

1.a)

$$3x_1 = 21 - 5x_2 \text{ ise } x_1 = 7 - (5/3)x_2$$

$$x_3 = 2x_2 - 7$$

ikinci denklemi x_2 cinsinden yazarsak: $14 - (10/3)x_2 - x_2 + 4x_2 - 14 = -1$ ise $x_2 = 3$

birinci denklemde yerine koyarsak: $3x_1 + 15 = 21$ ise $x_1 = 2$

x_2 'yi üçüncü denklemde yerine koyarsak: $6 - x_3 = 7$ ise $x_3 = -1$

1.b)

```
octave:8> A=[3 5 0;2 -1 2;0 2 -1];
octave:9> B=[21;-1;7];
octave:10> sonuc=linsolve(A,B)
sonuc =

    2.0000
    3.0000
   -1.0000
```

2)

```
octave:69> A = [1 0 0 1 1 1 0;0 1 0 1 1 1 0;0 0 1 1 1 1 0;0 0 1 1 1 1 0;0
0 1 1 1 0 1]
A =

    1    0    0    1    1    1    0
    0    1    0    1    1    1    0
    0    0    1    1    1    1    0
    0    0    1    1    1    1    0
    0    0    1    1    1    0    1

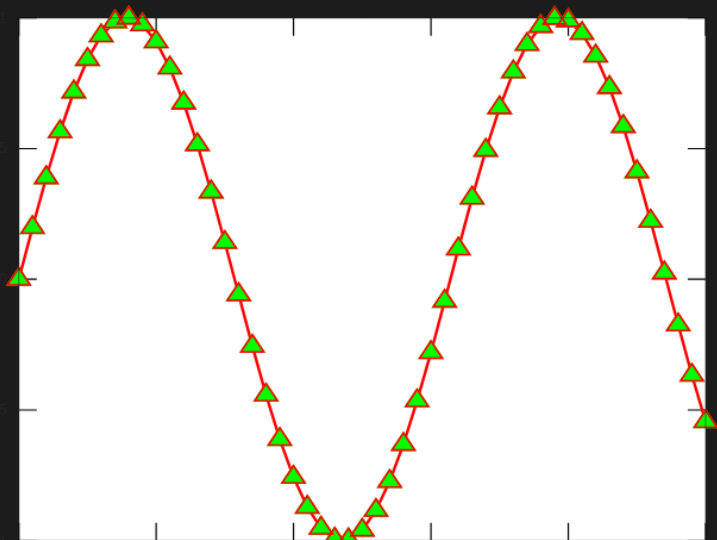
octave:70> B = [A(1,:);A(3,:);A(5,:)]
B =

    1    0    0    1    1    1    0
    0    0    1    1    1    1    0
    0    0    1    1    1    0    1
```

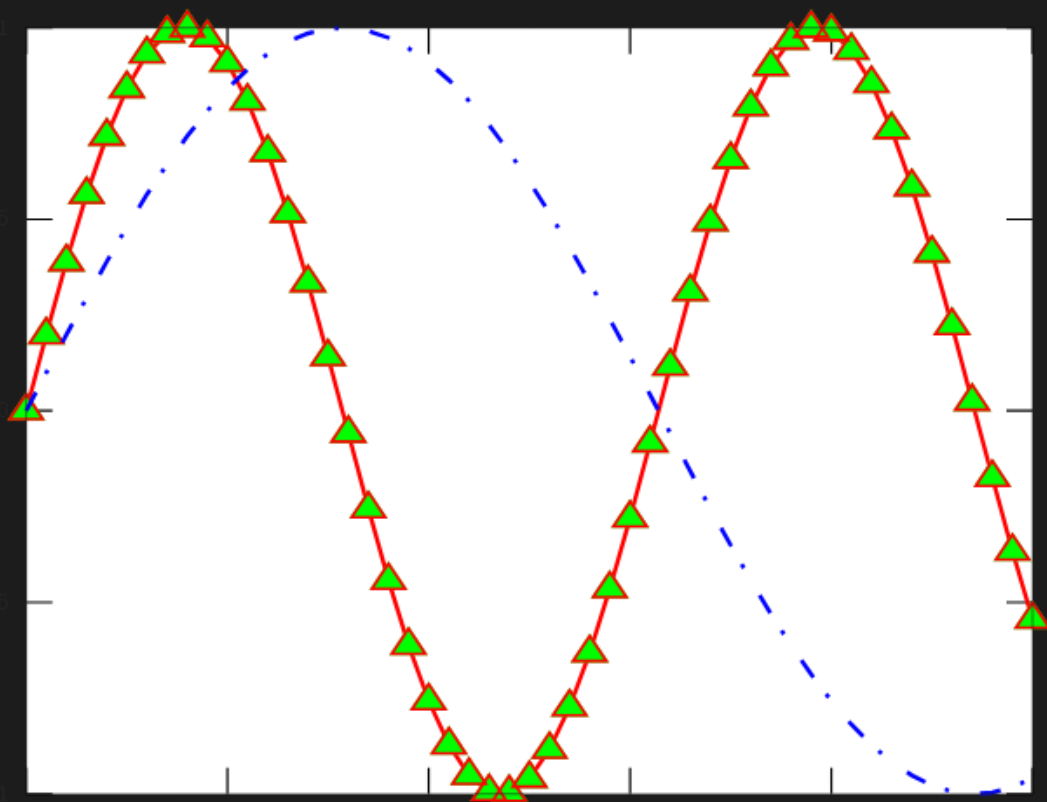
3)

```
octave:46> x = 0: 0.2 : 10;
octave:47> y1 = sin(x);
octave:48> y2 = sin(x/2);
octave:49> y3 = sin(2 * x);
```

