Algorithms to Compute Appraisal Variables

Algorithm 1 (Relevance)

```
1: function ISEVENTRELEVANT(Event \varepsilon_t)
           Initialize graph \mathcal{G}_t with current mental state \mathcal{S}_t.
 2:
           g_t \leftarrow \text{EXTRACTGOAL}(\mathcal{G}_t)
 3:
           \mathcal{P}_t \leftarrow \text{EXTRACTPATHS}(\varepsilon_t, g_t)
 4:
           if (\mathcal{P}_t = \emptyset) then
 5:
                \mathbf{return}\ 0
 6:
 7:
                \mathcal{U}_t \leftarrow \text{getEventUtility}(\varepsilon_t, g_t)
                if (\mathcal{U}_t \geq \tau_e) then
 9:
                      \mathbf{return}(\mathcal{U}_t)
10:
                else
11:
                      return 0
13: end function
```

Algorithm 2 (Desirability)

```
1: function IsEventDesirable(Event \varepsilon_t)
```

```
2: Initialize graph \mathcal{G}_t with current mental state \mathcal{S}_t.
```

```
\vec{g}_t \leftarrow \text{EXTRACTGOALS}(\mathcal{G}_t)
3:
       if (topLevelTaskStatus() = ACHIEVED) then
4:
           return 1.0
5:
        else if (topLevelTaskStatus() = BLOCKED) then
6:
           return -1.0
7:
        else if (topLevelTaskStatus() = INPROGRESS) then
8:
           if (currentTaskStatus() = ACHIEVED) then
9:
10:
               return 0.75
           else if (currentTaskStatus() = BLOCKED) then
11:
               return -0.75
12:
           else if (currentTaskStatus() = INPROGRESS) then
13:
14:
               return 0.25
           else if (currentTaskStatus() = UNKNOWN) then
15:
16:
               if (taskPreconditionStatus() = SATISFIED) then
                  return 0.5
17:
               else if (taskPreconditionStatus() = UNSATISFIED) then
18:
19:
                  return -0.75
               else if (taskPreconditionStatus() = UNKNOWN) then
20:
21:
                  if (doesContribute(\varepsilon_t, \vec{g}_t) = TRUE) then
                      return 0.0
22:
                  else if (doesContribute(\varepsilon_t, \vec{g}_t) = FALSE) then
23:
                      if (recipeApplicability(\varepsilon_t, \vec{g}_t) = APPLICABLE) then
24:
                          \mathbf{return} \ \textbf{-}0.5
25:
                      else if (recipeApplicability(\varepsilon_t, \vec{g}_t) = INAPPLICABLE) then
26:
27:
                          return -0.75
28:
                      else if (recipeApplicability(\varepsilon_t, \vec{g}_t) = UNKNOWN) then
29:
                          \mathbf{return} -0.25
30: end function
```

Algorithm 3 (Expectedness)

```
1: function ISEVENTEXPECTED(Event \varepsilon_t)
          Initialize graph \mathcal{G}_{t-1} with previous mental state \mathcal{S}_{t-1}.
 2:
          Initialize graph \mathcal{G}_t with current mental state \mathcal{S}_t.
 3:
          g_{t-1} \leftarrow \text{EXTRACTGOALS}(\mathcal{G}_{t-1})
 4:
          g_t \leftarrow \text{extractGoals}(\mathcal{G}_t)
 5:
          if (g_t \neq g_{t-1}) then
 6:
               if (IsAchieved(g_{t-1}) = \text{FALSE}) then
 7:
                     return FALSE
 8:
               else
 9:
                     \mathcal{P}_t \leftarrow \text{EXTRACTPATHS}(\varepsilon_t, g_t)
10:
                     if (\mathcal{P}_t = \emptyset) then
11:
                          {\bf return}\ {\bf FALSE}
12:
                     else
13:
                          \mathcal{U}_t \leftarrow \text{GETPATHUTILITY}(\mathcal{G}_t, g_t)
14:
                          if (\mathcal{U}_t \geq \tau_e) then
15:
                               return TRUE
16:
                          else
17:
18:
                               return FALSE
          else
19:
               \mathcal{U}_t \leftarrow \text{GETPATHUTILITY}(\mathcal{G}_t, g_t)
20:
               \mathcal{U}_{t-1} \leftarrow \text{GETPATHUTILITY}(\mathcal{G}_t, g_{t-1})
21:
22:
               if ((\mathcal{U}_t - \mathcal{U}_{t-1}) \ge \tau_e) then
                     return TRUE
23:
24:
               else
                     return FALSE
25:
26: end function
```

