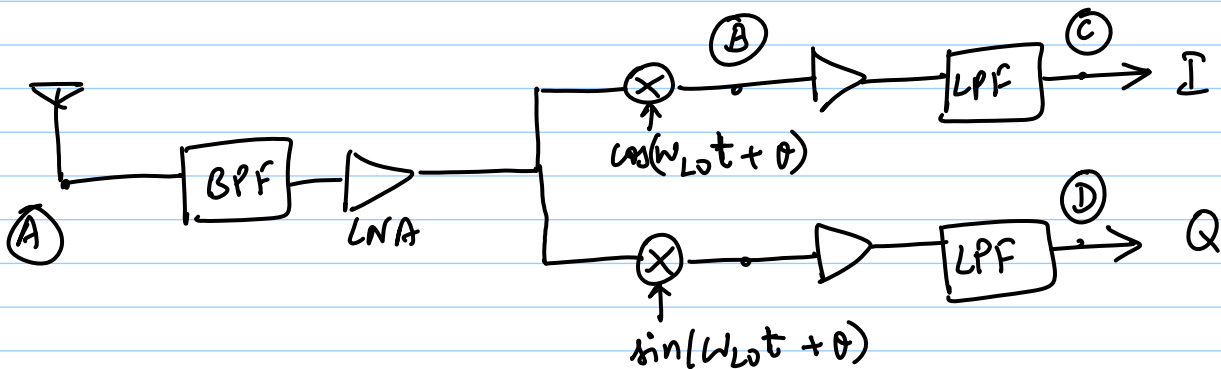


Lecture 25 : Rx Architectures - I

I Direct-conversion / Homodyne / Zero-IF Rx



@ (A) : $x(t) = a(t) \cos(\omega_{LO}t + \phi(t))$

@ (B) : $x(t) \cos(\omega_{LO}t + \theta) = \frac{1}{2} a(t) \left\{ \cos(\phi(t) + \theta) + \cos(2\omega_{LO}t + \phi(t) + \theta) \right\}$

assume $\phi = 0$ (for now)

@ (C) : $\frac{1}{2} a(t) \cos(\phi(t))$

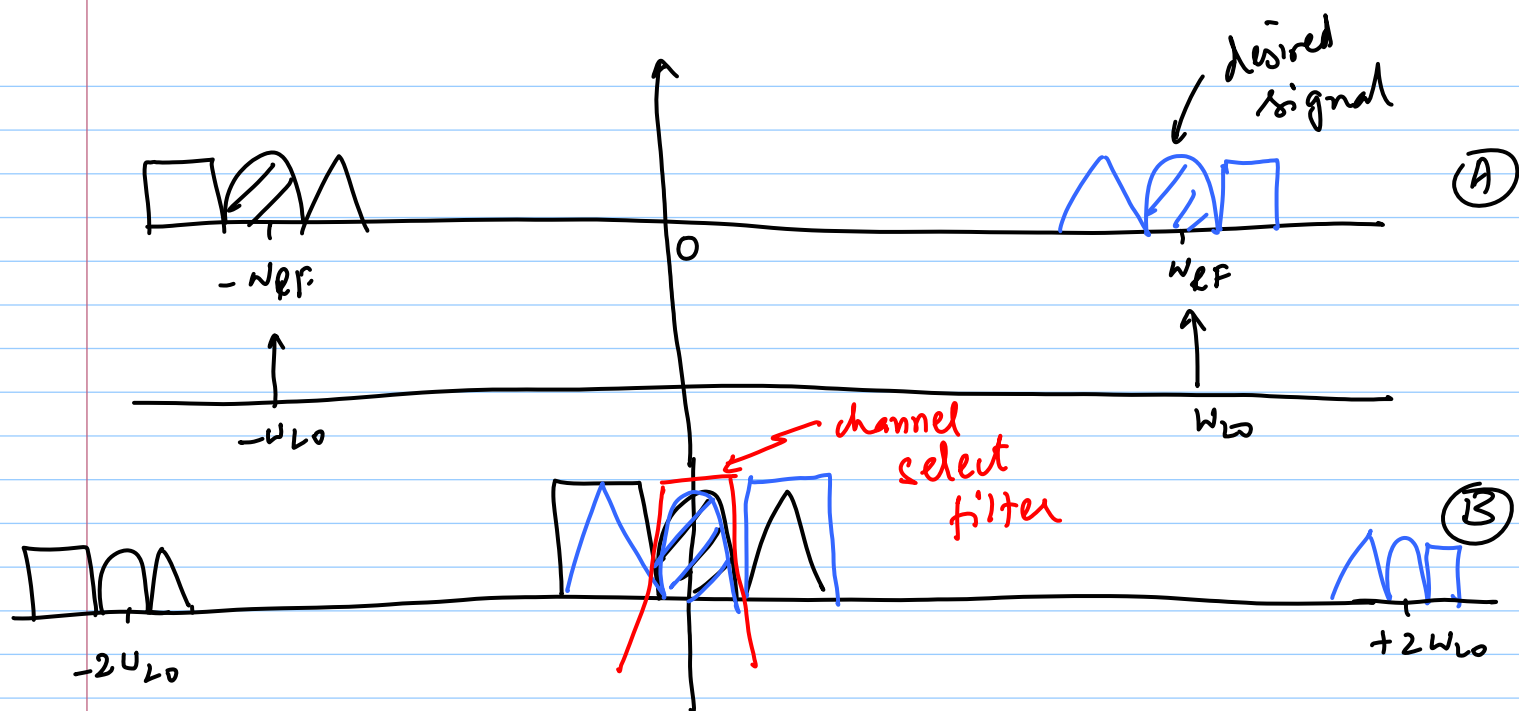
@ (D) : $-\frac{1}{2} a(t) \sin(\phi(t))$

