## Salil-209-Project

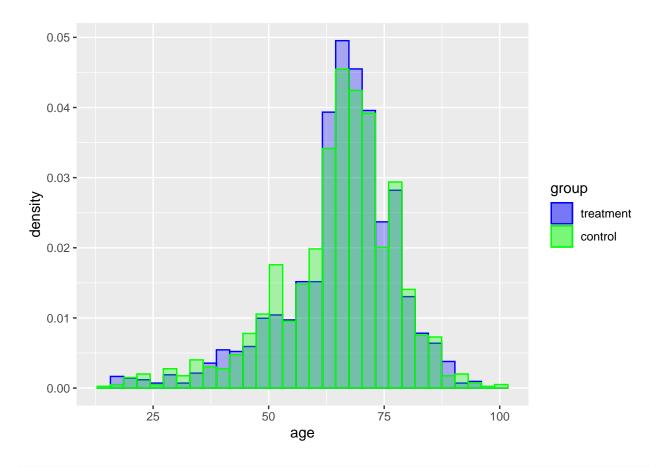
Salil

2023-12-02

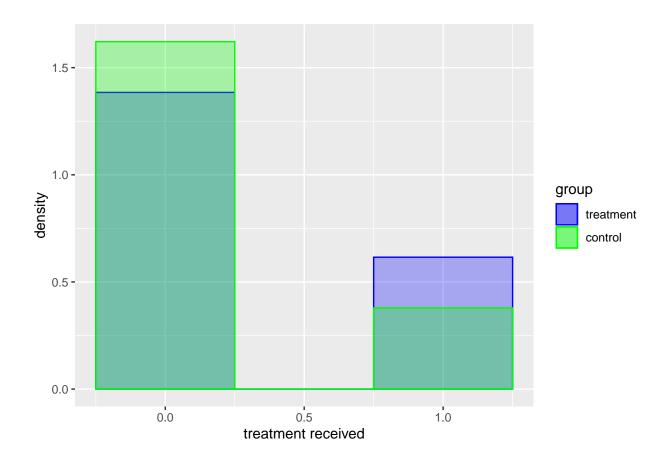
```
library(ggplot2)
df <- read.table('fludata.txt')</pre>
```

## EDA

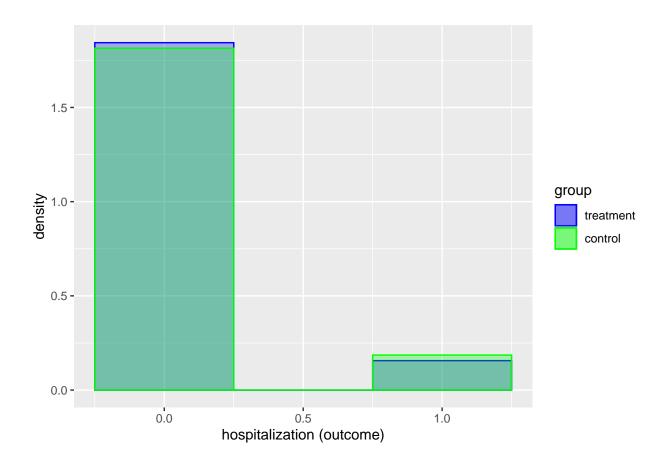
```
make_hists <- function(var, z, varname) {</pre>
  var_treat <- var[z==1]</pre>
  var_control <- var[z==0]</pre>
  # if the variable is an indicator, use binwidth 0.5
  if (length(unique(var))==2) {
    binwidth <- 0.5
  } else {
    binwidth <- (max(unique(var)) - min(unique(var)))/30</pre>
  }
  ggplot() +
    geom_histogram(aes(x=var_treat, y=..density.., col='b', fill='b'), alpha=0.3, binwidth=binwidth) +
    geom_histogram(aes(x=var_control, y=..density.., col='g', fill='g'), alpha=0.3, binwidth=binwidth)
    scale_colour_manual(name="group", values=c("g" = "green", "b"="blue"), labels=c("g"="control", "b"=
    scale_fill_manual(name="group", values=c("g" = "green", "b"="blue"), labels=c("g"="control", "b"="t
    labs(x=varname)
make_hists(df$age, df$assign, "age")
```



