

# 80 Million Tiny Images: A Large Data Set for Nonparametric Object and Scene Recognition

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**Abstract**—With the advent of the Internet, billions of images are now freely available online and constitute a dense sampling of the visual world. Using a variety of nonparametric methods, we explore this world with the aid of a large data set of 79,302,017 images collected from the Web. Motivated by psychophysical results showing the remarkable tolerance of the human visual system to degradations in image resolution, the images in the data set are stored as  $32 \times 32$  color images. Each image is loosely labeled with one of the 75,062 nonabstract nouns in English, as listed in the Wordnet lexical database. Hence, the image database gives comprehensive coverage of all object categories and scenes. The semantic information from Wordnet can be used in conjunction with the nearest neighbor methods to perform object classification over a range of semantic levels, minimizing the effects of labeling noise. For certain classes that are particularly prevalent in the data set, such as people, we are able to demonstrate a recognition performance comparable to class-specific Viola-Jones style detectors.

**Index Terms**—Object recognition, tiny images, large data sets, Internet images, nearest neighbor methods.

## 1 INTRODUCTION

WITH overwhelming amounts of data, many problems can be solved without the need for sophisticated algorithms. One example in the textual domain is Google's "Did you mean?" tool, which corrects errors in search queries, not through a complex parsing of the query but by memorizing billions of query-answer pairs and suggesting the one closest to the user's query. In this paper, we explore a visual analog to this tool by using a large data set of 79 million images and the nearest neighbor matching schemes.

When very many images are available, simple image indexing techniques can be used to retrieve images with similar object arrangements to the query image. If we have a big enough database, then we can find, with high probability, images visually close to a query image, containing similar scenes with similar objects arranged in similar spatial configurations. If the images in the retrieval set are partially labeled, then we can propagate the labels to the query image, thus performing classification.

Nearest neighbor methods have been used in a variety of computer vision problems, primarily for interest point matching [5], [19], [28]. They have also been used for global image matching (e.g., estimation of human pose [36]),

character recognition [4], and object recognition [5], [34]. A number of recent papers have used large data sets of images in conjunction with purely nonparametric methods for computer vision and graphics applications [22], [39].

Finding images within large collections is the focus of the content-based image retrieval (CBIR) community. Their emphasis on really large data sets means that the chosen image representation is often relatively simple, e.g., color [17], wavelets [42], or crude segmentations [9]. This enables very fast retrieval of images similar to the query, for example, the Cortina system [33] demonstrates real-time retrieval from a 10 million image collection, using a combination of texture and edge histogram features; see Datta et al. for a survey of such methods [12].

The key question that we address in this paper is: How big does the image data set need to be to robustly perform recognition using simple nearest neighbor schemes? In fact, it is unclear whether the size of the data set required is at all practical since there are an effectively infinite number of possible images the visual system can be confronted with. What gives us hope is that the visual world is very regular in that real-world pictures occupy only a relatively small portion of the space of possible images.

Studying the space occupied by natural images is hard due to the high dimensionality of the images. One way of simplifying this task is by lowering the resolution of the images. When we look at the images in Fig. 6, we can recognize the scene and its constituent objects. Interestingly, though, these pictures have only  $32 \times 32$  color pixels (the entire image is just a vector of 3,072 dimensions with 8 bits per dimension), yet, at this resolution, the images already seem to contain most of the relevant information needed to support reliable recognition.

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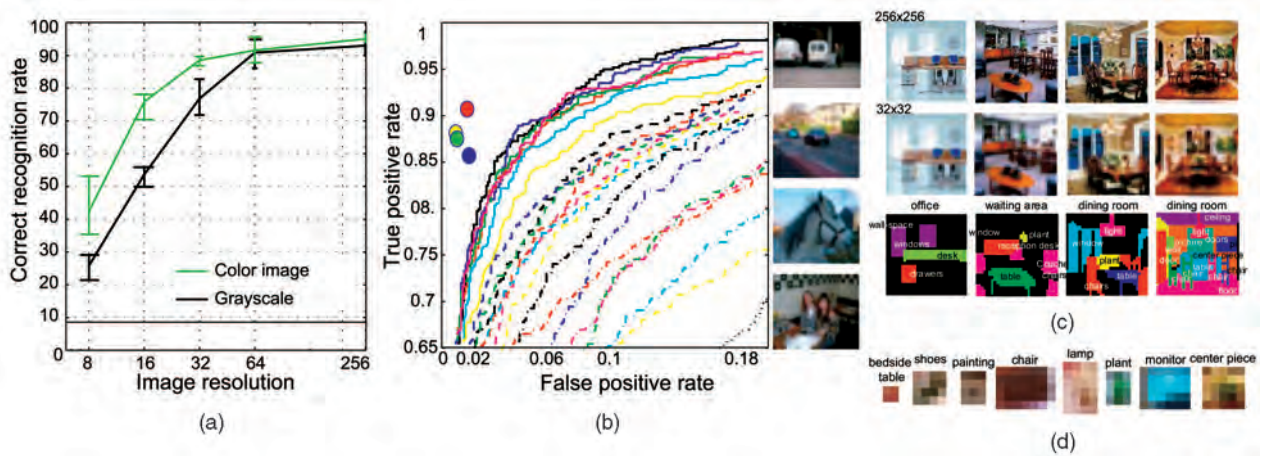


Fig. 1. (a) Human performance on scene recognition as a function of resolution. The green and black curves show the performance on color and gray-scale images, respectively. For color  $32 \times 32$  images, the performance only drops by 7 percent relative to full resolution, despite having  $1/64$ th the pixels. (b) Car detection task on the PASCAL 2006 test data set. The colored dots show the performance of four human subjects classifying tiny versions of the test data. The ROC curves of the best vision algorithms (running on full resolution images) are shown for comparison. All lie below the performance of humans on the tiny images, which rely on none of the high-resolution cues exploited by the computer vision algorithms. (c) Humans can correctly recognize and segment objects at very low resolutions, even when (d) the objects in isolation cannot be recognized.

An important benefit of working with tiny images is that it becomes practical to store and manipulate data sets orders of magnitude bigger than those typically used in computer vision. Correspondingly, we introduce and make available to researchers a data set of 79 million unique  $32 \times 32$  color images gathered from the Internet. Each image is loosely labeled with one of 75,062 English nouns, so the data set covers a very large number of visual object classes. This is in contrast to existing data sets that provide a sparse selection of object classes. In this paper, we will study the impact on having very large data sets in combination with simple techniques for recognizing several common object and scene classes at different levels of categorization.

The paper is divided into three parts. In Section 2, we establish the minimal resolution required for scene and object recognition. In Sections 3 and 4, we introduce our data set of 79 million images and explore some of its properties. In Section 5, we attempt scene and object recognition using a variety of nearest neighbor methods. We measure performance at a number of semantic levels, obtaining impressive results for certain object classes.

## 2 LOW-DIMENSIONAL IMAGE REPRESENTATIONS

A number of approaches exist for computing the *gist* of an image, a global low-dimensional representation that captures the scene and its constituent objects [18], [32], [24]. We show that very low-resolution  $32 \times 32$  color images can be used in this role, containing enough information for scene recognition, object detection, and segmentation (even when the objects occupy just a few pixels in the image).

