

# Applied Data Science and Machine Learning Course

## Course Instructor

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# Lecture – 01

## Review on

# Basic Programming Techniques

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# Introduction

Basic Programming Skills combine two things:

- i) design of algorithms
- ii) implementation of algorithms

The design of algorithm  
requires

- (i) problem solving skills
- (ii) mathematical thinking

The implementation of  
algorithm requires

- (i) good programming skills

NB: It is not enough that the  
idea of algorithm is correct  
but the implementation also has  
to be correct.

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# Time Complexity

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```
for(int i=1;i<=n;i++){  
    //code  
}
```

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```
for(int i=1;i<=n;i++){  
    //code  
}
```

$O(n)$

```
for(int i=1;i<=n;i++){  
    for(int j=1;j<=n;j++){  
        //code  
    }  
}
```

$O(n^2)$

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# Sorting

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Given sequence

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9

Sequence after  
sorting (asc)

1

2

3

8

9

# Sorting

**Given an array that contains  $n$  elements, your task is to sort the elements in ascending or descending order.**

Given sequence	1	3	8	2	9
Sequence after sorting (asc)	1	2	3	8	9
Sequence after sorting (desc)	9	8	3	2	1

# Types of Sorting

**Sorting is considered one of the most important algorithms. Researchers and practitioners have been trying to optimize it as more as they can.**



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Sorting is considered one of the most important algorithms. Researchers and practitioners have been trying to optimize it as more as they can.

**Different Types of Sorting:**

i) Bubble Sort >>>  $O(n^2)$

ii) Insertion Sort >>>  $O(n^2)$

iii) Merge Sort >>>  $O(n \log n)$

iv) Bucket Sort >>>  $O(\text{max element in the array})$

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# Greedy Algorithms

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**A greedy algorithm constructs a solution to the problem by making a choice that looks best at that moment.**

Some of the common toy problems that are solved or attempted to be solved by greedy algorithms are:

- i) Coin Problem
- ii) Scheduling
- iii) Tasks and deadlines
- iv) Minimizing Sums
- v) Data Compression

# Scheduling

## **A classic problem:**

Given  $n$  events with their starting and ending times, find a schedule that includes as many events as possible.

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Given  $n$  events with their starting and ending times, find a schedule that includes as many events as possible.