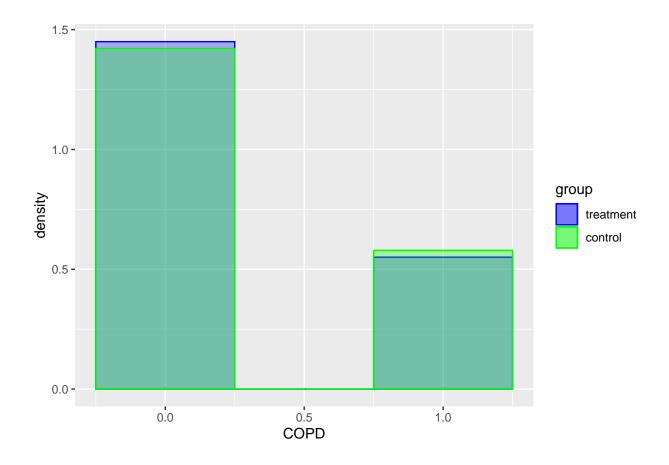
make\_hists(df\$receive, df\$assign, "treatment received")



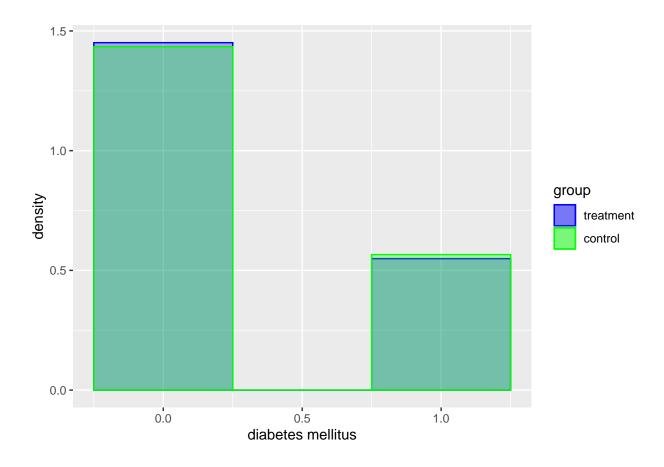
make\_hists(df\$outcome, df\$assign, "hospitalization (outcome)")



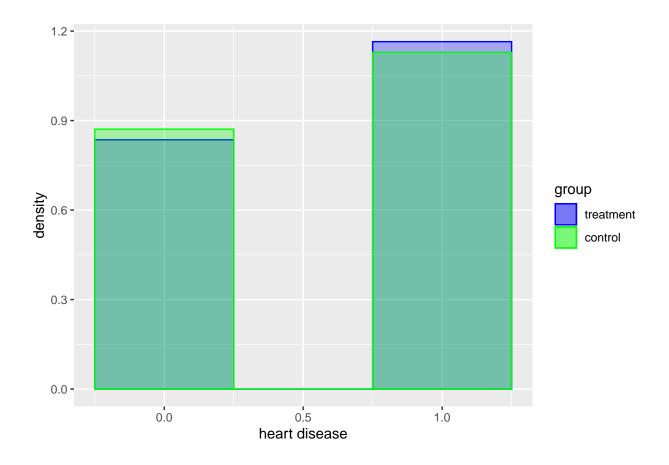
make\_hists(df\$copd, df\$assign, "COPD")



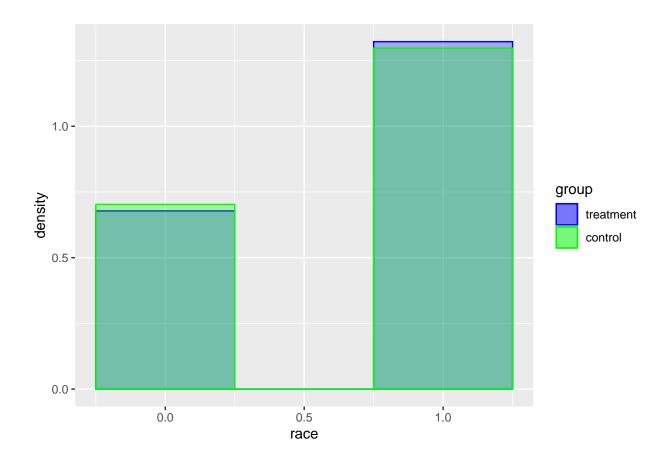
make\_hists(df\$dm, df\$assign, "diabetes mellitus")



