

# Algorithm Analysis and Reporting

Path Finder

Name: Muhanad

Surname: Tuameh

# Algorithm

A program that tries to find all available paths between two points with costs (Time and Price) using the dfs algorithm.



First I used adjacency matrix logic to create the graph.

Time Adjacency Matrix (The time recorded in minutes):

	0	1	2	3	4	5
0	0	240	140	0	0	0
1	240	0	0	370	75	0
2	140	0	0	0	220	190
3	0	370	0	0	430	0
4	0	75	220	430	0	40
5	0	0	190	0	40	0

If there is a non-zero value in the matrix between two nodes, it means there is a path.

This method is followed to find paths between nodes A and B.

1. A is added to visited nodes
2. A node that is not in the list of visited nodes is selected from the neighbors of the last visited node.
3. Add selected node to the list of visited nodes
4. If the selected node is B, it means a path has been found and is added to the list of paths found.
5. If the selected node not B then return to 2
6. Stop if all nodes are visited

## Complexity:

```
void dfs(char *dest, Graph *flights, size_t citiesSize, VisitedStack *visited, Path
*path, char **cities, int *counter){
    size_t destCity, i, currCity = peek(visited);
    destCity = getCityNo(cities, dest, citiesSize); O(V)
    if (flights->adjMat[currCity][destCity].total_time != 0 )
    {
        push(visited, destCity, cities);
        addToPaths(flights, path, visited, *counter); O(V)
        pop(visited);
        *counter = *counter+1;
        return;
    }
    for (i = 0; i < citiesSize; i++) O(V)
    {
        if (!isVisited(i, visited) && flights->adjMat[currCity][i].total_time != 0 )
        {
            push(visited, i, cities);
            dfs(dest, flights, citiesSize, visited, path, cities, counter); O(V!)
        }
    }
    pop(visited);
}
```

The complexity of the main function calculated as follow:

Finding city number:  $O(V)$  `getCityNo()`;

Adding the path to the path list:  $O(V)$  `addToPaths()`

Looking at neighbor lists:  $O(V)$  `for (i = 0; i < citiesSize; i++)`

DFS:  $O(V!)$

Time Complexity =  $O(v) + O(v) + O(v) + O(v!) = O(v!)$

## Space Complexity:

Because of using the adjacency matrix the space complexity will be  $O(V^2)$ .

## Output of the program:

Available Cities

0: Istanbul  
1: Berlin  
2: Atina  
3: Helsinki  
4: Paris  
5: Londra

Price Adjacency Matrix

	0	1	2	3	4	5
0	0	200	120	0	0	0
1	200	0	0	250	100	0
2	120	0	0	0	200	175
3	0	250	0	0	300	0
4	0	100	200	300	0	100
5	0	0	175	0	100	0

Time Adjacency Matrix(In minutes)

	0	1	2	3	4	5
0	0	240	140	0	0	0
1	240	0	0	370	75	0
2	140	0	0	0	220	190
3	0	370	0	0	430	0
4	0	75	220	430	0	40
5	0	0	190	0	40	0

Enter Source: Istanbul

Enter Destination: Londra

Istanbul pushed to visited stack

currentCity: Istanbul, destCity: Londra

Path Found Between Istanbul and Berlin

Berlin pushed to visited stack

currentCity: Berlin, destCity: Londra

Path Found Between Berlin and Helsinki

Helsinki pushed to visited stack

currentCity: Helsinki, destCity: Londra

Path Found Between Helsinki and Paris

Paris pushed to visited stack

currentCity: Paris, destCity: Londra

Londra pushed to visited stack

Path Found Between Berlin and Paris

Paris pushed to visited stack

currentCity: Paris, destCity: Londra

Londra pushed to visited stack

Path Found Between Istanbul and Atina

Atina pushed to visited stack

currentCity: Atina, destCity: Londra

Londra pushed to visited stack

Paths Found:

Paths 1:

Istanbul Berlin Helsinki Paris Londra

price: 850

hours: 17

minutes: 60

transit: 4

Paths 2:

Istanbul Berlin Paris Londra

price: 400

hours: 5

minutes: 55

transit: 3

Paths 3:

Istanbul Atina Londra

price: 295

hours: 5

minutes: 30

transit: 2