Event	Starting Time	Ending Time
A	1	3
B	2	5
C	3	9
D	6	8

# Scheduling(cont.)

Event	Starting Time	Ending Time
A	1	3
B	2	5
C	3	9
D	6	8



# Scheduling(cont.)

## Algorithm - 1

Select as short events as possible



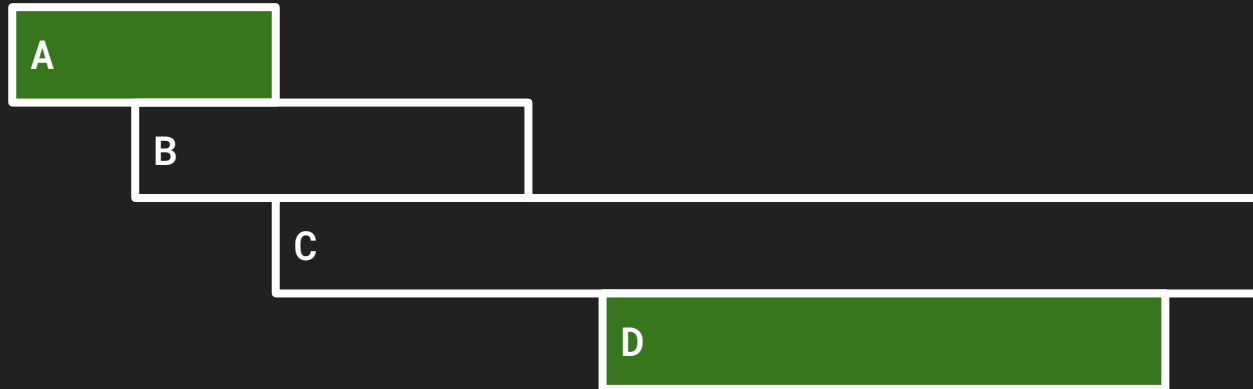


# Scheduling(cont.)

07

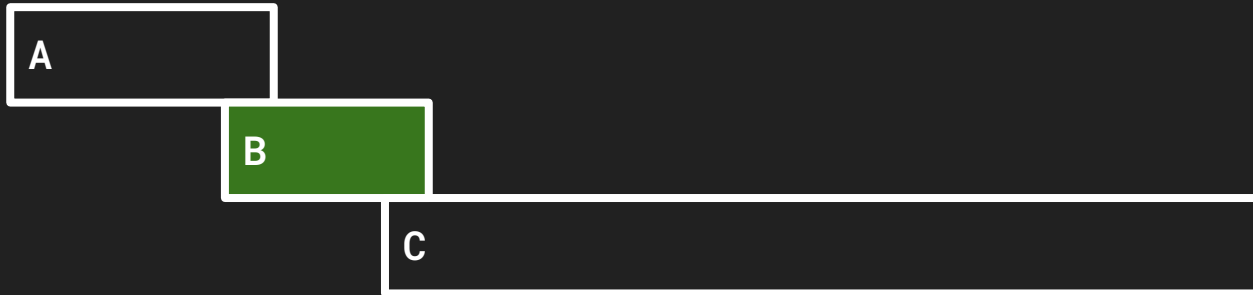
## Algorithm - 1

Select as short events as possible



# Scheduling(cont.)

## Counter Example



# Scheduling(cont.)

## Algorithm - 2

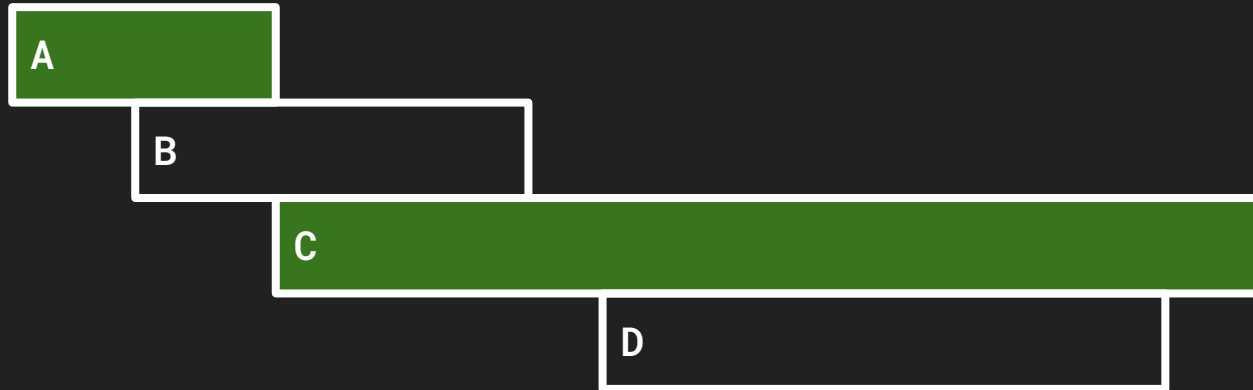
Select the next possible event that begins as early as possible.



# Scheduling(cont.)

## Algorithm - 2

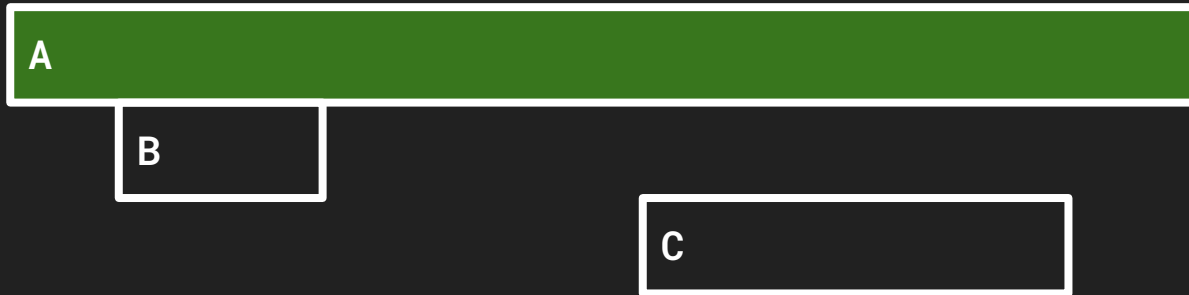
Select the next possible event that begins as early as possible.



