Disjoint Union Find

```
void initialize( int Arr[ ], int N){
   for(int i = 0; i<N; i++){
      Arr[ i ] = i ;
      size[ i ] = 1;
   }
}
int root(int Arr[ ],int i){
   while(Arr[ i ] != i)
      i = Arr[ i ];
   return i;
}
bool isTheSameSet(int A,int B){
   if( root(A)==root(B) )
      return true;
   else
      return false;
}
void union(int Arr[ ],int size[ ],int A,int B){
   int root_A = root(A);
   int root_B = root(B);
   if(size[root_A] < size[root_B ]){
      Arr[ root_A ] = Arr[root_B];
      size[root_B] += size[root_A];
   }
   else{
      Arr[ root_B ] = Arr[root_A];
      size[root_A] += size[root_B];
   }
}
```

Fill and setfill

```
fill(adj, adj+n, value); // for 1 dimensional array
   for(auto i: adj)
      fill(i, i + n, value); // for 2 dimensional array
      */
   cout<<setfill(0)<<setw(10)<<55;//000000000055
   cout<<setbase(16)<<255;// ff only for base 8 and 16
```

maths

```
log(x), log10(x);
cout<<setprecision(p)<<fixed<<val;// for p decimal point after point
cout<<setprecision(p)<<val;// for p decimal place
b-> horizontal distance, and a-> is vertical distance
```

The formula for the arc length of a parabola is:

$$L = \frac{1}{2}\sqrt{b^2 + 16 \cdot a^2} + \frac{b^2}{8 \cdot a}\ln\left(\frac{4 \cdot a + \sqrt{b^2 + 16 \cdot a^2}}{b}\right)$$

bit operator

```
unsigned char a = 5, b = 9; // a = 5(00000101), b = 9(00001001)
printf("a = %d, b = %d\n", a, b);
printf("a&b = %d\n", a&b); // The result is 00000001
printf("a|b = %d\n", a|b);// The result is 00001101
printf("a^b = %d\n", a^b); // The result is 00001100
printf("~a = %d\n", a = ~a);// The result is 11111010
printf("b<<1 = %d\n", b<<1);// The result is 00010010
printf("b>>1 = %d\n", b>>1);// The result is 00000100
```

```
ios_base::sync_with_stdio(false);

    cin.tie(0);
```

```
__gcd(x,y);
transform(str.begin(), str.end(), str.begin(), ::tolower);
```

datastructure

vector

```
vector<int> v;
v.push_back(3);
for (auto x : v) {
    cout << x << "\n";
}
v.pop_back();
cout << v.back() << "\n";
vector<int> v = {2,4,2,5,1};
vector<int> v(10);// size 10, initial value 0
vector<int> v(10, 5);// size 10, initial value 5
sort(v.begin(), v.end());
reverse(v.begin(), v.end());
random_shuffle(v.begin(), v.end());
```

find (vec.begin(), vec.end(), value);

array

```
sort(a, a+n);
reverse(a, a+n);
random_shuffle(a, a+n);
```

string

```
string a = "hattivatti";
string c = b.substr(3,4);//tiva
int d = b.find('t'); // 2
```

set

```
set<int> s;
s.insert(3);
s.erase(3);
set<int> s = {2,5,6,8};
set<int>::iterator it = s.begin();
auto it = s.begin();
cout << *it << "\n";
for (auto it = s.begin(); it != s.end(); it++)
    cout << *it << "\n";
auto it = s.end(); it--;//last element iterator
auto it = s.find(x);//returns an iterator
if (it == s.end())
    // x is not found
```

