1) In pass by value, a capy of untable's value passed to function as a parameter. whereas in pass by reference the memory address of variable (pointer) is passed to function also in pass by value changes to parameter doesn't affect original variable, whereas in pass by reference changes made to variable via dereferencias the pointer affects original variable.

2) variable x is passed by value. Its value

didn't change after the function call as the function only received a copy of x. Whereas, vemble y is passed by reference as its address is possed to the function via & operator. also, its value is changed after the function call, as the pointer holding its memory address was dereferenced.

error 1: missing # include action > need This Gr printf. int main() { int  $A[5] = \{1, 3, 7, 4, 0\};$ error 2: should be pA = & ACOJ; or pA = A; int \*P[5], \*pA; not \*PA because x dereferences ptr. A acts as a ptr, call use EA. int i, x, y; //Set pointer\_ the base address of array errors: wrong ptr arithmetic. ACOJ instead of acces ACD // Assign A[1] to > x = \*pA+1;1 / DA +1 : error 4: INCORRECT, con't add I to on array. errors: should be yo \*(A+1) remove printf("x =  $\t^{d}$ ",x);  $printf("y = \t%d", y);$ //Set every pointer to one array element ern error 6: should be PCiD = EACi]; for(i=0; i<5; i++)we can't dereference p(i) before P[i]=&A[i]; we assigh it. //print array elements using pointers for(i=0; i<5; i++)This prints the address not gemor 7; printf("\t%d",P[i]); the element. return 0: Should be: printf ("I+ xd", +PG3);

final code on next page ( w/ corrections.

```
Int A(S) = {1,3,7,4,0};
int *PCs), *PA;
Int i, k, y;
PA = A:
x = *(pA + 1):
y = + (A+1);
Print( (" x = \ + x d \ n x x );
                                    c doesn't core
Print( ("y = \+ xd \n , y);
                                      about indents.
                                    also don't need
  for (;=0; ic5; i++)
                                      53 for 1 live
     PCID = PACID:
                                         of code, just
                                          blocker.
   for (1=0;1 es;1++)
     Print ("1+ xd In " + P(i));
   return D;
 1) show 3n^2 = O(n^3) use f(n) \leq O(g(n))
    3n2 € ( · n3 \ \ n ≥ n.
     3 6 C. N
                          inequality helds for
        C= 3 n. = ]
                           c= 3 md m=1
                           サロンし・
```

# include estatio. L>

Int main () &

2)  

$$n^2 + 2n \neq \Omega(n^3)$$
  
 $f(n) \geq c. g(n) \forall n \geq n.$   
 $n^2 + 2n \geq c. n^3$   
 $\frac{n^2}{n^3} + \frac{2n}{n^3} \geq c$   
 $\frac{1}{n} + \frac{2}{n^2} \geq c$  now see as  $n \rightarrow \infty$ 

$$\lim_{n\to\infty} \frac{1}{n^2} = 0$$

$$\sin 0 \ge 0 \ge 0$$
So  $0 \ge 0$ 
but  $0 \in \mathbb{R}^+$  contradiction

3) 
$$n^2 - 2n = O(n^2)$$
  
So O ≥ ( but C ← R<sup>T</sup> controdictions).  
3)  $n^2 - 2n = O(n^2)$ 

find Ci, Cz.

$$C_1 \cdot n^2 \leq n^2 - 2n \leq (2 \cdot n^2)$$
 $C_1 \cdot n^2 \leq n^2 - 2n \qquad n^2 - 2n \leq e_2 n^2$ 
 $C_1 = 1/2 \qquad C_2 = 1$ 
 $n^2 \cdot 2n = \Omega(n^2)$ 

 $\therefore n^2 - 2n = \theta (n^2).$ 

Best case: X = (1,2,3,...n] N(N-1) companions no swaps.  $N \cdot (N-1)$  operations

Worst case:  $(n, n-1, n-2, \cdots 1)$  n(n-1) (omparisons n(n-1) x3 for swap operations  $n(n-1) + 3n(n-1) = n^2 - n + 3n^2 - 3n$   $= 4n^2 - 4n = 4n(n-1)$ .: 4n(n-1) to the poretions revised bubble sort

```
for(int i = 0; i < n; i++) {
    boolean isSwapped = false;
    for(int j=0; j < n - 1; j++) {
        if(arr[j] > arr[j+1]) {
            int temp = arr[j];
            arr[j| = temp;
            isSwapped = true;
        }
    }
    if(!isSwapped) {
        break;
    }
}
```

Best case:
outer loop runs once (no swaps it breaks).
is swapped = false.

since array is sorted no swap ops occur, but n-1 if (! is swapped) me operation.

$$1+(n-1)+1=n+1$$
 operations

worst case

Duter loop: runs n times

Inner loop: n-1,  $n-2\cdots 1 = n (n-1) = n^2$ 4 operations after.  $4 \times n (n-1)$ 

$$n \frac{(n-1)}{2} + 3 \times n \frac{(n-1)}{2} + n$$

S.

Old (mputer: 
$$T(n) = k \cdot n^2$$
 $T(100) = k \cdot 100^2 = 1 \text{ minute}$ 
 $k \cdot 100^2 = 1$ 
 $k = 1/100^2 = 1/10000$ 
 $T(n) = 1/2$ 

$$T(n) = T_{old}(n)$$

$$64$$

$$f(n) = f_{old}(n)$$

$$= n^{2}$$

$$= \frac{n^2}{10000} \times \frac{1}{64} = \frac{n^2}{640000} = \frac{1}{10000}$$

n<sub>new</sub> = 
$$\sqrt{640000}$$
 = 800