

# Annealing Algorithm

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by

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# 1

## Introduction

Simulated annealing is a probabilistic optimization technique inspired by the annealing process in metallurgy. The project aims to apply simulated annealing to minimize wire length in circuit layouts, an essential problem in electronic design automation. Wire length directly influences the performance and efficiency of electronic circuits.

### **1.1. Objectives**

The primary objective of this project is to experiment the annealing methodology for placement with an optimized code that consumes the lowest possible time. We want also to analyze how variations in the cooling factor during the simulated annealing process affect the resulting wire length. The cooling factor is a crucial parameter in the annealing algorithm, influencing the probability of accepting worse solutions at higher temperatures.

# 2

## Methodology

### 2.1. Problem Formulation

As mentioned before the objective of this project is to optimize wire length in electronic circuit layouts using simulated annealing. Hence, a thorough process was introduced to implement, test, and visualize the algorithm and the data generated from it.

### 2.2. Algorithm Implementation

The core of the project involved implementing the simulated annealing algorithm in C++. The algorithmic implementation considered the key components of simulated annealing, including the initial temperature, cooling factor, and acceptance probability function. The temperature schedule and annealing parameters were varied to explore their effect on the wire length.

### 2.3. Visualization Using Matplotlib

For a comprehensive analysis of the annealing process, the Matplotlib library in Python was employed to create visualizations. Graphs depicting the change in wire length over iterations were generated. These visualizations proved instrumental in understanding the algorithm's convergence behavior. Then another set of graphs were generated by varying the cooling factor to identify its effect on the final wire length.

### 2.4. GIF Animation Generation

To enhance the presentation and communication of the annealing process, a GIF animation was generated. The animation showcased the evolution of the circuit layout and wire length over successive iterations. This dynamic representation allowed for a more intuitive understanding of how the algorithm explored and optimized the solution space.

### 2.5. Experimental Setup

Experiments were conducted using various instances of circuit layouts with different complexities. The impact of changing the cooling factor on the wire length was systematically analyzed. The algorithm's performance was evaluated based on the convergence speed and the quality of the final solution.

### 2.6. Data Collection

Data on wire length at each iteration, as well as the final wire length for different cooling factors, were collected and analyzed. The collected data formed the basis for generating graphs and drawing conclusions about the relationship between the cooling factor and wire length.

## 2.7. Code Optimization

Efforts were made to optimize the C++ code to ensure efficient execution, especially for larger and more complex circuit layouts. The goal was to achieve a balance between algorithmic effectiveness and computational efficiency.

The combination of algorithmic implementation, visualization using Matplotlib, and the creation of a GIF animation provided a comprehensive methodology for studying and presenting the simulated annealing optimization process for wire length in electronic circuit layouts.

# 3

## Implementation

### 3.1. User Defined Types

#### 3.1.1. Structures

The building unit of the placement algorithm is the cells of the component. Since each cell has different features that are essential to it whenever it is used, it made sense to use structs to group these features together in one unit.

```
1 struct Cell {  
2     int number;  
3     int x;  
4     int y;  
5     vector < int > nets;  
6 };
```

- **number**: Stores the number of this component.
- **x**: Stores the x coordinate of this cell's position.
- **y**: Stores the y coordinate of this cell's position.
- **nets**: Stores all the nets that can be affected by the change in this cell's position.

#### 3.1.2. Classes

In this project, object-oriented programming (OOP) was used to ensure an organized and readable code that can be easily maintained and can smoothly adapt to future changes and enhancements. One class was used for the placement for the whole project. This class supports parsing an input netlist, calculating the half perimeter wire length (HPWL), and annealing algorithm. Different placement algorithms can be added to this class later besides annealing.

```
1 class placer {  
2     public:  
3     placer(string filename);  
4     void run();  
5  
6     private:  
7     int  
8         numRows,  
9         numColumns;  
10    int  
11        totalcomponents ,  
12        totalnets;  
13    int totalHPWL;  
14    vector < Cell * > components;  
15    vector < vector < Cell * >> netlist;  
16    vector < vector < Cell * >> netlist_y;  
17    vector < vector < int >> grid;  
18    vector < int >  
19        HPWL_X,  
20        HPWL_Y;  
21    vector < int >  
22        HPWL_Y_I,  
23        HPWL_X_I,  
24        HPWL_Y_I2,
```



```

25         HPWL_X_I2;
26
27     void parseInput(const string filename, int & totalcomponents);
28     void initialPlacement(int numTotalComponents);
29     static bool compare_X_coordinate(Cell * A, Cell * B);
30     static bool compare_Y_coordinate(Cell * A, Cell * B);
31     int calculateHPWL_X(vector < Cell * > & X);
32     int calculateHPWL_Y(vector < Cell * > & Y);
33     void calculateInitialHPWL();
34     void checkHPWL_X(const Cell * cell, int net, int c);
35     void checkHPWL_Y(const Cell * cell, int net, int c);
36     bool checker(const int IHPWL1, const Cell * X, const Cell * Y, double
    temperature);
37     void annealing();
38     void printPlacement();
39     void printBinaryPlacement();
40 };

```

The class has two public functions:

- **placer():** The constructor for the placer object that takes the netlist file name as input is responsible for doing the initial random placement and calculating the initial HPWL.
- **run():** The run function is responsible for calling the functions needed for annealing in addition to calculating the annealing time.

All the variables are declared in the private part in addition to the rest of the functions.

Variables like **numRows**, **numColumns**, **totalcomponents**, and **totalnets**, are initialized from the netlist file and are used throughout the code. On the other hand, **totalHPWL** is initialized in the instructor with 0 and its value keeps getting updated with each swap in the annealing function.

There are other variables that are also private to the class like: **components**, **netlist**, **netlist\_y**, **grid**, **HPWL\_X**, **HPWL\_Y**, **HPWL\_Y\_I**, **HPWL\_X\_I**, **HPWL\_Y\_I2**, and **HPWL\_X\_I2**; however, their functionality will be explained in the following Data Structures section.

There are a total of thirteen functions in this class that will be discussed in detail in the algorithm section.

## 3.2. Data Structures

The main data structure that was used throughout the project is vectors in two different forms: 1D and 2D. Vectors were used for several reasons: ease of use, support for random access, efficient sorting, sequential storage, and flexibility.

The vectors used in the project and their functionality:

- **components:** This is the main vector in the project; it is a vector of pointers to objects of type **Cell**. It contains all cells sequentially in addition to their info. During swapping, the x and y values for the swapped components are updated in the components vector; thus, their values are automatically updated in all other places that point to the cells in this vector.
- **netlist:** The netlist data structure is represented as a vector of vectors, where each element is a pointer to a **Cell** object from the components vector. This two-dimensional vector, **vector<vector<Cell\*>>**, is used to organize and store a matrix-like structure of **Cell** objects. Each row in the netlist corresponds to a specific net, and each column within a row represents a **Cell** associated with that net. The use of pointers allows for efficient access and modification of individual **Cell** objects within the netlist. In this version of the netlist, each net is sorted ascendingly according to the values of x of the cells in the net. This is to make the process of calculating the HPWL of each net easier and faster.
- **netlist\_y:** The only difference between this **netlist\_y** and the one discussed above is that the nets in this version are sorted ascendingly according to the values of y of the cells in the net. Other than that, everything from **netlist** applies on **netlist\_y**;
- **grid:** This is a vector of vector of **int** that represents the placement grid; it is mainly used for printing, which is why it only has the number of the components without any extra info about it;
- **HPWL\_X and HPWL\_Y:** These are two vectors of type **int** that are used to store the values of the horizontal and vertical part of the HPWL, respectively;



- **HPWL\_X\_I and HPWL\_Y\_I:** These are two vectors of type int that are used to store a copy of the values of the Initial horizontal and vertical part of the HPWL, respectively, of the nets that are affected by one of the cells before swapping, so in case the swapping is rejected, they can be restored again;

### 3.3. Algorithm

We tried to achieve a minimal number of nested loops and extra calculations as much as possible to decrease the total time taken by the annealing function. In this section, we will discuss the functions used in the class and the implementation that was used to produce the minimum amount of time possible.

- **parseInput():** This function parses the netlist file to initialize all private variables in the class needed for the annealing process.
- **initialPlacement():** This is the function responsible for the initial placements of the components in the grid. To reduce the complexity of calculating different random x and y for each component, this function uses a linear approach to randomly place the components by declaring a local vector that has the same size as the total number of available places in the grid; this vector is then initialized with the number of components available sequentially, and the rest are set to -1. The vector is then shuffled to achieve the random placement. Finally, the elements in this vector are placed in the 2D grid in the same random order they have in the vector.

