

Incorporating RNA Modifications into ViennaRNA's Predictive Models

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Hinxton, 2 April 2025



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RNA Forecast

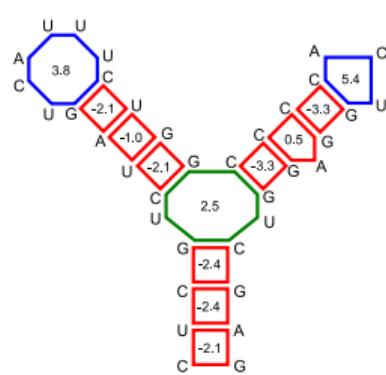
The RNA Folding Problem

Hierarchical folding: Secondary structure forms first then helices arrange to form tertiary structure



- Secondary structure captures the majority of stabilizing
- Convenient and biologically useful description
- Efficient algorithms for many thermodynamic properties
- High prediction accuracy for small RNAs
- Good basis for 3D structure modeling and RNA folding kinetics

RNA Secondary Structures - Nearest Neighbor Energy Model



$$E(Y) = \begin{aligned} & U \square A + C \square G + G \square C + C \square G + \\ & U \square G + U \square A + C \square U + G \square U + \\ & G \square C + C \square G + C \square G + A \square C + \\ & A \square C + C \square G + C \square G + A \square C + \\ & = -6.50 \text{ kcal/mol} \end{aligned}$$

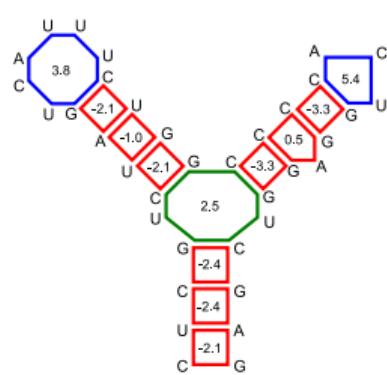
- Decomposition of Secondary structures s into loops L
- Contributions of a base pair depend on neighboring pairs
- Each loop L is assigned a free energy contribution $E_L^{[1]}$

$$E(s) \approx \sum_{L \in s} E_L$$

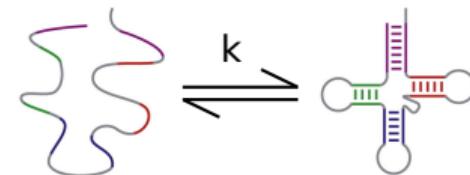
[1]

Mittal et al., "NNDB: An Expanded Database of Nearest Neighbor Parameters for Predicting Stability of Nucleic Acid Secondary Structures", 2024, J. Mol. Biol., 168549

RNA Secondary Structures - Nearest Neighbor Energy Model



$$E(Y) = U \begin{array}{|c|} \hline \textcolor{blue}{G} \\ \textcolor{red}{C} \\ \textcolor{green}{U} \\ \textcolor{blue}{A} \\ \textcolor{red}{C} \\ \textcolor{blue}{G} \\ \textcolor{red}{U} \\ \hline \end{array} -2.1 + C \begin{array}{|c|} \hline \textcolor{blue}{G} \\ \textcolor{red}{U} \\ \textcolor{green}{A} \\ \textcolor{blue}{C} \\ \textcolor{red}{U} \\ \textcolor{blue}{G} \\ \textcolor{red}{A} \\ \hline \end{array} -2.4 + G \begin{array}{|c|} \hline \textcolor{blue}{C} \\ \textcolor{red}{C} \\ \textcolor{green}{G} \\ \textcolor{blue}{G} \\ \textcolor{red}{C} \\ \textcolor{blue}{G} \\ \textcolor{red}{U} \\ \hline \end{array} -2.4 + C \begin{array}{|c|} \hline \textcolor{blue}{G} \\ \textcolor{red}{U} \\ \textcolor{green}{C} \\ \textcolor{blue}{C} \\ \textcolor{red}{G} \\ \textcolor{blue}{G} \\ \textcolor{red}{C} \\ \hline \end{array} 2.5 + \\ U \begin{array}{|c|} \hline \textcolor{blue}{G} \\ \textcolor{red}{C} \\ \textcolor{green}{U} \\ \textcolor{blue}{A} \\ \textcolor{red}{C} \\ \textcolor{blue}{G} \\ \textcolor{red}{U} \\ \hline \end{array} -2.1 + A \begin{array}{|c|} \hline \textcolor{blue}{U} \\ \textcolor{red}{U} \\ \textcolor{green}{G} \\ \textcolor{blue}{G} \\ \textcolor{red}{A} \\ \textcolor{blue}{C} \\ \textcolor{red}{C} \\ \hline \end{array} -1.0 + G \begin{array}{|c|} \hline \textcolor{blue}{C} \\ \textcolor{red}{A} \\ \textcolor{green}{U} \\ \textcolor{blue}{G} \\ \textcolor{red}{C} \\ \textcolor{blue}{U} \\ \textcolor{red}{A} \\ \hline \end{array} -2.1 + A \begin{array}{|c|} \hline \textcolor{blue}{U} \\ \textcolor{red}{U} \\ \textcolor{green}{C} \\ \textcolor{blue}{C} \\ \textcolor{red}{G} \\ \textcolor{blue}{G} \\ \textcolor{red}{U} \\ \hline \end{array} 3.8 + \\ C \begin{array}{|c|} \hline \textcolor{blue}{C} \\ \textcolor{red}{G} \\ \textcolor{green}{G} \\ \textcolor{blue}{A} \\ \textcolor{red}{C} \\ \textcolor{blue}{G} \\ \textcolor{red}{U} \\ \hline \end{array} -3.3 + C \begin{array}{|c|} \hline \textcolor{blue}{C} \\ \textcolor{red}{G} \\ \textcolor{green}{A} \\ \textcolor{blue}{G} \\ \textcolor{red}{C} \\ \textcolor{blue}{A} \\ \textcolor{red}{U} \\ \hline \end{array} 0.5 + C \begin{array}{|c|} \hline \textcolor{blue}{C} \\ \textcolor{red}{G} \\ \textcolor{green}{G} \\ \textcolor{blue}{G} \\ \textcolor{red}{C} \\ \textcolor{blue}{G} \\ \textcolor{red}{U} \\ \hline \end{array} -3.3 + A \begin{array}{|c|} \hline \textcolor{blue}{A} \\ \textcolor{red}{C} \\ \textcolor{green}{U} \\ \textcolor{blue}{G} \\ \textcolor{red}{C} \\ \textcolor{blue}{G} \\ \textcolor{red}{U} \\ \hline \end{array} 5.4 + \\ = -6.50 \text{ kcal/mol}$$



