

1. 40) XZ(W)= X10. Z(W) Xp(w) XZ(U) i) X(w)= ×2(~)H(w) マーちの一方で X (w) = (Continued on) 一下之一。 与圣子

Och Entained

 $\times_{p(\omega)}$

j)
$$X = \hat{X}(\omega) \cdot \text{snc}(\bar{x}_{S}\omega)$$
. Innermost is largest and outside harmonics are decreased by $\text{sinc}(\bar{x}_{S}\omega)$

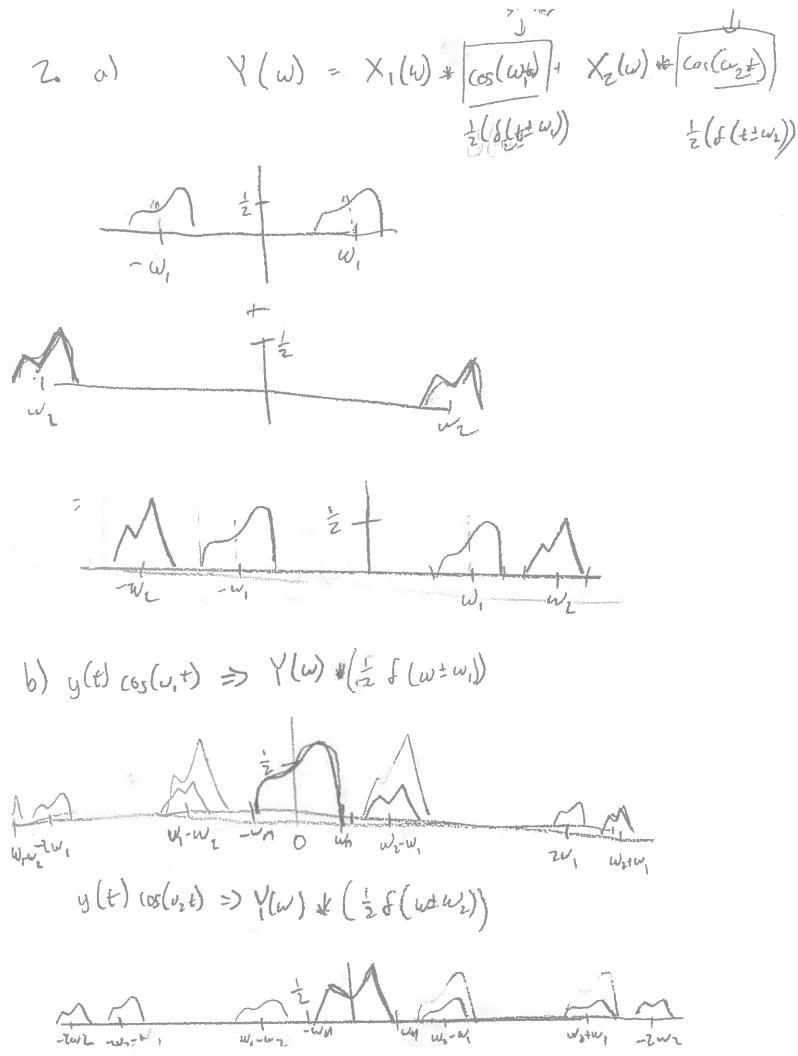
k. At $\omega = \frac{1}{\sqrt{10}}$, $\hat{X}(\omega) = X_{Z}(\omega) = X_{W}(\omega) \cdot Z(\omega) = X_{W}(\omega)$. $\hat{X}(\omega) = X_{W}(\omega) = X_{W}(\omega)$

$$\hat{X}(\omega) = \frac{1}{\sqrt{10}} \cdot \hat{X}(\omega) = X_{W}(\omega) = X_{W}(\omega)$$

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2. c) Recovery K(t) from y(t): $x_1(t) cos(w,t)$ TUPF (wtoff= wn) = = X((1) x1(+) = (F(y(+) cos(w,+), wn).2 = Z. LPF (y(t) cos (w,t), cutoft - wm) X2(t): Same process, but seplace w, with wz Xz = Z-LPF (ylt) cod wzt), cutoff = wn) = = = = (4) Vile) = L FE