Demodulation algorithm: $\sqrt{C^2 + D^2} = \frac{1}{2} a(t) \leftarrow$ AM component

four quadrant $\tan^{-1} \left\{ -\frac{D}{C} \right\} = \phi(t) \leftarrow$ PM component

* channel selection applied @ C & D

* can digitize @ (C), (D) and use a digital C.S.F.



* Why do we need both I & Q?

(i) $x_I(t)$ & $x_Q(t)$ can be independently modulated

(ii) L_O is usually not synchronized to RF (phase)
i.e. $\theta \neq 0$

e.g. consider AM { i.e. $Q(t) \Rightarrow 0$ }

$$x(t) = a(t) \cos W_{LO} t$$

Ⓒ : $\frac{1}{2} a(t) \cos \theta \leftarrow = 0$ for $\theta = 90^\circ$

Ⓓ : $\frac{1}{2} a(t) \sin \theta \leftarrow = 0$ for $\theta = 90^\circ$

→ if we had only I/Q channel, Rx output could be 0

→ with I & Q channels, we always have non-zero outputs @ Ⓒ and/or Ⓓ

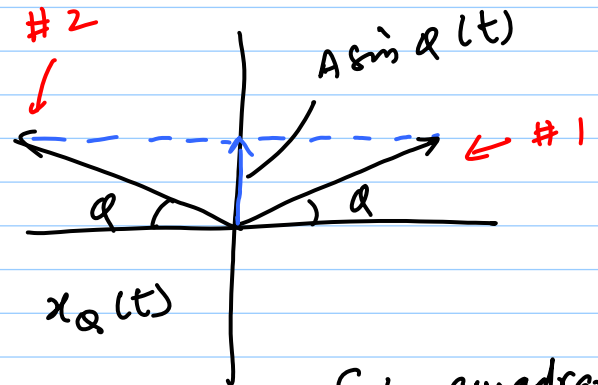
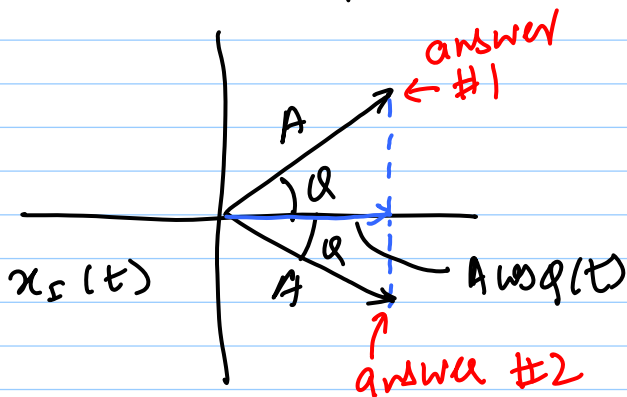
(iii) consider PM or FM