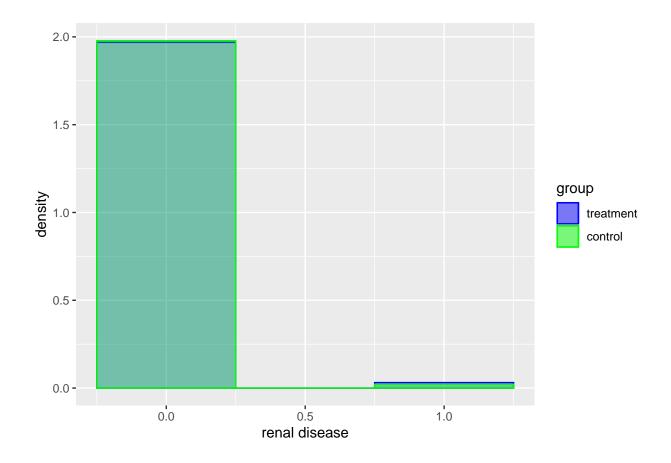
make\_hists(df\$heartd, df\$assign, "heart disease")



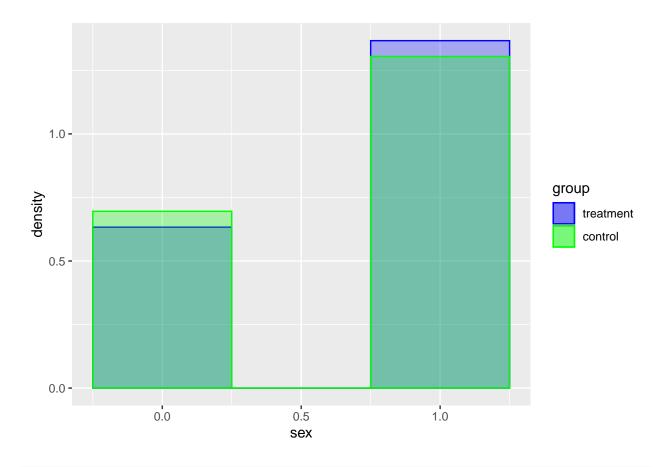
make\_hists(df\$race, df\$assign, "race")



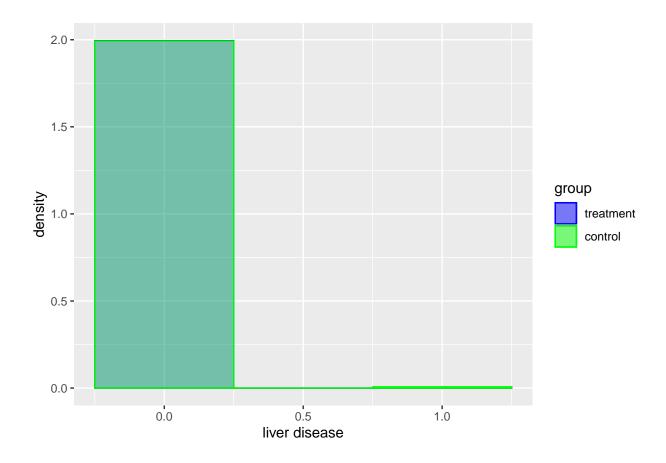
make\_hists(df\$renal, df\$assign, "renal disease")



make\_hists(df\$sex, df\$assign, "sex")



make\_hists(df\$liverd, df\$assign, "liver disease")



## significance testing (ignore for now, just use t-test)

Most of the covariates are binary. So, to see whether their distributions are the same for treated and control units, we can do a test for difference in means of proportions.

Let's take COPD as the covariate. We want to test  $H_0: p_T = p_C$ , where  $p_T$  is the proportion of treated units with COPD and  $p_C$  is the proportion of control units with COPD.

Since we have a large sample size, by the CLT, the difference in the proportion (i.e., sample average) of treated units and control that have COPD,  $P_T - P_C$ , is normally distributed with mean  $p_T - p_C$  and variance  $\frac{p_T q_T}{n_T} + \frac{p_C q_C}{n_C}$  (where  $q_T = 1 - p_T$ .)

Now, under  $H_0, \ldots$  some stuff. Fill in later.

T-statistic is 
$$T = \frac{\hat{p_T} - \hat{p_C} - 0}{\sqrt{\hat{p}\hat{q}\left(\frac{1}{n_T} + \frac{1}{n_C}\right)}}$$
.

```
get_tstat <- function(var, z) {
   nT <- sum(z)
   nC <- length(z) - sum(z)

var1z1 <- var[var==1 & z==1]
   var1z0 <- var[var==1 & z==0]
   var0z1 <- var[var==0 & z==1]
   var0z0 <- var[var==0 & z==0]

phat <- (length(var1z1) + length(var1z0)) / length(var)</pre>
```

```
pThat <- length(var1z1)/nT
pChat <- length(var1z0)/nC

return((pThat - pChat-0)/(phat * (1-phat) * ((1/nT) + (1/nC)) ))
}

get_tstat(df$copd, df$assign)

## [1] -50.39783

LOL something's wrong...</pre>
```