

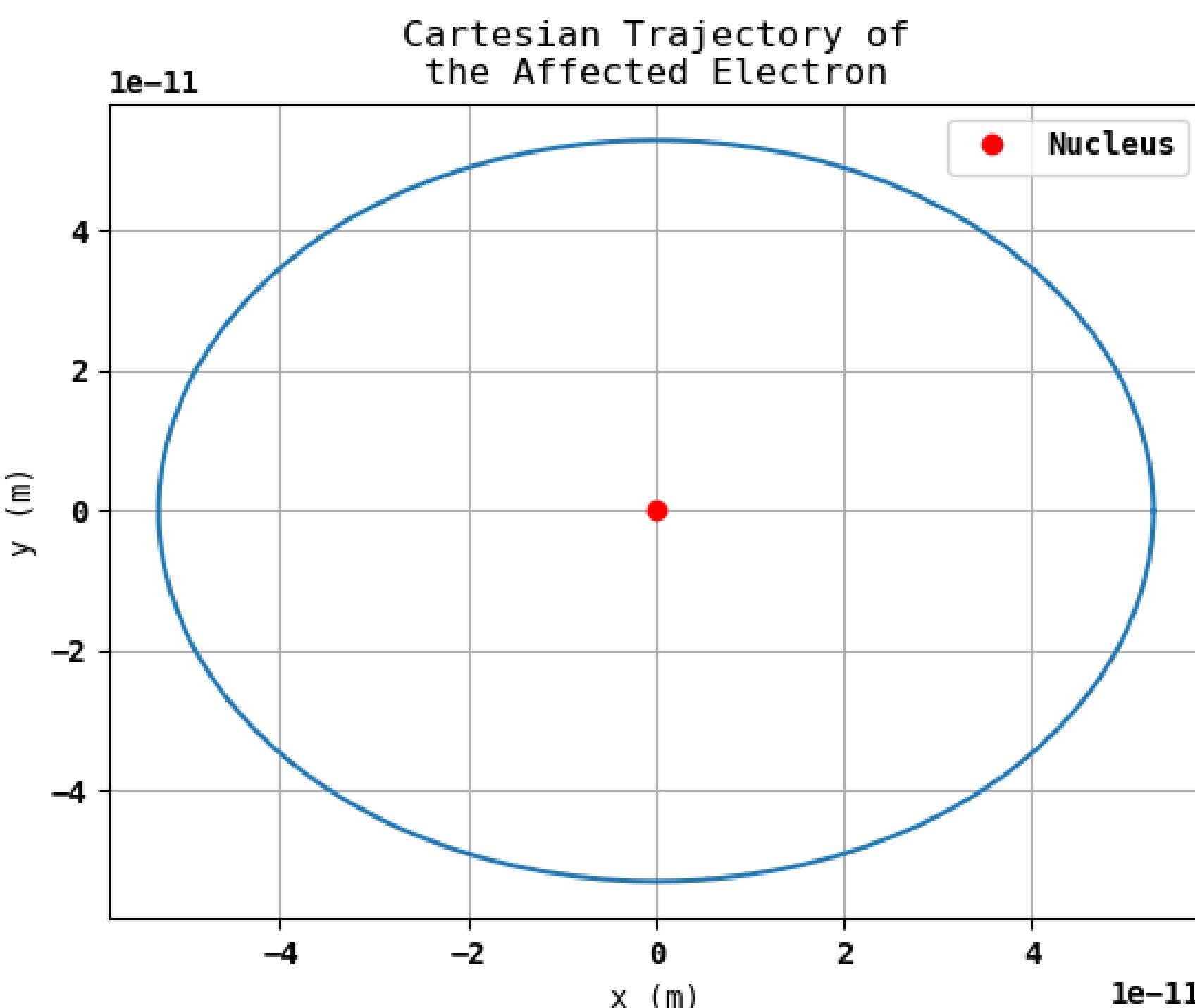
# Orbital Sensitivity to Angular Perturbation and Electron Count

