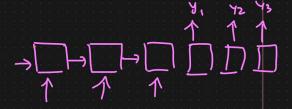
Encoder And Decoder

- 1) Simple RNN -> Vanishing Gradient Problem
- 2) LONG Short Term Memory.
- 3 GRU RNN -
- 9 Bidirectional RNN +

Type of RNN

Omany to Many RNN



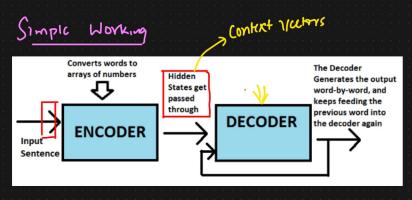
Encoder And Decoder?

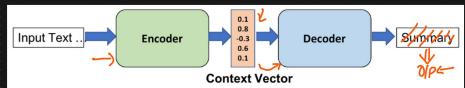
Eg: One hanguage To Other

Rhylish — French

Eg: Linked that -> Hi, now are you?

Op Scarence Of Words



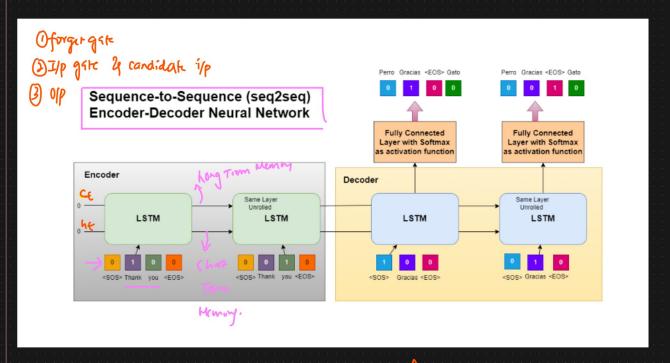


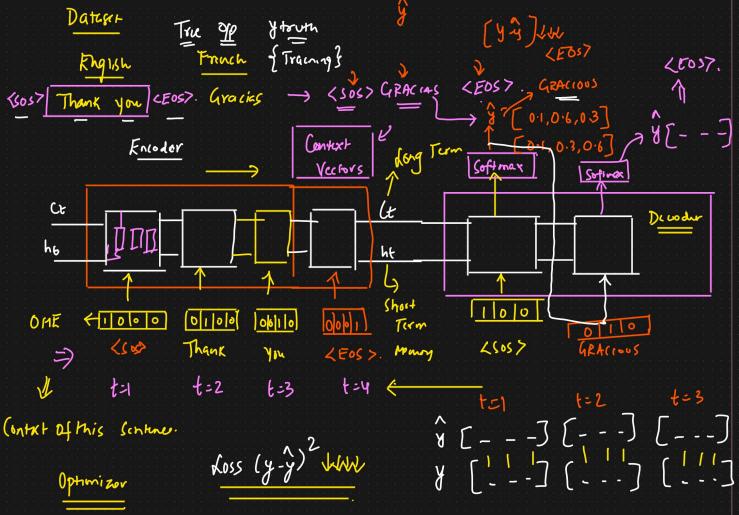
Scevences Ip

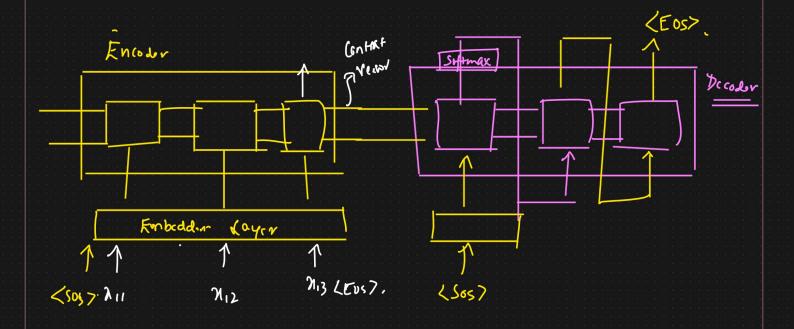
Usciane

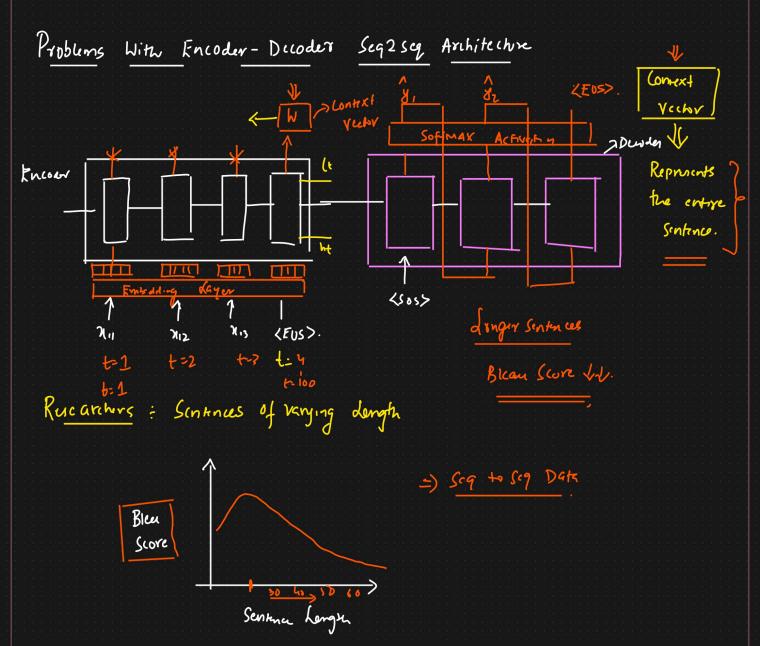
- 1 Language Translation
- 2) Text Generation
- 3 Text Suggestion.

RNN -> Vanlshing avadeant Problem

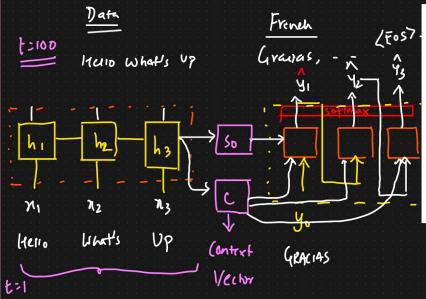








Attention Mechanism | Seq 2 Seq. Herworks

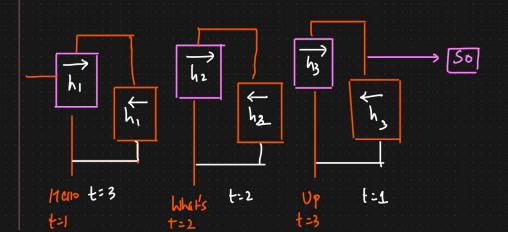


Encoder Decoder Architecture

Muchanism

Attention

https://erdem.pl/2021/05/introduction-to-attention-mechanism



3 LEARNING TO ALIGN AND TRANSLATE

In this section, we propose a novel architecture for neural machine translation. The new architecture consists of a bidirectional RNN as an encoder (Sec. 3.2) and a decoder that emulates searching through a source sentence during decoding a translation (Sec. 3.1).

3.1 DECODER: GENERAL DESCRIPTION

In a new model architecture, we define each conditional probability in Eq. (2) as:

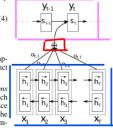
$$p(y_i|y_1,...,y_{i-1},\mathbf{x}) = g(y_{i-1},s_i,c_i),$$
 (4)

where s_i is an RNN hidden state for time i, computed by

$$s_i = f(s_{i-1}, y_{i-1}, c_i)$$

It should be noted that unlike the existing encoder–decoder approach (see Eq. (2)), here the probability is conditioned on a distinct context vector c_i for each target word y_i .

The context vector c_i depends on a sequence of annotations (h_1, \cdots, h_{T_p}) to which an encoder maps the input sentence. Each annotation h_i contains information about the whole input sequence with a strong focus on the parts surrounding the i-th word of the input sequence. We explain in detail how the annotations are computed in the next section.



The context vector c_i is, then, computed as a weighted sum of these annotations h_i :

The weight α_{ij} of each annotation h_i is computed by

$$\alpha_{ij} = \underbrace{\frac{\exp(e_{ij})}{\sum_{k=1}^{T_x} \exp(e_{ik})}}_{e_{ij} = a(s_{i-1}, h_j)}$$

where

