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Assignment: 1
## Importing the libraries
import math
import numpy as np
import matplotlib.pyplot as plt
                                                          + Code — + Text
Problem 1: Trajectory problem
## Getting the inputs
R = int(input(" Please enter the Range : "))
V = int(input(" Please enter the velocity : "))
n_max = int(input(" Plese enter the max no. of iteration : "))
tol = float(input(" Plese enter the value of tolerance i.e. .0001 : "))
              e. theata = 0 : 1
                               × e. theata = 45 : 44
 Saved successfully!
     Please enter the velocity : 10
      Plese enter the max no. of iteration : 100
      Plese enter the value of tolerance i.e. .0001 : .0001
## Defining function for trajectory problem
def func(theta,r=R,vel=V):
  fp = (math.tan(theta)*r) - (0.5*9.81*(r/(vel*math.cos(theta)))**2)
  return fp
\hbox{\it \#\# Defining Bisection method for trajectory problem}
def bisect(lowerbound,upperbound,max_iter,tolerance):
  a = lowerbound
  b = upperbound
  iter = 1
  Nmax = max_iter
  p = a + (b-a)/2
  fa = func(p)
  while iter < Nmax:
    p = a + (b-a)/2
    fp = func(p)
    if fp == 0 or abs(b-a) < tolerance :
     value = p
     print(" No. of iteration is : " , iter)
     return value
    iter += 1
    if fa* fp > 0:
     a = p
     fa = fp
    if fp * fa <0:
     b = p
  if iter == Nmax :
    return 'No. of iteration exceeded'
## Calling bisection method for trajectory problem
## Error Handling
range\_max = V*V/9.81
if range_max < R:</pre>
 print("Invalid Range")
else:
  p= 1 * math.pi/180
```

q= u \* math.pi/180

#print(result)

result = bisect(p,q,n\_max,tol)

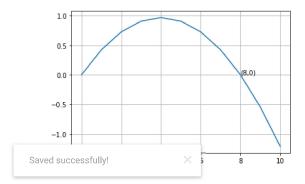
print(" Result is given below ")
print(" approx theta is : " , result\* 180/math.pi)

try:

except:

```
print(bisect(p,q,n_max,tol))

No. of iteration is : 14
Result is given below
...
## Plotting the trajectory for theta = 25.85 for different ranges.
x = np.arange(0,range_max,1)
theta = 25.85 * math.pi/180
plt.plot(func(theta,r=x))
plt.grid()
plt.annotate('(8,0)',(8,0))
plt.show()
```



We can verify from the above diagram that for given example of range 8 y(x) == 0 for theta = 25.85

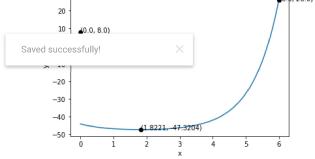
```
### Result for different values of lower and upper bound print("for a = 2 and b = 45",)
```

## Problem 2: Hanging Chain

```
## Getting the input
x1 = float(input(" Please enter the x 1 : "))
x2 = float(input(" Please enter the x 2 : "))
y1 = float(input(" Please enter y1 : "))
y2 = float(input(" Please enter y2 : "))
L = float(input(" Please enter L : "))
a_init = float(input(" Please enter initial guess : "))
n_max = int(input(" Plese enter the max no. of iteration : "))
tol = float(input(" Plese enter the value of tolerance i.e. .0001 : "))
      Please enter the x 1 : 0
      Please enter the x 2 : 6
      Please enter y1: 8
      Please enter y2 : 26
      Please enter L : 20
      Please enter initial guess : .8 Plese enter the max no. of iteration : 100000
      Plese enter the value of tolerance i.e. .0001 : .0001
## Writing the function of hanging chain
def func(a,x2=x2,x1=x1,L=L,y2=y2,y1=y1):
    return 2 * a * np.sinh((x2-x1) / (2 * a)) - np.sqrt(L ** 2 - (y2 - y1) ** 2)
from scipy.misc import derivative
## Getting derivative for newtons method
def deri(a):
  return derivative(func,a)
## Coding Newton's Method
def newton(initialguess, max_iteration, tolerance):
  iter = 1
  while iter < max_iteration:
    a = initialguess - func(initialguess)/deri(initialguess)
    if abs(a-initialguess) <= tolerance:</pre>
      print(" No. of Iteration : " , iter)
      print(" value of a is : ", a)
      return a
    iter = iter + 1
    initialguess = a
  if iter == max_iteration:
    print("max iteration reaches")
```

```
a = newton(a_init,n_max,tol)
       No. of Iteration : 1
       value of a is : 0.8000773339691702
x\theta = (x1 + x2) / 2 + (a / 2) * np.log((L - (y2 - y1)) / (L + (y2 - y1)))

y\theta = y2 - a * (np.cosh((x2 - x\theta) / a) - 1)
## Plotting
xa = np.arange(x1, x2, 0.001)
ya = y0 + a * (np.cosh((xa - x0) / a) - 1)
plt.plot(xa, ya)
x_coor = [x1, x2, x0]
y_coor = [y1, y2, y0]
plt.xlabel('x')
plt.ylabel('y')
plt.plot(x_coor, y_coor, 'o', color='black')
plt.annotate((round(x0,4),round(y0,4)),(x0,y0))
\verb|plt.annotate((round(x1,4),round(y1,4)),(x1,y1))|\\
\verb|plt.annotate((round(x2,4),round(y2,4)),(x2,y2))|\\
plt.show()
                                                               66.0, 26.0)
          20
          10 40.0, 8.0)
```



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