3. a) Vout + VL + VR(4) = Vin(4) VL(4) = L IE

Vout + Ld! + Ri(4) = Vin(1)

$$V_{\text{out}} = \frac{Q}{C} \qquad V_{\text{f}} = LQ' \qquad V_{\text{R}} = RQ'$$

$$V_{\text{f}} = LC(V_{\text{out}})'' \qquad V_{\text{R}} = RC(V_{\text{out}})'$$

$$A) \qquad V_{\text{out}} + LC(V_{\text{out}})'' + RC(U_{\text{out}})' = V_{\text{in}}$$

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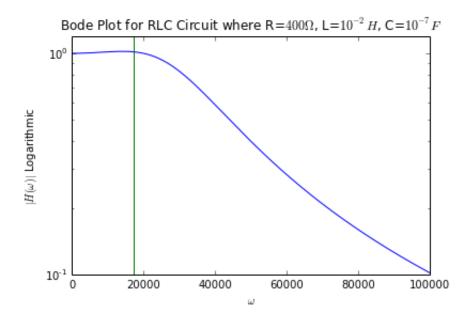
Max when diff(a) = 0 d a bda-abb al Hall = bda = ads (a2-62) = (a2+62) = (2(a)(ZwBC) Pg+26 (RC)) = (a2+b2)2 [Za(2WRC)(RC) = 26(RO)] $a^2-b^2 = a^2+b^2$ a= 1-w2 LC b= wrc a2= 1-Zw2 LC + W4 L2 C2 ρ=(ZLZ+13β2C2)ω2+(L2C2)ω4=0 =[2L+3R'C=\4E+6R'LL-4E2] = 2LL+3R'C1 = (2LL+3R'C)-4L'C2 +9R4C2 2[2L+3R2C+R-6CL+9R2C2] C[2L+3R2C+1[2L+3R2C)2-4L2 $\omega = \left[\frac{4[2L+3R^2C^{\frac{1}{2}}R,6CL+9R^3C^2]^{\frac{1}{2}}}{d\omega}\right] = 0$

Problem Set 8 - Mitchell Kwock - Problem 3e

```
In [1]: import numpy as np
import matplotlib.pyplot as plt
%matplotlib inline
```

```
In [3]:
        r = 400
        1 = 1e-2
        c = 1e-7
        omegas = np.linspace(0, 100000, 1001)
        response = [np.abs(getRLC(w, r, 1, c)) for w in omegas]
        high = rlcHigh(r, l, c)
        fig = plt.figure()
        ax = fig.add_subplot(1, 1, 1)
        ax.set_yscale('log')
        plt.plot(omegas, response)
        plt.plot([high, high], [1e-1, 1.2])
        plt.ylim([1e-1, 1.2])
        plt.title('Bode Plot for RLC Circuit where R=$400\Omega$, L=$10^{-2}H$, C=$1
        0^{-7}F$')
        plt.xlabel('$\omega$')
        plt.ylabel('$|H(\omega)|$ Logarithmic')
```

Out[3]: <matplotlib.text.Text at 0xaa87c18>



```
In [4]:
        r = 50
        1 = 1e-2
        c = 1e-7
        omegas = np.linspace(0, 100000, 1001)
        response = [np.abs(getRLC(w, r, 1, c)) for w in omegas]
        high = rlcHigh(r, 1, c)
        fig = plt.figure()
        ax = fig.add_subplot(1, 1, 1)
        ax.set_yscale('log')
        plt.plot(omegas, response)
        plt.plot([high, high], [1e-1, 10])
        plt.ylim([1e-1, 10])
        plt.title('Bode Plot for RLC Circuit where R=$50\Omega$, L=$10^{-2}H$, C=$1
        0^{-7}F$')
        plt.xlabel('$\omega$')
        plt.ylabel('$|H(\omega)|$ Logarithmic')
```

Out[4]: <matplotlib.text.Text at 0xb0b14e0>

