



Department of Electrical Engineering and
Computer Science

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Dated: 10/10/2022

Semester: 5th

Section: BEE 12C

EE-232: Signals and Systems

Lab 5: Introduction to Properties of Systems

Group Members

Name	Reg. No	PL04 - CL03	PL05 - CL03	PL08 - CL04	PL09 - CL04
		Viva / Quiz / Lab Performance	Analysis of data in Lab Report	Modern Tool Usage	Ethics and Safety
		5 Marks	5 Marks	5 Marks	5 Marks
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2 Introduction to Properties of Systems

2.1 Objectives

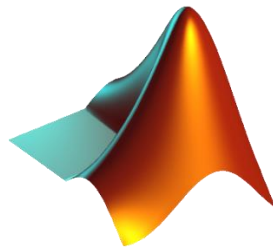
The goal of this exercise is to gain familiarity with properties of systems. It is important to understand how to demonstrate when a system does or does not satisfy a given property. MATLAB can be used to create counter examples demonstrating that certain properties are not satisfied.

- How to determine if systems satisfy a particular property or not
- Properties of Linear Time Invariant Systems

2.2 Equipment

Software

- *MATLAB*



2.3 Lab Instructions

All questions should be answered precisely to get maximum credit. Lab report must ensure following items:

- Lab objectives
- MATLAB codes
- Results (Graphs/Tables) duly commented and discussed
- Conclusion