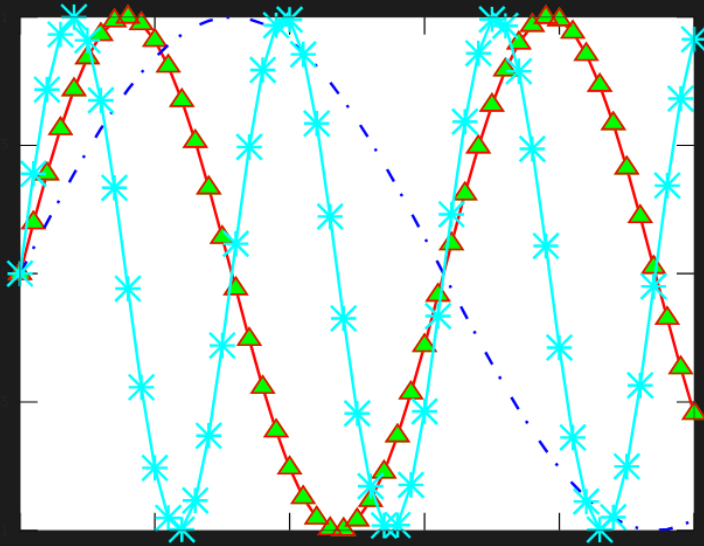
```
octave:51> plot(x, y1, 'LineWidth', 2, 'Color', 'r', 'Marker', '^', 'MarkerFaceColor', 'g', 'MarkerSize', 4)
```



```
octave:53> plot(x, y2, 'LineWidth', 2, 'Color', 'b', 'LineStyle', '-.')
```



```
octave:54> hold on
octave:55> plot(x, y3, 'LineWidth', 2, 'Color', 'cyan', 'Marker', '*', 'MarkerFaceColor', 'g', 'MarkerSize', 6)
```



kırmızı çizgili y1, mavi çizgili y2 ve camgöbeği olan da y3'tür.

4)

```
octave:61> x = [-5 -4 -2 1 3 4 7 9 12 15];
octave:62> y = [3 6 7 3 -1 -4 -2 1 6 10]
```

```
octave:68> size(x)
ans =

     1    10

octave:69> i = 1:10;
octave:70> p1 = polyfit(x, y, 1)
p1 =

     0.078049     2.587805

octave:71> p2 = polyfit(x, y, 2)
p2 =

     0.091010    -0.763236     0.765390

octave:72> p3 = polyfit(x, y, 3)
p3 =

     6.5086e-03    -4.3854e-03    -7.9068e-01     2.3620e+00
```

```
octave:73> y1 = 0.078049 * x(i) + 2.587805;
octave:74> y2 = 0.091010 * x(i).^2 + -0.763236 * x(i) + 0.765390
y2 =

Columns 1 through 7:

    6.856820    5.274494    2.655902    0.093164   -0.705228   -0.831394   -0.117772

Columns 8 through 10:

    1.268076    4.711998    9.794100

octave:75> y3 = 6.5086e-03 * x(i).^3 - 4.3854e-03 * x(i).^2 - 7.9068e-01 * x(i) + 2.3620e+00;
```