### 2.1 Scene Recognition

Studies on face perception [1], [21] have shown that only  $16 \times 16$  pixels are needed for robust face recognition. This remarkable performance is also found in a scene recognition task [31].

We evaluate the scene recognition performance of humans as the image resolution is decreased. We used a data set of 15 scenes that was taken from those in [14], [24], [32]. Each image was shown at one of five possible resolutions ( $8^2$ ,  $16^2$ ,  $32^2$ ,  $64^2$ , and  $256^2$  pixels) and the participant task was to assign the low-resolution picture to one of the 15 different scene categories (bedroom, suburban, industrial, kitchen, living room, coast, forest, highway, inside city, mountain, open country, street, tall buildings, office, and store).<sup>1</sup> Fig. 1a shows human performance on this task when presented with gray scale and color images<sup>2</sup> of varying resolution. For gray-scale images, humans need around  $64 \times 64$  pixels. When the images are in color, humans need only  $32 \times 32$  pixels to achieve more than 80 percent recognition rate. Below this resolution, the performance rapidly decreases. Therefore, humans need around 3,000 dimensions of either color or gray-scale data to perform this task. In Section 3, we show that  $32 \times 32$  color images also preserve a great amount of local information and that many objects can still be recognized even when they occupy just a few pixels.

### 2.2 Object Recognition

Recently, the PASCAL object recognition challenge evaluated a large number of algorithms in a detection task for several object categories [13]. Fig. 1b shows the performances (ROC curves) of the best performing algorithms in the car classification task (i.e., is there a car present in the image?). These algorithms require access to relatively high-resolution images. We studied the ability of human

1. Experimental details: Six participants classified 585 color images as belonging to one of the 15 scene categories from those in [14], [24], [32]. Images were presented at five possible resolutions ( $8^2$ ,  $16^2$ ,  $32^2$ ,  $64^2$ , and  $256^2$ ). Each image was shown at five possible sizes using bicubic interpolation to reduce pixelation effects that impair recognition. Interpolation was applied to the low-resolution image with 8 bits per pixel and color channel. Images were not repeated across conditions. Six additional participants performed the same experiment, but with gray-scale images.

2. A recognition rate of 100 percent cannot be achieved in this data set as there is no perfect separation between the 15 categories.

participants to perform the same detection task but using very low-resolution images. Human participants were shown color images from the test set scaled to have 32 pixels on the smallest axis, preserving their aspect ratio. Fig. 1b shows some examples of tiny PASCAL images. Each participant classified between 200 and 400 images selected randomly. Fig. 1b shows the performances of four human observers that participated in the experiment. Although around 10 percent of cars are missed, the performance is still very good, significantly outperforming the computer vision algorithms using full resolution images. This shows that, even though the images are very small, they contain sufficient information for accurate recognition.

Fig. 1c shows some representative  $32^2$  images segmented by human subjects. Despite the low resolution, sufficient information remains for reliable segmentation (more than 80 percent of the segmented objects are correctly recognized), although any further decrease in resolution dramatically affects segmentation performance. Fig. 1d shows crops of some of the smallest objects correctly recognized when shown within the scene. Note that, in isolation, the objects cannot be identified since the resolution is so low; hence, the recognition of these objects within the scene is almost entirely based on context.

Clearly, not all visual tasks can be solved using such low-resolution images. But, the experiments in this section suggest that  $32 \times 32$  color images are the minimum viable size for recognition tasks—the focus of the paper.

### 3 A LARGE DATA SET OF $32 \times 32$ IMAGES

As discussed in the previous sections,  $32 \times 32$  color images contain the information needed to perform a number of challenging recognition tasks. One important advantage of very low-resolution images is that it becomes practical to work with millions of images. In this section, we will describe a data set of  $10^8$  tiny images.

Current experiments in object recognition typically use  $10^2$ – $10^4$  images spread over a few different classes, the largest available data set being one with 256 classes [20]. Other fields, such as speech, routinely use  $10^6$  data points for training since they have found that large training sets are vital for achieving low errors rates in testing [2]. As the visual world is far more complex than the aural one, it would seem natural to use a very large set of training images. Motivated by this and by the ability of humans to recognize objects and scenes in  $32 \times 32$  images, we have collected a database of nearly  $10^8$  such images.

#### 3.1 Collection Procedure

We use Wordnet [15], likely to have any kind of visual consistency. We do this by extracting all nonabstract nouns from the database, 75,062 of them in total. In contrast to existing object recognition data sets that use a sparse selection of classes, by collecting images for all nouns, we have dense coverage of all visual forms.

We selected seven independent image search engines: Altavista, Ask, Flickr, Cydral, Google, Picsearch, and Webshots (others have outputs correlated with these). We automatically download all the images provided by each engine for all 75,846 nonabstract nouns. Running over

8 months, this method gathered 97,245,098 images in total. Once intraword duplicates and uniform images (images with zero variance) are removed, this number is reduced to 79,302,017 images from 75,062 words (around 1 percent of the keywords had no images). Storing this number of images at full resolution is impractical on the standard hardware used in our experiments, so we downsampled the images to  $32 \times 32$  as they were gathered.<sup>3</sup> The data set fits onto a single hard disk, occupying 760 Gbytes in total. The data set may be downloaded from <http://people.csail.mit.edu/torralba/tinyimages>.

Fig. 2a shows a histogram of the number of images per class. Around 10 percent of the query words are obscure, so no images can be found on the Internet, but, for the majority of words, a reasonable number of images are found. We place an upper limit of 3,000 images/word to keep the total collection time to a reasonable level. Although the gathered data set is very large, it is not necessarily representative of all natural images. Images on the Internet have their own biases (e.g., objects tend to be centered and fairly large in the image). However, Web images define an interesting visual world for developing computer vision applications [16], [37].

#### 3.2 Characterization of Labeling Noise

Despite a number of recent efforts at image annotation [35], [43], collecting images from the Web provides a powerful mechanism for building large image databases orders of magnitude larger than is possible with manual methods. However, the images gathered by the engines are loosely labeled in that the visual content is often unrelated to the query word (for example, see Fig. 10). In this section, we characterize the noise present in the labels. Among other factors, the accuracy of the labels depends on the engine used and the specificity of the term used for querying.

In Fig. 2b, we quantify the labeling noise using 3,526 hand-labeled images selected by randomly sampling images out of the first 250 images returned by each online search engine for each word. A recall-precision curve is plotted for each search engine, in which the horizontal axis represents the rank in which the image was returned and the vertical axis is the percentage of images that corresponded to the query. Accuracy drops after the 100th image and then stabilizes at around 44 percent correct on average.

The accuracy of online searchers also varies depending on which terms were used for the query. Fig. 2c shows that the noise varies for different levels of the Wordnet tree, being more accurate when getting close to the leaves of the tree. Fig. 2d shows a subset of the Wordnet tree used to build our data set (the full tree contains  $> 40,000$  leaves). The number and color at each node correspond to the percentage of images correctly assigned to the leaves of each node. The more specific the terms are, the more likely the images are to correspond to the query.

3. Further comments. 1) Wordnet is a lexical dictionary, meaning that it gives the semantic relations between words in addition to the information usually given in a dictionary. 2) The tiny database is not just about objects. It is about everything that can be indexed with Wordnet and this includes scene-level classes such as streets, beaches, mountains, as well as category-level classes, and more specific objects such as US presidents, astronomical objects, and Abyssinian cats. 3) At present, we do not remove interword duplicates since identifying them in our data set is nontrivial.