$$x(t) = A \cos(\omega_c t + \phi(t))$$

$$\Rightarrow x_I(t) = A \cos \phi(t)$$

$$x_Q(t) = A \sin \phi(t)$$

\Rightarrow can't recover $\phi(t)$ from $x_I(t)$ alone
or $x_Q(t)$ alone



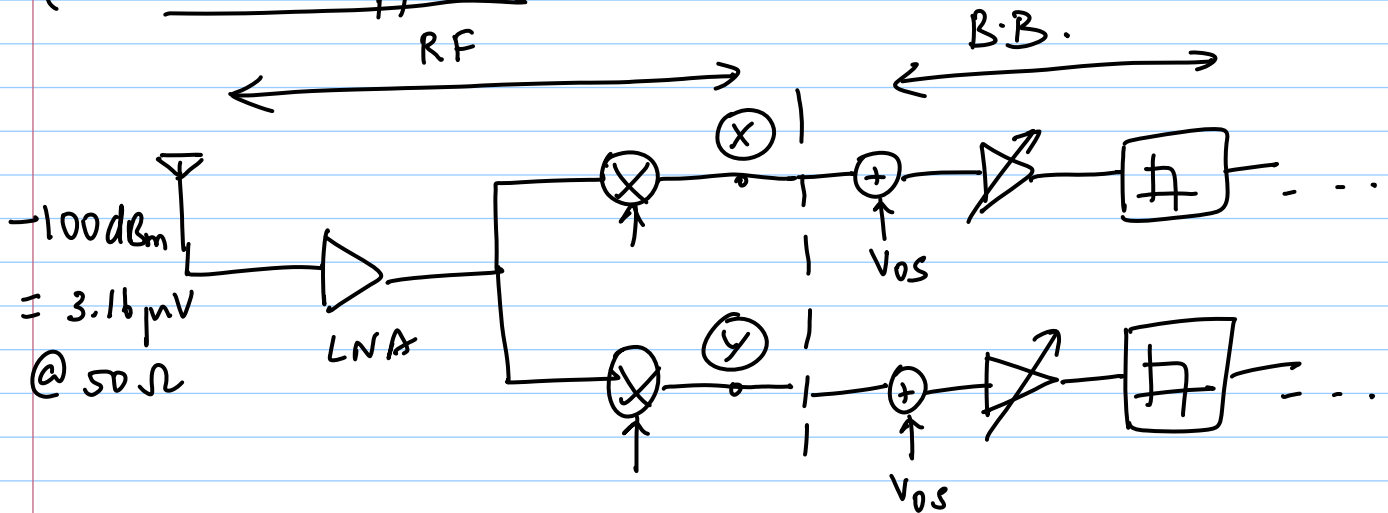
x_I & $x_Q \Rightarrow$ can determine unique $\phi(t)$ [4-quadrant \tan^{-1}]

Advantages

- * Simple architecture
- * No image problem ($\omega_{IF} = 0$)
- * Highly integrable - no off-chip filters except for Band-select filter
- * No IF filter \Rightarrow LNA need not drive 50 Ω
- * Easy prefiltering \rightarrow only @ DC & $2\omega_{LO}$
- * only 1 PLL required for frequency synthesis

Disadvantages

(i) D.C. offsets



Typically: RF gain $\sim 30\text{ dB}$

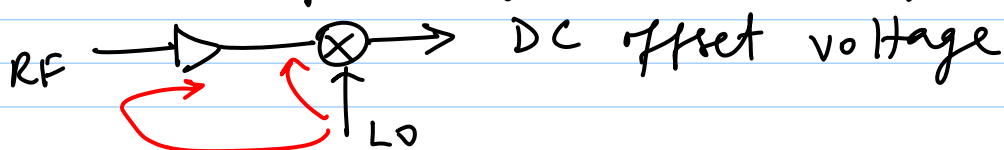
BB gain $\sim 70\text{ dB}$

Signal @ X, Y $\sim 100\text{ }\mu\text{V}$

V_{OS} (input referred offset of BB) $\sim 10\text{ mV}$!

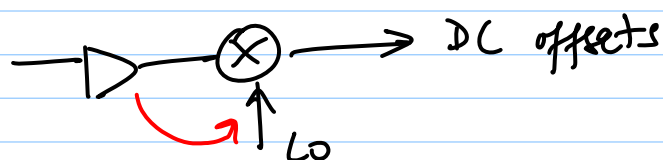
→ DC offset can saturate succeeding stages
(i.e. desensitisation)

(ii) LO self-mixing (LO leakage)



→ can be time varying due to path variations (e.g. LO leakage radiated from antenna & then reflected back to Rx)