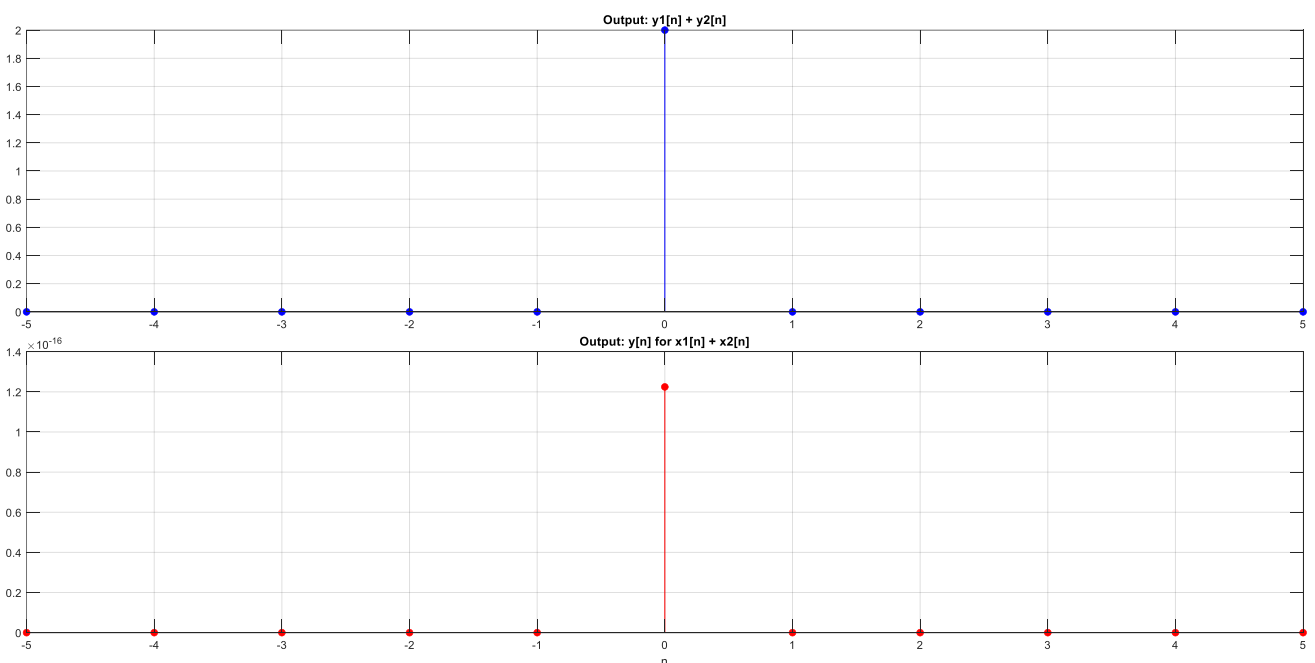
3 Lab Tasks

3.1 Task 1

1. Verify that the system $y[n] = \sin((\pi/2) x[n])$ is not linear. Use signal $x_1[n] = \delta[n]$ and $x_2[n] = 2\delta[n]$ to demonstrate if the system violates linearity.

```
%% Task 1
n = -5:5;
% Definitions
x1 = n == 0;
x2 = (2 * n) == 0;
y1 = sin((pi / 2) .* x1);
y2 = sin((pi / 2) .* x2);
y_add = y1 + y2; % Sum of y
x = x1 + x2;
y = sin((pi / 2) .* x); % Additive y

% Plots
subplot(211)
stem(n, y_add, 'filled', 'b')
title('Output: y1[n] + y2[n]')
grid
subplot(212)
stem(n, y, 'filled', 'r')
title('Output: y[n] for x1[n] + x2[n]')
grid
xlabel('n')
```



