

Problem Solving Techniques

1 Data Structure - Based

- Strings/arrays
- Matrix
- Linked List
- Binary Tree
- Graphs
- Heaps

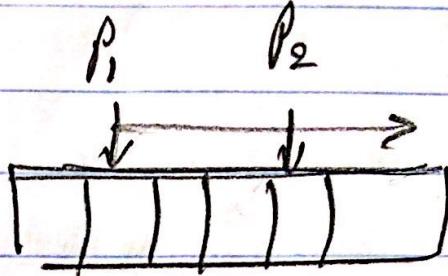
2 Independent techniques

- Dynamic Programming
- Divide & Conquer
- Brute Force
- Greedy Algorithms
- Search Problems (AI)

- Mathematics
- Geometry

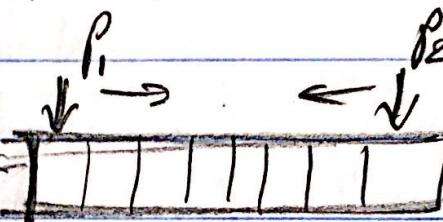
II Arrays

① Sliding Window



② Multiple Pointers

- many from start
- one start, one end



firstMin, secondMin, ...

③ Sorting Trick

merge sort

what if arr
is sorted

④ Data Structure to keep track of Data

- stacks / queues
- maps / sets
- tree
- heap

⑤ Divide & Conquer

⑥ Definition of problem

- ex: definition of median of 2 sorted arrays

⑦ Search Problem

- word ladder

⑧ Easier version of the problem to solve yours

- 2 sum (closed) \rightarrow 2 sum, 2 sum II
- intersection of 2 sorted arrays \rightarrow what if they have same length

⑨ Binary Search

- ① Start from end
- ② Juggle (no extra space)
- ④ Dynamic Programming

Jump Pointers
 $arr[arr[i:j]]$

Arrays

5. for $i \in [1, n]$
Accumulation rule

① No extra space

→ use 2 variables (if small storage)

→ use - no mark if
more variables and $arr[i] \in [1-n]$

② O(n^2) (sum from left to right)

→ on your left → sum one from left

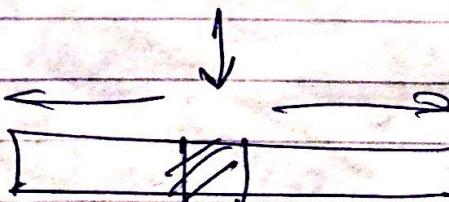
→ on your right → sum one from right

③ Bucket Sort

→ sorting is required (bubblesort)

→ ranges are limited

④ running - out trade



⇒ Strings

* sum both from left &
or both from right

2 Matrix

smart traversal

① Traversal

| For $\text{row} = \text{start}$
| For $\text{col} = \text{start}$

② Search DFS

- with Dynamic Programming
- use BFS for shortest path

Explore

③ Optimize direction moves

$$\begin{aligned}\text{dx} &= [0, 0, -1, 1] \\ \text{dy} &= [1, -1, 0, 0]\end{aligned}$$

④ Spread Matrix into array

$$\begin{aligned}K &= \text{row} \times n + \text{col} \\ @1 &= K \% n \\ \text{row} &= K // n\end{aligned}$$

⑤ Reduce to our problem

- Using accum track

⑥ Disjoint sets / Trie implement ds arrays

⑦ Accumulation Track

- sum of @1/row values up to this cell

⑧ And space

- use some row/col as and space
- use every cell as aux space

⑨ ex: DFS use "X" as your flag instead of vector set

⑩ ex: change to down vote (some life)

⑪ ex: shift operation ~~to~~ to hold many flags

⑫ Juggling → rotate image

③ Linked Lists

① Slow/Fast Pointer

② fake head

→ very common for solutions

③ pointer manipulation

→ reverse list, delete specific

④ No Extra space

→ chain to existing list (keep order intact)

ex: copy with random pointer

13 Binary Trees

1) Must-Know Traversals

- inorder, pre-order, post-order
- Level-order
- Morris Traversal

① Top-down Solution:

- iterative : level-order
- Recursive : DFS

② Bottom-up Solution (Banshee)

- Code Case
- Definition of Problem

③ Traversal

- Mostly in-order

left limit + right limit
Validation trick

track of BT5
only one point only
center to keep track of level

definition
of problem

Stack

Dynamic Programming

① Brute-Force

Top-down solution

→ find brute-force, top-down soln

② Dynamic Programming

→ identify pattern:

① Recursive solution (cache-free)

② Overlapping subproblems

→ (arriving at i, j many times)

③ Formulate Problem

Definition of Problem

→ $F(n) = \text{f}(F(n-1))$

→ identify subproblems

④ DP solution

→ Top-down & memorization

→ Bottom-up?

Accumulation tree

$$dp[i] = \max \begin{cases} dp[i-1] \\ arr[i] + dp[i-2] \end{cases}$$

original
Wrong Label

adjacency matrix
adjacency list

⑤ Graphs

directed
undirected

① Traversal

- BFS $O(V+E)$
- DFS $O(V+E)$

② Shortest Path (Single source)

directed & undirected

→ Unweighted (BFS)

→ Weighted

directed + undirected

→ Dijkstra $O(E+V\log V)$

+ve weights → Bellman Ford $O(VE)$

directed
can handle
-ve weights

③ Minimum Spanning Tree

* Prim $(V+E\log E)$

* Kruskal $(E\log E)$

④ Disjoint Sets

* makeSet $O(1)$

* union $O(\log k)$

* findSet $O(\log k)$

① Cycle

- undirected (BFS/DFS/dfsf)
- directed DFS

② Topological Sort

- DFS

③ Critical

- Edges (Pipes)
- Nodes (Articulation)

④ Strongly Connected Components

SCCs