# Scheduling(cont.)

07

## Counter Example



# Scheduling(cont.)

## Algorithm - 3

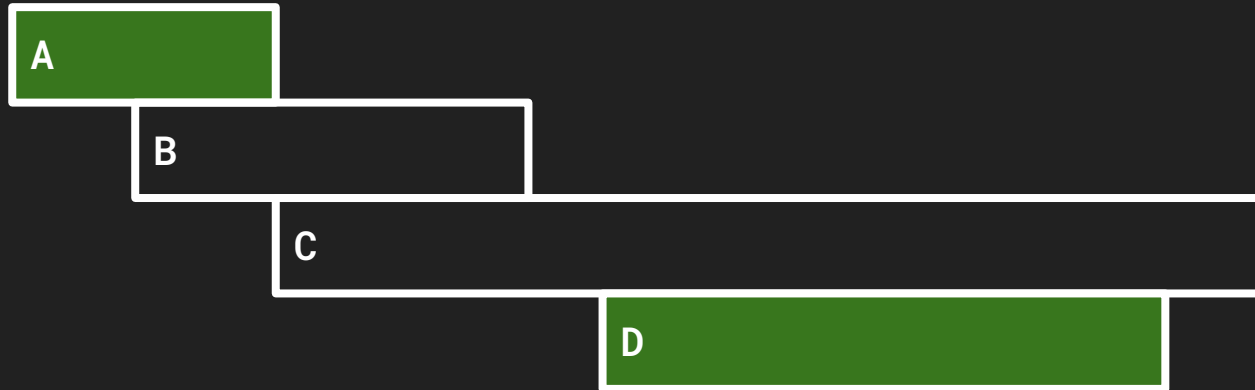
Select the next possible event that ends as early as possible.



# Scheduling(cont.)

## Algorithm - 3

Select the next possible event that ends as early as possible.



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# Recursion

**Recursion is a method of solving a problem where the solution depends on solutions to smaller instances of the same problem.**

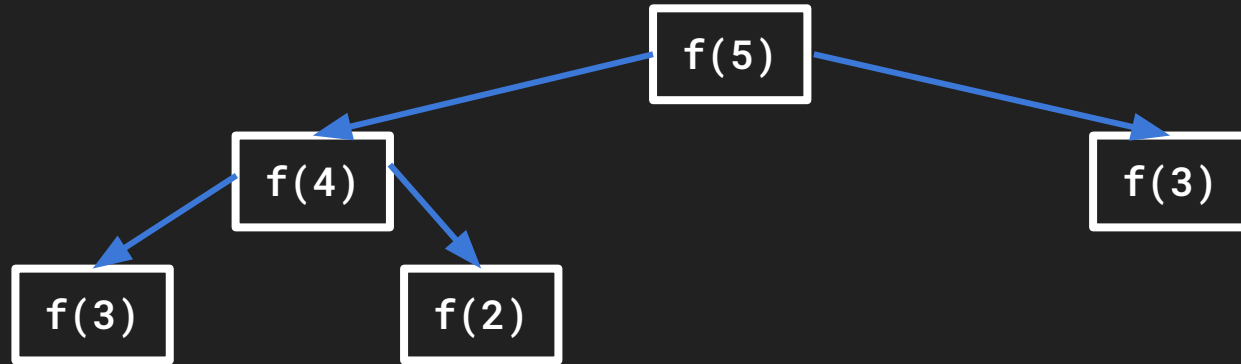
**Fibonacci Sequence  $f(n) = f(n-1) + f(n-2)$**

```
int fibonacci(int n){  
    if (n<=1) return n  
    return fibonacci(n-1) + fibonacci(n-2)  
}
```