To reduce the complexity of the calculation of the HPWL, we calculate the x part and y part of the HPWL separately, and we save them in the previously discussed vectors, and since we have the nets affected by each cell in the Cell itself, whenever a cell is swapped we only recalculate the HPWL of these nets:

- **compare\_X\_coordinate and compare\_Y\_coordinate:** These are comparator functions to help sort cells according to the values of x and y, respectively;
- **calculateHPWL\_X and calculateHPWL\_Y:** These functions calculate the values x and y of the HPWL, respectively, of a specific net by sorting this net according to x (netlist\_x for the x part).
- **calculateInitialHPWL:** This function is only called once in the constructor, as it calculates the initial HPWL by calling calculateHPWL\_X and calculateHPWL\_Y; consequently, it sorts all the nets in netlist and netlist\_y according to the values of x and y respectively.
- **checkHPWL\_X and checkHPWL\_Y:** These functions check the effect of the change of a specific cell on the nets affected by this cell. It only recalculates the HPWL if needed, which is when this cell exists at the beginning or end of the sorted netlist if it is in the middle but its x (y) value is greater than that of the last cells of the net or less than that of the first cell of the net. In these cases only, we would need to sort the netlist again and recalculate the HPWL.
- **checker():** This function checks if the swap of two cells will be accepted or not with probability  $1 - e^{-\frac{\Delta HPWL}{T}}$ . It first copies the HPWL that will be affected by swapping the two cells and stores them in HPWL\_X\_I and HPWL\_X\_I2, so in case of rejection, they can be restored. Then, it calls checkHPWL\_X and checkHPWL\_Y on all the affected nets from the two cells.
- **annealing():** The annealing function is responsible for initializing the initial cost, initial temp, and final temp. It generates two places in the grid and swaps them; then it calls the checker function; if the swap is rejected, it restores all the changed values resulting from the swap; otherwise, it keeps them and moves to the new iteration.
- **printPlacement():** The function prints the 2D grid where each value either has a number of a component or — if it is an empty place.
- **printBinaryPlacement():** It prints the 2D grid with a binary representation of 0 to empty cells and 1 to occupied cells, for easier visualization of large test cases.

### 3.4. Complexity

- **parseInput():** The largest complexity in this function is the nested loop for initializing the netlist. Consequently, it has a complexity of  $O(totalnets * componentsPerNet)$
- **initialPlacement():** It takes  $O(numRows * numColumns)$  to initialize the grid.
- **calculateHPWL\_X and calculateHPWL\_Y:** Sorting the net take  $O(n \log n)$

- **calculateInitialHPWL:**  $O(\text{totalnets} * 2(n \log n))$
- **checkHPWL\_X** and **checkHPWL\_Y:** worst case:  $O(\text{calculateHPWL\_X})$  while best case:  $O(3)$  for the 3 conditions before the return.
- **checker():**  $O(\text{numofnetsinacell} * O(\text{checkHPWL\_X} + \text{checkHPWL\_Y}))$
- **annealing():**  $O(\text{numofdifferentvaluesof temp} * (10 * \text{numRows} * \text{numColumns}) * O(\text{checker}))$
- **printPlacement():**  $O(\text{numRows} * \text{numColumns})$
- **printBinaryPlacement():**  $O(\text{numRows} * \text{numColumns})$

### 3.5. GIF generation

To better visualize the annealing process and understand the functionality of the algorithm, we used a method for creating a GIF that simulates the whole annealing process:

```

1 void savePlacementImage(const std::string& filename) const
2 {
3     const int cellSize = 30;
4     const int imageSizeX = cellSize * numColumns;
5     const int imageSizeY = cellSize * numRows;
6
7     CImg<unsigned char> img(imageSizeX, imageSizeY, 1, 3, 255);
8
9     for (int i = 0; i < numRows; i++) {
10         for (int j = 0; j < numColumns; j++) {
11             int cell = grid[i][j];
12             unsigned char color[3] = {255, 255, 255};
13
14             if (cell != -1) {
15                 color[0] = color[1] = color[2] = 0;
16             }
17
18             img.draw_rectangle(j * cellSize, i * cellSize, (j + 1) * cellSize -
19                             1, (i + 1) * cellSize - 1, color);
20         }
21     }
22     img.save_bmp(filename.c_str());
23 }

```

The function shown above with the usage of cimg library was responsible for creating images with black squares representing the components and white squares representing the empty cells.

Then this function was called in the annealing function inside the loop of the temperature scheduling to get an image after each and every temperature scheduling step.

```

1 void annealing() {
2     cout << "started annealing" << endl;
3     double initialCost = totalHPWL;
4     double initialTemp = initialCost * 500;
5     double finalTemp = 5 * pow(10, -6) * (initialCost / totalnets);
6     double currentTemp = initialCost * 500;
7     int IHPWL = initialCost;
8     // int THPWL = initialCost;
9     int c = 0;
10    // srand(time(0));
11    while (currentTemp > finalTemp) {
12        --
13        --
14        --
15        --
16        savePlacementImage("./images/image_" + to_string(c) + ".jpg");
17        c++;
18    }

```

Finally we used a tool named ImageMagick to combine the generated images into one gif file that shows the whole annealing process. ImageMagick was used using this command:

```

1 convert -resize 50% -delay 10 -loop 0 image_{0..[lastimagenumber]}.jpg
   output.gif

```

This command is to run from the terminal in the directory where the images are stored. graphicx

# 4

## Results and discussion

For the results of our annealing algorithm, we started by running the testcases that are provided in the handout. **Note:** for all the graphs of the HPWL vs temperature, we start the temperature on the x axis as reversed (from high to low) to show the progress of annealing and how the decrease of the temperature decreases the wire length.

### 4.1. d0.txt

Below is what we got when we ran d0.txt on 0.95 cooling rate:

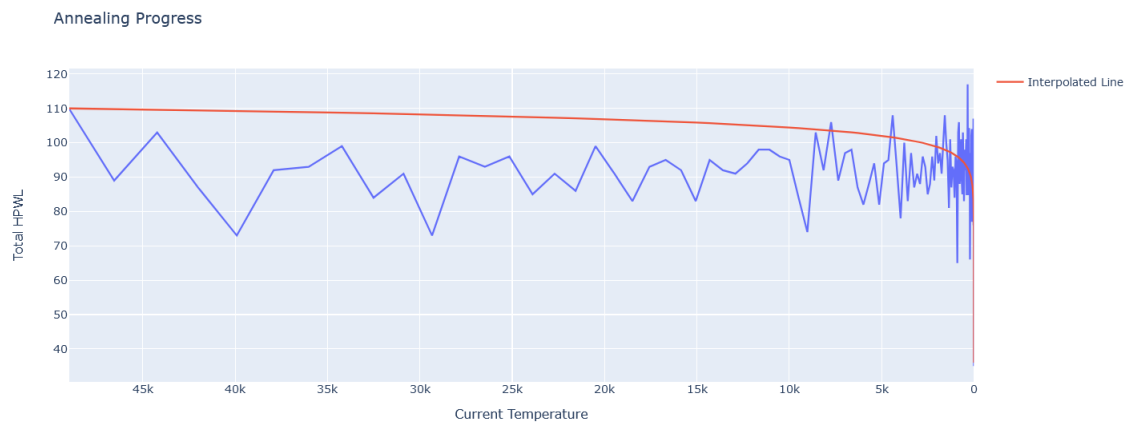
```
0013 0003 0017 ---- 0009 0021 0018 0002
j---- 0000 0004 0001 0010 ---- 0014 0019
f---- ---- 0006 0008 0012 0007 ---- 0011
0015 ---- 0023 0022 ---- 0016 0005 0020
Time taken by function: 8226 microseconds
started annealing
Initial cost: 85
Final Cost: 35
Time taken by function: 446760 microseconds
---- ---- ---- 0003 0014 0020 0004 ----
---- 0016 0015 0008 0006 0022 0010 0000
---- 0013 0007 0023 0019 0021 0017 0005
---- 0011 0012 0002 0001 0009 0018 ----

Binary representation:

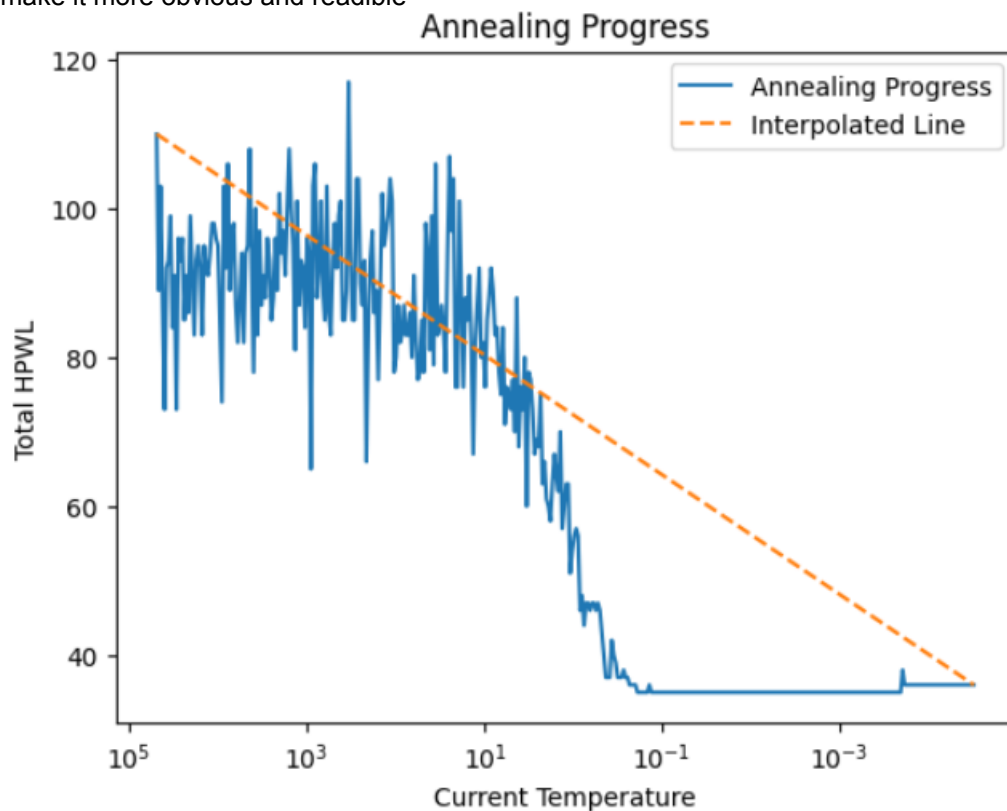
00011110
01111111
01111111
01111110
```