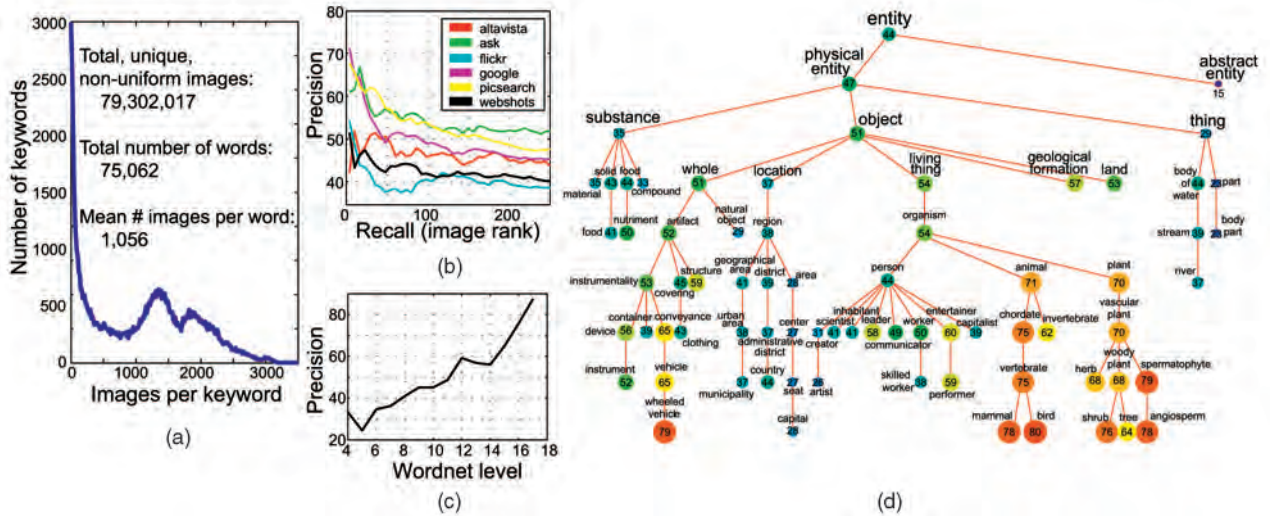


Fig. 2. Statistics of our database of tiny images. (a) A histogram of images per keyword collected. Around 10 percent of keywords have very few images. (b) Performance of the various search engines (evaluated on hand-labeled ground truth). (c) Accuracy of the labels attached at each image as a function of the depth in the Wordnet tree (deeper corresponds to more specific words). (d) Accuracy of labeling for different nodes of a portion of the Wordnet tree.

Various methods exist for cleaning up the data by removing images visually unrelated to the query word. Berg and Forsyth [7] have shown a variety of effective methods for doing this with images of animals gathered from the Web. Berg et al. [6] showed how text and visual cues could be used to cluster faces of people from cluttered news feeds. Fergus et al. [16] have shown the use of a variety of approaches for improving Internet image search engines. Li et al. [26] show further approaches to decreasing label noise. However, due to the extreme size of our data set, it is not practical to employ these methods. In Section 5, we show that reasonable recognition performances can be achieved despite the high labeling noise.

## 4 STATISTICS OF VERY LOW-RESOLUTION IMAGES

Despite  $32 \times 32$  being very low resolution, each image lives in a space of 3,072 dimensions. This is a very large space—if each dimension has 8 bits, there are a total of  $10^{7.400}$  possible images. This is a huge number, especially if we consider that a human in 100 years only gets to see  $10^{11}$  frames (at 30 frames/second). However, natural images only correspond to a tiny fraction of this space (most of the images correspond to white noise) and it is natural to investigate the size of that fraction. A number of studies [10], [25] have been devoted to characterizing the space of natural images by studying the statistics of small image patches. However, low-resolution scenes are quite different from patches extracted by randomly cropping small patches from images.

Given a similarity measure, the question that we want to answer is: *How many images are needed so that, for any given query image, we can always find a neighbor with the same class label?* Note that we are concerned solely with recognition performance, not with issues of intrinsic dimensionality or the like as explored in other studies of large collection of image patches [10], [25]. In this section, we explore how the probability of finding images with a similar label nearby increases with the size of the data set. In turn, this tells us

how big the data set needs to be to give a robust recognition performance.

### 4.1 Distribution of Neighbors as a Function of Data Set Size

As a first step, we use the sum of squared differences (SSD) to compare two images. We will later define other similarity measures that incorporate invariances to translations and scaling. The SSD between two images  $I_1$  and  $I_2$  (normalized to have zero mean and unit norm)<sup>4</sup> is

$$D_{\text{ssd}}^2 = \sum_{x,y,c} (I_1(x, y, c) - I_2(x, y, c))^2. \quad (1)$$

Computing similarities among  $7.9 \times 10^7$  images is computationally expensive. To improve speed, we index the images using the first 19 principal components of the  $7.9 \times 10^7$  images (19 is the maximum number of components per image such that the entire index structure can be held in memory). The  $1/f^2$  property of the power spectrum of natural images means that the distance between two images can be approximated using few principal components (alternative representations using wavelets [42] could also be used in place of the PCA representation). We compute the approximate distance  $\hat{D}_{\text{ssd}}^2 = 2 - 2 \sum_{n=1}^C v_1(n)v_2(n)$ , where  $v_i(n)$  is the  $n$ th principal component coefficient for the  $i$ th image (normalized so that  $\sum_n v_i(n)^2 = 1$ ) and  $C$  is the number of components used to approximate the distance. We define  $S_N$  as the set of  $N$  exact nearest neighbors and  $\hat{S}_M$  as the set of  $M$  approximate nearest neighbors.

Fig. 3a shows the probability that an image, of index  $i$  from the set  $S_N$  is also inside  $\hat{S}_M$ :  $P(i \in \hat{S}_M | i \in S_N)$ . The plot corresponds to  $N = 50$ . For the experiments in this section, we used 200 images randomly sampled from the data sets

4. Normalization of each image is performed by transforming the image into a vector concatenating the three color channels. The normalization does not change image color, only the overall luminance.

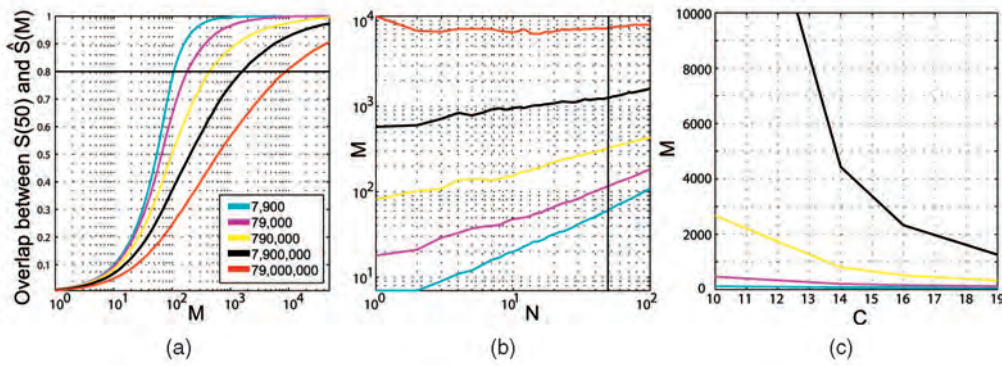


Fig. 3. Evaluation of the method for computing the approximate nearest neighbors. These curves correspond to the similarity measure  $D_{ssd}$ . (a) Probability that an image from the set of exact nearest neighbors  $S_N$ , with  $N = 50$ , is inside the approximate set of nearest neighbors  $\hat{S}_M$  as a function of  $M$ . (b) Number of approximate neighbors ( $M$ ) that need to be considered as a function of the desired number of exact neighbors ( $N$ ) in order to have a probability of 0.8 of finding  $N$  exact neighbors. Each graph corresponds to a different data set size, indicated by the color code. (c) Number of approximate neighbors ( $M$ ) that need to be considered as we reduce the number of principal components ( $C$ ) used for the indexing (with  $N = 50$ ).

