## **Adv Data Mining and Analytics - Assignment 1**

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Initializing all the required libraries.

```
library(ISLR)
library(dplyr)
##
## Attaching package: 'dplyr'
## The following objects are masked from 'package:stats':
##
       filter, lag
##
## The following objects are masked from 'package:base':
##
       intersect, setdiff, setequal, union
##
library(ggplot2)
library(gridExtra)
## Attaching package: 'gridExtra'
## The following object is masked from 'package:dplyr':
##
##
       combine
```

Assigning Carseats Dataset to safeBabies Variable by selecting only Sales, Price, and Shelf Location columns.

```
safeBabies <- Carseats %>% select("Sales", "Price", "ShelveLoc")
```

Splitting dataset into three parts based on Shelf Location

```
good <- filter(safeBabies,ShelveLoc == 'Good')
medium <- filter(safeBabies,ShelveLoc == 'Medium')
bad <- filter(safeBabies,ShelveLoc == 'Bad')</pre>
```

## Question 1:

Building Linear Regression model between Sales(dependent) and Price(independent) for Good Shelf Location.

```
good ordered <- good[order(good$Price),]</pre>
model 1 <- lm(Sales ~ Price, data = good ordered)</pre>
summary(model_1)
##
## Call:
## lm(formula = Sales ~ Price, data = good ordered)
## Residuals:
     Min
             1Q Median
                            3Q
##
                                  Max
## -3.721 -1.351 -0.098 1.483 4.353
##
## Coefficients:
##
               Estimate Std. Error t value Pr(>|t|)
## (Intercept) 17.968864 0.988008 18.187 < 2e-16 ***
              -0.065785
                           0.008199 -8.023 5.85e-12 ***
## Price
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 1.888 on 83 degrees of freedom
## Multiple R-squared: 0.4368, Adjusted R-squared:
## F-statistic: 64.37 on 1 and 83 DF, p-value: 5.848e-12
```

Finding out optimal price for Good Shelf Location by substituting values obtained from above regression model in the following equation.

```
good_optimal_price = (-0.065785 *55 - 17.968864)/(2 * -0.065785)
print(good_optimal_price)
## [1] 164.0727
```

Varying production cost from \$40 to \$85, to find optimal price

```
result <- vector("numeric", 40)
for(cost in 40:86) {
   good_optimized_result <- (-0.065785 *cost - 17.968864)/(2 * -0.065785)
   result[cost - 40] <- good_optimized_result
}</pre>
```

Using cbind to create dataframe by binding Optimized price and change in cost. Naming the columns accordingly.

```
price<- c(40:85)
good_optimized_price<-cbind.data.frame(result,price)
names(good_optimized_price)<-c('Optimized_Price','Change_in_Cost')</pre>
```

## Question 2

Similar to above solution for 1st question. Repeating all the codes for Bad Shelf Location to find optimal price.

```
bad ordered<-bad[order(bad$Price),]</pre>
model 2 <- lm(Sales ~ Price, data = bad ordered)
summary(model_2)
##
## Call:
## lm(formula = Sales ~ Price, data = bad ordered)
## Residuals:
##
      Min
                10 Median
                                3Q
                                       Max
## -4.4622 -1.0617 -0.2014 1.2050 4.6412
##
## Coefficients:
##
                Estimate Std. Error t value Pr(>|t|)
## (Intercept) 11.832984 0.990317 11.949 < 2e-16 ***
                           0.008486 -6.507 3.7e-09 ***
## Price
               -0.055220
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 1.967 on 94 degrees of freedom
## Multiple R-squared: 0.3105, Adjusted R-squared: 0.3032
## F-statistic: 42.34 on 1 and 94 DF, p-value: 3.702e-09
bad_optimal_price = (-0.05522 * 55 - 11.832984) / (2 * -0.05522)
print(bad optimal price)
## [1] 134.644
result_1 <- vector("numeric", 40)</pre>
for(cost in 40:86) {
  bad_optimized_result <- (-0.05522 *cost - 11.832984)/(2 * -0.05522)
  result 1[cost - 40] <- bad optimized result
}
bad_optimized_price<-cbind.data.frame(result_1,price)</pre>
names(bad optimized price)<-c('Optimized Price','Change in Cost')</pre>
```

Plotting above two results and comparing them to see the variations in optimal price using ggplot

```
geom_line() +
scale_color_manual("", values = ("Bad Price" = "blue")) +
geom_point(colour='black')
```

Using GridExtra library to display the plots together.

```
grid.arrange(plot_good, plot_bad, ncol=1)
```



We have obtained optimal price to sell carseats when production cost is \$55 - for good shelf location as 164.07 - for bad shelf location as 134.64

Looking at the graph we can observe that optimal price varies from \$120 to \$150 for Bad shelf location and from \$150 to \$180 for good shelf location when we vary production cost from \$40 to \$85