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## Background/Questions

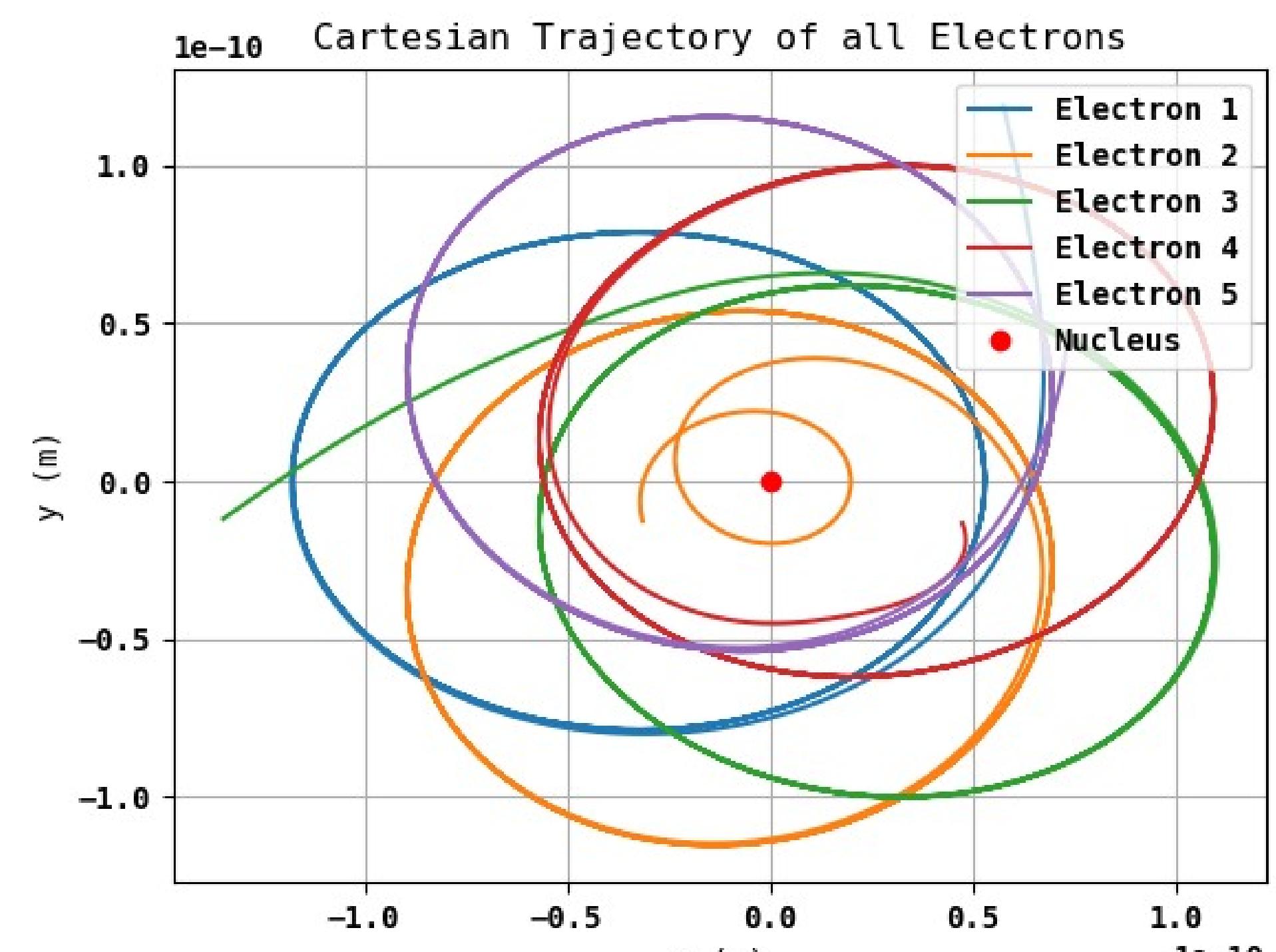
The most trivially stable orbital systems are radially symmetric (or geometric), such as 5 electrons being arranged in a pentagon, 6 in a hexagon, etc. **What happens if one electron for a given system is rotated very slightly? Will the system remain perfectly stable?**