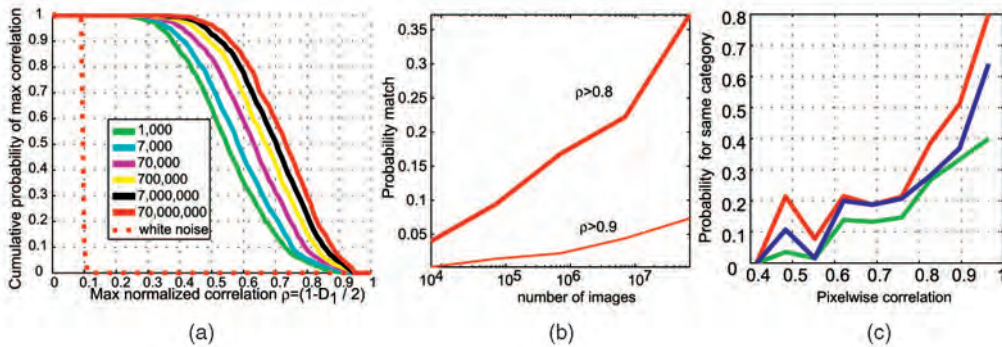


Fig. 4. Exploring the data set using  $D_{ssd}$ . (a) Cumulative probability that the nearest neighbor has a correlation greater than  $\rho$ . Each of the colored curves shows the behavior for a different size of data set. (b) Cross section of figure (a) plots the probability of finding a neighbor with correlation  $> 0.9$  as a function of data set size. (c) Probability that two images belong to the same category as a function of pixelwise correlation (duplicate images are removed). Each curve represents a different human labeler.

and for which we computed the exact distances to all the  $7.9 \times 10^7$  images. Many images on the Web appear multiple times. For the plots in these figures, we have manually removed all of the image pairs that were duplicates.

Fig. 3b shows the number of approximate neighbors ( $M$ ) that need to be considered as a function of the desired number of exact neighbors ( $N$ ) in order to have a probability of 0.8 of finding  $N$  exact neighbors. As the data set becomes larger, we need to collect more approximate nearest neighbors in order to have the same probability of including the first  $N$  exact neighbors.

For the experiments in this paper, we use the following procedure: First, we find the closest 16,000 images per image. In Fig. 3a, we know that more than 80 percent of the exact neighbors will be part of this approximate neighbor set. Then, within the set of 16,000 images, we compute the exact distances to provide the final rankings of neighbors. Exhaustive search, used in all of our experiments, takes 30 seconds per image using the principle components method. This can be dramatically improved through the use of a kd tree to 0.3 seconds per query, if fast retrieval performance is needed. The memory overhead of the kd tree means that only 17 of the 19 PCA components can be used. Devising efficient indexing methods for large

image databases [30], [19], [40] is a very important topic of active research, but it is not the focus of this paper.

Fig. 4 shows several plots measuring various properties as the size of the data set is increased. The plots use the normalized correlation  $\rho$  between images (note that  $D_{ssd}^2 = 2(1 - \rho)$ ). In Fig. 4a, we show the probability that the nearest neighbor has a normalized correlation exceeding a certain value. Each curve corresponds to a different data set size. Fig. 4b shows a vertical section through Fig. 4a at the correlations 0.8 and 0.9, plotting the probability of finding a neighbor as the number of images in the data set grows. In Fig. 4b, we see that a third of the images in the data set are expected to have a neighbor with correlation  $> 0.8$ .

In Fig. 4c, we explore how the plots shown in Figs. 4a and 4b relate to recognition performance. Three human subjects labeled pairs of images as belonging to the same visual class or not (pairs of images that correspond to duplicate images are removed). The plot shows the probability that two images are labeled as belonging to the same class as a function of image similarity. As the normalized correlation exceeds 0.8, the probability of belonging to the same class grows rapidly. Hence, a simple K-nearest neighbor approach might be effective with our size of data set. We will explore this further in Section 5.





Fig. 5. (a) Image matching using distance metrics  $D_{ssd}$ ,  $D_{warp}$ , and  $D_{shift}$ . Top row: After transforming each neighbor by the optimal transformation, the sunglasses always result in a poor match. However, for the car example on the bottom row, the matched image approximates the pose of the target car. (b) Sibling sets from 79,302,017 images found with distance metrics  $D_{ssd}$  and  $D_{shift}$ .  $D_{shift}$  provides better matches than  $D_{ssd}$ .

## 4.2 Image Similarity Metrics

We can improve recognition performance using better measures of image similarity. We now introduce two additional similarity measures between a pair of normalized images,  $I_1$  and  $I_2$ , which incorporate invariances to simple spatial transformations:

- In order to incorporate invariance to small translations, scaling, and image mirror, we define the similarity measure:

$$D_{warp}^2 = \min_{\theta} \sum_{x,y,c} (I_1(x,y,c) - T_{\theta}[I_2(x,y,c)])^2.$$

In this expression, we minimize the similarity by transforming  $I_2$  (horizontal mirror; translations and scaling up to 10 pixel shifts) to give the minimum SSD. The transformation parameters  $\theta$  are optimized by gradient descent [29].

- We allow for additional distortion in the images by shifting every pixel individually within a  $5 \times 5$  window to give minimum SSD. This registration can be performed with more complex representations than pixels (e.g., Berg et al. [5]). In our case, the minimum can be found by exhaustive evaluation of all shifts, only possible due to the low resolution of the images:

$$D_{shift}^2 = \min_{|D_{x,y}| \leq w} \sum_{x,y,c} (I_1(x,y,c) - \hat{I}_2(x + D_x, y + D_y, c))^2.$$

In order to get better matches, we initialize  $I_2$  with the warping parameters obtained after the optimization of  $D_{warp}$ ,  $\hat{I}_2 = T_{\theta}[I_2]$ .

Fig. 5 shows a pair of images being matched using the three metrics and shows the resulting neighbor images transformed by the optimal parameters that minimize each similarity measure. The figure shows two candidate neighbors: one matching the target semantic category and another one that corresponds to a wrong match. For  $D_{warp}$  and  $D_{shift}$ , we show the closest manipulated image to the target.  $D_{warp}$  looks for the best translation, scaling, and horizontal mirror of the candidate neighbor in order to match the target.  $D_{shift}$  further optimizes the warping

provided by  $D_{warp}$  by allowing pixels to move in order to minimize the distance with the target.