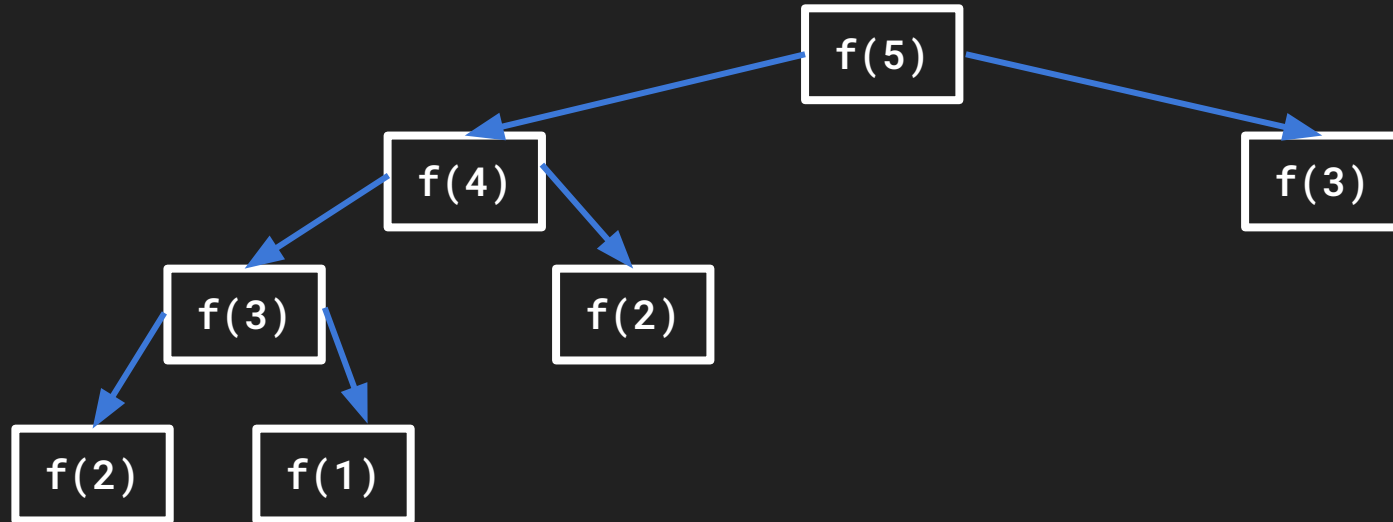
# Recursion(cont.)



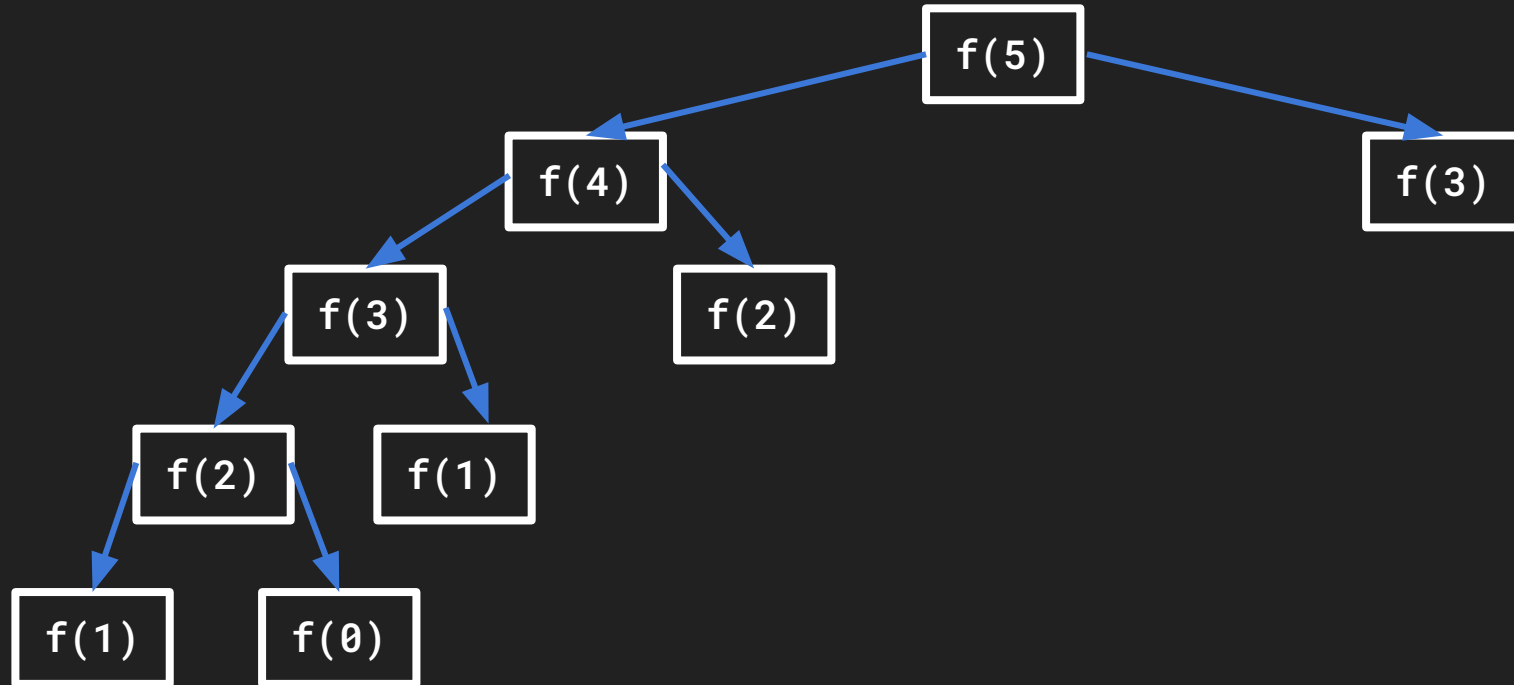
# Recursion(cont.)