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$$\Delta G = G(\text{folded}) - G(\text{unfolded})$$

$$\Delta G = \Delta H - T\Delta S$$

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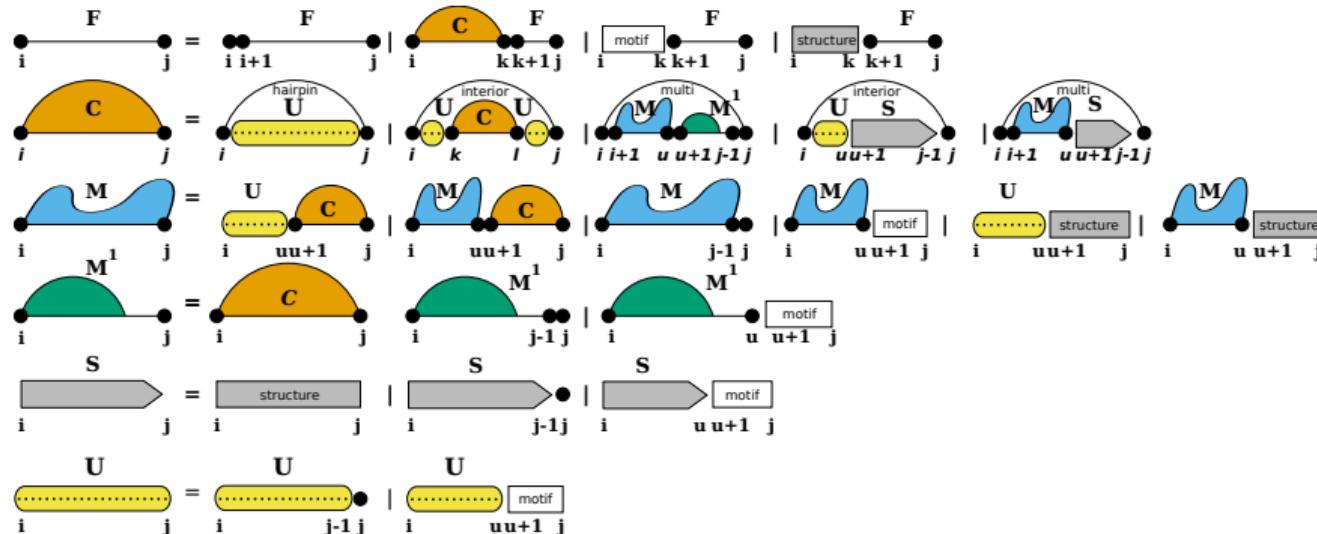
[1] Mittal et al., "NNDB: An Expanded Database of Nearest Neighbor Parameters for Predicting Stability of Nucleic Acid Secondary Structures", 2024, J. Mol. Biol., 168549

RNA Secondary Structure Prediction

Nussinov decomposition scheme:



Full decomposition scheme:

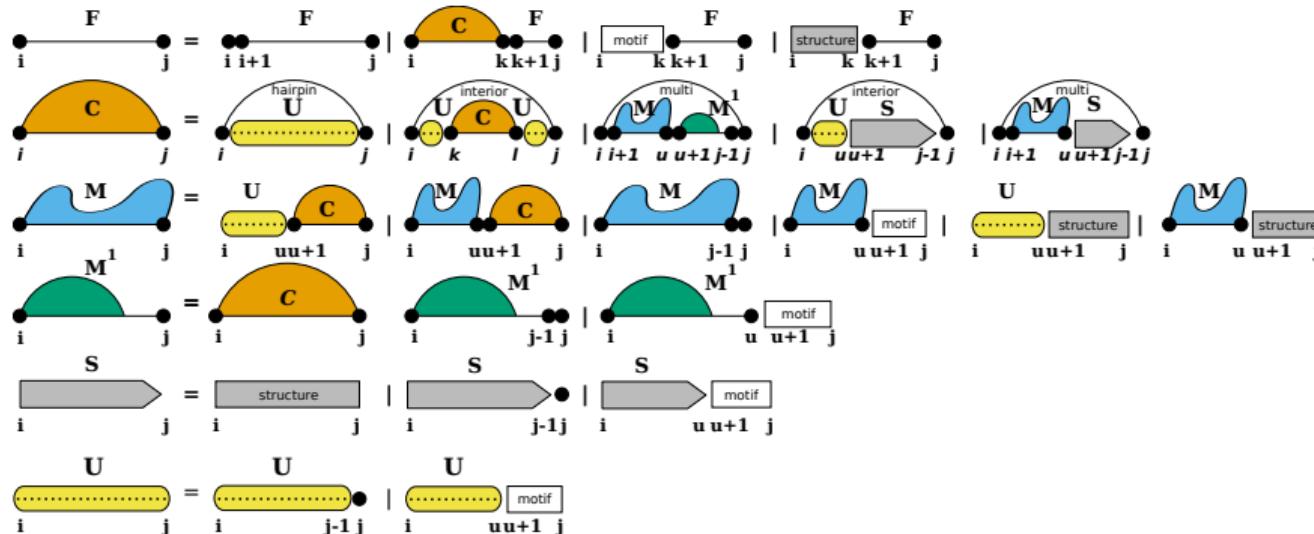


RNA Secondary Structure Prediction

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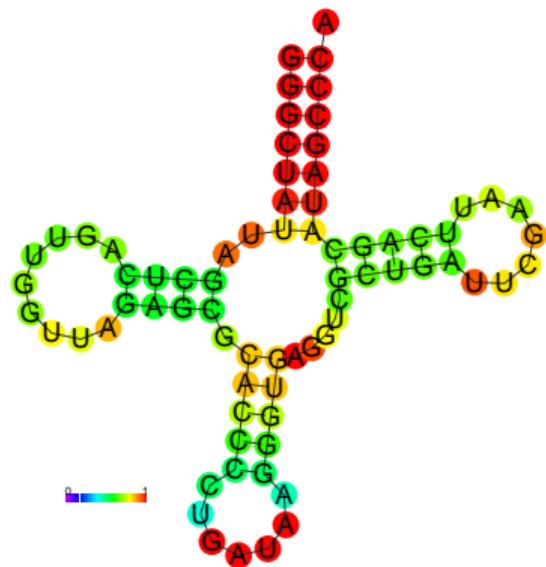
Availability

Implemented in ViennaRNA Package including libRNA and scripting language interface

ViennaRNA Secondary Structure Prediction

- Minimum free energy (MFE) structure

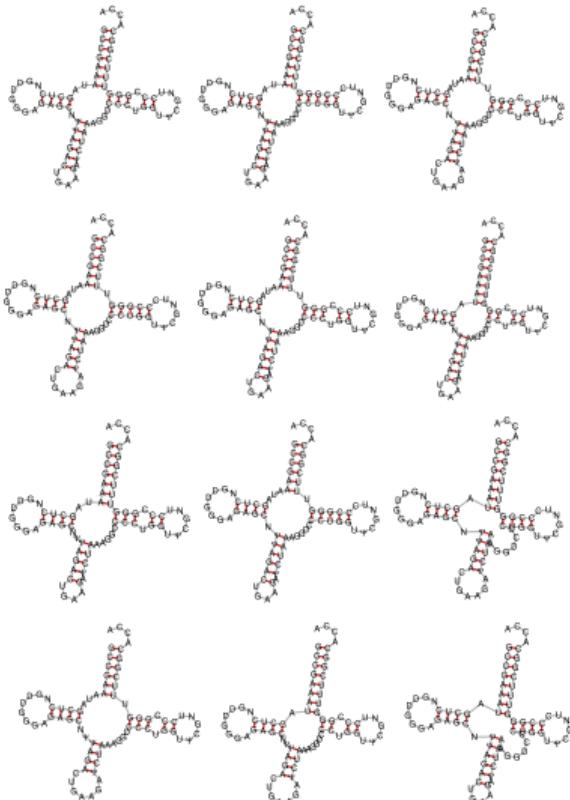
MFE structure



ViennaRNA Secondary Structure Prediction

- Minimum free energy (MFE) structure
- Suboptimal secondary structures

suboptimal secondary structures



ViennaRNA Secondary Structure Prediction

- Minimum free energy (MFE) structure
- Suboptimal secondary structures
- Partition function Z

