote$ 
```

```
; upon <PROPOSAL,  $h_p$ ,  $round_p$ ,  $v$ ,  $vr$ > from proposer( $h_p$ ,  $round_p$ ) AND  $2f + 1$  <PREVOTE,  $h_p$ ,  $vr$ ,  $id(v)$ > while
 $step_p = propose \wedge (vr \geq 0 \wedge vr < round_p)$  do
  if  $valid(v) \wedge (lockedRound_p \leq vr \vee lockedValue_p = v)$  then
    broadcast <PREVOTE,  $h_p$ ,  $round_p$ ,  $id(v)$ >
  else
    broadcast <PREVOTE,  $h_p$ ,  $round_p$ , nil>
   $step_p \leftarrow prevote$ 

; upon  $2f + 1$  <PREVOTE,  $h_p$ ,  $round_p$ , *> while  $step_p = prevote$  for the first time do
  schedule  $OnTimeoutPrevote(h_p, round_p)$  to be executed after  $timeoutPrevote(round_p)$ 
```

**Function**  $OnTimeoutPrevote(height, round)$  :

```
if  $height = h_p \wedge round = round_p \wedge step_p = prevote$  then
  broadcast <PRECOMMIT,  $h_p$ ,  $round_p$ , nil>
   $step_p \leftarrow precommit$ 
```

# Algorithm

```
upon <PROPOSAL,  $h_p$ ,  $round_p$ ,  $v$ , *> from proposer( $h_p$ ,  $round_p$ ) AND  $2f + 1$  <PREVOTE,  $h_p$ ,  $round_p$ ,  $id(v)$ > while  
valid( $v$ )  $\wedge$   $step_p \geq prevote$  for the first time do  
  if  $step_p = prevote$  then  
     $lockedValue_p \leftarrow v$   
     $lockedRound_p \leftarrow round_p$   
    broadcast <PRECOMMIT,  $h_p$ ,  $round_p$ ,  $id(v)$ >  
     $step_p \leftarrow precommit$   
     $validValue_p \leftarrow v$   
     $validRound_p \leftarrow round_p$   
  upon  $2f + 1$  <PREVOTE,  $h_p$ ,  $round_p$ , nil> while  $step_p = prevote$  do  
    broadcast <PRECOMMIT,  $h_p$ ,  $round_p$ , nil>  
     $step_p \leftarrow precommit$   
  
upon  $2f + 1$  <PRECOMMIT,  $h_p$ ,  $round_p$ , *> for the first time do  
  schedule  $OnTimeoutPrecommit(h_p, round_p)$  to be executed after  $timeoutPrecommit(round_p)$ 
```

```
Function  $OnTimeoutPrecommit(height, round)$  :  
  if  $height = h_p \wedge round = round_p$  then  
    StartRound( $round_p + 1$ )
```

# Algorithm

```
upon <PROPOSAL,  $h_p, r, v, *$ > from proposer( $h_p, r$ ) AND  $2f + 1$  <PRECOMMIT,  $h_p, r, id(v)$ > while  $decision_p[h_p] = nil$  do
    if  $valid(v)$  then
         $decision_p[h_p] = v$ 
         $h_p \leftarrow h_p + 1$ 
        reset  $lockedRound_p$ ,  $lockedValue_p$ ,  $validRound_p$  and  $validValue_p$  to initial values and empty message log
        StartRound(0)
upon  $f + 1$   $\langle *, h_p, round, *, *\rangle$  with  $round > round_p$  do
    StartRound( $round$ )
```

# Byzantine Fault tolerance

- $n = 3f+1$  nodes/validators
- $2f+1$  nodes online/non faulty (1/3 rd)
- $f+1$  needed for majority
- 4 nodes

# Proof of Lemmas

- **Lemma 1.** For all  $f \geq 0$ , any two sets of processes with voting power at least equal to  $2f + 1$  have at least one correct process in common.
- **Lemma 2.** If  $f + 1$  correct processes lock value  $v$  in round  $r_0$  ( $\text{lockedValue} = v$  and  $\text{lockedRound} = r_0$ ), then in all rounds  $r > r_0$ , they send PREVOTE for  $\text{id}(v)$  or nil.
- **Lemma 3.** Tendermint Algorithm satisfies Agreement.
- **Lemma 4.** Tendermint Algorithm satisfies Validity.
- **Lemma 5.** Tendermint Algorithm satisfies Termination.