Fig. 5b shows two examples of query images and the retrieved neighbors (*sibling set*) out of 79,302,017 images using  $D_{ssd}$  and  $D_{shift}$ . For speed, we use the same low-dimensional approximation as described in the previous section by evaluating  $D_{warp}$  and  $D_{shift}$  only on the first 16,000 candidates. This is a good indexing scheme for  $D_{warp}$ , but it results in a slight decrease of performance for  $D_{shift}$ , which would require more neighbors to be considered. Despite this, both measures provide good matches, but  $D_{shift}$  returns closer images at the semantic level. This observation will be quantified in Section 5. Fig. 6 shows examples of query images and sets of neighboring images, from our data set of 79,302,017 images, found using  $D_{shift}$ .

## 5 RECOGNITION

### 5.1 Wordnet Voting Scheme

We now attempt to use our data set for object and scene recognition. While an existing computer vision algorithm could be adapted to work on  $32 \times 32$  images, we prefer to use a simple nearest neighbor scheme based on one of the distance metrics  $D_{ssd}$ ,  $D_{warp}$ , or  $D_{shift}$ . Instead of relying on the complexity of the matching scheme, we let the data to do the work for us: The hope is that there will always be images close to a given query image with some semantic connection to it. The goal of this section is to show that the performance achieved can match that of sophisticated algorithms which use much smaller training sets.

An additional factor in our data set is the labeling noise. To cope with this, we propose a voting scheme based around the Wordnet semantic hierarchy. Wordnet [15] provides semantic relationships between the 75,062 nouns for which we have collected images. For simplicity, we reduce the initial graph-structured relationships between words to a tree-structured one by taking the most common meaning of each word. The result is a large semantic tree whose nodes consist of the 75,062 nouns and their hypernyms, with all of the leaves being nouns Fig. 7c shows the unique branch of this tree belonging to the nouns “vise” and “chemist.”



Fig. 6. As we increase the size of the data set from  $10^5$  to  $10^8$  images, the quality of the retrieved set increases dramatically. However, note that we need to increase the size of the data set logarithmically in order to have an effect. These results are obtained using  $D_{\text{shift}}$  as a similarity measure between images.

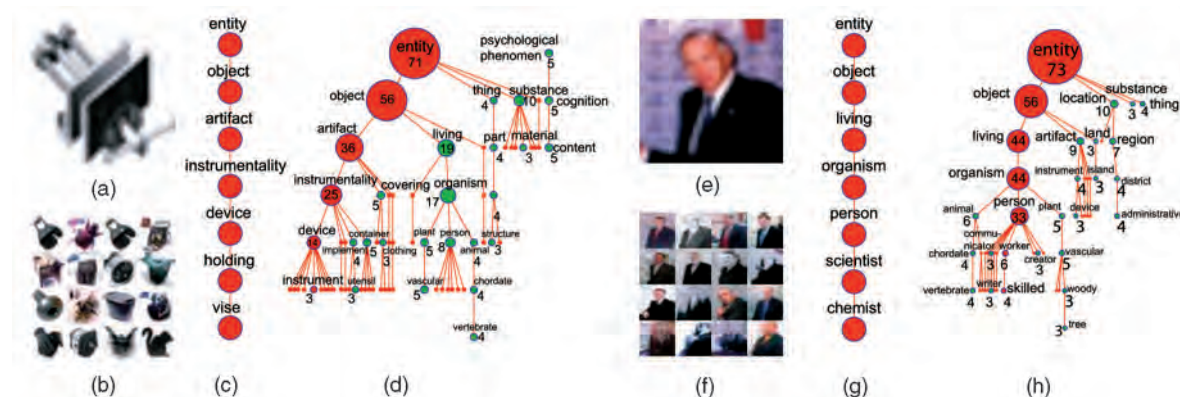


Fig. 7. This figure shows two examples. (a) Query image. (b) First 16 of 80 neighbors found using  $D_{\text{shift}}$ . (c) Ground truth Wordnet branch describing the content of the query image at multiple semantic levels. (d) Subtree formed by accumulating branches from all 80 neighbors. The number in each node denotes the accumulated votes. The red branch shows the nodes with the most votes. Note that this branch substantially agrees with the branch for *person* in the first and second examples, respectively.

Recognition of a test image can be performed at multiple semantic levels. Given the large number of classes in our data set (75,062) and their highly specific nature, it is not practical or desirable to classify each of the classes separately. Instead, using the Wordnet hierarchy, we can perform classification at a variety of different semantic levels. Therefore, instead of just trying to recognize the noun “yellowfin tuna,” we may also perform recognition at the level of “tuna,” “fish,” or “animal.” This is in contrast to the current approaches to recognition that only consider a single manually imposed semantic meaning of an object or scene.

If classification is performed at some intermediate semantic level, for example, using the noun “person,” we need not only consider images gathered from the Internet using “person.” Using the Wordnet hierarchy tree, we can also draw on all images belonging to nouns whose hypernyms include “person” (for example, “arithmetician”). Hence, we can massively increase the number of images in our training set at higher semantic levels. Near the top of the tree, however, the nouns are so generic (e.g., “object”) that the child images recruited in this manner

have little visual consistency, so their extra numbers may be of little use in classification.<sup>5</sup>

Our classification scheme uses the Wordnet tree in the following way: Given a query image, the neighbors are found using some similarity measure (typically,  $D_{\text{shift}}$ ). Each neighbor in turn votes for its branch within the Wordnet tree. Votes from the entire sibling set are accumulated across a range of semantic levels, with the effects of the labeling noise being averaged out over many neighbors. Classification may be performed by assigning the query image the label with the most votes at the desired height (i.e., semantic level) within the tree, the number of votes acting as a measure of confidence in the decision. In Fig. 7a, we show two examples of this procedure, showing how precise classifications can be made despite significant labeling noise and spurious siblings. Using this scheme, we now address the task of classifying images of people.

5. The use of Wordnet tree in this manner implicitly assumes that semantic and visual consistency are tightly correlated. While this might be the case for certain nouns (for example, “poodle” and “dachshund”), it is not clear how true this is in general. To explore this issue, we constructed an interactive poster that may be viewed at <http://csail.mit.edu>.



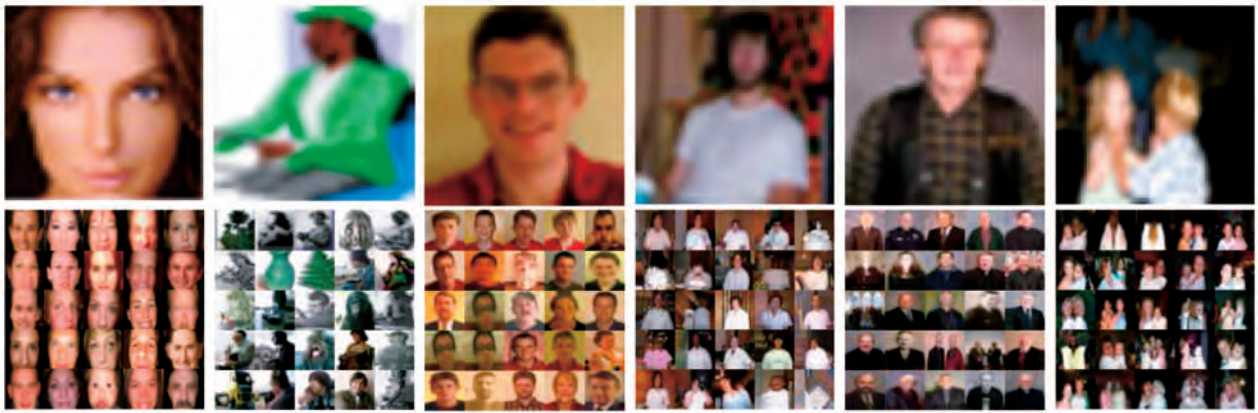


Fig. 8. Some examples of test images belonging to the “person” node of the Wordnet tree, organized according to body size. Each pair shows the query image and the 25 closest neighbors out of 79 million images using  $D_{\text{shift}}$  with  $32 \times 32$  images. Note that the sibling sets contain people in similar poses, with similar clothing to the query images.