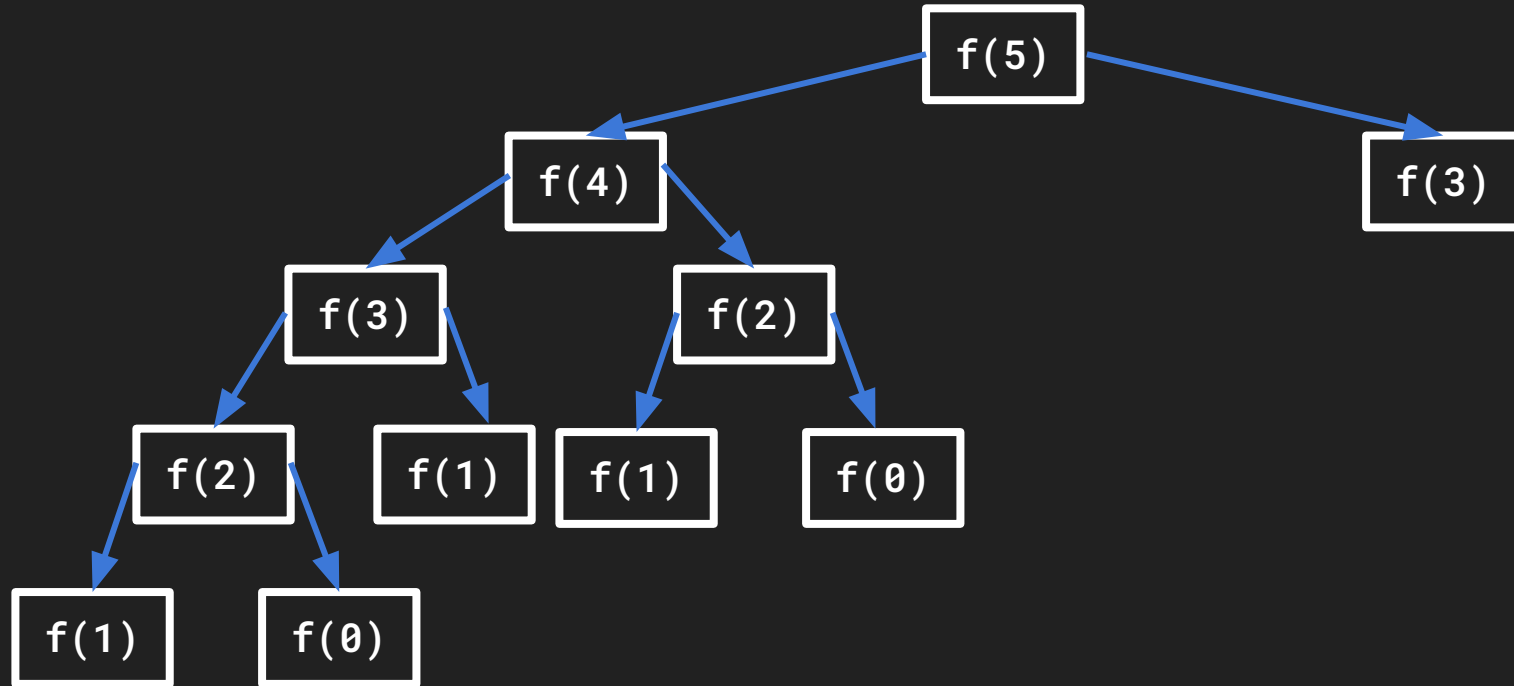
# Recursion(cont.)