```
upon <PROPOSAL,  $h_p, r, v, *$ > from proposer( $h_p, r$ ) AND  $2f + 1$  <PRECOMMIT,  $h_p, r, \text{id}(v)$ > while  $\text{decision}_p[h_p] = \text{nil}$  do
  if  $\text{valid}(v)$  then
     $\text{decision}_p[h_p] = v$ 
     $h_p \leftarrow h_p + 1$ 
  reset  $\text{lockedRound}_p$ ,  $\text{lockedValue}_p$ ,  $\text{validRound}_p$  and  $\text{validValue}_p$  to initial values and empty message log
  StartRound(0)
```

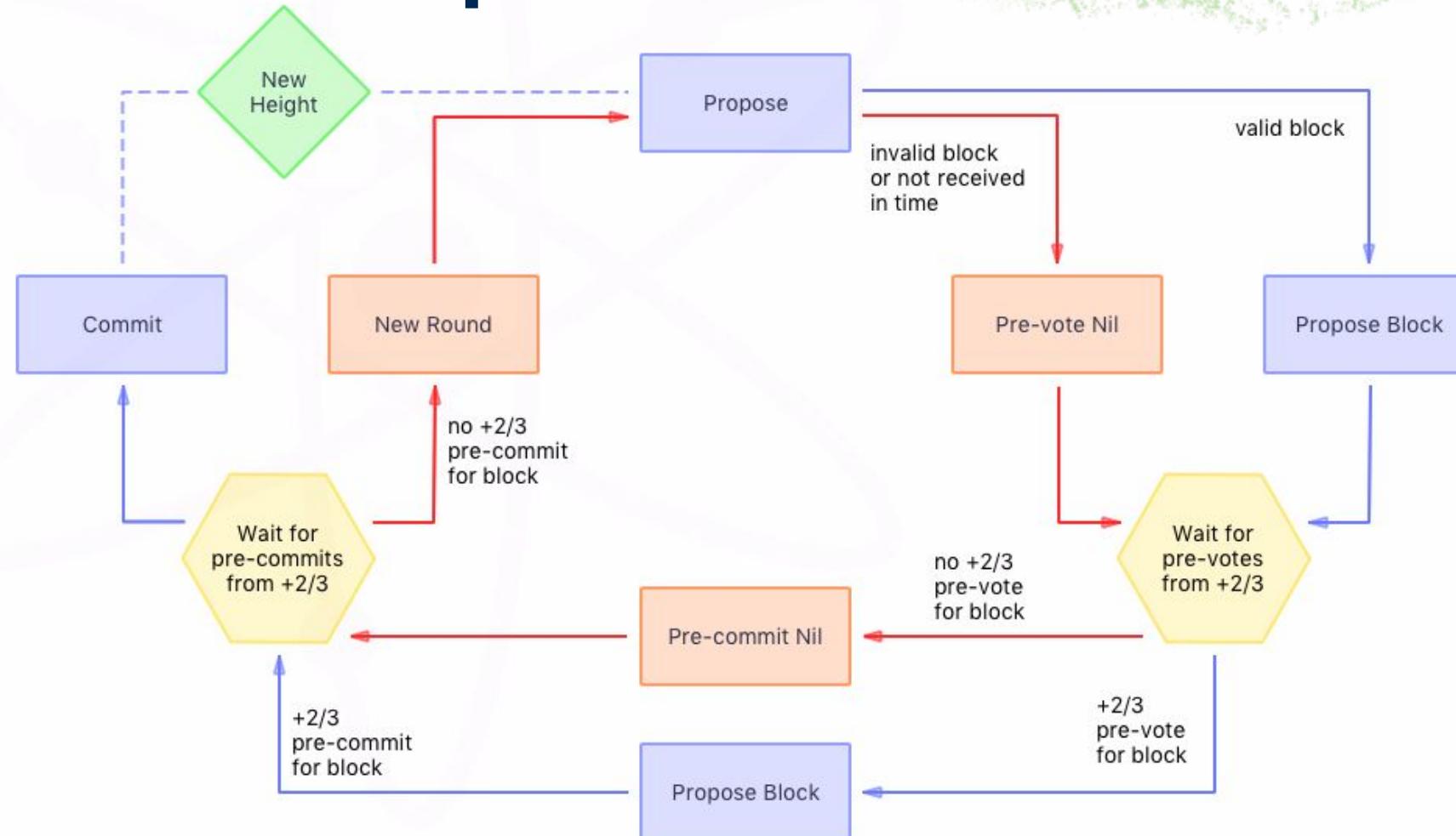
# Time of execution & Complexity

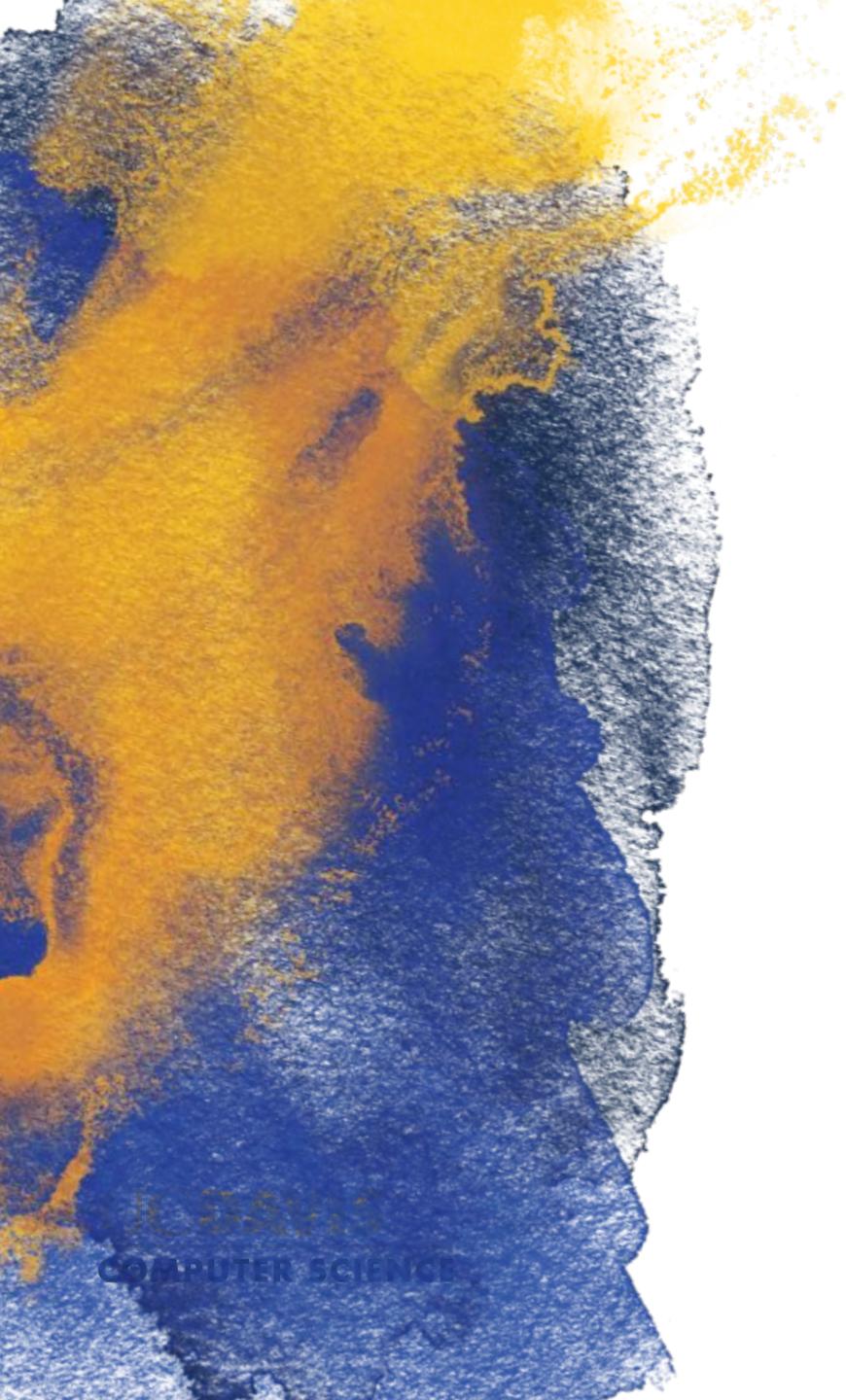
- n nodes send messages to all the n-1 nodes,  $n^2$  complexity
- Lab conditions: 1000 transactions per second, (network of 16 fully connected nodes)
- Real conditions: 10 transactions per second
- Increases exponentially.

# Advantages

- **Simplification:** Tendermint is much simpler than PBFT. It removes the complex view change in PBFT when the leader changes.
- **Optimization for gossip protocols:** Traditional PBFT assumes point to point connections between all servers. Tendermint is optimized for P2P gossip protocols
- Tendermint is designed to process an entire block at a time.
- Tendermint is a professionally managed engine.

# High-level Recap





# Thank you!