$$p(s) \propto e^{-\beta E(s)} \quad \text{with} \quad \beta = \frac{1}{kT}$$

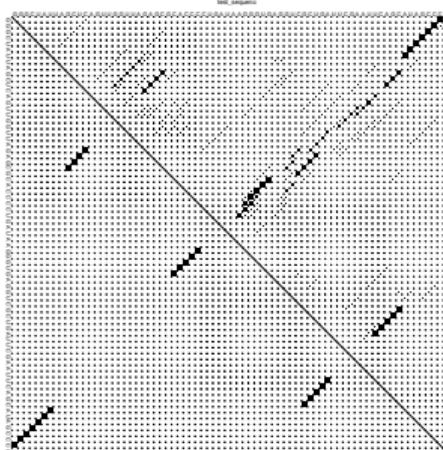
$$Z = \sum_s e^{-\beta E(s)} \equiv \sum_E g(E) e^{-\beta E}$$

- Probability $p(\mathcal{F})$ of feature \mathcal{F}

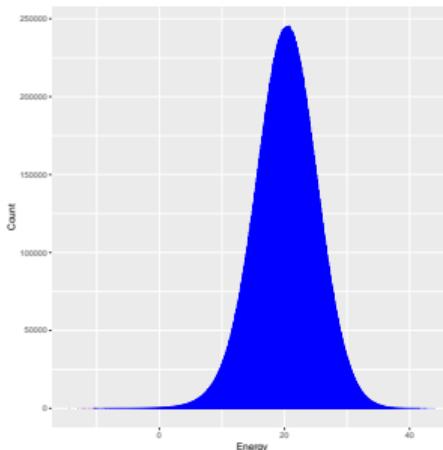
$$p(\mathcal{F}) = \frac{Z_{\mathcal{F}}}{Z} \quad \text{with} \quad Z_{\mathcal{F}} = \sum_{s | F \in s} e^{-\beta E(s)}$$

- Base Pair Probabilities, Accessibility, etc.

base pair probability dot plot



density of states (DoS)



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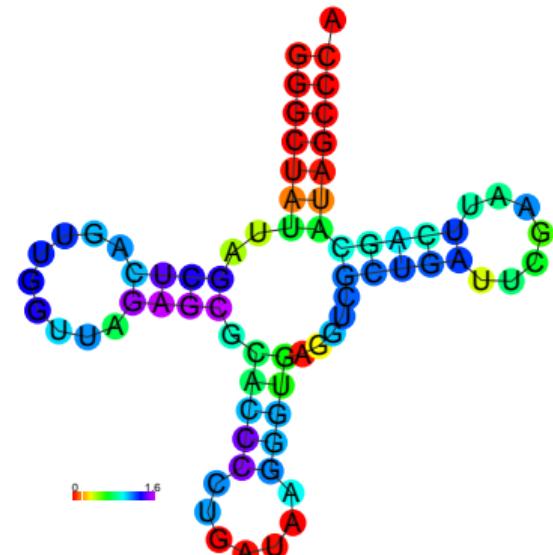
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- Base Pair Probabilities, Accessibility, etc.
- Global / local reliability measures

positional ('Shannon') entropy



$$PE(i) = - \sum_k p_{ik} \ln p_{ik}$$

ViennaRNA Secondary Structure Prediction

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standard NN energy model

$$E(s) \approx \sum_{L \in s} E_L$$

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soft constraints allow for adding pseudo energy terms $E_L^{m_i}$

$$E(s) = \sum_{L \in s} E_L + \Delta\Delta E_L^m$$

$$\Delta\Delta E_L^m = \sum_i (E_L^{m_i} - E_L)$$

- Probability $p(\mathcal{F})$ of feature \mathcal{F}

$$p(\mathcal{F}) = \frac{Z_{\mathcal{F}}}{Z} \quad \text{with} \quad Z_{\mathcal{F}} = \sum_{s | F \in s} e^{-\beta E(s)}$$

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- **Hard constraints** limit candidate search space
- **Soft constraints** change candidate evaluation

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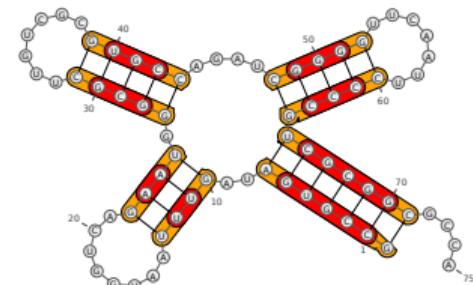
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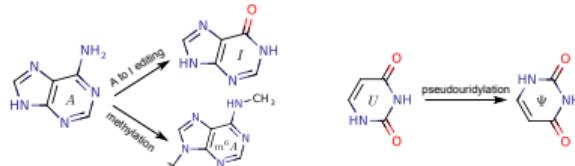
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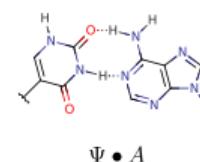
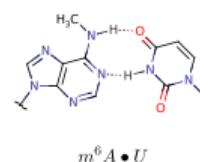
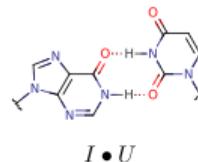
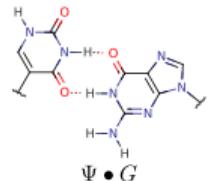
$$\Delta G(i) = m * \ln(\text{reactivity}[i] + 1) + b$$

Modified Bases in RNA

Post-transcriptional RNA modifications (epitranscriptome):



