

In divide and conquer strategy, the main problem and sub-problems must be of _____ nature.			
Same	Different	Opposite	None of the above
2. What can be done using divide and conquer strategy?			
Merge sort	Binary search	Quick sort	All of the above
3. How do we find the mid in binary search?			
Mid = ceil [(l + h)/ 2]	Mid = floor [(l + h)/ 2]	Mid = square [(l + h)/ 2]	None of the above
4. The worst case time complexity of binary search is			
O(1)	O(log n)	O(n)	O(n log n)
5. The best case time complexity of binary search is			
O(1)	O(log n)	O(n)	O(n log n)
6. The process of merge sort is based upon			
Divide and conquer strategy	Dynamic programming	Greedy approach	None of the above
7. The time complexity of merge sort is _____.			
O (n)	O (1)	O (log n)	O (n log n)
8. Traversing of elements in merge sort is done in _____.			
Preorder	Postorder	Inorder	None of the above
9. In merge sort, the time function T(n) using recurrence relation when n = 1 is			
0	1	-1	None of the above
10. In merge sort, the list is considered as small, when it is having ____ element.			
0	1	2	3
11. The idea behind the quick sort is, the elements on the left side of pivot must be _____ and the elements on the right side of pivot must be _____.			
Greater, smaller	Smaller, greater	Smaller, smaller	Greater, greater
12. The time complexity of quick sort is			

$O(n)$	$O(\log n)$	$O(n \log n)$	None of the above
13. Which data structure is used for sorting of elements in quick sort?			
Stack	Queue	Tree	Graph
14. In quick sort, if we are sorting a sorted list, then it is _____.			
Best case	Average case	Worst case	None of the above
15. In a binary tree, if the node is at index i, then the left child will be at			
$2*i$	$2*i+1$	$3*i$	$3*i+1$
16. In a binary tree, if the node is at index i, then the right child will be at			
$2*i$	$2*i+1$	$3*i$	$3*i+1$
17. In a binary tree, if the node is at index i, then the parent of that node will be at			
$2*i$	$2*i+1$	$\text{Flr}(i/2)$	$\text{Ceil}(i/2)$
18. In best case, the time taken for insertion of element in heapsort is			
$O(1)$	$O(\log n)$	$O(n)$	$O(2)$
19. The number of nodes in a binary tree of height h will be			
$2^{h+1} - 1$	$2^h - 1$	$2^{h-1} - 1$	None of the above
20. The time complexity of merge sort is _____.			
(n)	(1)	(log n)	(n log n)
21. How many index pointers are required for quick sorting?			
0	1	2	3
22. The time complexity of quick sort is			
(n)	(log n)	(n log n)	None of the above
23. In a binary tree, if the node is at index i, then the left child will be at			
$2*i$	$2*i+1$	$3*i$	$3*i+1$

24. In a binary tree, if the node is at index i , then the right child will be at

$2*i$

$2*i+1$

$3*i$

$3*i+1$

25. In a binary tree, if the node is at index i , then the parent of that node will be at

$2*i$

$2*i+1$

$\text{Flr}(i/2)$

$\text{Ceil}(i/2)$