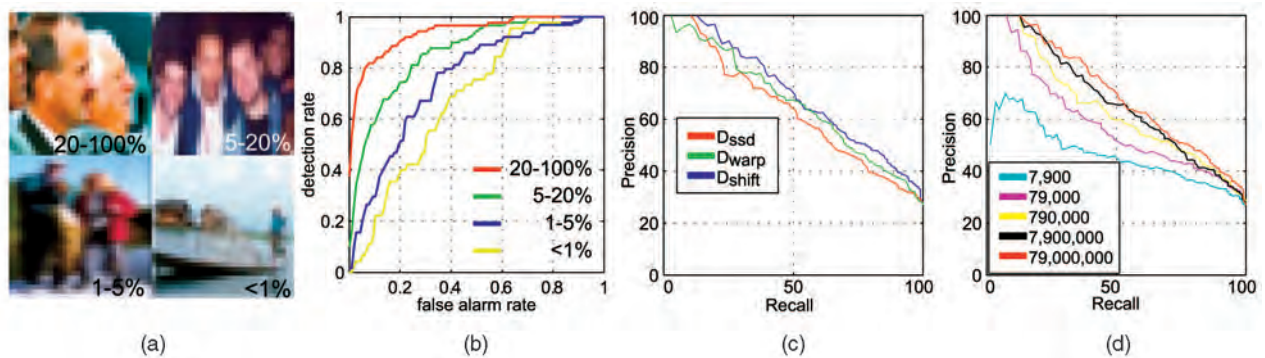


Fig. 9. (a) Examples showing the fraction of the image occupied by the head. (b)-(d) ROC curves for people detection (not localization) in images drawn randomly from the data set of 79 million as a function of (b) head size, (c) similarity metrics, and (d) data set size using  $D_{\text{shift}}$ .

## 5.2 Person Detection

In this experiment, our goal is to label an image as containing a person or not, a task with many applications on the Web and elsewhere. A standard approach would be to use a face detector, but this has the drawback that the face has to be large enough to be detected and must generally be facing the camera. While these limitations could be overcome by running multiple detectors, each tuned to different view (e.g., profile faces, head and shoulders, and torso), we adopt a different approach.

As many images on the Web contain pictures of people, a large fraction (23 percent) of the 79 million images in our data set have people in them. Thus, for this class, we are able to reliably find a highly consistent set of neighbors, as shown in Fig. 8. Note that most of the neighbors match not only the category but also the location and size of the body in the image, which varies considerably in the examples.

To classify an image as containing people or not, we use the scheme introduced in Section 5.1, collecting votes from the 80 nearest neighbors. Note that the Wordnet tree allows us make use of hundreds of other words that are also related to “person” (e.g., artist, politician, kid, taxi driver, etc.). To evaluate performance, we used two different sets of test images. The first consisted of a random sampling of images from the data set. The second consisted of images returned by Altavista using the query “person.”

### 5.2.1 Evaluation Using Randomly Drawn Images

There were 1,125 images randomly drawn from the data set of 79 million (Fig. 8 shows six of them, along with some of their sibling set). For evaluation purposes, any people within the 1,125 images were manually segmented.<sup>6</sup>

Fig. 9b shows the classification performance as the size of the person in the image varies. When the person is large in the image, the performance is significantly better than when the person is small. This occurs for two reasons: First, when the person is large, the picture become more constrained and, hence, finding good matches becomes easier. Second, the weak labels associated with each image in our data set typically refer to the largest object in the image. Figs. 9c and 9d show precision-recall curves for different similarity measures and varying data set size, respectively, with the full 79 million images and  $D_{\text{shift}}$  yielding the best performance.

### 5.2.2 Evaluation Using Altavista Images

Our approach can also be used to improve the quality of Internet image search engines. We gathered 1,018 images from Altavista image search using the keyword “person.” Each image was classified using the approach described in Section 5.1. The set of 1,018 images was then reordered according to the confidence of each classification. Fig. 10a

6. The images and segmentations are available at [http://labelme.csail.mit.edu/browseLabelMe/static\\_web\\_tinyimages\\_testset.html](http://labelme.csail.mit.edu/browseLabelMe/static_web_tinyimages_testset.html).



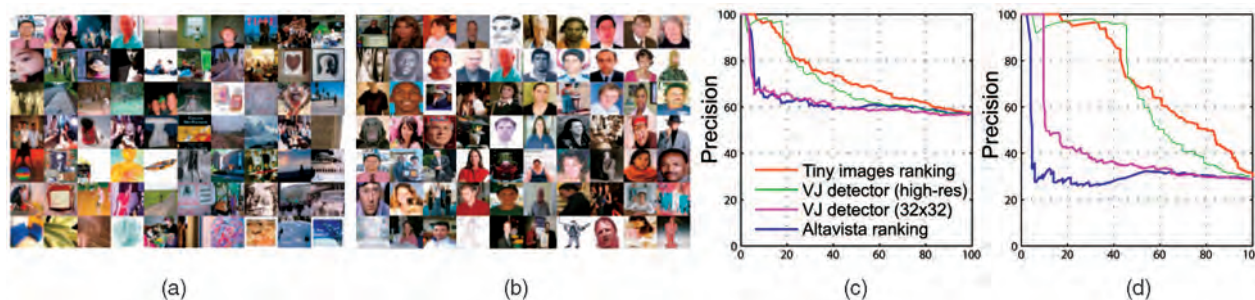


Fig. 10. (a) The first 70 images returned by Altavista when using the query “person” (out of 1,018 total). (b) The first 70 images after reordering using our Wordnet voting scheme with the 79,000,000 tiny images. (c) Comparison of the performance of the initial Altavista ranking with the reordered images using the Wordnet voting scheme and also a Viola and Jones-style frontal face detector. (c) Shows the recall-precision curves for all 1,018 images gathered from Altavista and (d) shows curves for the subset of 173 images, where people occupy at least 20 percent of the image.

shows the initial Altavista ranking, while Fig. 10b shows the reordered set, showing a significant improvement in quality.

To quantify the improvement in performance, the Altavista images were manually annotated with bounding boxes around any people present. Out of the 1,018 images, 544 contained people and of these 173 images contained people occupying more than 20 percent of the image.

