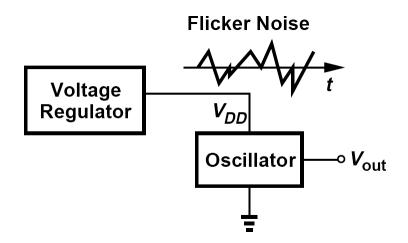
## EE230-02 RFIC II Fall 2018

Lecture 13: Oscillators 2

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### Performance Parameters: Supply Sensitivity & Power Dissipation

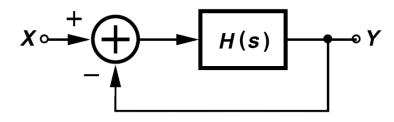
The frequency of an oscillator may vary with the supply voltage, an undesirable effect because it translates supply noise to frequency (and phase) noise.



The power drained by the LO and its buffer(s) proves critical in some applications as it trades with the phase noise and tuning range.

## **Feedback View of Oscillators**

An oscillator may be viewed as a "badly-designed" negative-feedback amplifier—so badly designed that it has a zero or negative phase margin.

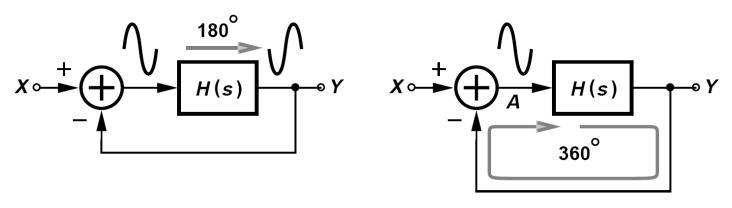


$$\frac{Y}{X}(s) = \frac{H(s)}{1 + H(s)}$$

## Barkhausen's Criteria

$$|H(s = j\omega_1)| = 1$$

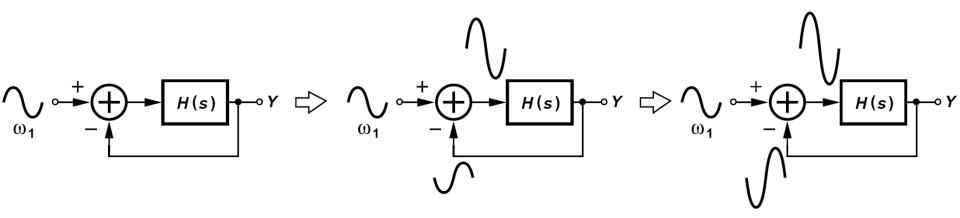
$$\angle H(s = j\omega_1) = 180^{\circ}$$



- For an Oscillation, the signal returning to A must exactly coincide with the signal that started at A.
- Requires 180° Phase Shift through H(s).
- This additional phase shift of 180° along with the original negative feedback turns into a positive feedback at  $\omega_1$ , at this frequency.

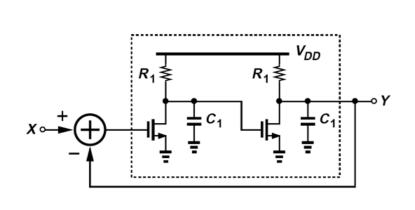
# Significance of |H(jw1)| = 1

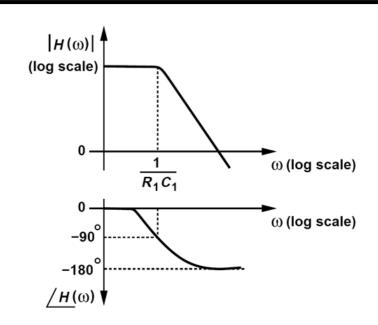
- For a noise component at  $\omega_1$  to "build up" as it circulates around the loop with positive feedback, the loop gain must be at least unity.
- We call  $|H(j\omega_1)| = 1$  the "startup" condition.



# Can a Two-Pole System Oscillate? (I)

#### Can a two-pole system oscillate?



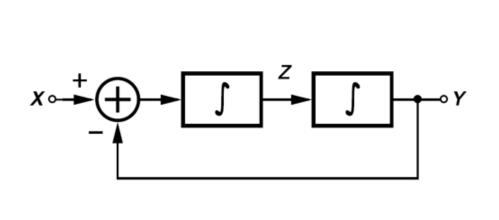


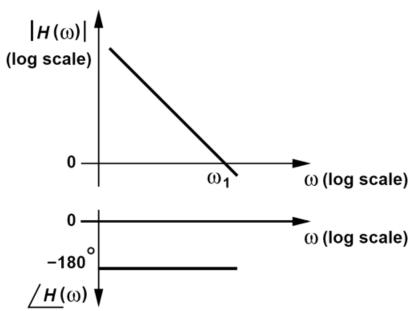
- Two coincident real poles at  $\omega_p = (R_1 C_1)^{-1}$ .
- Cannot satisfy both of Barkhausen's criteria because the phase shift associated with each stage reaches 90° only at  $\omega = \infty$ , but  $|H(\infty)| = 0$ .
- Bode plots |H| and ∠H reveal no frequency at which both conditions are met.
- Thus, the circuit cannot oscillate.