(iii) Interferer leakage

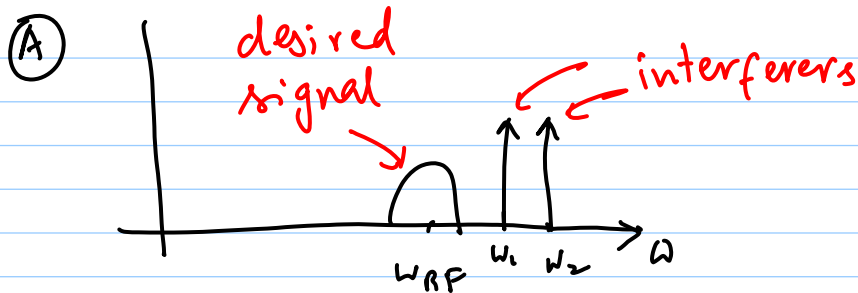
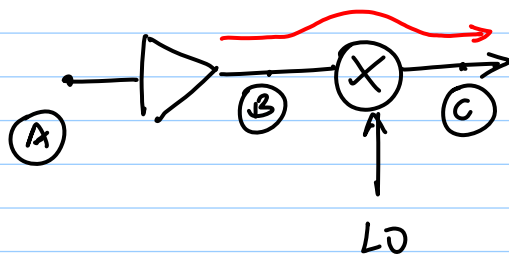


(iv) 1/f noise of mixer & BB ckt
→ same effect as time-varying DC offsets

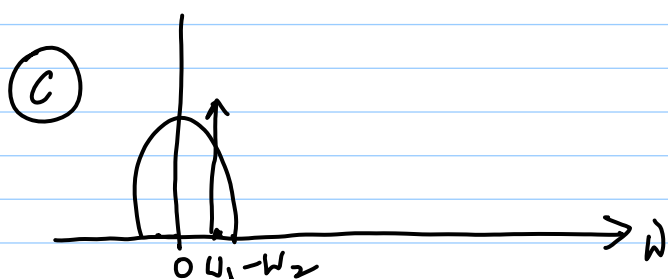
(v) LO pulling

If RF signal is large, RF-to-LO leakage can cause "LO pulling" {e.g. RF modulation transferred to LO}

(vi) Even order distortion



* LNA produces even order distortion components ($1M_2$)



* RF-to-IF feedthrough corrupts down-converted signal

* even-order distortion in mixer RF port has same effect

* Linearity performance is specified by $11P_2$ (similar to $11P_3$)

* Differential ccts improve $11P_2$

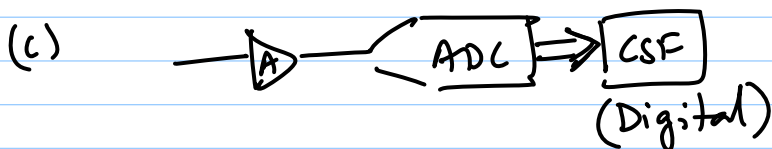
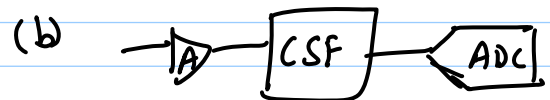
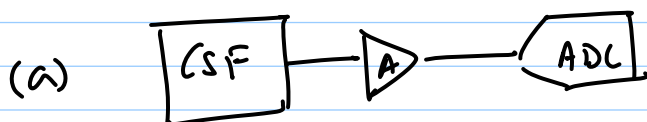
→ mismatch usually limits $11P_2$

→ higher power dissipation

(vii) I-Q mismatch can degrade

performance (less severe for heterodyne systems - freq. is much lower; lower # of stages after I/Q separation)

(viii) Channel Selection



(a) \Rightarrow CSF has strict noise-linearity tradeoffs

A = non-linear, high gain; ADC = moderate DR

(b) \Rightarrow CSF noise relaxed; A = low noise, high linearity

(c) \Rightarrow ADC = high linearity + high DR
{ digitises signal + blockers }

Solutions to issues

1) D.C. offsets

- * High-pass filtering - ac coupling
 - corner freq. depends on signal spectrum
 - { many signals have peak energy at and around DC }
 - slow settling time (large caps)
 - fast variations in V_{os} are not tracked
- * Encode Tx signal such that it contains little energy near DC - "DC-free coding"
- * DC offset correction (calibration)

→ suitable for wideband signals { loss of a few kHz BW doesn't affect data rate }

2) Flicker noise

1/f noise from devices:

- worse in CMOS (compared to bipolar)
- large mixer devices = more loading on VCO
- * DC-free coding + HPF

3) Linearity

- * Design LNA & mixer to have high $1/f_z$
- * Differential structures (symmetry reduces $1M_2$ power)

4) Gain

* Most of gain occurs @ 1 freq.

→ Avoiding parasitic feedback is critical
(i.e. avoid stability issues)

→ Good isolation is important