so as it's obvious, the initial random placement got adjusted to be optimal where the placed cells are clustered in the middle.

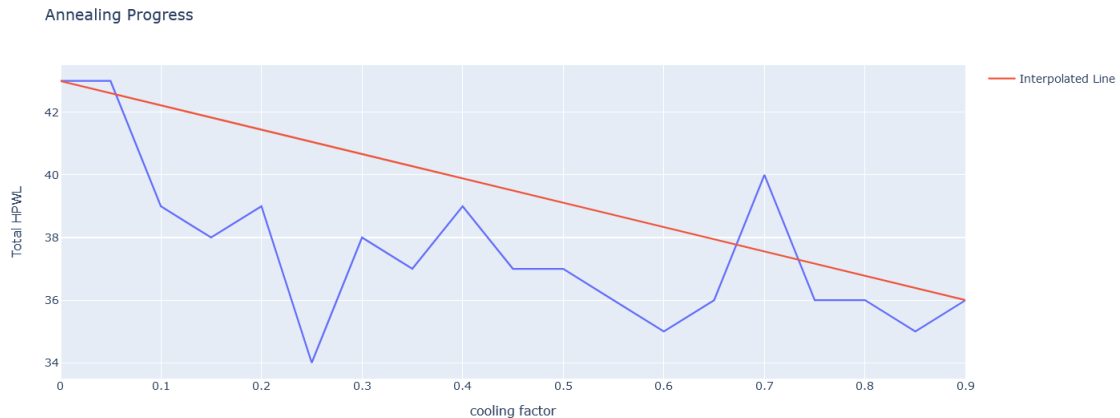
When we tried plotting the temperature versus the wire length during the annealing process this is what we got:-



And this shows how the wire length decreases when the temperature gets too small and the algorithm starts to converge and to verify this, we made the scale of the x axis (temperature) to be log scale to make it more obvious and readable



Next, we tried to use the same random seed and call the annealing algorithm on different cooling factor and see how this affects the final cost. Below is the resulted graph:-



#### 4.1.1. Discussion

For the results obtained for this testcase, it's very obvious how the algorithm worked on placing the cells in their optimal positions by decreasing the wire length (HPWL) and leaving the corner spaces on the corners. Regarding the graph, we can see how the annealing progressed decreasing the wire length through the iterations and making it end at half its initial cost. It's even more obvious on the graph having log scale on the x axis. Regarding the second graph, the results make sense as we go higher for the temperature factor, the final cost decreases. However, due to the small design the variation of the wire length is not that high.

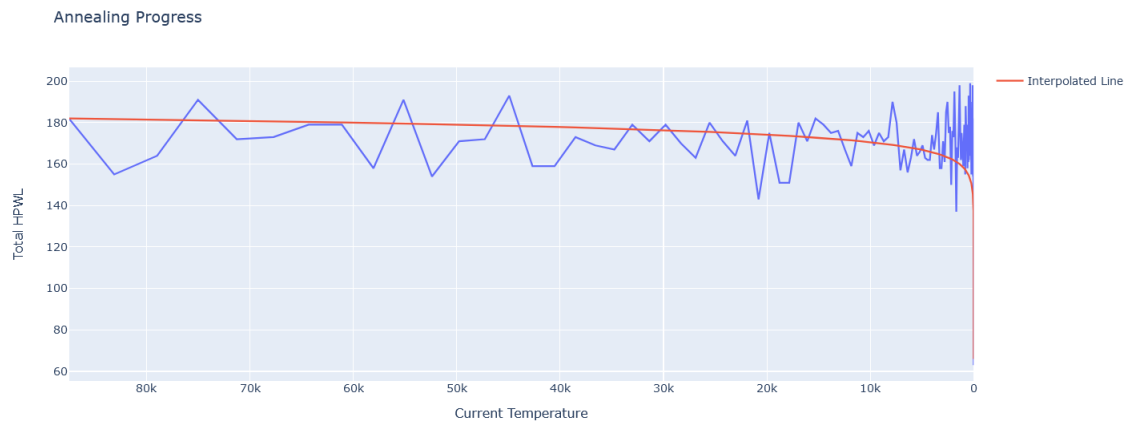
## 4.2. d1.txt

Similarly we did the same on d1.txt:

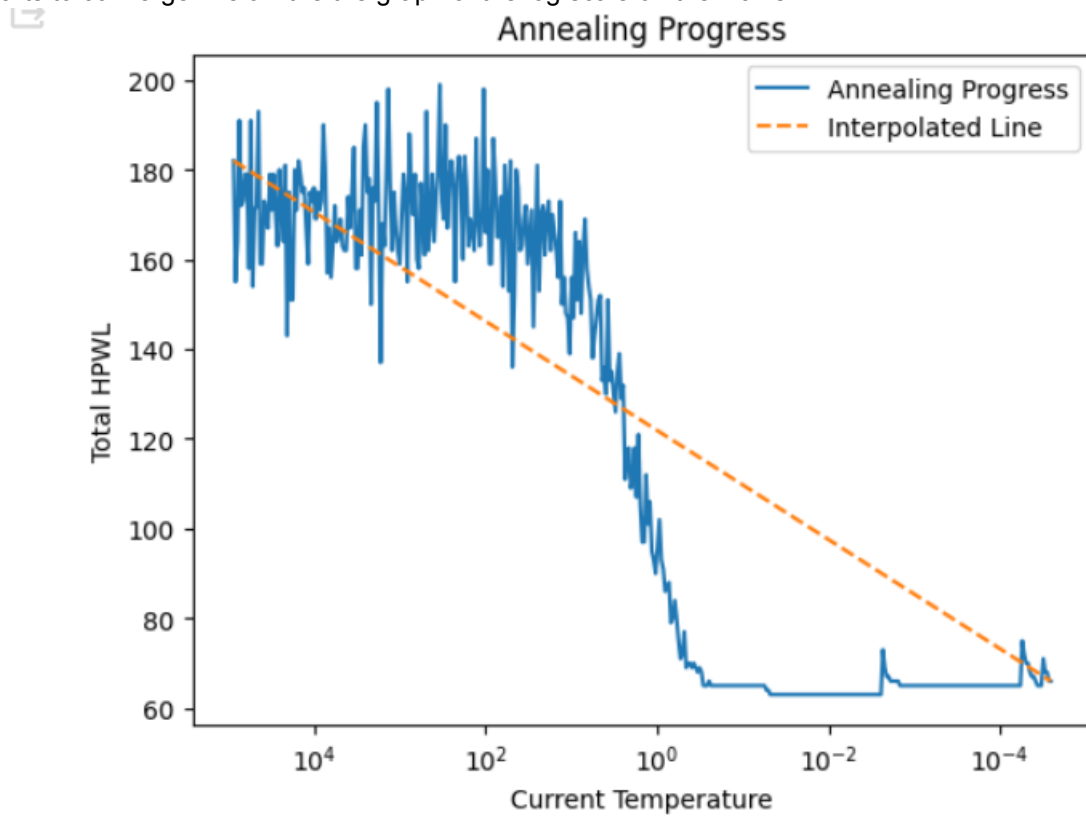
```
0020 0005 0021 0014 ---- 0027 0019 0001
0018 0015 0007 0034 0024 0013 0031 0006
0003 0022 0030 0016 ---- 0004 0032 0023
---- 0010 ---- 0035 0002 0017 0008 0029
0009 0026 0000 0025 0012 0028 0033 0011
Time taken by function: 6786 microseconds
started annealing
Initial cost: 156
Final Cost: 64
Time taken by function: 1008021 microseconds
0016 0005 0027 0035 0004 0006 0001 ----
0017 0031 0024 0021 0034 0025 0029 0008
---- 0014 0022 0033 0019 0015 0007 0003
0013 0026 0030 0018 0002 0010 0028 0011
---- 0000 0023 0032 0012 0009 0020 ----
3
Binary representation:
11111110
11111111
01111111
11111111
01111110
C:\Users\Muhammed\source\repos\Project61\x64\Debug\Project61.exe (process 20264) exited with code 0.
To automatically close the console when debugging stops, enable Tools->Options->Debugging->Automatically close the console when debugging stops.
Press any key to close this window . . .
```

