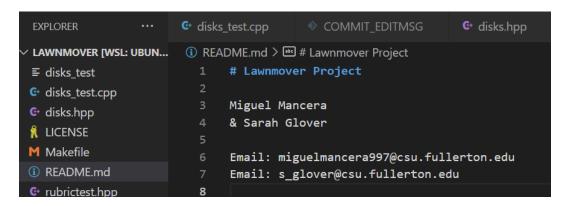
# Emails:



## Algorithms:

```
// Algorithm that sorts disks using the alternate algorithm.
      sorted_disks sort_alternate(const disk_state& before) {
        disk_state state = before;
        int numOfSwap = 0;
        int iterations = state.light_count()+1;
        for (int i = 0; i < iterations; i++){
         if((i\%2 == 0)){
            for (int m = 0; m < int(state.total_count()); m += 2){</pre>
                 if (state.get(m) > state.get(m + 1)){
                     state.swap(m);
                     ++numOfSwap;
            for (int m = 1; m < int(state.total_count()) - 1; m += 2){</pre>
                if (state.get(m) > state.get(m + 1)){
                     state.swap(m);
                     ++numOfSwap;
170
171
        return sorted_disks(disk_state(state), numOfSwap);
```

#### **Execution:**

```
sglover@CSUF-3CN2303:~/Lawnmover$ ./disks_test
disk_state still works: passed, score 1/1
sorted_disks still works: passed, score 1/1
disk_state::is_initialized: passed, score 3/3
disk_state::is_sorted: passed, score 3/3
alternate, n=4: passed, score 1/1
alternate, n=3: passed, score 1/1
alternate, other values: passed, score 1/1
lawnmower, n=4: passed, score 1/1
lawnmower, n=3: passed, score 1/1
lawnmower, other values: passed, score 1/1
TOTAL SCORE = 14 / 14
```

```
💙 File Edit Selection View Go Run …
                                                                                                  □ …
                           G disks_test.cpp
                                            ◆ COMMIT_EDITMSG
                                                                  € disks.hpp × (i) README.md

∨ LAWNMOVER [WSL: UBUN...

                           C+ disks.hpp
      ■ disks_test
      disks_test.cpp

    disks.hpp

                                  // Algorithm that sorts disks using the lawnmower algorithm.
      LICENSE
                                  sorted_disks sort_lawnmower(const disk_state& before) {
                                     disk_state state = before;
      M Makefile
                                      int numOfSwap = 0;
      ③ README.md
                                     bool booleanFlag;
      @ rubrictest.hpp
品
                                     for (int i = 0; i < state.light_count(); ++i){</pre>
                                        if (i % 2 == 0) {
                                            booleanFlag = true;
booleanFlag = false;
(a)
                                                                                          PROBLEMS OUTPUT DEBUG CONSOLE TERMINAL
                            ./disks_test
                            disk_state still works: passed, score 1/1
                            sorted disks still works: passed, score 1/1
                            disk_state::is_initialized: passed, score 3/3
                            disk_state::is_sorted: passed, score 3/3
                            alternate, n=4: passed, score 1/1
                            alternate, n=3: passed, score 1/1
                            alternate, other values: passed, score 1/1
                            lawnmower, n=4: passed, score 1/1
(Q)
                            lawnmower, n=3: passed, score 1/1
                            lawnmower, other values: passed, score 1/1
                            TOTAL SCORE = 14 / 14
     > OUTLINE
     > TIMELINE
                          osglover@CSUF-3CN2303:~/Lawnmover$
```

#### Pseudocode:

sort\_lawnmower

## 

End for

#### Sort alternative

End for

```
Number_of_iterations = n+1

For i=0 to number_of_iterations-1 do

If i is even do

For j=0 to length(list) -1 step 2 do

If (list[j] == dark AND list[j+1]== light)

Swap them

End for

Else do // if i is odd

For j=1 to length(list)-2 step 2 do

if(list[j] == dark AND list[j+1] == light)

Swap them

End for
```

End for

# Mathematical Analysis:

#### Sort\_Alternative

Step Count & Time Complexity

MITEL TIME COMPLEXITY
1+1+(1/2).(1-1).(1+1+4)
$= 2 + (n/2) \cdot (n-1) \cdot (6)$ $= 2 + 6(1/2 - n/2)$
$=6\frac{2}{12}-6\frac{1}{2}+2$
Using limit theorem to prove:
6 1/2 - 6 1/2 +2 E O(n²)
$\int \frac{6n^2 - 6n + 2}{2n^2}$
n-200 Zri-
$=\frac{d}{dn}\frac{12n-6}{4n}$ $\Rightarrow \frac{d}{dn}\frac{12}{4}=3\neq \infty$
Therefore:
6 1/2 - 6 1/2 + 2 E O(n2)

Step Count:

$$\frac{h}{2} \left[ 2n - 1(2 + \max(0, 1)) + 2n - 1(2 + \max(0, 1)) \right]$$

$$= \frac{h}{2} \left[ 2n - 1(2 + 1) + 2n - 1(2 + 1) \right]$$

$$= \frac{h}{2} \left[ 2n - 3 + 2n - 9 \right]$$

$$= \frac{h}{2} \left[ 4n - 6 \right] = \frac{4h^2}{2} - \frac{6h}{2}$$

$$= \frac{2n^2 - 3n}{2}$$

Time Complexity:

$$2n^{2}-3n \in O(n^{2})$$
  
 $f(n) = 2n^{2}-3n \quad k \quad g(n) = n^{2}$   
By duf  
 $2n^{2}-3n \leq C \cdot n^{2} \qquad C = 2+3=5$   
 $2(10)^{2}-3(10) \leq 5(10)^{2}$   
 $170 \leq 500 \quad \sqrt{2n^{2}-3n} \leq O(n^{2})$