Algorithm 4 (Controllability)

```
1: function IsEventControllable(Event \varepsilon_t)
                                                           \alpha_{self/other}^{agency} \leftarrow \beta_{self/other}^{autonomy} \leftarrow 0
       2:
                                                           \lambda_{succeeded/failed}^{predecessors} \leftarrow \mu_{available/required}^{inputs} \leftarrow 0
       3:
                                                           Initialize graph \mathcal{G}_t with current mental state \mathcal{S}_t.
       4:
                                                           \vec{g}_t \leftarrow \text{EXTRACTGOALS}(\mathcal{G}_t)
       5:
                                                           \mathcal{P}_{\vec{g}_t} \leftarrow \text{EXTRACTPATHS}(\varepsilon_t, \vec{g}_t)
       6:
                                                           \alpha_{self/other}^{^{agency}} \leftarrow \text{GetAgencyValue}(\mathcal{P}_{\vec{g}_t})
       7:
                                                           \boldsymbol{\beta_{self/other}^{autonomy}} \leftarrow \text{GetAutonomyValue}(\mathcal{P}_{\vec{g}_t})
       8:
                                                           \lambda_{succeeded/total}^{predecessors} \leftarrow \text{GetSucceededPredecessorsRatio}(\mathcal{P}_{\vec{g}_t})
       9:
                                                        \begin{split} & \mu_{available/required}^{inputs} \leftarrow \text{GetAvailableInputRatio}(\mathcal{P}_{\vec{g}_t}) \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_{self/other}^{agency} + \omega_1 \cdot \beta_{self/other}^{autonomy} + \omega_2 \cdot \lambda_{succeeded/total}^{predecessors} \cdot \frac{inputs}{\omega_0 + \omega_1 + \omega_2 + \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_{self/other}^{agency} + \omega_1 \cdot \beta_{self/other}^{autonomy} + \omega_2 \cdot \lambda_{succeeded/total}^{predecessors} \cdot \frac{inputs}{\omega_0 + \omega_1 + \omega_2 + \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_{self/other}^{agency} + \omega_1 \cdot \beta_{self/other}^{autonomy} + \omega_2 \cdot \lambda_{succeeded/total}^{predecessors} \cdot \frac{inputs}{\omega_0 + \omega_1 + \omega_2 + \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_{self/other}^{agency} + \omega_1 \cdot \beta_{self/other}^{autonomy} + \omega_2 \cdot \lambda_{succeeded/total}^{predecessors} + \omega_3 \cdot \omega_3 \cdot \frac{inputs}{\omega_0 + \omega_1 + \omega_2 + \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_{self/other}^{autonomy} + \omega_1 \cdot \beta_{self/other}^{autonomy} + \omega_2 \cdot \lambda_{succeeded/total}^{predecessors} + \omega_3 \cdot \omega_3 \cdot \frac{inputs}{\omega_0 + \omega_1 + \omega_2 + \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_{self/other}^{autonomy} + \omega_1 \cdot \beta_{self/other}^{autonomy} + \omega_2 \cdot \lambda_{succeeded/total}^{autonomy} + \omega_3 \cdot \omega_3 \cdot \frac{inputs}{\omega_0 + \omega_1 + \omega_2 + \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_{self/other}^{autonomy} + \omega_1 \cdot \beta_{self/other}^{autonomy} + \omega_2 \cdot \lambda_{succeeded/total}^{autonomy} + \omega_3 \cdot \omega_3 \cdot \frac{inputs}{\omega_0 + \omega_1 + \omega_2 + \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_{self/other}^{autonomy} + \omega_1 \cdot \omega_2 \cdot \omega_3}{\omega_0 + \omega_1 \cdot \omega_1 + \omega_2 \cdot \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_{self/other}^{autonomy} + \omega_1 \cdot \omega_2 \cdot \omega_3}{\omega_0 + \omega_1 \cdot \omega_2 \cdot \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_1 \cdot \omega_1 \cdot \omega_2}{\omega_0 \cdot \omega_1 \cdot \omega_2 \cdot \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_1 \cdot \omega_2 \cdot \omega_3}{\omega_0 \cdot \omega_1 \cdot \omega_2 \cdot \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_1 \cdot \omega_2 \cdot \omega_3}{\omega_0 \cdot \omega_1 \cdot \omega_2 \cdot \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_1 \cdot \omega_2 \cdot \omega_3}{\omega_0 \cdot \omega_1 \cdot \omega_2 \cdot \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_1 \cdot \omega_2 \cdot \omega_3}{\omega_0 \cdot \omega_1 \cdot \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_1 \cdot \omega_2 \cdot \omega_3}{\omega_0 \cdot \omega_1 \cdot \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_1 \cdot \omega_3}{\omega_0 \cdot \omega_1 \cdot \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \alpha_1 \cdot \omega_3}{\omega_0 \cdot \omega_1 \cdot \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \omega_1 \cdot \omega_3}{\omega_0 \cdot \omega_1 \cdot \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \omega_1 \cdot \omega_3}{\omega_0 \cdot \omega_1 \cdot \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \omega_1 \cdot \omega_3}{\omega_0 \cdot \omega_3} \\ & \mathcal{U}_t \leftarrow \frac{\omega_0 \cdot \omega_1 \cdot \omega_3}{\omega_0 \cdot \omega_3} 
10:
11:
                                                           if (\mathcal{U}_t \geq \tau_e) then
12:
                                                                                        return TRUE
13:
                                                           else
14:
15:
                                                                                        return FALSE
16: end function
```

