

b.py

```
def create_uniform_distribution(self, name):
```

The above function in **b.py** should be defined according to the following formula,

$$\forall_{e \in \mathbf{E}} \forall_{f \in \mathbf{F}} t(e|f) = \frac{1.0}{|\mathbf{F}|} \quad (1)$$

where $t(\dots)$ is a conditional distribution with the name **name**, \mathbf{E} is the English vocabulary, \mathbf{F} is the foreign vocabulary, $|\mathbf{F}|$ is the number of words in the foreign vocabulary.

The function should return the initialized conditional distribution $t(\dots)$.

```
def conditional_probability(self, sentence_index, epsilon, conditional)
```

The above function in **b.py** should be defined according to the following formula,

$$p(\mathbf{e}|\mathbf{f}) = \frac{\epsilon}{(l_f)^{l_e}} \sum_{j=0}^{(l_e-1)} \sum_{i=0}^{(l_f-1)} t(e_j|f_i) \quad (2)$$

where the function argument **conditional** is represented in the formula by $t(\dots)$, and where \mathbf{e} and \mathbf{f} are the English and foreign sentences at **sentence_index**, e_j is the j^{th} token in the English sentence, f_i is the i^{th} token in the foreign sentence, l_e is the length of the English sentence in tokens, l_f is the length of the foreign sentence in tokens, and ϵ is **epsison**.

The function should return the floating point value $p(\mathbf{e}|\mathbf{f})$.

```
def perplexity(self, epsilon, conditional):
```

The above function in **b.py** should be defined according to the following formula,

$$PP = - \sum_{s=0}^{S-1} \log_2 p(\mathbf{e}_s|\mathbf{f}_s) \quad (3)$$

where S is the number of sentence pairs in the parallel corpus, s is a sentence index, and $p(\mathbf{e}_s|\mathbf{f}_s)$ in the formula represents a function call to **conditional_probability**.

The function should return the floating point value PP .