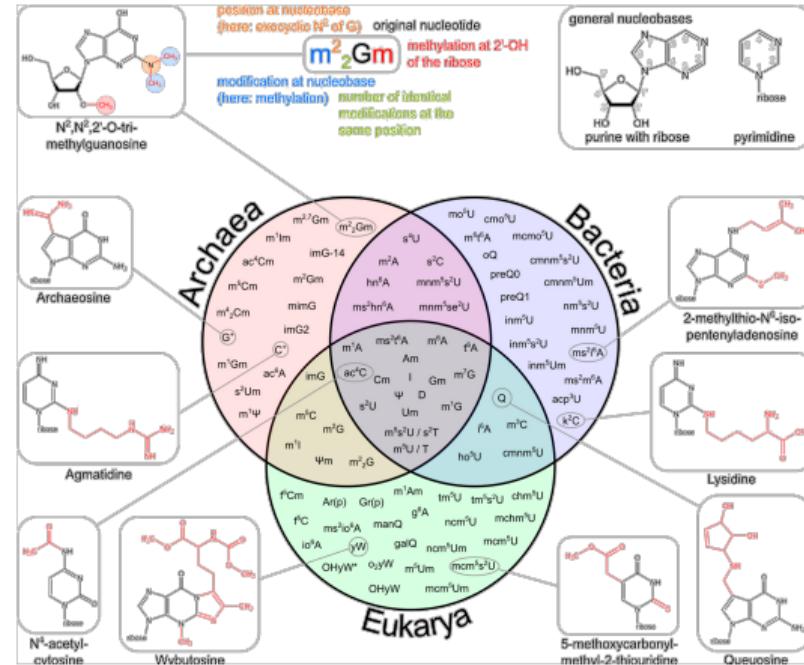
- Modomics Database^[2] lists 335 different modified bases
- Commonly known modifications: *I*, Ψ , m^6A , m^1A , m^5C , ...
- Function and purpose of modifications still largely unknown
- Structural effects of base modifications:
 - correct folding of ncRNAs into functional structures (tRNA, rRNA, etc.)
 - regulation of protein binding sites (mRNAs, lncRNAs)
 - regulation of RNA-RNA binding sites (siRNA, miRNA)
 - Modifications may change pairing partner preference
 - Modifications may (de-)stabilize loop formation



[2] Cappannini et al., "MODOMICS: a database of RNA modifications and related information.", 2024, NAR 52.D1, D239–D244

Modifications in tRNA^[3]

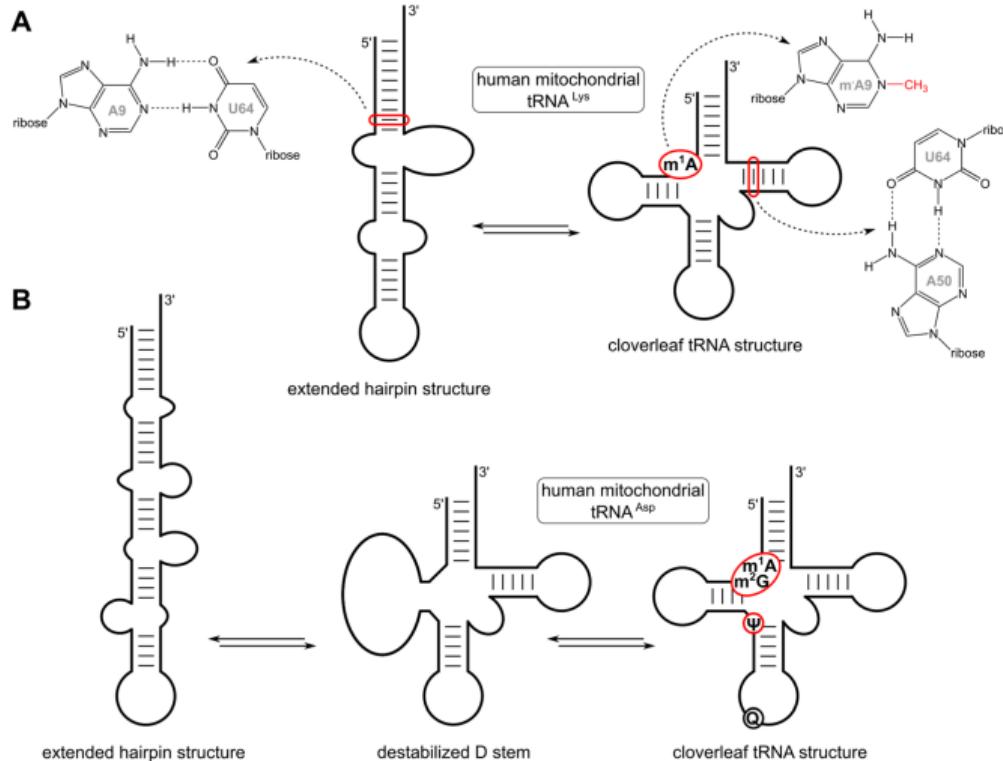
93 known post-transcriptional modifications



- Modifications can be subtle from the RNA structure perspective
 - Some are essential to induce structural domain rearrangements

[3]

Modifications in tRNA^[3]



RNA Secondary Structure Prediction and Modified Bases

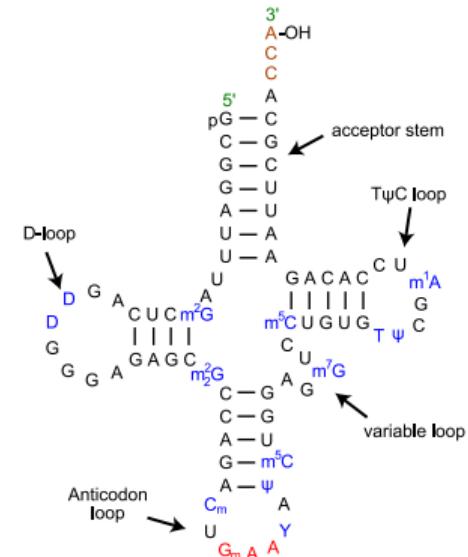
How to model modified bases in prediction algorithms?

Actual Requirements:

- Enhanced Nucleotide Alphabet
- Additional base pairing rules
- Corresponding energy parameters

Obstacles:

- 2D structure effects are known only for a few modifications
- 3D effects either are unknown or impossible to model
- Combinatorial explosion for energy parameters / pairing rules



RNA Modifications - Status Quo of the ViennaRNA Package

Built-in modifications:

- inosine (I)
- pseudouridine (Ψ)
- m^6A
- m^5C
- $7DA$
- purine (a.k.a. nebularine)
- dihydrouridine (D)

Available through JSON files:

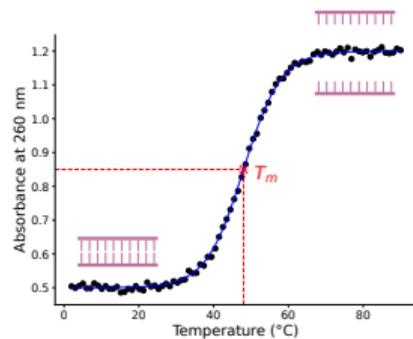
- $m^1\Psi$
- m^5C

Prevent base pairing (hard constraints):

- m^1A
- m^1G
- m_2^2G
- m^3U
- m_2^6A
- $acp^3\Psi$

Energy parameters are incomplete and mostly restricted to base pair stacking

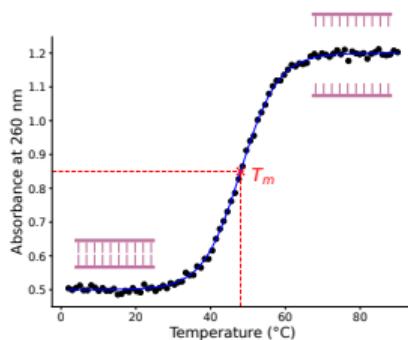
How To Obtain Energy Parameters for Modified Bases?



Experiments

- UV melting approach
- expensive and time-consuming
- Availability of modifications can be a problem

How To Obtain Energy Parameters for Modified Bases?