Fig. 10 shows the precision-recall curves for the people detection task. Fig. 10c shows the performance for all Altavista images, while Fig. 10d shows the performance on the subset where people occupy at least 20 percent of the image. Note that the raw Altavista performance is the same, irrespective of the person’s size (in both plots, by 5 percent, recall the precision is at the level of chance). This illustrates the difference between indexing an image using nonvisual versus visual cues. Fig. 10 also shows the results obtained when running a frontal face detector (an OpenCV implementation of Viola and Jones boosted cascade [27], [41]). We run the face detector on the original high-resolution images. Note that the performance of our approach working on  $32 \times 32$  images is comparable to that of the dedicated face detector on high-resolution images. For comparison, Fig. 10 also shows the results obtained when running the face detector on low-resolution images. (We downsampled each image so that the smallest axis has 32 pixels; we then upsampled the images again to the original resolution using bicubic interpolation. The upsampling operation was to allow the detector to have sufficient resolution to be able to scan the image.) The performance of the OpenCV detector drops dramatically with low-resolution images.

### 5.3 Person Localization

While the previous section was concerned with an object detection task, we now address the more challenging problem of object localization. Even though the tiny image data set has not been labeled with the location of objects in the images, we can use the weakly labeled (i.e., only a single label is provided for each image) data set to localize objects. Much of the recent work in object recognition uses explicit models that labels regions of images as being object/background. In contrast, we use the tiny image data set to localize without learning an explicit object model. It is important to emphasize that this operation is performed

without manual labeling of images: All of the information comes from the loose text label associated with each image.

The idea is to extract multiple putative crops of the high-resolution query image (Figs. 11a, 11b, and 11c). For each crop, we resize it to  $32 \times 32$  pixels and query the tiny image database to obtain its siblings set (Fig. 11d). When a crop contains a person, we expect the sibling set to also contain people. Hence, the most prototypical crops should get have a higher number of votes for the person class. To reduce the number of crops that need to be evaluated, we first segment the image using normalized cuts [11], producing around 10 segments (segmentation is performed on the high-resolution image). Then, all possible combinations of contiguous segments are considered, giving a set of putative crops for evaluation. Fig. 11 shows an example of this procedure. Fig. 11d shows the best scoring bounding box for images from the Altavista test set.

### 5.4 Scene Recognition

Many Web images correspond to full scenes, not individual objects. In Fig. 12, we attempt to classify the 1,125 randomly drawn images (containing objects, as well as scenes) into “city,” “river,” “field,” and “mountain” by counting the votes at the corresponding node of the Wordnet tree. Scene classification for the  $32 \times 32$  images performs surprisingly well, exploiting the large weakly labeled database.

### 5.5 Automatic Image Annotation and Data Set Size

Here, we examine the classification performance at a variety of semantic levels across many different classes as we increase the size of the database. For evaluation, we use the test set of 1,125 randomly drawn tiny images, with each image being fully segmented and annotated with the objects and regions that compose each image. To give a distinctive test set, we only use images for which the target object is absent or occupies at least 20 percent of the image pixels. Using the voting tree described in Section 5.1, we classified them using  $K = 80$  neighbors at a variety of semantic levels. To simplify the presentation of results, we collapsed the Wordnet tree by hand (which had 19 levels) down to three levels (see Fig. 13 for the list of categories at each level).

In Fig. 13, we show the average ROC curve area (across words at that level) at each of the three semantic levels for  $D_{\text{ssd}}$  and  $D_{\text{shift}}$  as the number of images in the data set is varied. Note that 1) the classification performance increases

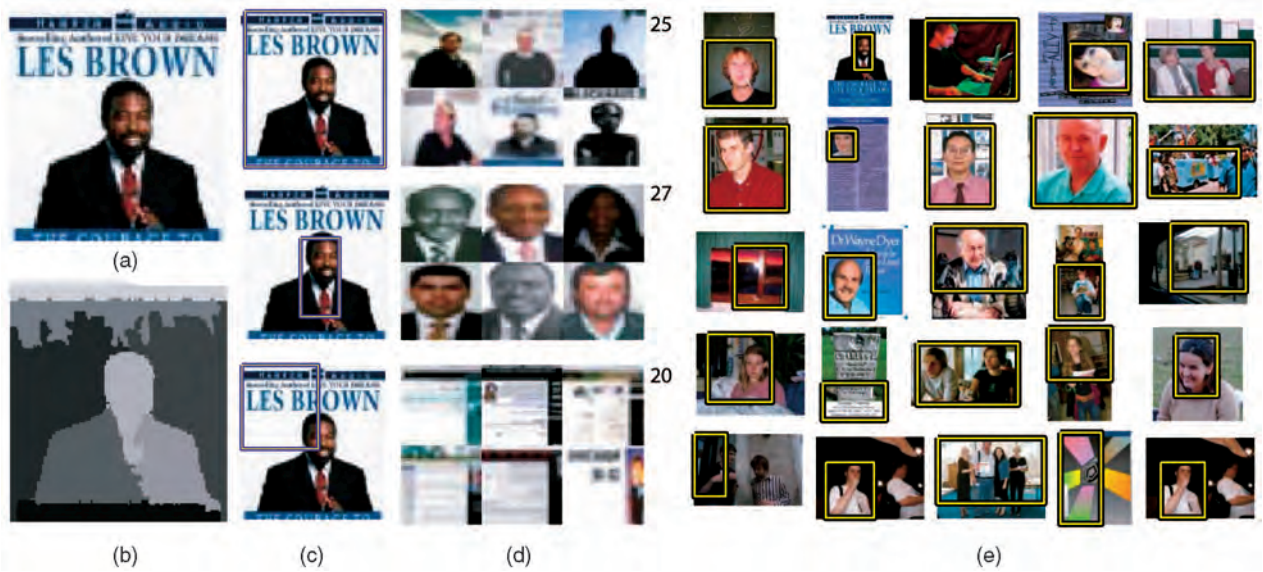


Fig. 11. Localization of people in images. (a) Input image. (b) Normalized-cuts segmentation. (c) Three examples of candidate crops. (d) The six nearest neighbors of each crop in (c), accompanied by the number of votes for the person class obtained using 80 nearest neighbors under similarity measure  $D_{\text{shift}}$ . (e) Localization examples.

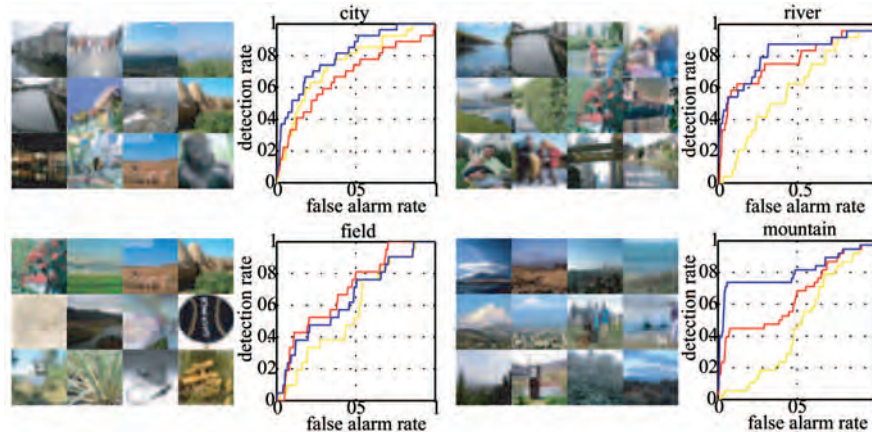


Fig. 12. Scene classification using the randomly drawn 1,125 image test set. Note that the classification is “mountain” versus all classes present in the test set (which includes many kinds of objects), not “mountain” versus “field,” “city,” and “river” only. Each quadrant shows some examples of high scoring images for that particular scene category, along with an ROC curve (yellow = 7,900 image training set, red = 790,000 images, blue = 79,000,000 images).

as the number of images increases, 2)  $D_{\text{shift}}$  outperforms  $D_{\text{ssd}}$ , and 3) the performance drops off as the classes become more specific. A similar effect of data set size has already been shown by the language understanding community [2].