As well, this assumes that all of the electrons are degenerate, so there are no considerations made to higher-order models where electrons have higher energy levels. **Can a system of degenerate electrons arranged trivially be stable without using the Bohr model? What happens when it begins to deviate?**

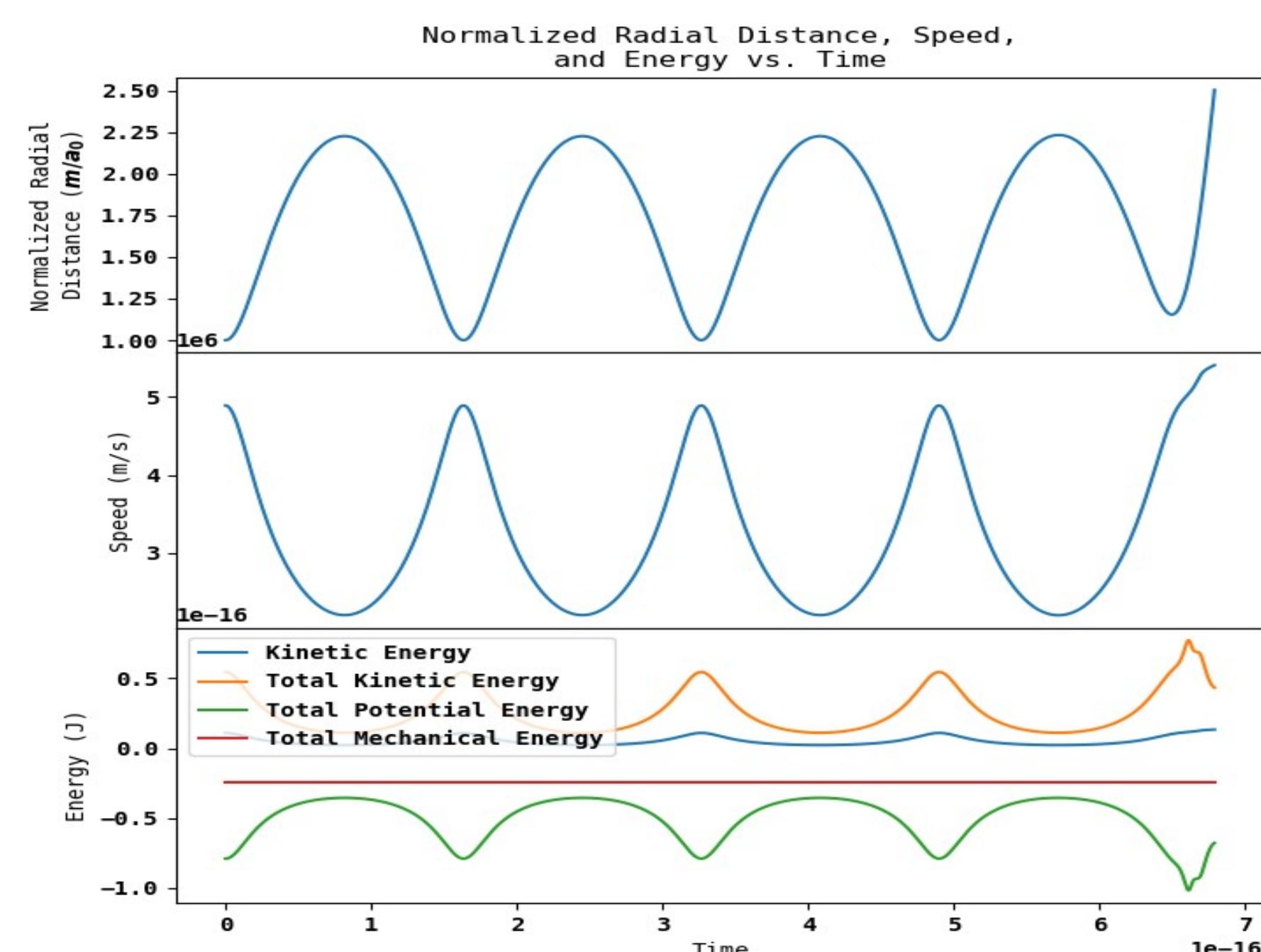


**Fig 1.** The trivial case, with only one electron and no perturbation, is perfectly stable

## 5 Electrons, $10^{-14}$ Rad:



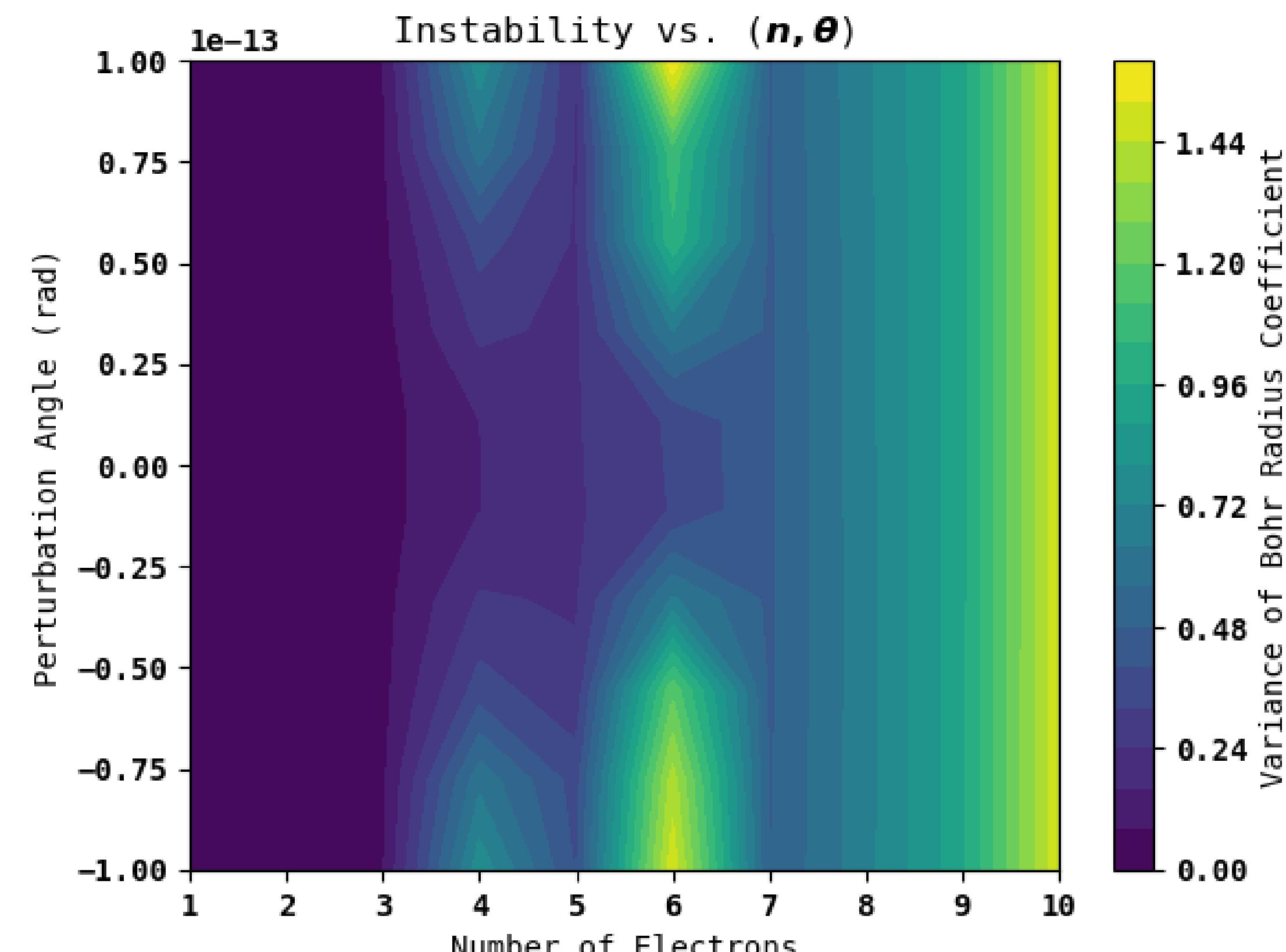
**Fig 2.** Very slight, near zero perturbation still completely destabilized this system.