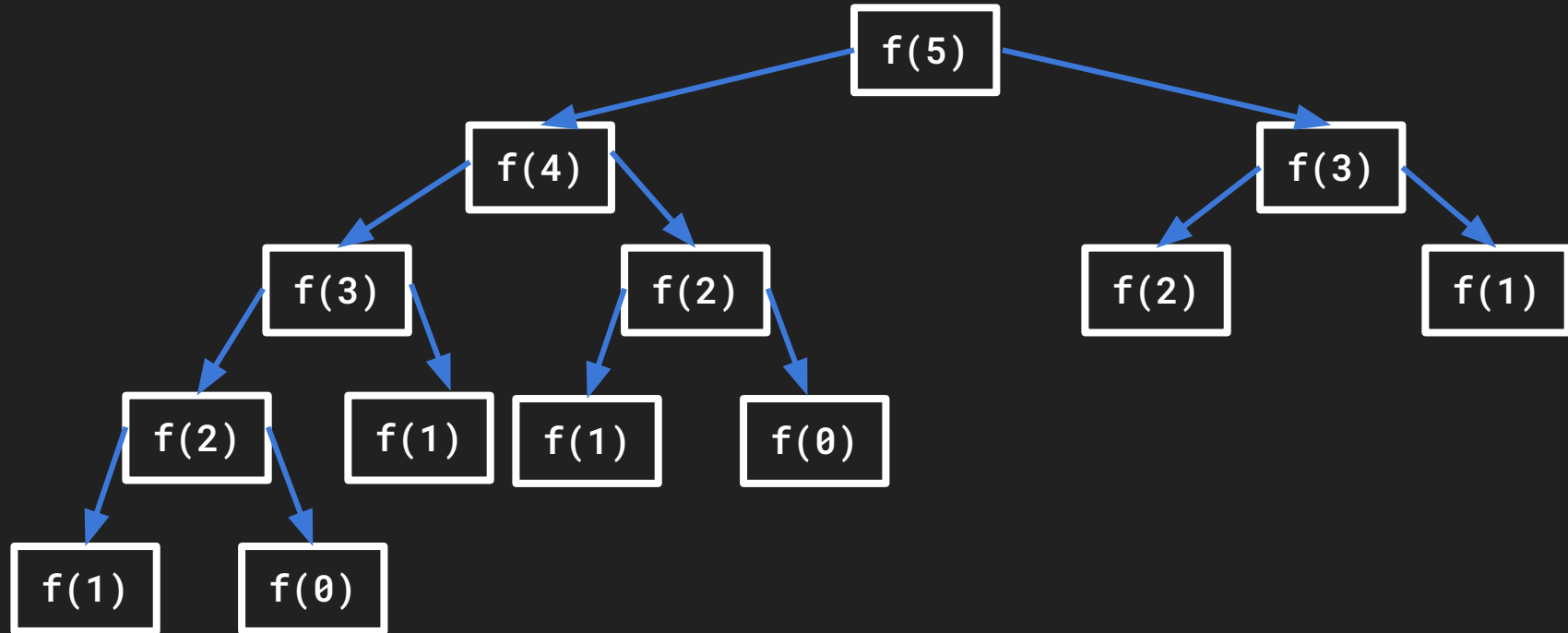
# Recursion(cont.)