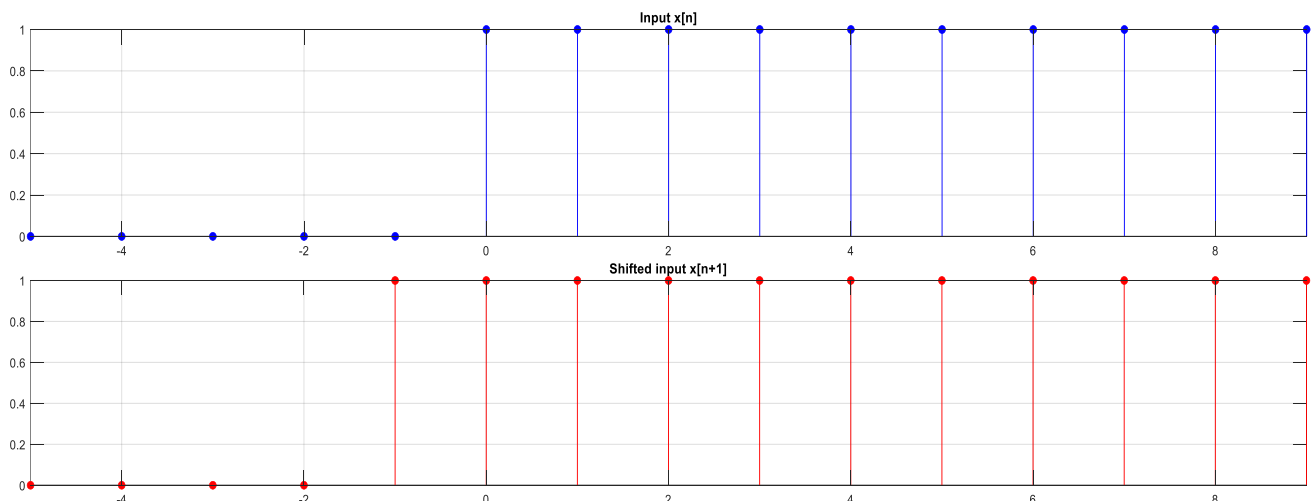


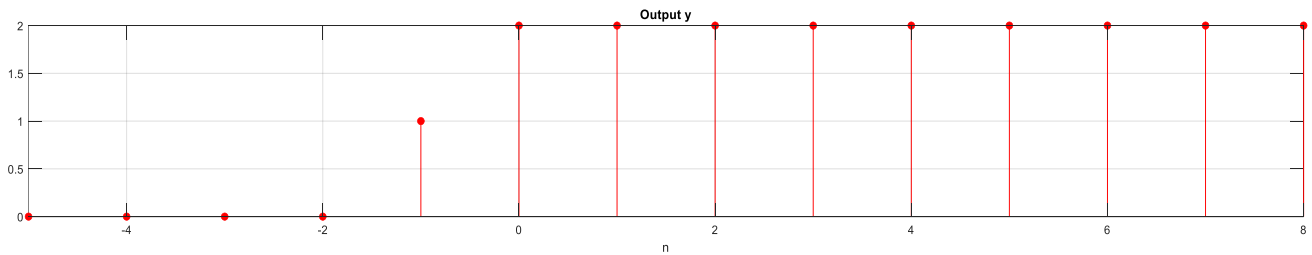
Comments: From the above plots for output “ $y_1[n] + y_2[n]$ ” and output “ $y[n]$ for input $x_1[n] + x_2[n]$ ”, we can verify that the system $y[n] = \sin((\pi/2) x[n])$ is not linear as for linearity, both the outputs should be the same.

2. Verify if the following system $y[n] = x[n] + x[n+1]$ is not causal. Use the signal $x[n]=u[n]$ to demonstrate this. Define vectors x and y to represent the input on the interval $-5 \leq n \leq 9$ and output on the interval $-5 \leq n \leq 8$.

```
%% Task 1.2
n = -5:9;
% Definitions
x = n >= 0;
x_shifted = (n + 1) >= 0;
y = x + x_shifted;

% Plots
subplot(311)
stem(n, x, 'filled', 'b')
title('Input x[n]')
grid
axis([-5 9 0 1])
subplot(312)
stem(n, x_shifted, 'filled', 'r')
title('Shifted input x[n+1]')
axis([-5 9 0 1])
grid
subplot(313)
stem(n, y, 'filled', 'r')
title('Output y')
axis([-5 8 0 2])
grid
xlabel('n')
```