As expected, the initial random placement got adjusted to be optimal where the placed cells are clustered in the middle.

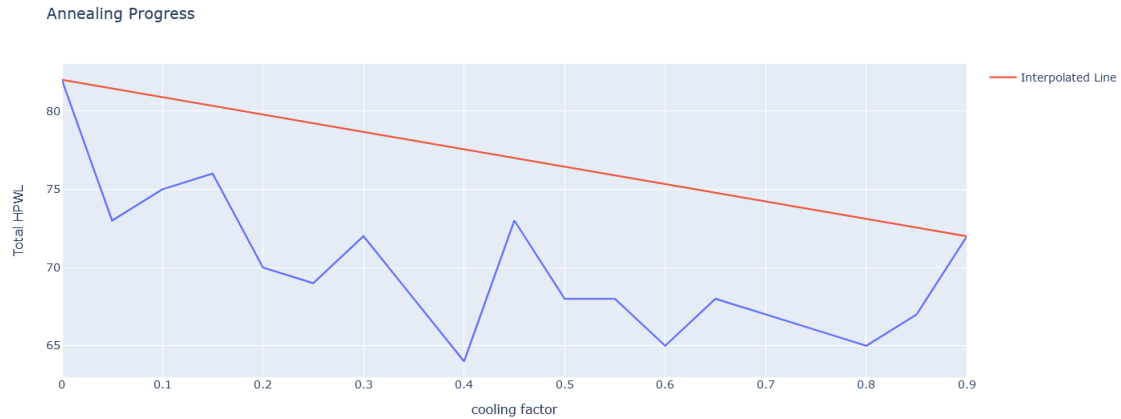
When we tried plotting the temperature versus the wire length during the annealing process this is what we got:-



And this shows how the wire length decreases when the temperature gets too small and the algorithm starts to converge. Below the the graph of the log scale on the x axis:-



Next, We did the other graph of the final cost vs the cooling rate and this is what we got:-



#### 4.2.1. Discussion

The results also illustrate the algorithm effectiveness in optimizing the cell placement by minimizing the HPWL and allocating the cells strategically. The graph also demonstrates the annealing process by showcasing the steady decrease in the wire length and it's also more readable on the log scaled x-axis graph. The second graph also makes sense but similar to d0, the variation of the wire length is not obvious due to the small design.

### 4.3. d2.txt

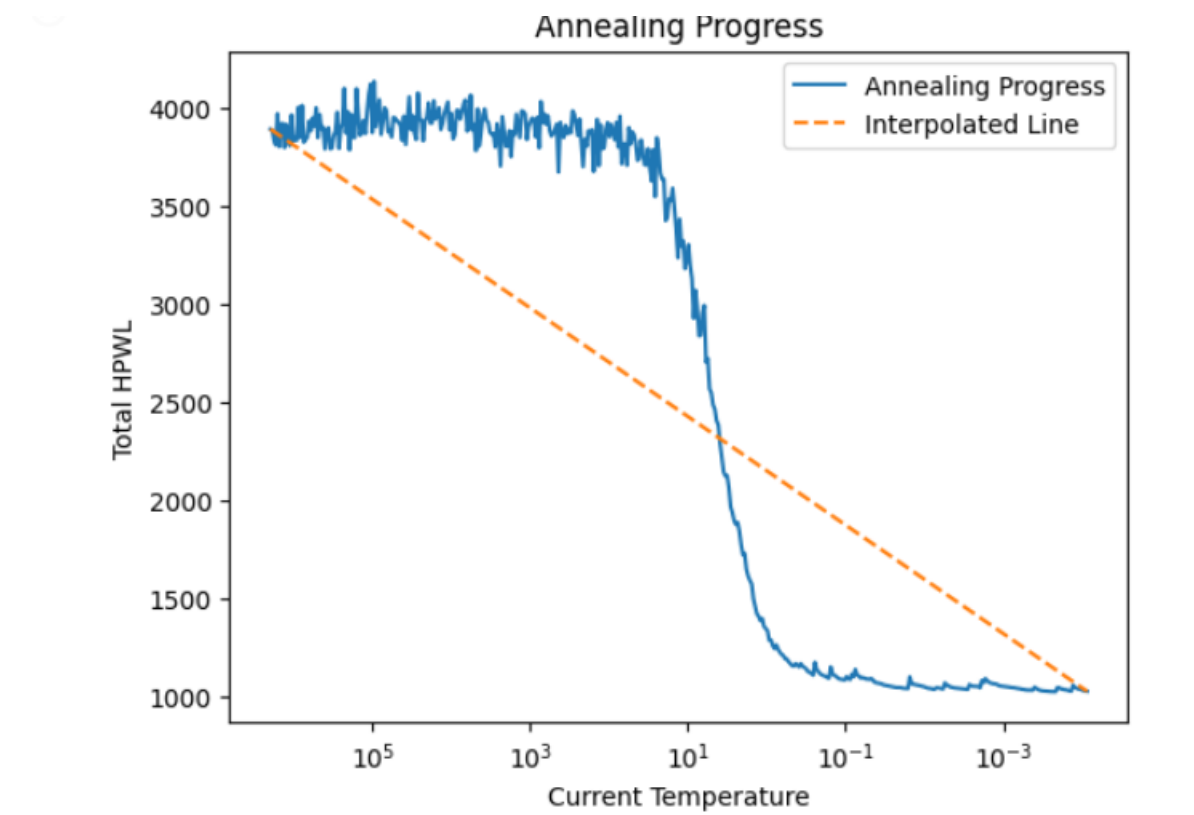
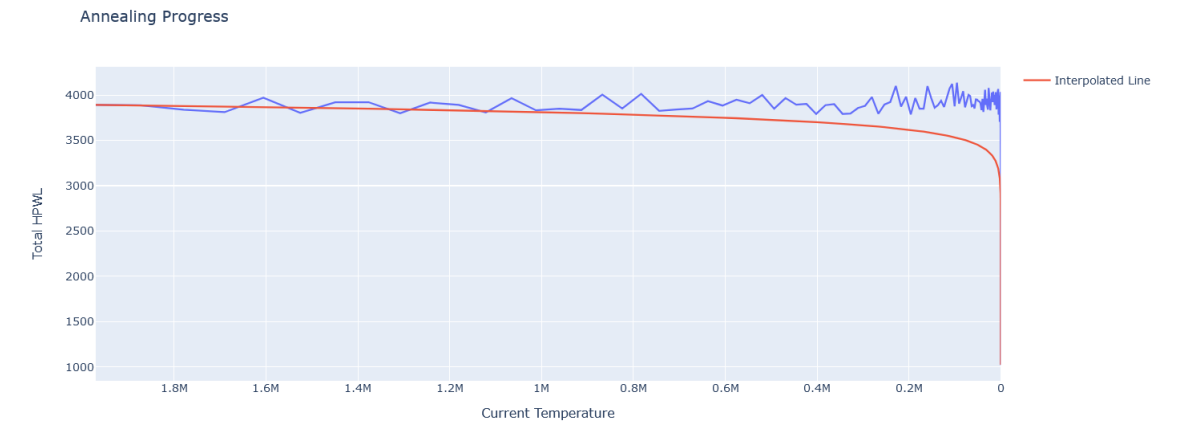
For the remaining test cases, , below are the results in the same order of the previous ones :-

```
0120 0014 0155 0082 ---- 0074 0247 0220 0063 0215 0150 0144 0241 0096 0200 0177 0028 0098 0216 0229
0210 0027 0145 0093 0076 0199 ---- 0092 0128 0068 0107 0252 0159 0123 0034 0050 ---- 0033 0054 0051
---- 0102 0186 ---- 0225 0035 0228 0056 0066 ---- 0121 ---- 0119 0244 0090 0237 0006 ---- 0187 0140
0020 0148 0024 0204 0238 0001 0010 0078 0025 0103 0072 0111 ---- 0083 0104 0086 ---- 0124 0185 ----
0251 0150 0210 0071 ---- 0158 0197 0125 0214 0016 0031 0156 0100 0129 0138 0005 0002 0149 0243 0105
0009 0095 0134 0213 0099 0183 0208 ---- 0112 0250 0007 0127 0232 ---- 0180 0167 0126 0221 0130 0011
0151 0234 0069 0067 0022 0203 0021 0109 0249 0201 0122 0217 0235 0170 0205 0194 0164 0257 0226 0191
0070 0139 0106 0178 0023 0097 0246 0255 0083 0174 0043 0008 0064 0245 ---- 0116 0224 ---- ----
0077 0017 0239 0049 ---- ---- 0045 0030 0211 0142 0254 0169 0163 0184 0253 ---- 0175 0026 0195 0166
0004 0042 ---- 0137 0040 0005 0162 0032 0075 0118 ---- 0013 0135 0007 0091 0084 ---- 0141 0073 0050
0089 0080 0114 ---- ---- 0055 0240 ---- ---- 0218 ---- 0037 0110 0188 0062 0168 0231 0176 0258 0113
0207 0227 0256 0153 0015 0165 0094 0189 0259 0000 0047 ---- 0236 0003 ---- 0242 0179 0193 0209 0046
0136 0230 ---- 0058 0057 ---- 0052 0198 0012 0154 0192 0018 0041 0100 ---- ---- 0147 0059 0181
---- 0048 0019 0212 0233 0029 0133 0173 0132 0079 0248 ---- 0160 ---- 0101 0206 0172 0036 0038 0044
0143 0196 0131 0117 0161 0152 0182 0039 0202 0115 0157 0146 0061 0223 0222 0171 0085 ---- 0053 0081
Time taken by function: 8118 microseconds
started annealing
Initial cost: 3919
Final Cost: 1819
Time taken by function: 8445629 microseconds
---- 0258 0141 0244 0240 0235 0041 0040 0068 0118 0015 0080 ----
---- 0181 0186 0091 0191 0131 0105 0134 0053 0217 0250 0196 ----
---- 0192 0011 0002 0045 0001 0170 0008 0237 0200 0152 0162 0025 0024 0051 ----
---- 0241 0088 0124 0056 0153 0090 0137 0219 0074 0055 0048 0064 0211 0171 0231 0252
0061 0093 0078 0113 0243 0043 0176 0107 0077 0148 0033 0084 0206 0123 0187 0071 0257 0026 0125
0228 0142 0188 0234 0164 0156 0159 0098 0108 0031 0050 0135 0146 0178 0018 0060 0179 0213 0122 002
1 0004 0204 0161 0149 0010 0151 0133 0224 0256 0086 0070 0138 0057 0172 0242 0029 0119 0177 0222 005
2 0016 0143 0115 0210 0047 0037 0063 0038 0109 0140 0110 0006 0032 0180 0167 0174 0185 0173 0003 025
5 ---- 0212 0169 0065 0215 0229 0158 0075 0049 0232 0225 0087 0226 0183 0144 0121 0126 0150 0201 011
1 0139 0166 0112 0117 0249 0106 0230 0102 0130 0253 0209 0147 0199 0027 0035 0128 0127 0114 0116 014
5 ---- 0189 0218 0017 0019 0066 0067 0044 0227 0245 0082 0233 0000 0103 0198 0180 0129 0214 0239 025
4 ---- 0157 0251 0155 0046 0136 0197 0195 0104 0190 0160 0083 0163 0236 0154 0184 0259 0014 0036 005
8 0095 0076 0020 0039 0085 0062 0069 0054 0094 0132 0175 0022 0182 0059 0208 0223 0205 0030 0023
0006 0073 0194 0013 0207 0034 0072 0099 0203 0202 0007 0092 0042 0100 0028 0221 0220 0165
---- 0247 0101 0079 0168 0097 0246 0193 0009 0238 0248 0081 0216 ---- 0005
```