**Fig 3.** All behavior of the system was periodic up to a point at which the entire system completely breaks, so these systems are either completely stable or unstable.

## Phase Investigation

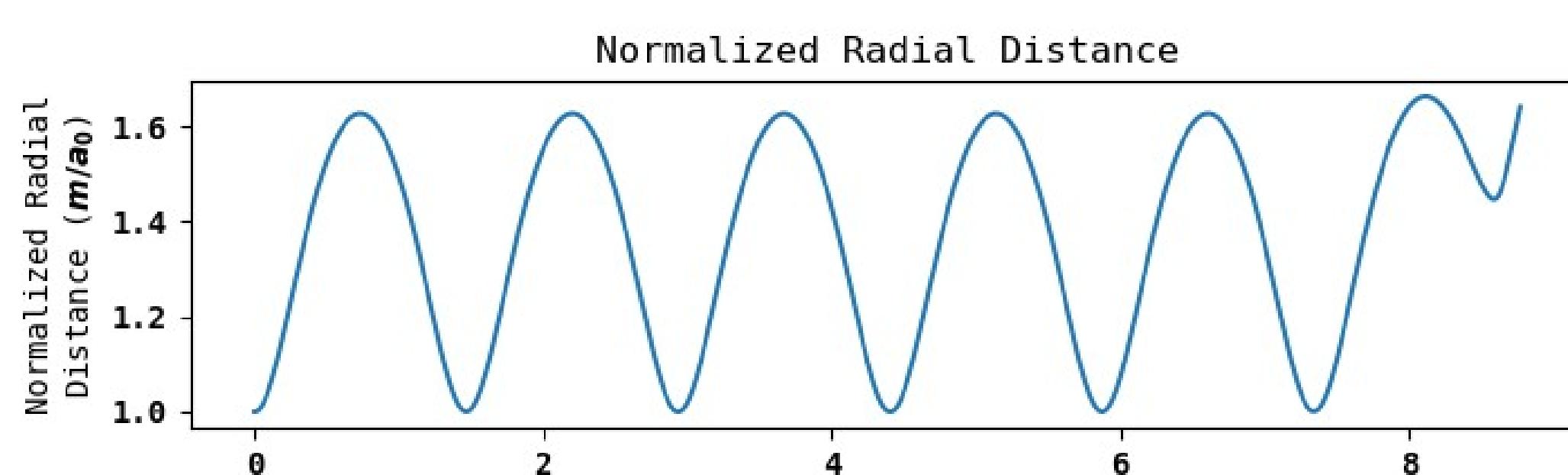
Instability is measured as the mean variance in the radial distance from the nucleus in Bohr radii units for all electrons in the system.