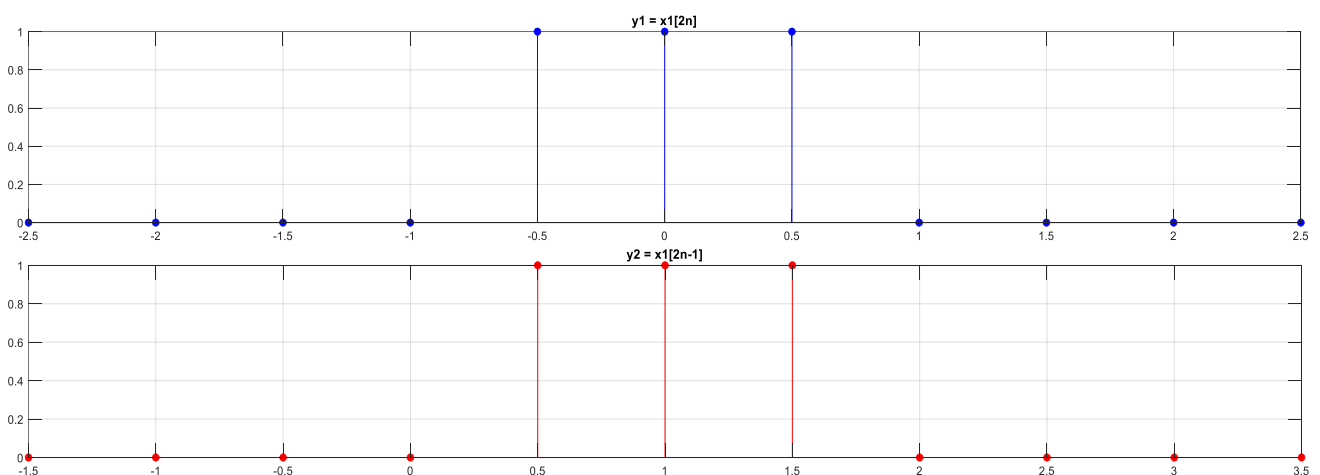


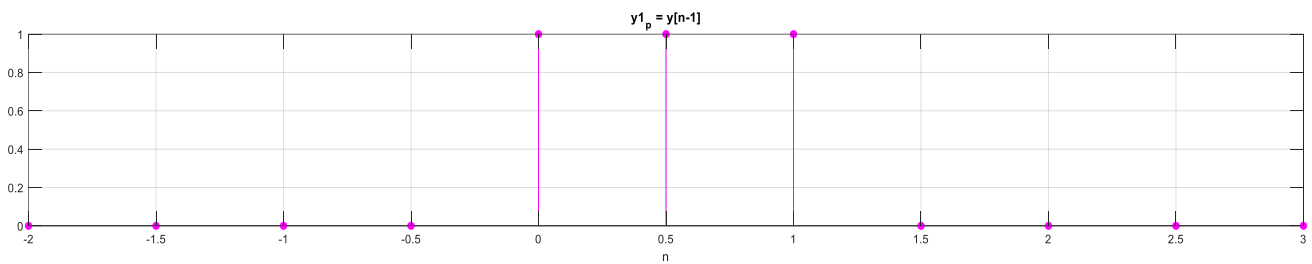
Answer: The given system is not causal as the output depends on input values present in the future.

3. Verify if the following system $y[n] = x[2n]$ is time variant or invariant? Use a signal of your choice.

```
n_def = -5:5;
% Definitions
x = (n >= -1) - (n > 1);
n1 = 0.5 * n_def;
n2 = (0.5 * n_def) + 1;
n1_p = 0.5 * (n_def + 1);
y = x;

% Plots
subplot(311)
stem(n1, y, 'filled', 'b')
title('y1 = x1[2n]')
grid
subplot(312)
stem(n2, y, 'filled', 'r')
title('y2 = x1[2n+1]')
grid
subplot(313)
stem(n1_p, y, 'filled', 'r')
title('y1_p = y[n+1]')
grid
xlabel('n')
```





Answer: The given system is not time invariant as the output “ $y[n-1]$ ” does not yield the same plot as that of “ $y = x[2n-1]$ ”.

3.2 Task 2

1. Given the signals $x[n] = [1 \ 2 \ 3 \ 4 \ 5]$ and $y[n] = [1 \ 1 \ 1 \ 1 \ 1]$, verify using ‘conv or convn’ function that commutative property holds.

```
x_n = [1 2 3 4 5];  
y_n = [1 1 1 1 1];  
  
lhs = conv(x_n, y_n)  
rhs = conv(y_n, x_n)  
  
if lhs == rhs  
    disp('Commutative property holds.')end
```

Output:

```
lhs =  
     1     3     6    10    15    14    12     9     5  
rhs =  
     1     3     6    10    15    14    12     9     5  
Commutative property holds.
```

2. Assume a 2-D signal (i.e., some image). Load image and assume it to be signal x. Next assume that instead of having a 2-D filter you have two one D filters $h1[n] = [0.25 \ 0.5 \ 0.25]$ and $h2[n] = [0.25; 0.5; 0.25]$.

```
x = imread('image.jpg');  
h1_n = [0.25 0.5 0.25];  
h2_n = [0.25; 0.5; 0.25];  
  
% x[n] * (h1[n] * h2[n]) = (x[n] * h1[n]) * h2[n]  
h3_n = convn(h1_n, h2_n);  
lhs = convn(x, h3_n);  
size_lhs = size(lhs)  
h4_n = convn(x, h1_n);  
rhs = convn(h4_n, h2_n);
```



```
size_rhs = size(rhs)

if lhs == rhs
    disp('Associative property holds.')
```

```
size_lhs =
    185    278     3
size_rhs =
    185    278     3
Associative property holds.
```

4 Conclusion

In this lab, we familiarized ourselves with systems and verified the properties of said systems using discrete time signals. We also introduced ourselves to convolution in discrete time and verified intrinsic properties of convolution through the use of equality operator.