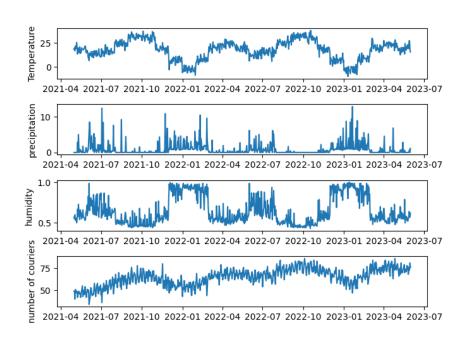
## Wolt Test Assignment Report: Predicting number of couriers

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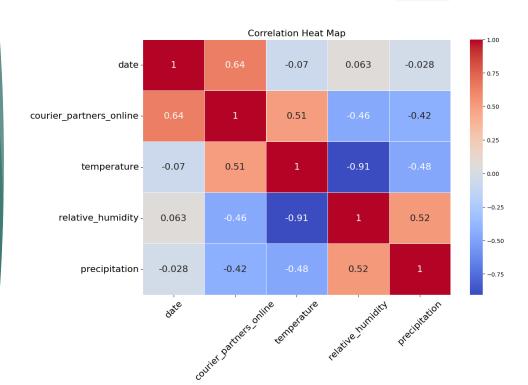
#### Introduction

- ▶The problem of predicting time series is crucial for the future activity planning. The dataset given contains daily courier number combined with the weather data.
- ▶Outlier-cleaned time series on this slide show visible correlations of "number of couriers" with temperature and precipitation. There is also a linear growing trend with time, probably due to the growing popularity of courier service.
- ▶Is it possible to predict the number of couriers for next day or for several days ahead based on the historical data?



### Exploratory Data Analysis

- ▶ Let us have a look at the correlation matrix first. Besides weather characteristics we add also 'day\_of\_week\_i' dummy variable with i=0..6. Here 'day\_of\_week\_0' corresponds to Monday.
- ► Largest correlation for 'courier\_partner\_online' is with 'date', 'temperature', and then with 'precipitation'.
- ► Correlation with 'humidity' is also large. However, 'humidity' is almost deterministically correlated with 'temperature'. It should not add new prediction power.



# Prediction Tasks & Feature Engineering

#### Next-Day Task

Predicting the value of the  $y_{i+1}$  (representing 'courier\_partners\_online') for the next day i+1 based on the historical values available up to day i.

#### Multiple-Day Task

Predicting the values of the variable  $y_{i+1}$ ,  $y_{i+2}$ , ...,  $y_{i+n}$  for the next n days i+1, ... i+n based on the historical values available up to day i.

#### ▶ Feature selection

- Features consist historical variables 'courier\_partner\_online'
   'temperature', 'precipitation', 'day\_of\_week\_0', ...
   'day\_of\_week\_6'.
- Look-back window size: 'train\_days' parameter controls number of preceding days to be used as features. We take typically 40 days to describe both small- and meso-time scales like season variability.
- With 10 feature and 40 preceding days, the total number of features is 400.

#### Additional features

In the notebooks you can experiment adding more features such as 'date', periodic 'day\_of\_year', 'day\_of\_week'.

#### Models

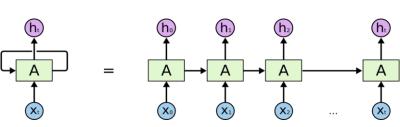
#### Baseline - Linear Regression (LR) Model:

• Parameters: Equal to the number of features (400)

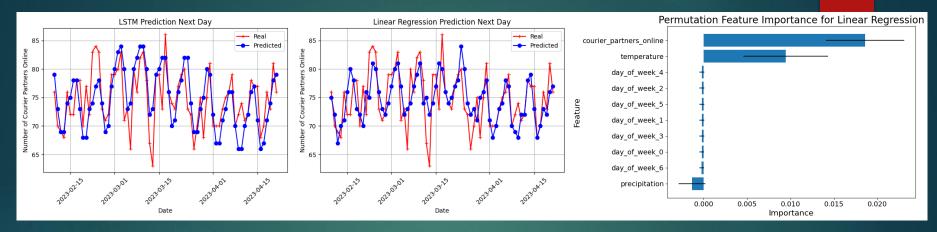
#### Long Short-Term Memory (LSTM) Model:

- Architecture:
  - •Input: (timesteps, features)
  - Layers: 4 LSTM layers with varying units and dropout (30%, 10%, 20%, 30%)
  - Dense Layer: Output layer with n units, which can be 1 or e.g. 20
  - •Total params: 138,271
  - •Loss: MSE, Optimizer: Adam

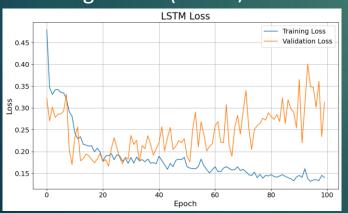
We adopt the <u>LSTM realization for stock</u> <u>prise prediction</u>



#### Results: Next-Day prediction



#### Learning curves (see in /notebooks)



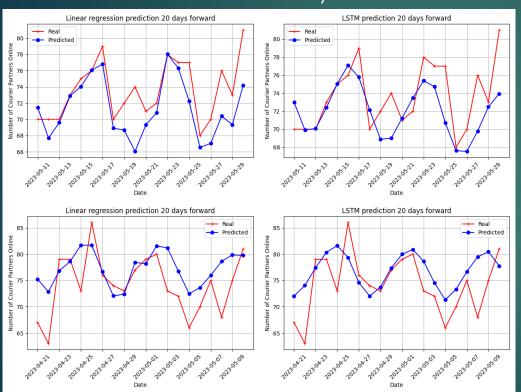
Residual errors

Model	MAE	RMSE	SNR	R2
LSTM	2.92	3.93	25.61	0.35
LR	3.04	3.90	25.67	0.36

- Linear Regression works a bit better than LSTM
- Most important features: 'courier\_partner\_online', 'temperature'
  - Optimal training stop is at 20 Epoch

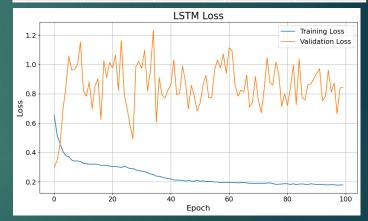
#### Results: Multiple-Day prediction for 20 ahead

#### Predictions for different 20-days terms



#### residual errors

Model	MAE	RMSE	SNR	R2
LSTM	3.43	4.32	24.95	0.29
LR	3.51	4.36	24.71	0.17



- LSTM performs better than LR
- However, LSTM overfits so that test and validation errors fluctuate. Metrics can vary from run to run

#### Conclusion

- ▶ Both LSTM and Linear Regression models predict courier numbers for the Next Day and for Multiple Days ahead based on the historical features.
- ► For both tasks metrics RMSE, SNR, and R-squared show decent performance (R-squared ~0.2-0.3). For the Next-Day task, both models perform similarly, while Linear Regression slightly outperforms for the Multiple-Day task.
- ▶ LSTM performance depends on hyperparameters like batch size and early stopping. For Multiple-Day task LSTM model overfits. Future improvements can focus on hyperparameter optimization and expanding the time series dataset to further enhance performance.