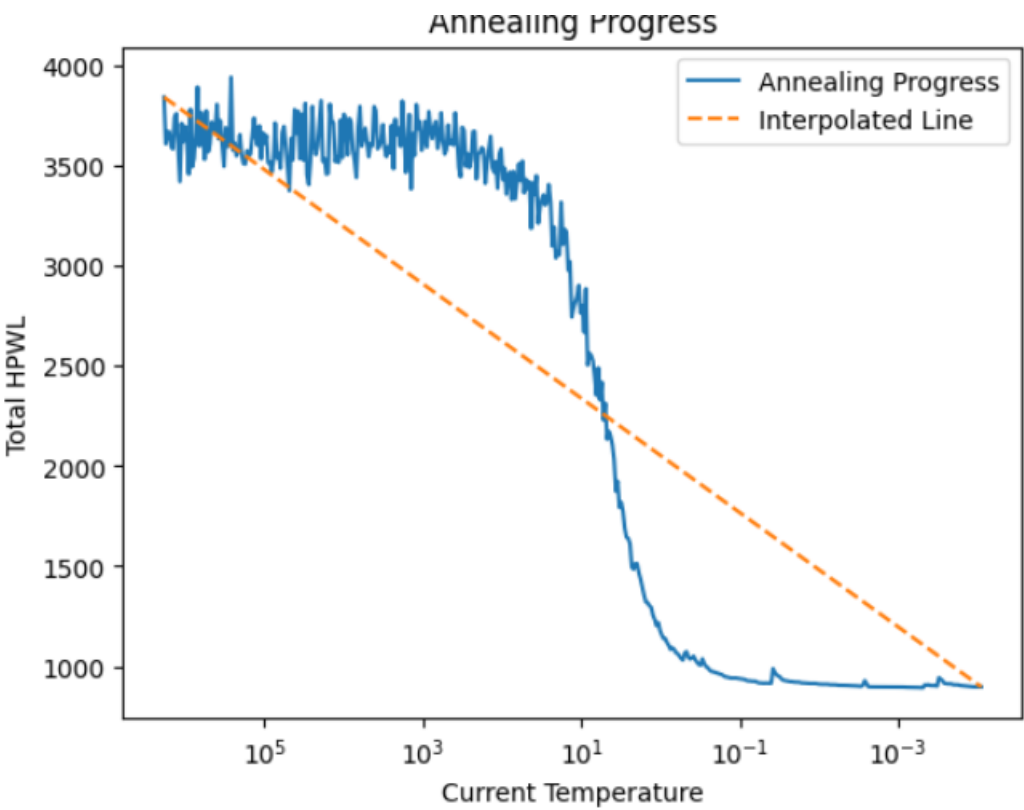
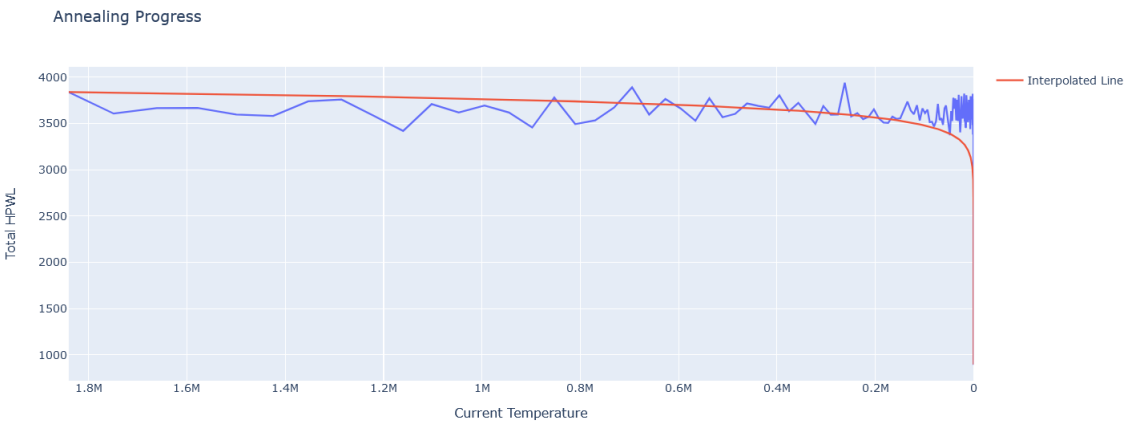
```
Binary representation:
000000011111111100
00001101111111100
00001111111111100
00011111111111110
11111111111111110
11111111111111111
11111111111111111
11111111111111111
11111111111111111
01111111111111111
11111111111111111
01111111111111111
01111111111111111
01111111111111111
11111111111111110
11111111111111100
011111111110001000
```