multiset

```
multiset<int> s;
s.insert(5);
```

```
s.insert(5);
s.insert(5);
cout << s.count(5) << "\n"; // 3


s.erase(5);
cout << s.count(5) << "\n"; // 0
s.erase(s.find(5));
cout << s.count(5) << "\n"; // 2
```
map
```
map<string,int> m;
m["monkey"] = 4;
map<string,int> m;
cout << m["aybabtu"] << "\n"; // 0
for (auto x : m)
    cout << x.first << " " << x.second << "\n";

** accessing element of set, map, multiset & multimap is log(n)
** accessing element of unordered_set, unordered_map,
unordered_multiset & unordered_multimap is log(n)
```
bitset
```
bitset<10> s;
s[1] = 1;
bitset<10> s(string("0010011010")); // from right to left
cout << s.count() << "\n"; // 4 , returns the number of ones in the bitset:
bitset<10> a(string("0010110110"));
bitset<10> b(string("1011011000"));
cout << (a&b) << "\n"; // 0010010000
cout << (a|b) << "\n"; // 1011111110
cout << (a^b) << "\n"; // 1001101110
```
deque
```
deque<int> d;
d.push_back(5); // [5]
d.push_back(2); // [5,2]
d.push_front(3); // [3,5,2]
d.pop_back(); // [3,5]
d.pop_front(); // [5]
```
common functions for all datastructures
```
x.size();
x.erase(value); x.erase(pointer);
x.erase(initial_pointer, final_pointer);
x.count(v);
x.clear();
find(initial_pointer, final_pointer, value);
lower_bound ( x ) returns an iterator to the smallest element in the
set whose value is at least x , and the function upper_bound ( x )
returns an iterator to the smallest element in the set whose value is
larger than x .
```
priority_queue
```
Insertion and removal take O (log n ) time, and retrieval takes O (1)
time.
priority_queue<int> q;
q.push(3);
q.push(5);
q.push(7);
q.push(2);
cout << q.top() << "\n"; // 7
q.pop();
cout << q.top() << "\n"; // 5
```

```
q.pop();
q.push(6);
cout << q.top() << "\n"; // 6
q.pop();

priority_queue<int,vector<int>,greater<int>> q;//that supports
finding and removing the smallest element
// count number bit 1’s in a number
int countSetBits(long long n)
{
   unsigned int count = 0;
   while (n)
   {
      count += n & 1;
      n >>= 1;// n= n>>1;
   }

   return count;
}

** number of odd elemnts in a pascal triangle at nth column is
powl(2, x); where x =  countSetBits(n)
if (b&(1<<i)) // check whether the nth bit is 0 or 1

vector<int> permutation;
for (int i = 0; i < n; i++) {
permutation.push_back(i);
}
do {
// process permutation
} while (next_permutation(permutation.begin(),permutation.end()));
n quens
void search(int y) {
if (y == n) {
count++;
return;
}
for (int x = 0; x < n; x++) {
if (column[x] || diag1[x+y] || diag2[x-y+n-1]) continue;
column[x] = diag1[x+y] = diag2[x-y+n-1] = 1;
search(y+1);
column[x] = diag1[x+y] = diag2[x-y+n-1] = 0;
}
}
```

```
int d, x, y;
void extendedEuclid(int A, int B) {
    if(B == 0) {
        d = A;
        x = 1;
        y = 0;
    }
    else {
        extendedEuclid(B, A%B);
        int temp = x;
        x = y;
```

```
        y = temp - (A/B)*y;
    }
}
```

```
int modInverse(int A,int M)
{
    A=A%M;
    for(int B=1;B<M;B++)
        if((A*B)%M)==1)
            return B;
}
```

```
int d,x,y;
int modInverse(int A, int M)
{
    extendedEuclid(A,M);
    return (x%M+M)%M;    //x may be negative
}

//O(log(max(A,M)))
```

used only when M is prime

```
int modInverse(int A,int M)
{
    return modularExponentiation(A,M-2,M);
}
```

$$A = \tfrac{1}{2}\theta R^2 - \tfrac{1}{2}R^2 \sin\theta \quad \text{(angle in radians)}$$

$$A = \theta\pi R^2/360^\circ - \tfrac{1}{2}R^2 \sin\theta \quad \text{(angle in degrees)}$$

$$r = \frac{s}{2\sin(180^\circ/n)}; \quad a = r\cos\frac{180^\circ}{n}$$

$$A = \tfrac{1}{2}nsa = na^2\tan\frac{180^\circ}{n} = \tfrac{1}{4}ns^2\cot\frac{180^\circ}{n}$$