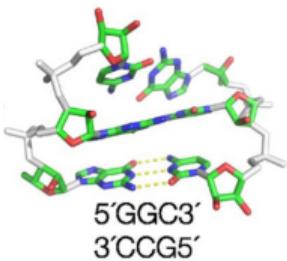


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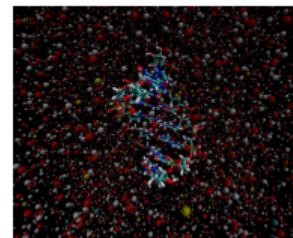
Computational methods

Coarse grained modeling



- No solvent
- Less degrees of freedom
- Lower computational costs

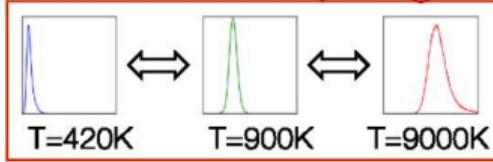
Molecular dynamics



- Solvent
- Higher computational costs
- Fewer approximations
- Complex to set-up

RECCES^[4] Simulation

Simulated tempering



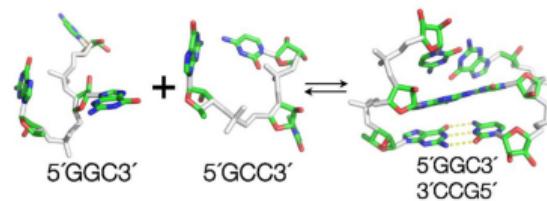
- Monte Carlo simulation
- Temperature changes during the simulation
 - To overcome energy barriers
- Energy function
 - Combination of Physics- and knowledge-based terms



Density of states

$$Z = \sum_{s \in \Omega} e^{-\beta E(s)}$$

$$\Delta G = G(\text{folded}) - G(\text{unfolded})$$



$$\begin{aligned}\Delta G(5'GGC \atop 3'CCG) &= \\ G(5'GGC \atop 3'CCG) - G(GGC) - G(CCG)\end{aligned}$$

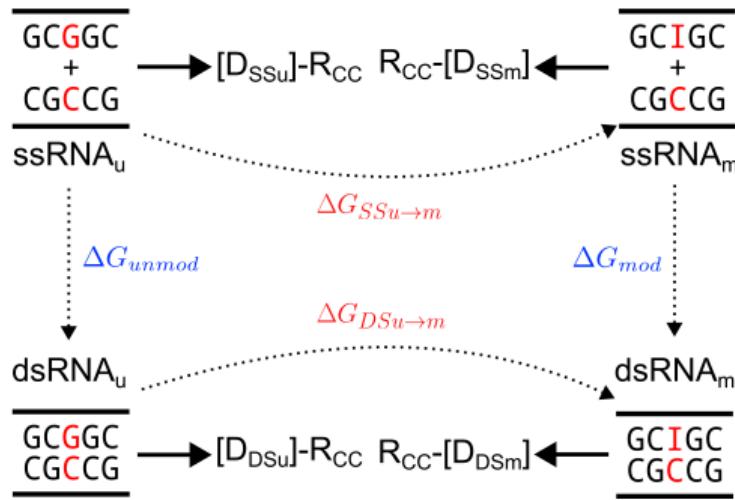
[4] Chou et al., "Blind tests of RNAnearest-neighbor energy prediction", 2016 Proceedings of the National Academy of Sciences, 113(30), 8430-8435.

Transformato^[5] Thermodynamic Cycle



[5] Karwounopoulos et al. "Relative binding free energy calculations with transformato: A molecular dynamics engine-independent tool." Frontiers in Molecular Biosciences 9 (2022)

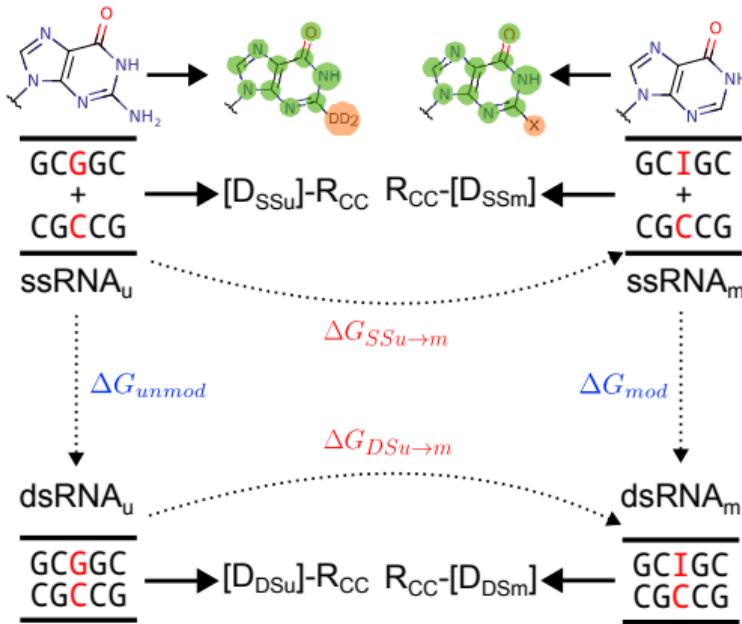
Transformato^[5] Thermodynamic Cycle



- Construction of an alchemical path

$$\begin{aligned}\Delta\Delta G_{unmod \rightarrow mod} &= \Delta G_{mod} - \Delta G_{unmod} \\ &= \Delta G_{DSu \rightarrow m} - \Delta G_{SSu \rightarrow Sm}\end{aligned}$$

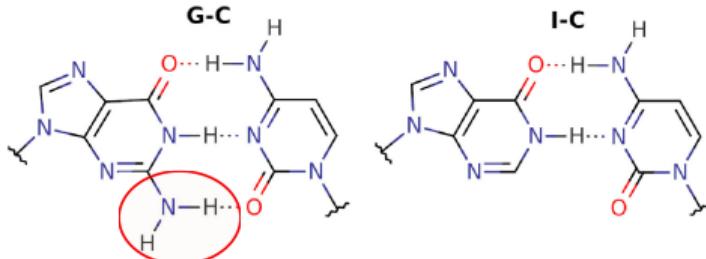
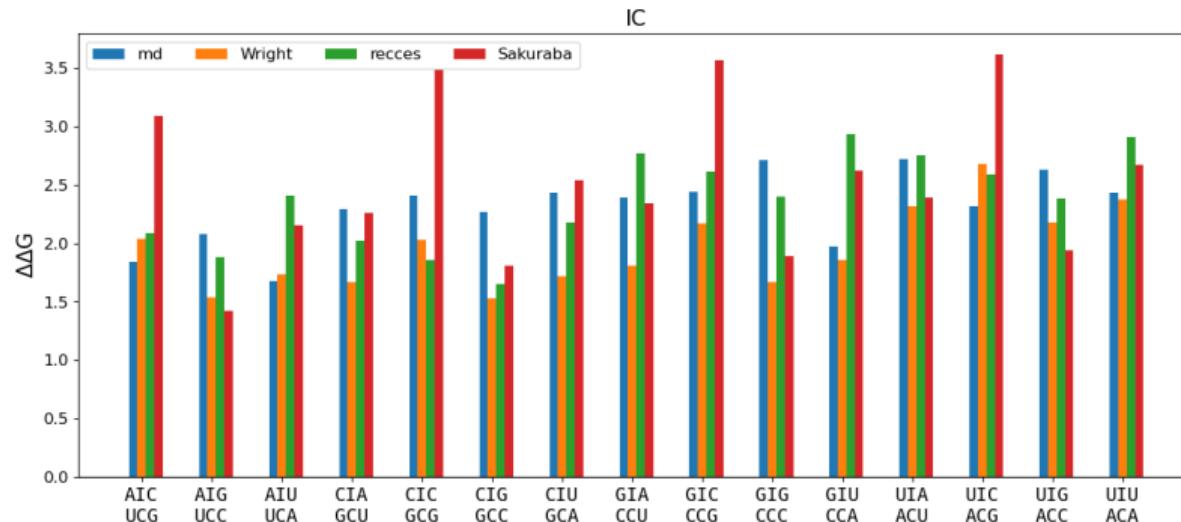
Transformato^[5] Thermodynamic Cycle