The first graph:

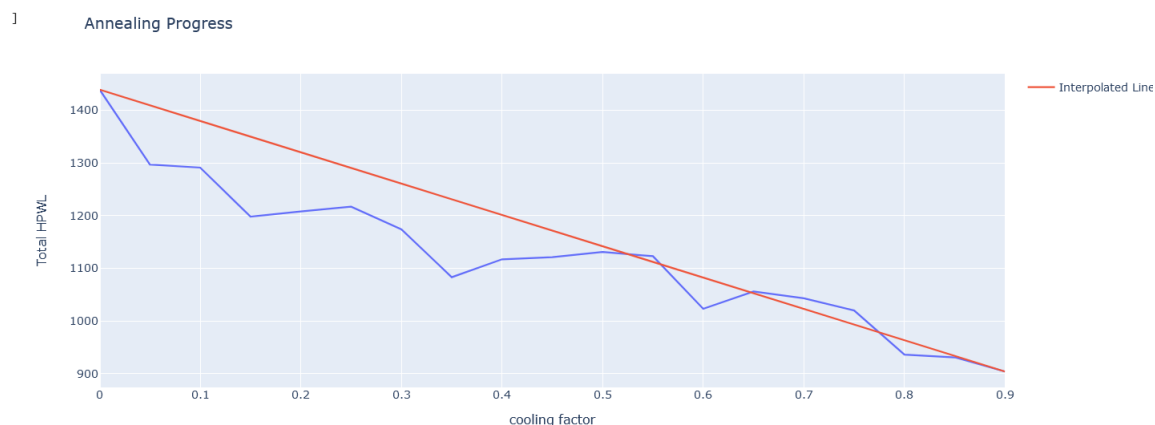


The second graph:





The second graph:



#### 4.4.1. Discussion

Similar to the previous testcases, the outcomes here as well confirm the efficiency of the annealing algorithm and how it placed the cells effectively decreasing the wire length. The first graph also shows this in both its versions, the normal and log scale ones. The second graph in this test case makes sense as the lowest cost corresponds the highest temperature factor.

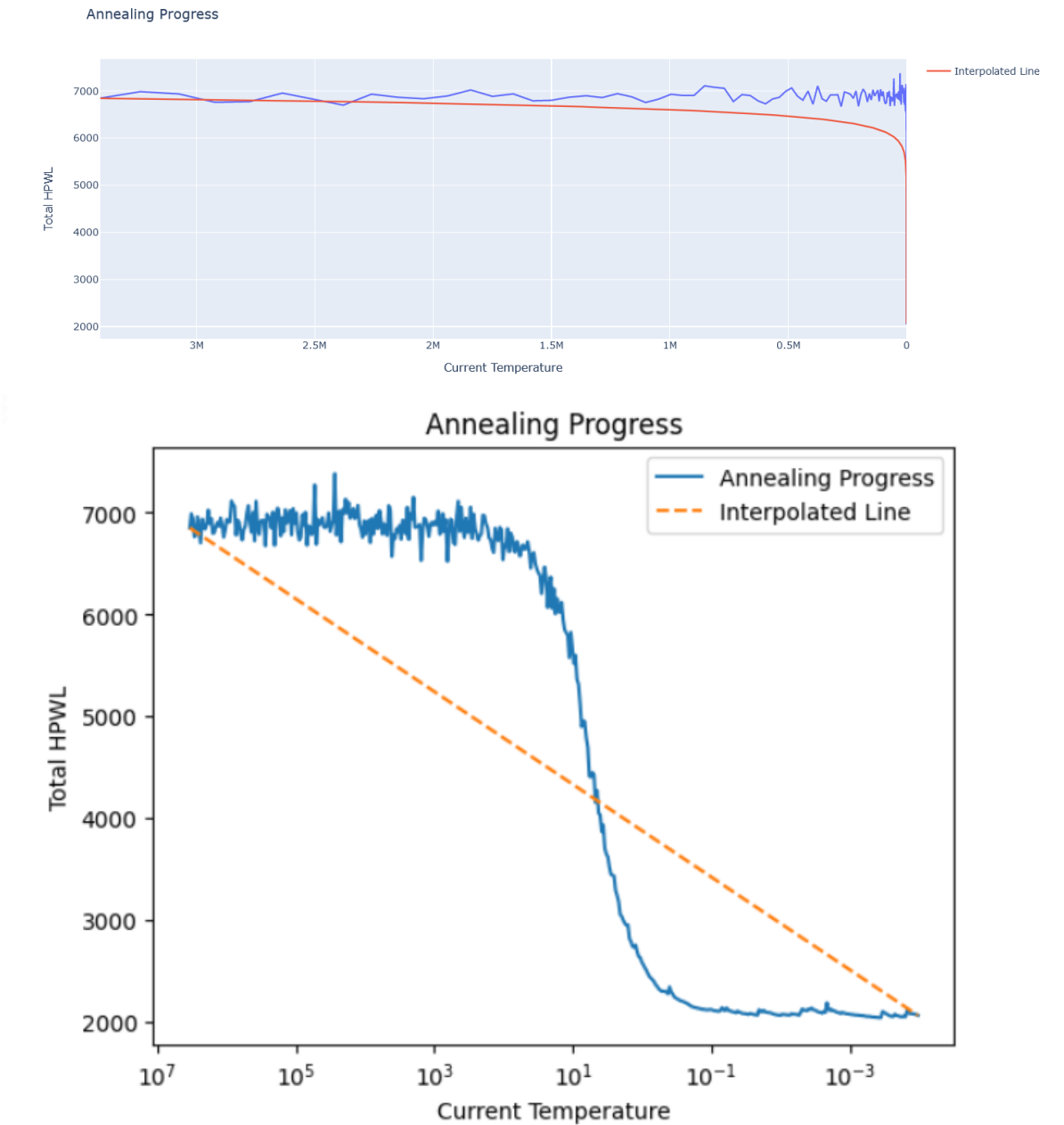
#### 4.5. t1.txt

[illegible]

Binary representation:

[illegible]

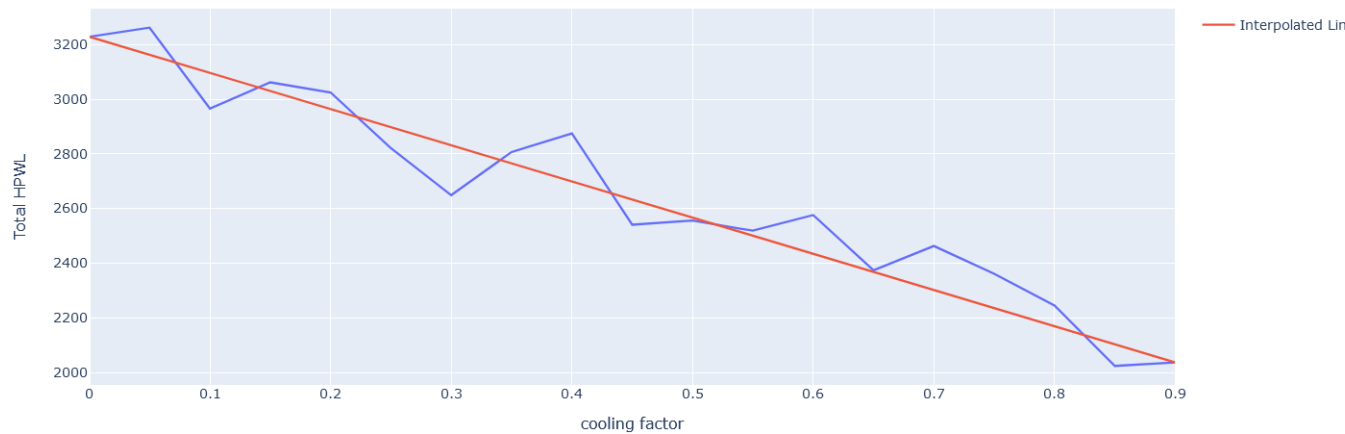
The first graph:



The second graph:

[46]