Algorithm 5 (Check Predecessors)

```
1: function GETSUCCEEDEDPREDECESSORSRATIO(Paths \ \mathcal{P}_{\vec{g}}^{A})
2: count_{predecessor}^{succeeded} \leftarrow count_{predecessor}^{total} \leftarrow 0
3: \Phi_{\vec{g}} \leftarrow \text{EXTRACTPREDECESSORS}(\mathcal{P}_{\vec{g}}^{A})
4: for each \phi_{\vec{g}}^{i} \in \Phi_{\vec{g}} do
5: if (IsSucceeded \phi_{\vec{g}}^{i}) then
6: count_{predecessor}^{succeeded} \leftarrow count_{predecessor}^{succeeded} + 1
7: count_{predecessor}^{total} \leftarrow count_{predecessor}^{total} + 1
8: return \langle count_{predecessor}^{succeeded}, count_{predecessor}^{total} \rangle
9: end function
```

Algorithm 6 (Check Inputs)

```
1: function GETAVAILABLEINPUTRATIO(Paths \ \mathcal{P}_{\vec{g}}^{A})

2: count_{input}^{available} \leftarrow count_{input}^{required} \leftarrow 0

3: \mathcal{X}_{\vec{g}} \leftarrow \text{EXTRACTINPUTS}(\mathcal{P}_{\vec{g}}^{A})

4: for each \chi_{\vec{g}}^{i} \in \mathcal{X}_{\vec{g}} do

5: if (IsSucceeded(\chi_{\vec{g}}^{i})) then

6: count_{input}^{available} \leftarrow count_{input}^{available} + 1

7: count_{input}^{required} \leftarrow count_{input}^{required} + 1

8: return \langle count_{input}^{available}, count_{input}^{required} \rangle

9: end function
```

Algorithm 7 (Get Agency Value)

```
1: function GetAgencyValue(Paths \mathcal{P}_{\vec{q}}^A)
            count_{responsibility}^{self} \leftarrow count_{responsibility}^{other} \leftarrow 0
 2:
            \Theta_{\vec{g}} \leftarrow \text{ExtractPreconditions}(\mathcal{P}_{\vec{g}}^A)
 3:
            for each \theta^i_{\vec{q}} \in \Theta_{\vec{q}} do
 4:
                  if (GetResponsible(\theta^i_{\vec{q}}) = SELF) then
 5:
                        count_{responsibility}^{self} \leftarrow count_{responsibility}^{self} + 1
 6:
                  \mathbf{else}
 7:
                        e \\ count_{responsibility}^{^{other}} \leftarrow count_{responsibility}^{^{other}} + 1
 8:
            \textbf{return} \ \langle count_{responsibility}^{self}, count_{responsibility}^{other} \rangle
10: end function
```

Algorithm 8 (Get Autonomy Value)

```
1: function GETAUTONOMYVALUE(Paths \ \mathcal{P}_{\vec{g}}^{A})

2: \mathcal{A} \leftarrow \text{EXTRACTACTION}(\mathcal{P}_{\vec{g}}^{A})

3: \mathcal{R}_{\mathcal{A}} \leftarrow \text{GETRESPONSIBLE}(\mathcal{A})

4: \mathcal{M}_{\mathcal{R}_{\mathcal{A}}} \leftarrow \text{GETMOTIVE}(\mathcal{R}_{\mathcal{A}})

5: if (\mathcal{M}_{\mathcal{R}_{\mathcal{A}}} \neq \emptyset) then

6: return MAX

7: else

8: return MIN

9: end function
```