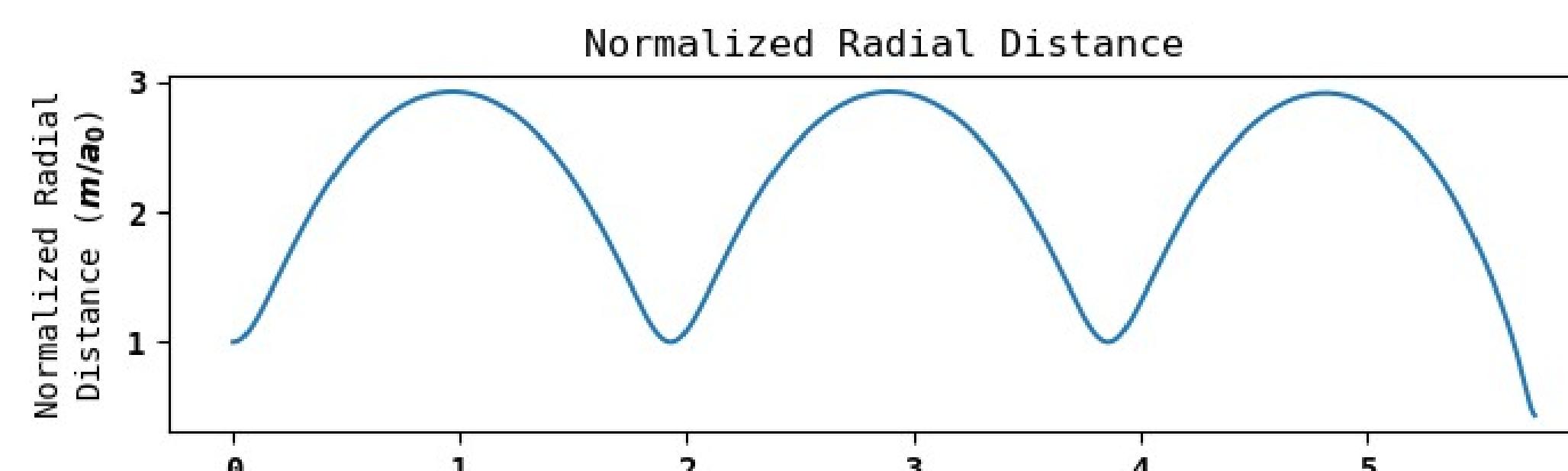
## Conclusions

- The model is completely stable for systems of 1 or 2 electrons regardless of perturbation (all return to stability completely) and breaks at 3 electrons (the first Bohr energy level).
- The model is particularly unstable at specific types of geometry, like hexagons and squares.
- Beyond 7 electrons, the system is fully unstable without regard to perturbation.

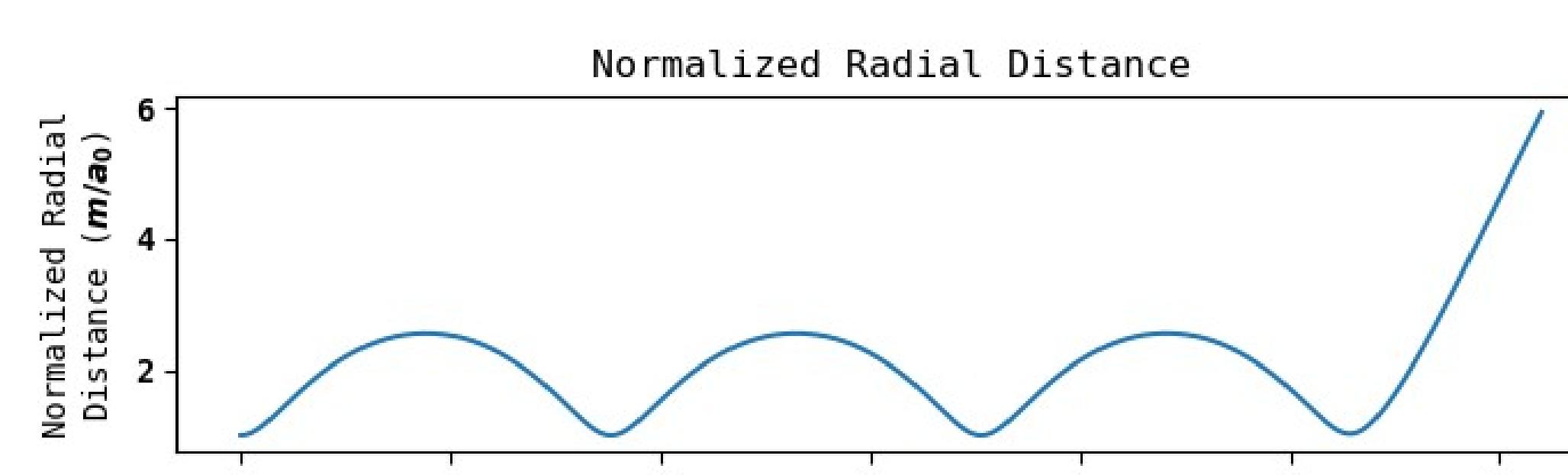
## (1) The Edge of Stability ( $n=3$ , $10^{-13}$ rad)



## (2) Local Minima ( $n=5$ )



## (3) Local Maxima ( $n=6$ )



- All systems have periodic, circular orbits up to a defining moment where stability is completely broken due to the system construction.
- Stability can therefore be defined based on how long these orbits stay perfectly periodic/circular.