# Can a Two-Pole System Oscillate? (II)

#### Can a two-pole system oscillate?

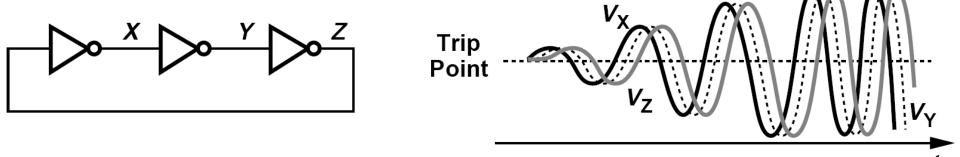
- But, what if both poles are located at the origin?
- Realized as two ideal integrators in a loop, such a circuit does oscillate because each integrator contributes a phase shift of -90° at any nonzero frequency.





## **Ring Oscillator**

- Other oscillators oscillate at a frequency at which the loop gain is higher than unity, thereby experiencing an exponential growth in their output amplitude.
- The growth eventually stops due to the saturating behavior of the amplifier(s) in the loop.



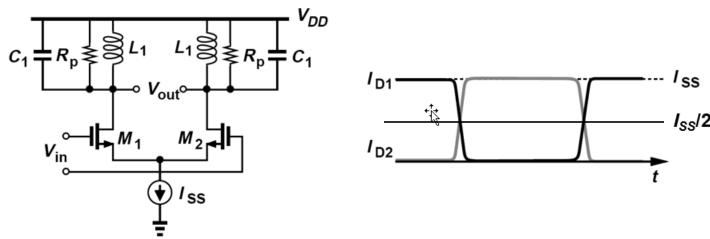
➤ Each stage operates as an amplifier, leading to an oscillation frequency at which each inverter contributes a frequency-dependent phase shift of 60°.

# Example of Voltage Swings (I)

The inductively-loaded differential pair driven by a large input sinusoid at

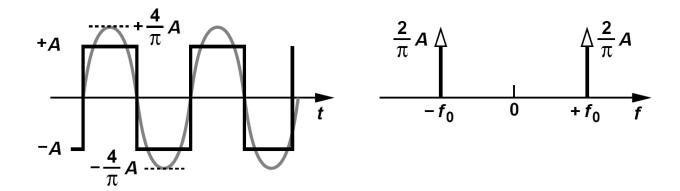
 $\omega_0 = 1/\sqrt{L_1 C_1}$ 

Plot the output current waveforms and determine the output Current swing.



- With large swings,  $M_1$  and  $M_2$  experience complete switching injecting nearly square current waveforms into the tanks.
- The first harmonic of the current is multiplied by R<sub>p</sub>
- Higher harmonics are attenuated by the tank selectivity.

# **Example of Voltage Swings (II)**

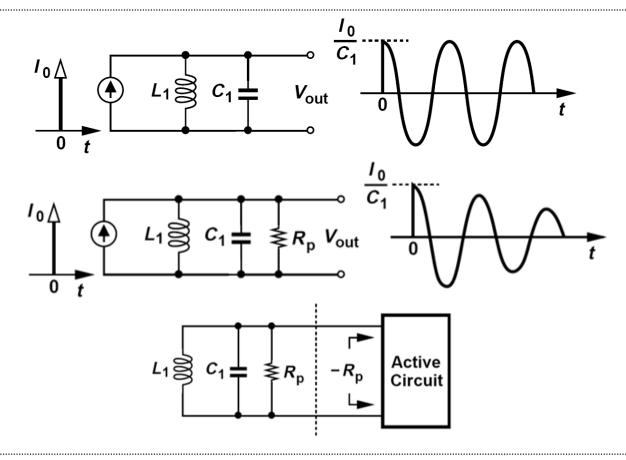


- Fourier expansion of a square wave of peak amplitude A (with 50% duty cycle) that the first harmonic exhibits a peak amplitude of  $(4/\pi)A$  (slightly greater than A).
- The peak single-ended output swing therefore yields a peak differential output swing of

$$V_{out} = \frac{4}{\pi} I_{SS} R_p$$

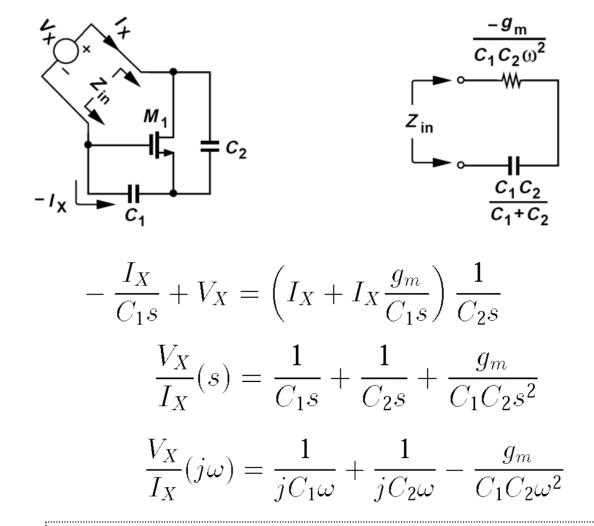
## **One-Port View of Oscillators**

Oscillators as two one-port components, namely, a lossy resonator and an active circuit that cancels the loss.



Active circuit replenishes the energy lost in each period to sustain oscillation

## How Can a Circuit Present a Negative Input Resistance?



The negative resistance varies with frequency.