- Construction of an alchemical path
- Maximum common substructure

$$\begin{aligned}\Delta\Delta G_{unmod \rightarrow mod} &= \Delta G_{mod} - \Delta G_{unmod} \\ &= \Delta G_{DSu \rightarrow m} - \Delta G_{SSu \rightarrow Sm}\end{aligned}$$

GC - IC



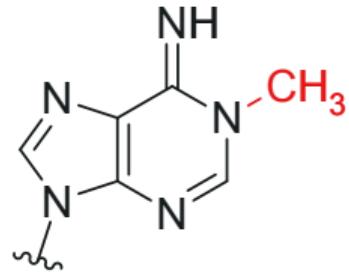
Aedes albopictus Mitochondrial tRNA^{Asp}

AAAAAAUUAUUUAUCAAAAACC["]PPAGUAUGUC⁶AACUAAAAAAUAGAUCAUCUAUA^PPUUUUACCA
AAAAAAUUAGUUUAUCAAAAACC^UUAGUAUGUC^AACUAAAAAAUAGAUCAUCUAUA^UUUUUACCA

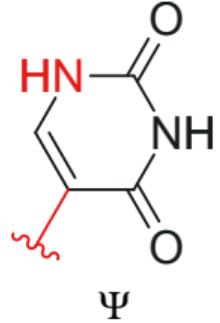
"": 1-methyladenosine

P: pseudouridine

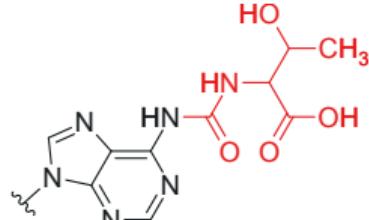
6: N6-threonylcarbamoyladenosine



*m*¹A



Ψ

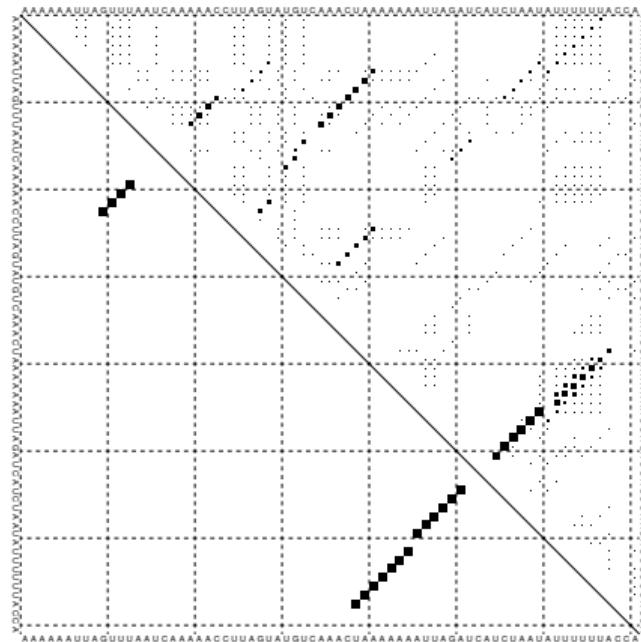
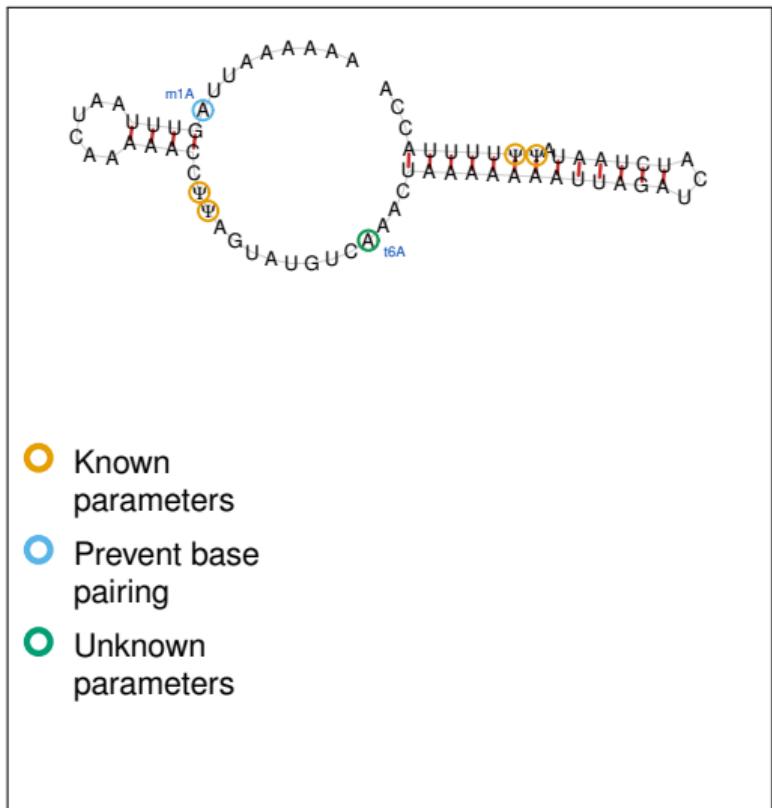


*t*⁶A

Aedes albopictus Mitochondrial tRNA^{Asp}

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AAAAAAUUAUUUAUCAAAAACC^{UU}AGUAUGUC^AACUAAAAAUAGAUCAUCUAUA^{UU}UUUACCA