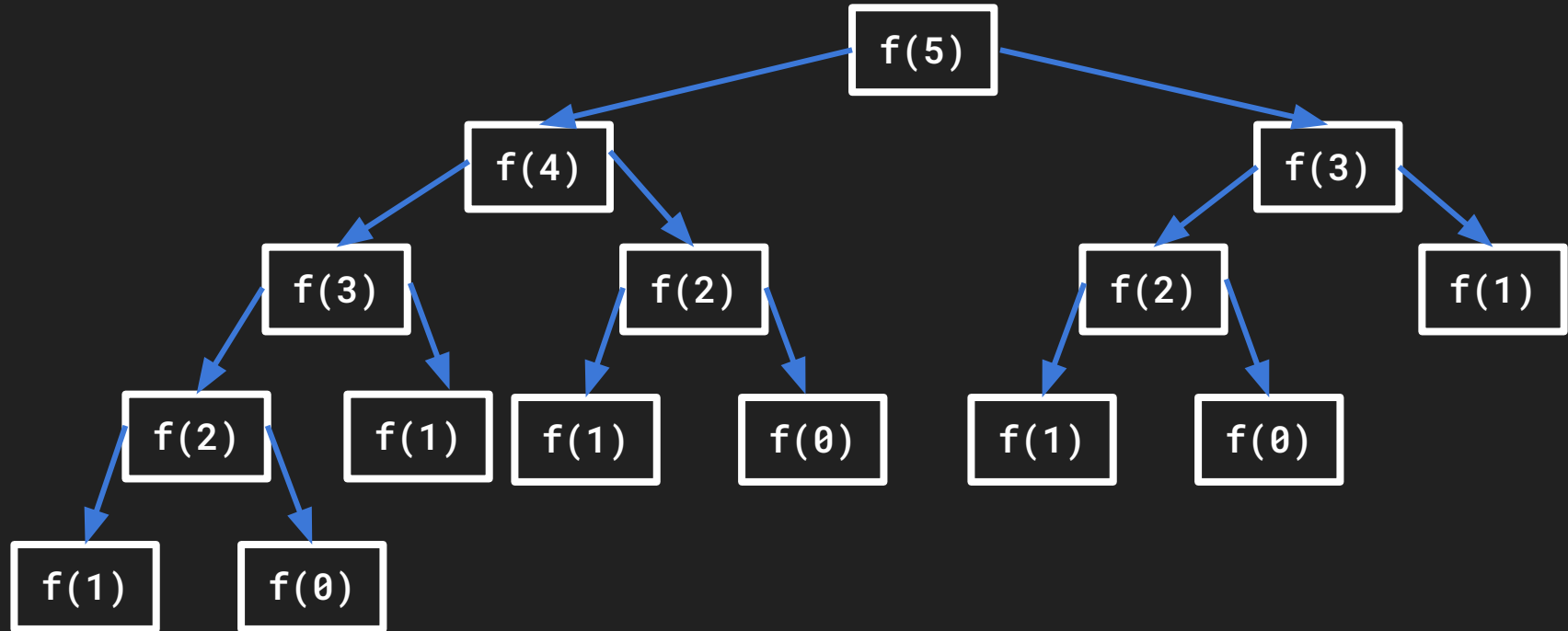
# Recursion(cont.)



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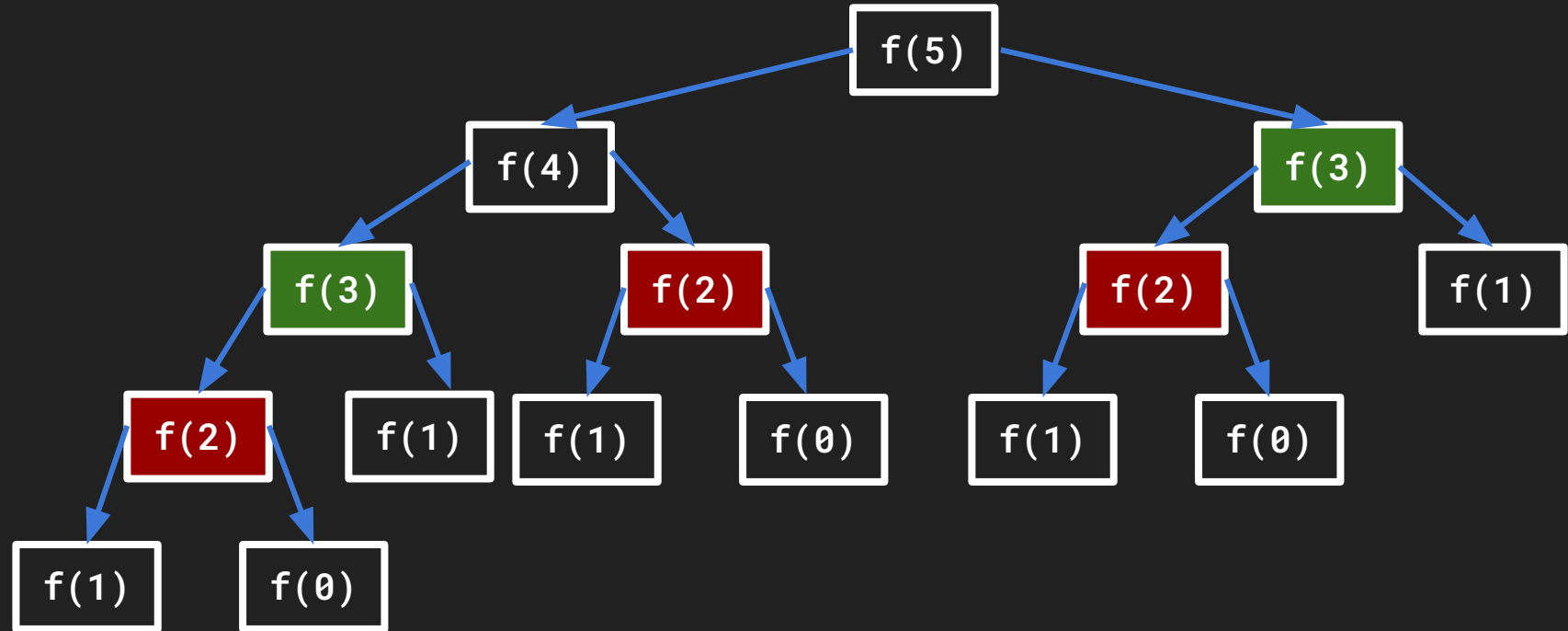


