# Systematic Studies for the $\pi^0$ Calibration of the Crystal-Ball Detector

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$$\gamma + p \to \pi^0 + p \to p + \gamma_1 \gamma_2 \tag{1}$$

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 How can it be checked if there is a energy dependency in the CB?

$$\rightarrow |E_1 - E_2| < 25 \, \text{MeV}$$

• What are the reasons for the dependency?

# Crystal-Ball-Function / Reduction of the Underground

 $\bullet \ \, \text{Gaussian Fit Function} \to \text{Crystal-Ball Fit Function} \\$ 

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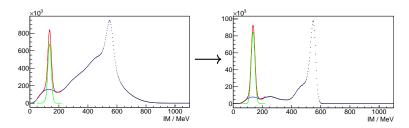


Abbildung: Beamtime: Example for not reduced and reduced underground

- The condition  $|E_1-E_2|<25\,\mathrm{MeV}$  is a strong cut
  - $\rightarrow$  There is no package with enough events

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- Creating a new package with enough events would take to much time (multiple days on blaster)
- It would be better if the same generator is used for all studies
   → The generator should be able to simulate MAMI-Beam and
  isotropic decay

#### No Additional Cut

- Beamtime October 2014
- No additional cut

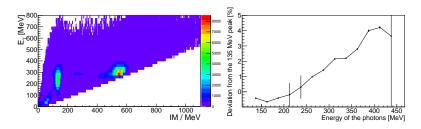


Abbildung: Beamtime: No additional cut

# Detectors on the Edge

- Beamtime October 2014
- Neglect the detectors at the edge

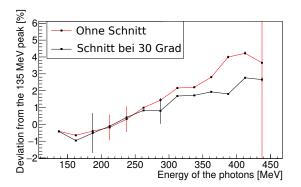


Abbildung: Beamtime: With and without considerations of the detectors on the edge of the beam entrance and exit



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# Detectors on the Edge

- Simulation
- Red: No additional cut
   Black: Neglect the detectors on the edge

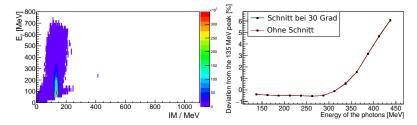


Abbildung: Simulation: Left: Example for the two dimensional histogram with simulated data. Right: Deviation with and without the detectors on the edge

# Minimum Opening Angle

- Simulation
- ullet Opening angle lpha has to be bigger than  $30^\circ$  degree
- $m_{\pi^0} = \sqrt{2E_1E_2(1-\cos(lpha))}$  with  $E_1 pprox E_2$   $\to E_{max} pprox 250 \, {\rm MeV}$

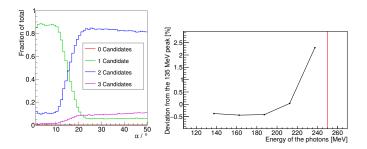


Abbildung: Left: Number of reconstructed candidates for different opening angles. Right: Deviation with  $\alpha>30\,{\rm MeV}$ 

# Isotropic Decay

- Simulation
- $\bullet$   $\pi^0$  decay in the origin of the target
- $\pi^0$  are boosted isotropic with an energy of  $1420\,\mathrm{MeV}$  to  $1580\,\mathrm{MeV}$

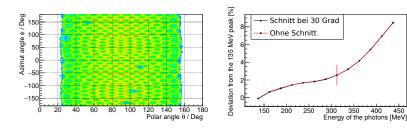


Abbildung: Simulation: Isotropic decay in the origin of the target



Motivation Preparation Studies Further Results Conclusion

# z-Vertex Dependency

- Simulation
- Neglect the detectors on the edge
- Devide the target in smaller sections of 1 cm

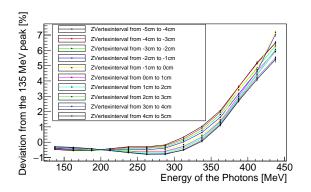


Abbildung: Simulation: Deviations for different z-Vertices



#### Angle between Generated and Reconstructed Candidates

- Simulation
- The angle between generated and reconstructed candidate is calculated

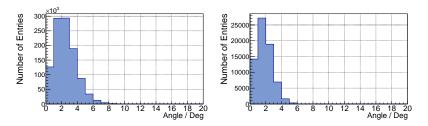
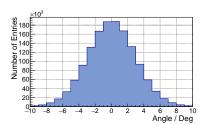


Abbildung: Simulation: Angle between gen. and rec. candidates. Left: Photon energy between  $125\,\text{MeV}$  and  $150\,\text{MeV}$ . Right: Photon energy between  $425\,\text{MeV}$  and  $450\,\text{MeV}$ 



# Difference between Generated and Reconstructed Opening Angle

- Simulation
- $\Delta \alpha = \alpha_{rec} \alpha_{gen}$



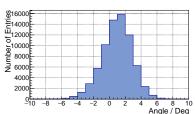


Abbildung: Simulation:  $\Delta \alpha$  for different photon energies. Left  $125\,\mathrm{MeV}$  to  $150 \,\mathrm{MeV}$ . Right from  $425 \,\mathrm{MeV}$  to  $450 \,\mathrm{MeV}$ 



Motivation Preparation Studies Further Results Conclusion

#### $\Delta \alpha$ for Different z-Vertices

- Simulation
- $\Delta \alpha$  for different z-Vertices

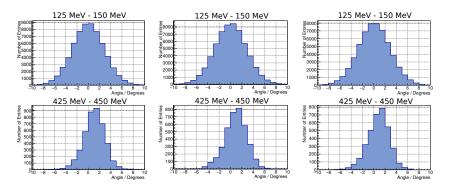


Abbildung: Simulation:  $\Delta \alpha$  for different photon energies. Decay at different z-Vertices



# Hot and Dead Crystals

- There is a energy dependency in the detector
- The reconstructed opening angle is too big for high energies
  - $\rightarrow$  wrong reconstruction of the photon impact position is probably the reason for the dependency (Clustering Algorithm)
- The hardware of some PIDs has to be checked (too few events)
- There is a strange  $\phi$  distribution in the detector
  - → reason for this has also to be determined