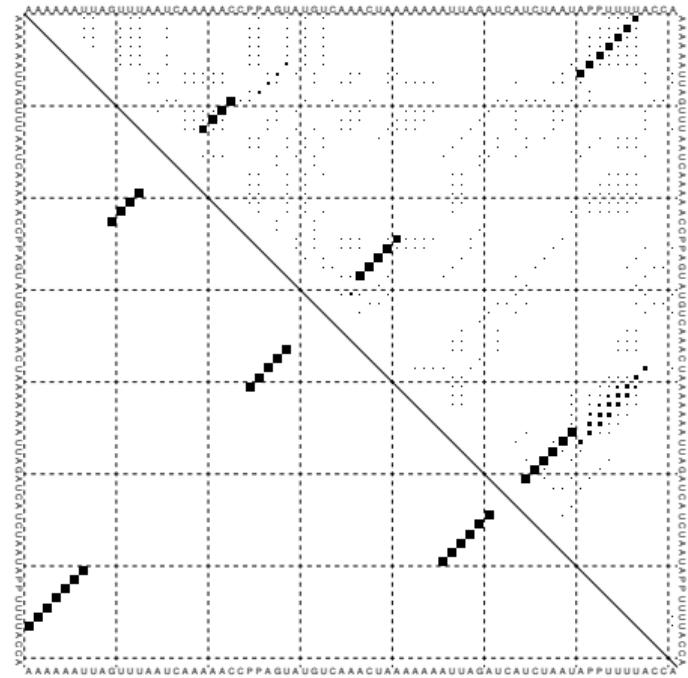
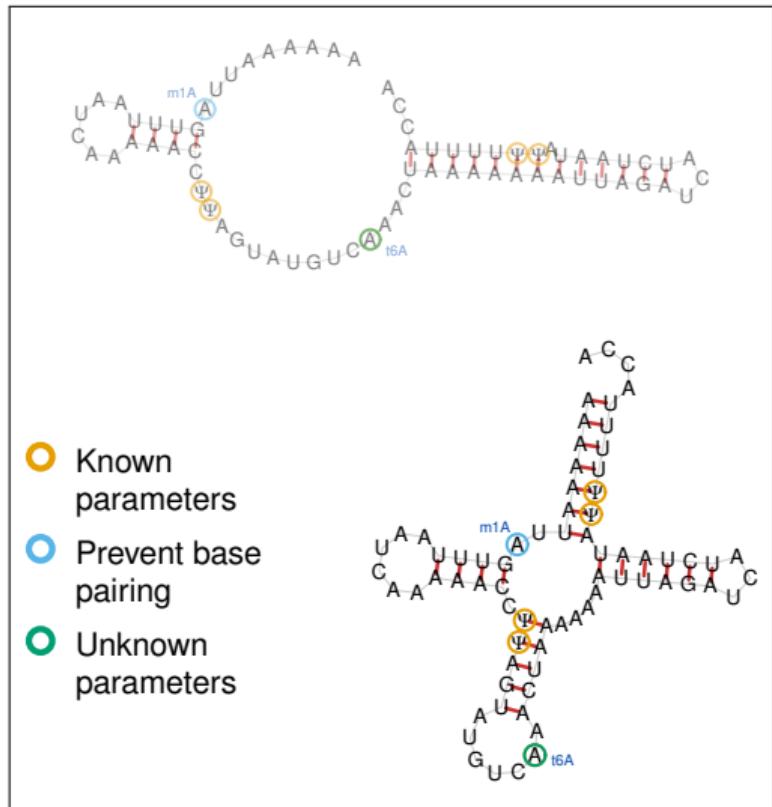
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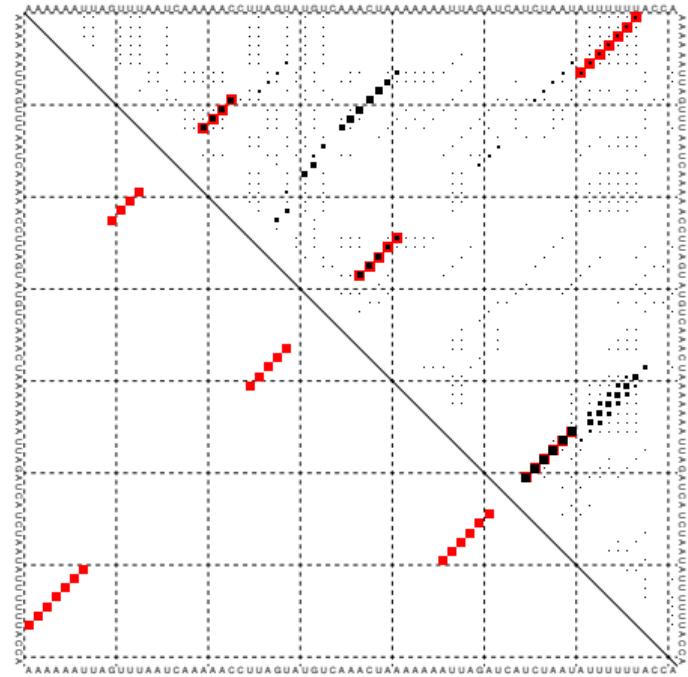
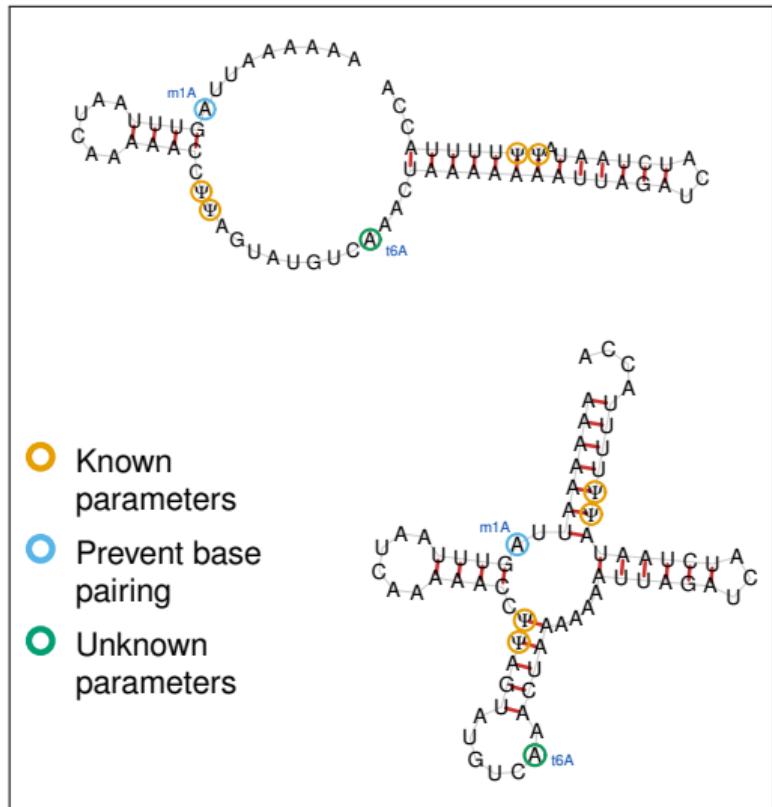
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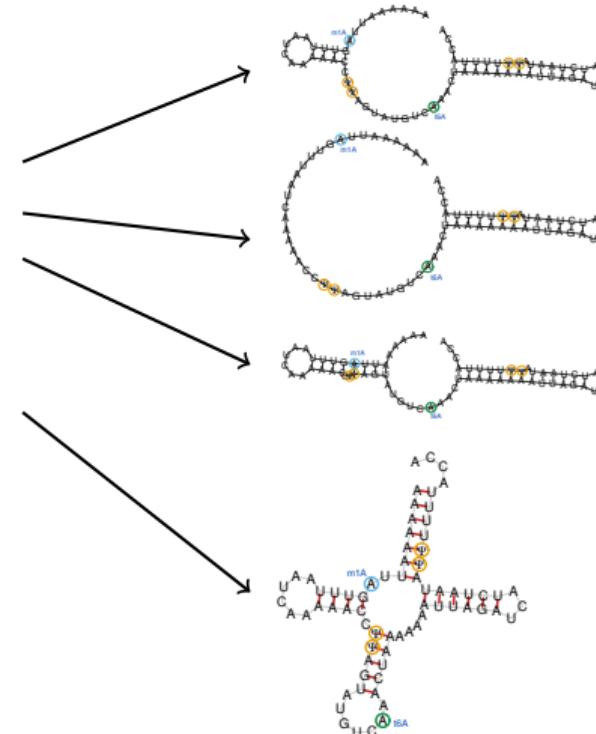
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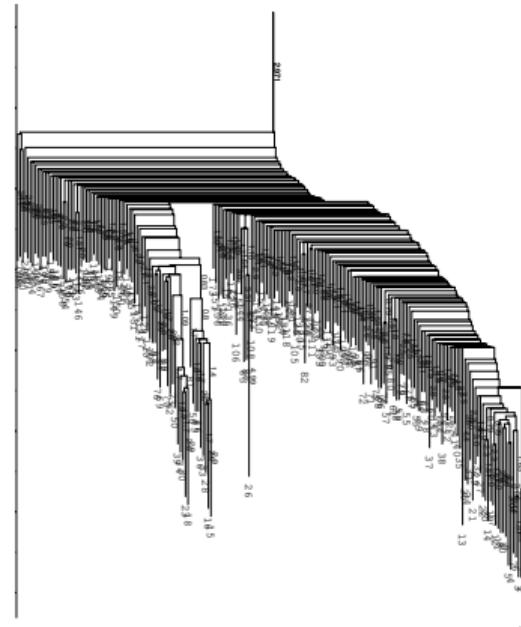
AAAAAAUUAUUUAUCAAAAACC	-5.10
.....(((((.....))).....	-5.10
.....(((((((((.....))))....	-5.00
.....((((((.....))))....	-4.60
.....(((.....)))).....	-4.40
.....((((((.....))))....	-4.30
(((((.....)))).....(((((.....))))....	-4.10
.....(((.....)).(((.....))))....	-4.00
.....((((.....))))....	-4.00
.....((((.....((.....))))....	-4.00
.....(((.....))))....(((((.....))))....	-3.90