# Recursion(cont.)

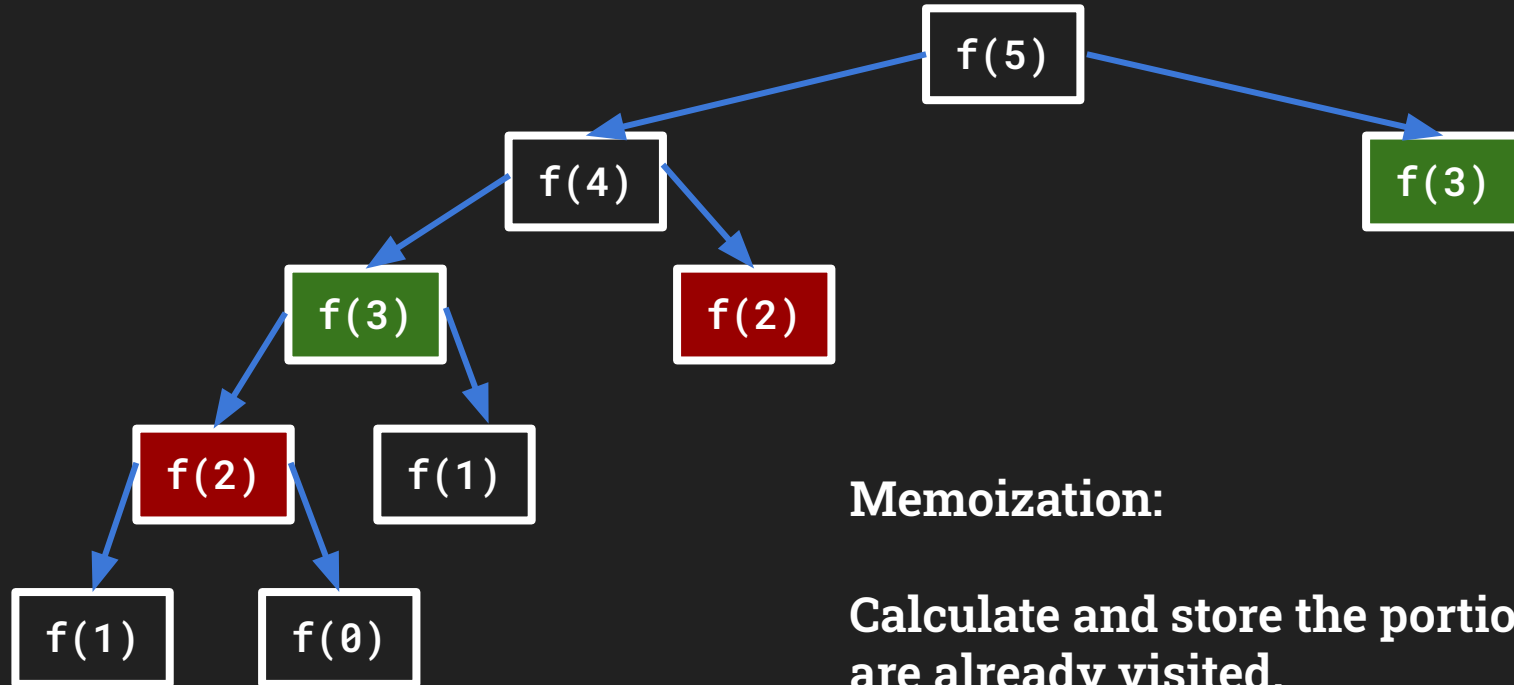




# Recursion(cont.)



# Dynamic Programming



**Memoization:**

**Calculate and store the portions that are already visited.**

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# Setup the Environment

- **VSCode**
- **Jupyter Notebook**
- **Google Colaboratory**
- **Kaggle**