Annealing Progress



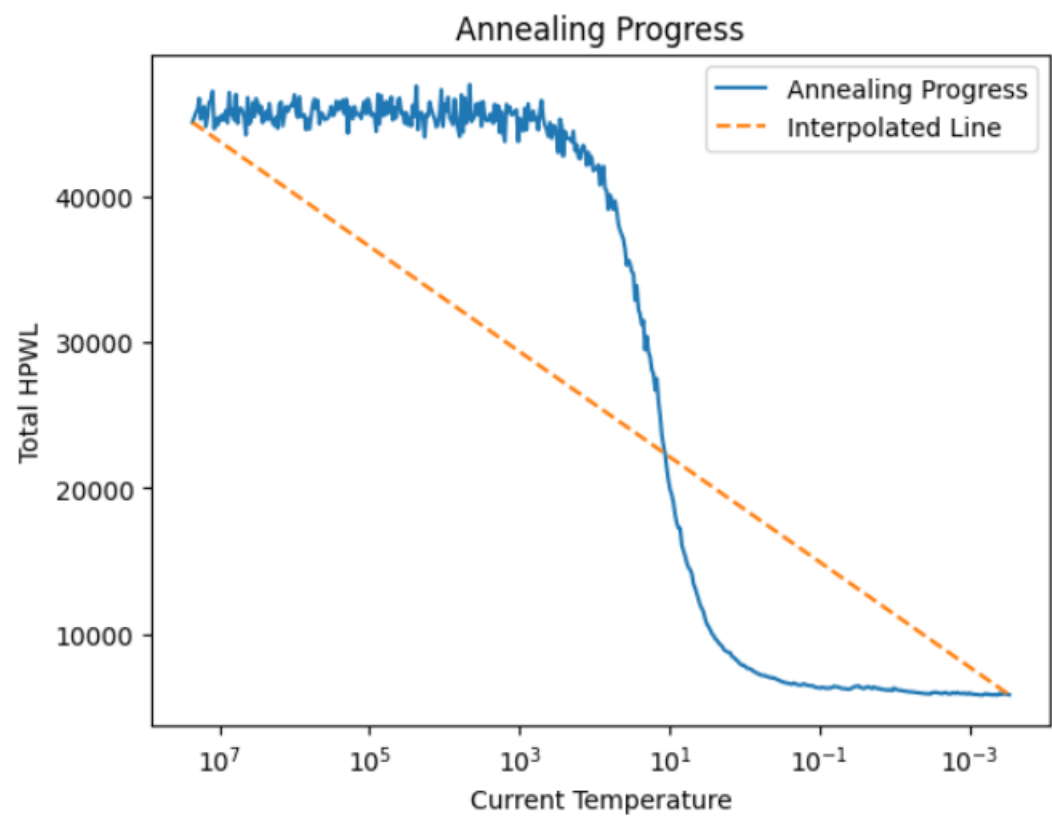
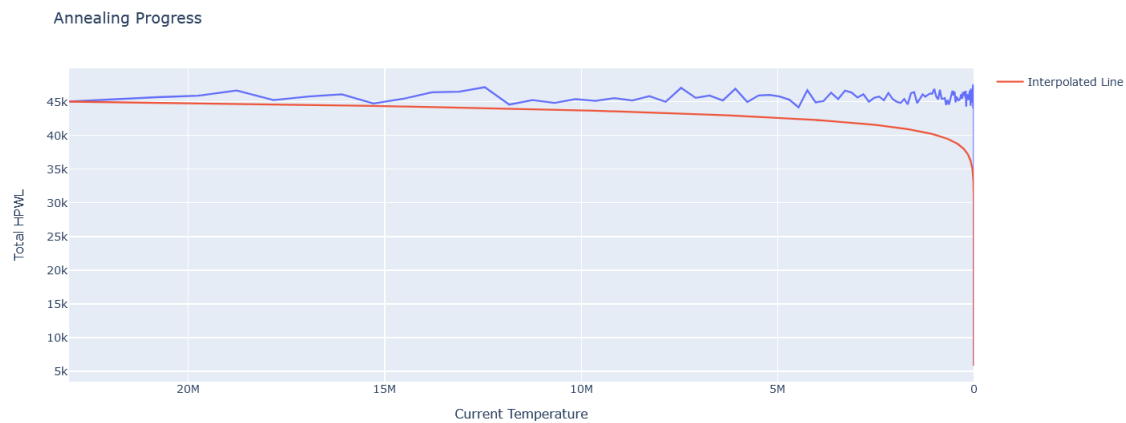
#### 4.5.1. Discussion

As a further confirmation, the outcomes here as well confirm the efficiency of the annealing algorithm and how it placed the cells effectively decreasing the wire length. The first graph also shows this in both its versions, the normal and log scale ones. The second graph in this test case makes more sense as the lowest cost corresponds the highest temperature factor. Additionally, the variations appear more when the design gets larger.

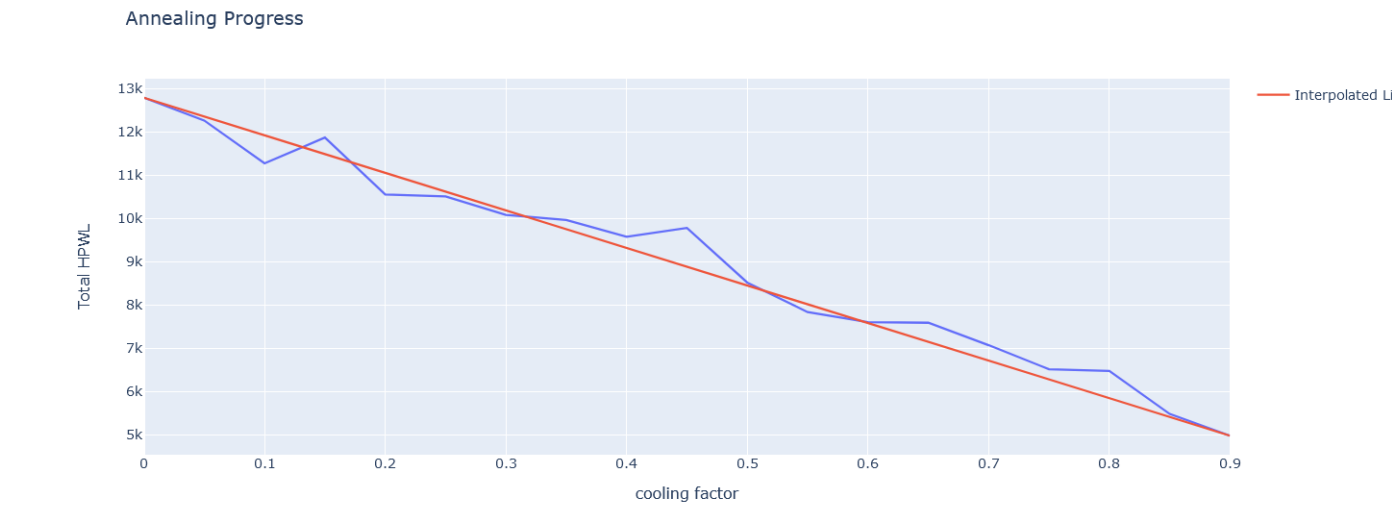
For the remaining two testcases, we will be showing the binary representation, the final cost and initial cost only as the design is huge







The second graph:



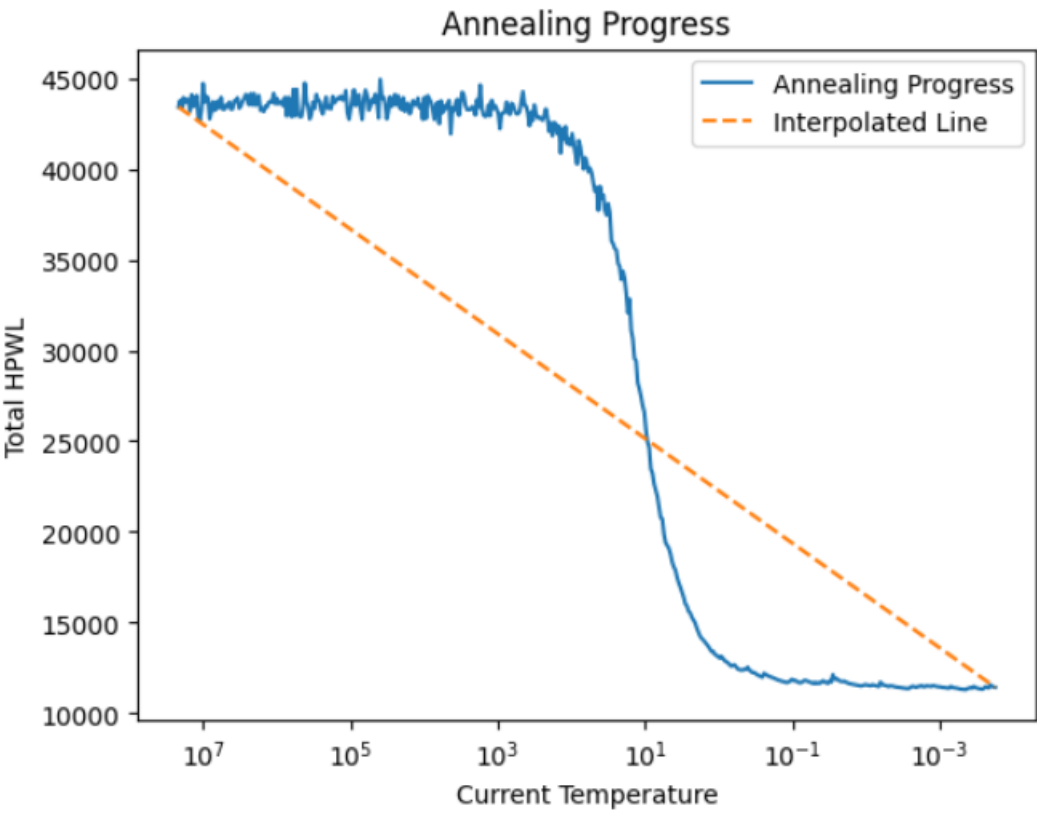
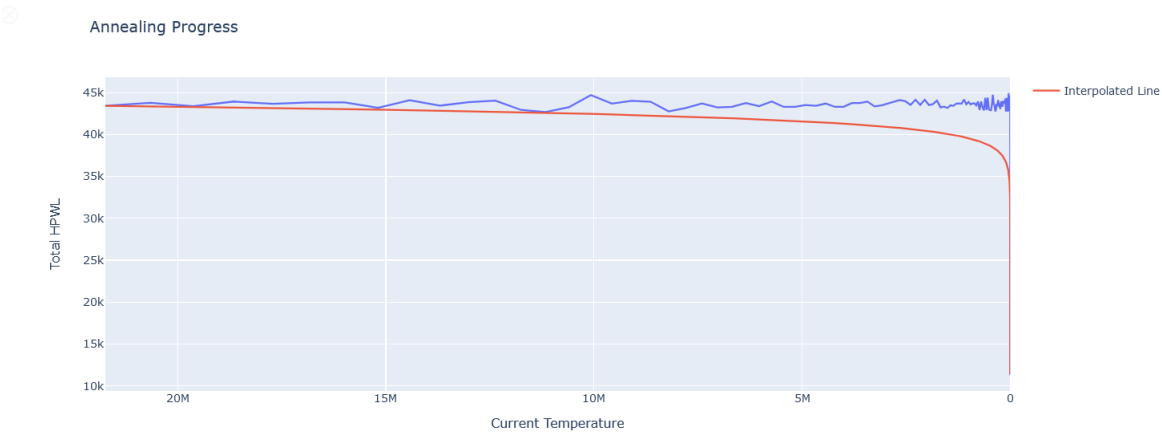
4.7. t3.txt

Initial cost: 43979  
Final Cost: 11332

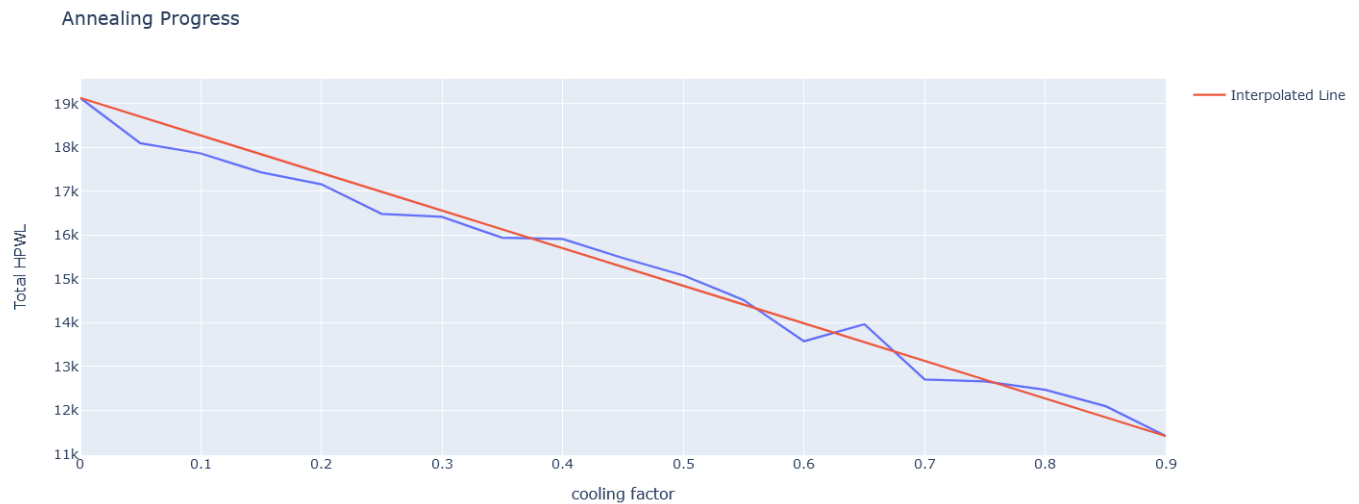
Binary representation:

```
0010001011011111111110110111111110111110111000
00011111111111111111111010011111111111111111100
0001111111111111111111111111111111111111111110000
01111111111111111111111111111111111111111111111100
0111111111111111111111111111111111111111111111110
0111111111111111111111111111111111111111111111110
1111111111111111111111111111111111111111111111111
0111111111111111111111111111111111111111111111110
0111111111111111111111111111111111111111111111110
1101111111111111111111111111111111111111111111110
0111111111111111111111111111111111111111111111110
0001111111111111111111111111111111111111111111110
0111111111111111111111111111111111111111111111110
0111111111111111111111111111111111111111111111111
1111111111111111111111111111111111111111111111110
1111111111111111111111111111111111111111111111111
01111111111111111111111111111111111111111111111100
00111111111111111111111111111111111111111111111101
0011111111111111111111111111111111111111111111110
0111111111111111111111111111111111111111111111110111
00111111111111111111111111111111111111111111111110
11111111111111111111111111111111111111111111111110
00111111111111111111111111111111111111111111111100
001111111111111111111111111111111111111111111111000
00011111111111111111111111111111111111111111111100
0111111111111111111111111111111111111111111111110101
0111111111111111111111111111111111111111111111110100
001000001011111111111111111111111111111111111110110110000
```

The first graph:



The second graph:



#### 4.7.1. Discussion for t2 and t3

As we saw what happened in the previous testcases, the cost considerably decreased for such a big design which shows how effective the annealing algorithm is. Additionally, the graph shows how the HPWL decreased as we progressed with time. Finally, the second graph for each one makes even more sense and even more than the other testcases as these were the largest two testcases and we show how the temperature factor affects the final cost and we saw how this varied with different cooling rates.

# 5

## Conclusion

The simulated annealing experiments conducted in this project have provided valuable insights into the optimization of wire length in electronic circuit layouts. The primary objective was to analyze the impact of changing the cooling factor on the wire length during the annealing process.

The results clearly demonstrate that the total wire length consistently decreases throughout the annealing process until an acceptable solution is reached. This behavior aligns with the fundamental principles of simulated annealing, where the algorithm explores a wide solution space, initially accepting worse solutions and gradually converging towards optimal configurations.

Interestingly, the final wire length was observed to increase as the cooling factor decreases. This phenomenon suggests a delicate balance between exploration and exploitation in the algorithm. A higher cooling factor allows for greater exploration of the solution space, potentially leading to the discovery of more optimal configurations. On the other hand, a lower cooling factor emphasizes exploitation, focusing on fine-tuning the solution. The trade-off between exploration and exploitation becomes evident in the observed relationship between the cooling factor and final wire length.

It is worth noting that the algorithm exhibits efficient performance, completing the optimization process in minimal time for the worst available test case. This efficiency is crucial for practical applications where quick turnaround times are essential in electronic design.

Additionally, the project has provided means of visualizing the annealing process. The generation of a GIF animation allows for a dynamic representation of how the algorithm explores and refines the solution space over time. This visualization aids in understanding the algorithm's behavior and can be a valuable tool for both analysis and communication of results.

In conclusion, the findings of this project contribute to the broader understanding of simulated annealing in the context of wire length optimization. The observed trade-off between cooling factor and final wire length, coupled with efficient algorithmic performance and visualization capabilities, opens avenues for further research and application in electronic design automation.