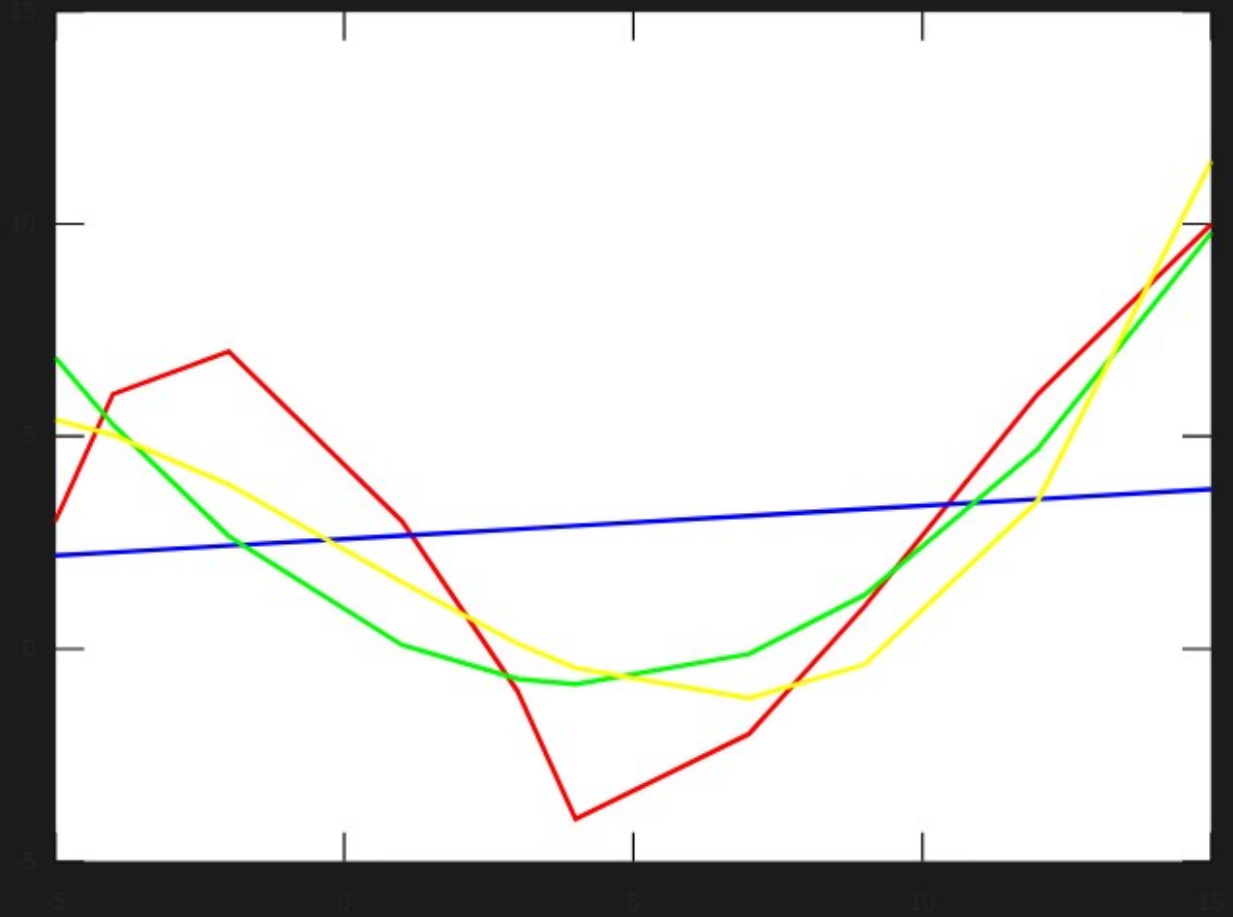
```
octave:86> plot(x, y, 'Color', 'red', 'LineWidth', 2)
```

```
octave:0> hold on
```

```
octave:88> plot(x, y1, 'Color', 'blue', 'LineWidth', 2)
```

```
octave:89> plot(x, y2, 'Color', 'green', 'LineWidth', 2)
```

```
octave:90> plot(x, y3, 'Color', 'yellow', 'LineWidth', 2)
```



Aşağıda her doğru uydurma işlemi için hatalar toplamı bulunmuştur.

```
octave:97> sum(abs(y - y1))  
ans = 36.293  
octave:98> sum(abs(y - y2))  
ans = 18.941  
octave:99> sum(abs(y - y3))  
ans = 18.781
```

Bu hesaplamalar sonucunda içlerindeki en ideal doğru üçüncü dereceden olandır.

5)

```
my_script.m RUN ►  
1 function [ ] = my_script( x )  
2 for i = 1:x  
3     fprintf('\n');  
4     for j = 1:i  
5         fprintf('*');  
6     end  
7 end  
8 for k = x:-1:1  
9     for l = k:-1:1  
10        fprintf('*');  
11    end  
12    fprintf('\n');  
13    for m = x:2*x+x-k  
14        printf(' ');  
15    end  
16 end  
17 fprintf('\n|');
```

octave:46> my_script(5)

```
*  
**  
***  
****  
*****  
          ****  
          ***  
          **  
          *
```

6)

```

my_script.m
RUN ►

1 function num = my_script(n)
2
3 for i=2:n
4     fac_sum = 0;
5     j = 1;
6     while j <= i-1
7         if rem(i,j) == 0
8             fac_sum = fac_sum + j;
9         end
10        j = j + 1;
11    end
12    if i == fac_sum
13        disp(i);
14    end
15 end

```

```

octave:59> my_script(496)
6
28
496

```

7)

```

octave:74> int(3 * x^2 + 6 * x - 8)
ans = (sym)

      3      2
x  + 3·x  - 8·x

```

```

octave:0> integral2(@(x, y) 9 * x^3 * y^2, 2, 4,
1, 3)
ans = 2.4520e+08

```

```

octave:76> integral2(@(x, y) sin(x) + cos(y), pi,
2* pi, -pi, pi)
ans = -12.566

```

```
octave:79> diff(x^3 - 2*x^6 - ((6 + x^2)/(5*x)))
ans = (sym)
```

$$-12 \cdot x^5 + 3 \cdot x^2 - \frac{2}{5} + \frac{x^2 + 6}{5 \cdot x^2}$$

```
octave:83> diff(y ^ 6 - 2 * y^4, 2)
ans = (sym)
```

$$6 \cdot y^2 \cdot (5 \cdot y^2 - 4)$$