suboptimals of unmodified tRNA



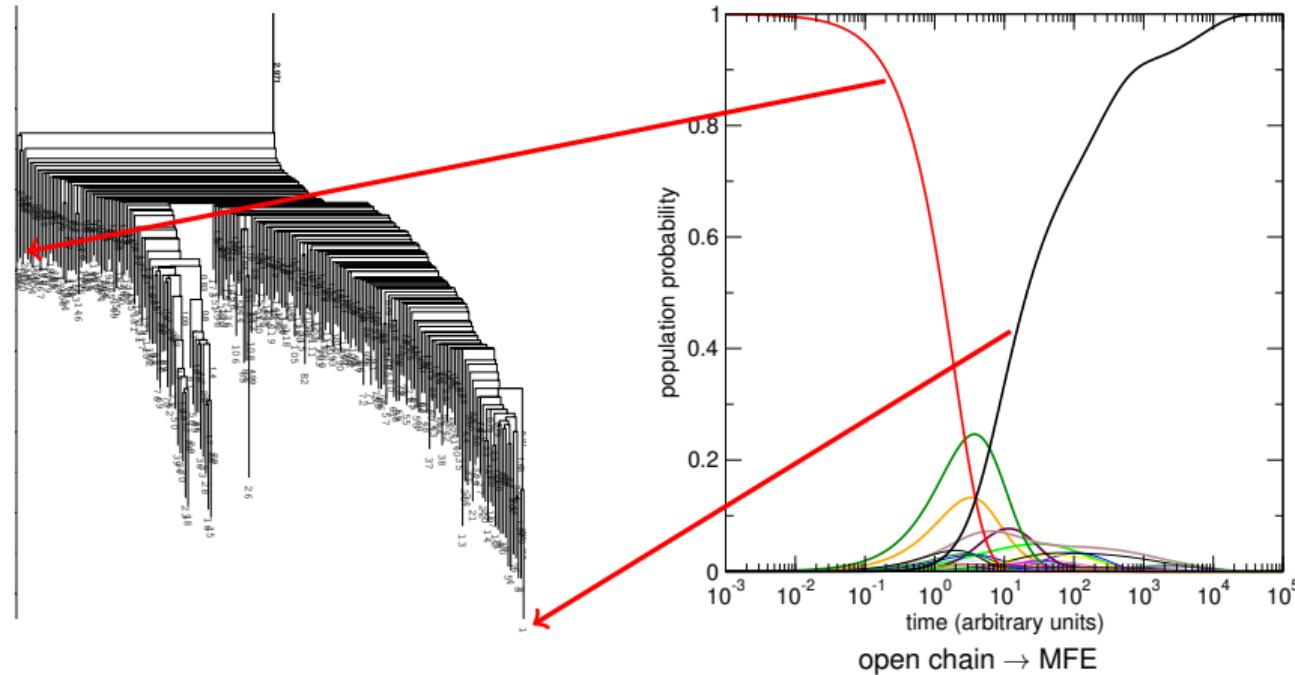
Aedes albopictus Mitochondrial tRNA^{Asp} Folding Dynamics

Energy landscape^[6] and folding dynamics^[7] of tRNA^{Asp} **with modifications**



Aedes albopictus Mitochondrial tRNA^{Asp} Folding Dynamics

Energy landscape^[6] and folding dynamics^[7] of tRNA^{Asp} **with modifications**



[6] Flamm et al., "Barrier trees of degenerate landscapes", 2002, Z. Phys. Chem. 216: 155-73

[7] Wolfinger et al., "Efficient Computation of RNA Folding Dynamics", 2004, J.Phys.A: Math.Gen. 37(17):4731-41

Modified Bases Significantly Influence Structure Space

Takeaway Message:

- We employ MC and MD approaches to compute missing energy parameters
- Additional parameters do not necessarily increase performance
- Constraints become complex for more modifications and contexts
- Unrealistic to include full parameters with many modified bases
- Base annotation is not unique (tRNADB^[8], RNAMod^[9], MODOMICS^[10])

ViennaRNA Package:

- Can handle RNA modifications via the soft constraints framework
- New parameters - even partial - can easily be added as they become available
- Software is freely available for academic and commercial use

[8] Jühlíng et al., "tRNADB 2009: compilation of tRNA sequences and tRNA genes.", 2009, NAR 37, D159–D162

[9] Liu et al., "RNAMod: an integrated system for the annotation of mRNA modifications", 2019, NAR 47, W548-W555

[10] Boccalotto et al., "MODOMICS: a database of RNA modification pathways. 2017 update", 2018, NAR 46, D303-D307

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