By way of illustrating the quality of the recognition achieved by using the 79 million weakly labeled images, we show in Fig. 14, for categories at three semantic levels, the images that were more confidently assigned to each class. Note that, despite the simplicity of the matching procedure presented here, the recognition performance achieves reasonable levels even for relatively fine levels of categorization.

## 6 THE IMPORTANCE OF SOPHISTICATED METHODS FOR RECOGNITION

The plot in Fig. 15 shows the frequency of objects in the tiny images database (this distribution is estimated using the hand labeled set of 1,148 images). This distribution is similar to word frequencies in text (Zipf’s law). The vertical

axis shows the percentage of annotated polygons for each object category. The horizontal axis is the object rank (objects are sorted by frequency). The four most frequent objects are people (29 percent), plant (16 percent), sky (9 percent), and building (5 percent). In the same plot, we show the distribution of objects in the LabelMe data set [35]. Similar distributions are also obtained from data sets collected by other groups [38].

As the distribution in Fig. 15 reveals, even when collecting extremely large databases, there will always be a large number of categories with very few training samples available. For some classes, a large amount of training data will be available and, as we discuss in this paper, the nearest neighbor methods can be very effective. However, for many other classes, learning will have to be performed with small data sets (for which we need to use sophisticated object models and transfer learning techniques).



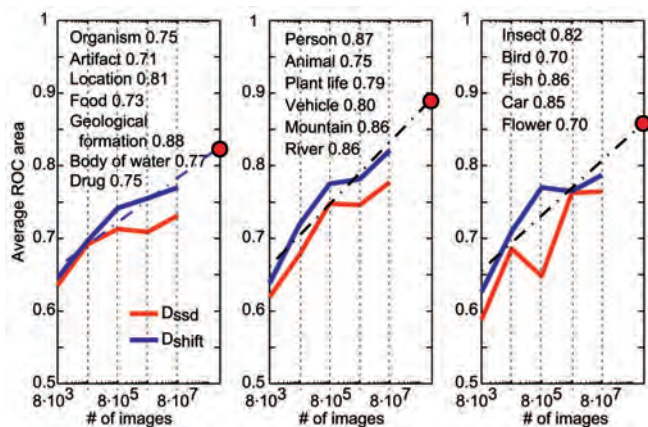


Fig. 13. Classification at multiple semantic levels using 1,125 randomly drawn tiny images. Each plot shows a different manually defined semantic level, increasing in selectivity from left to right. The curves represent the average (across words at that level) ROC curve area as a function of the number of images in the data set (red =  $D_{ssd}$ , blue =  $D_{shift}$ ). Words within each of the semantic levels are shown in each subplot, accompanied by the ROC curve area when using the full data set. The red dot shows the expected performance if all images in Google image search were used ( $\sim 2$  billion), extrapolating linearly.

## 7 CONCLUSIONS

This paper makes the following important contributions: 1) the compilation of a data set of 79 million  $32 \times 32$  color images, each with a weak text label and link to the original image, which is available for download, 2) the characterization of the manifold of  $32 \times 32$  images, showing that Internet sized data sets ( $10^8$ - $10^9$ ) yield a reasonable density over the manifold of natural images, at least for the purposes of object recognition, and 3) the demonstration that simple nonparametric methods, in conjunction with a large data set, can give reasonable performance on object recognition tasks. For richly represented classes, such as people, the performance is comparable to leading class-specific detectors.

Previous usage of nonparametric approaches in recognition have been confined to more limited domains (e.g., pose recognition [36]) compared with the more general problems

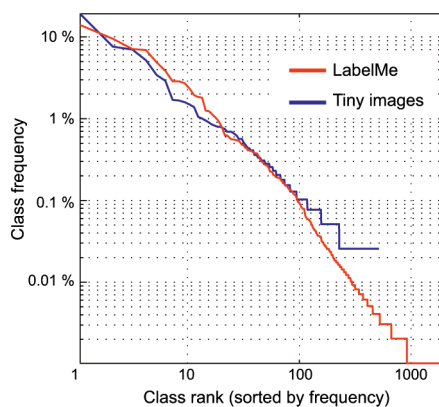


Fig. 15. Distribution of labels in image data sets. The vertical axis gives the percentage of polygons in the two data sets containing each object category (objects are sorted by frequency rank). The plot is in log-log axis.

tackled in this paper, the limiting factor being the need for very large amounts of training data. The results obtained using our tiny image data set are an encouraging sign that the data requirements may not be insurmountable. Indeed, search engines such as Google index another 2-3 orders of magnitude more images, which could yield a significant improvement in performance.

In summary, all methods in object recognition have two components: the model and the data. The vast majority of the effort in recent years has gone into the modeling part—seeking to develop suitable parametric representations for recognition. In contrast, this paper moves in other direction, exploring how the data itself can help to solve the problem. We feel the results in this paper warrant further exploration in this direction.

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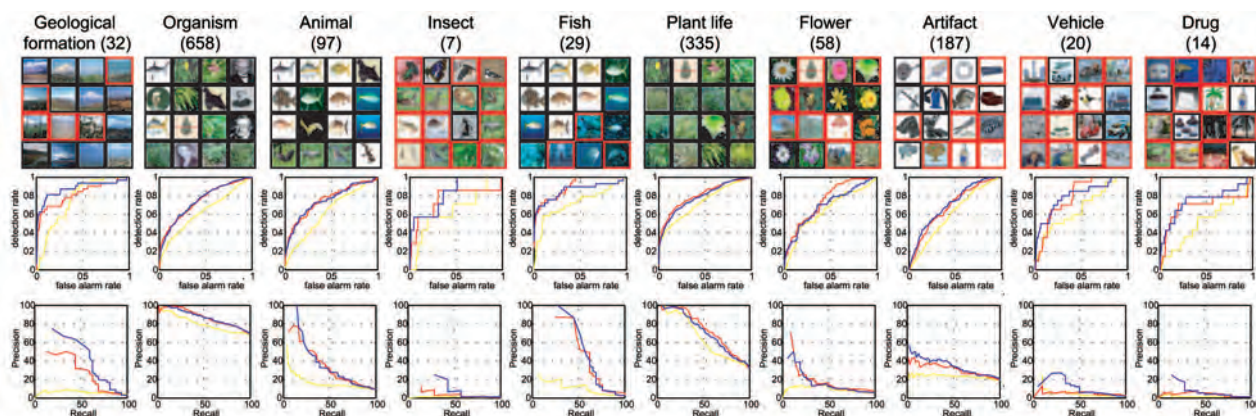


Fig. 14. (a) Test images assigned to words, ordered by confidence. The images are ordered by voting confidence. The number indicates the total number of positive examples in the test set out of the 1,148 images. The color of the bounding box indicates if the image was correctly assigned (black) or not (red). (b) Shows the ROC curves for three data set sizes (yellow = 7,900 image training set, red = 790,000 images, blue = 79,000,000 images). (c) The corresponding precision-recall graphs.

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