

Monday, May 15, 2023 6:07 PM

Salary	Credit	Approval	Sample Weight	Updated Weight	Normalized Value	Assign Bin
<=60K	BAD	NO	1/7	0.058	0.083	0 - 0.08
<=60K	GOOD	YES	1/7	0.058	0.083	0.08 - 0.16
<=60K	GOOD	YES	1/7	0.058	0.083	0.16 - 0.24
>60K	BAD	NO	1/7	0.058	0.083	0.24 - 0.32
>60K	GOOD	YES	1/7	0.058	0.083	0.32 - 0.40
>60K	N/A	YES	1/7	0.349	0.501	0.40 - 0.90
<=60K	N/A	NO	1/7	0.058	0.083	0.90 - 0.98

↓
0.677

Random Number Between 0 And 1	Salary	Credit	Approval
0.5	>60K	N/A	YES
0.1	<=60K	GOOD	YES
0.6	>60K	N/A	YES
0.75	>60K	N/A	YES
0.24			
0.32			
0.87			

	Assign Bin
0 - 0.08	
0.08 - 0.16	
0.16 - 0.24	
0.24 - 0.32	
0.32 - 0.40	
0.40 - 0.90	
0.90 - 0.98	

Step 2

- We will assign some sample weight to each observation
- $\frac{1}{7}$
- Sum of Total Errors and performance of the stump

→ Now calculate the "Sum of Total Error" $= \frac{1}{7}$

\leadsto Performance of the stump
 $= \frac{1}{2} \log_e \left(\frac{1 - TE}{TE} \right) = \frac{1}{2} \log 6 = 0.896$
 $= 0.896 \checkmark$

$$f = \alpha_1(m_1) + \alpha_2(m_2) + \dots + \alpha_r(m_r)$$

Step 3 \rightarrow Update the weight for correctly and incorrectly specified observations.

For correctly classified observation - performance of the stump.

$$= \frac{1}{7} \times e^{-0.896} = 0.058$$

For incorrectly classified observation
 $= \frac{1}{7} \times e$
 performance of the stump

$$= \text{Weight} \times e^{0.896} = 0.349 \text{ u}$$

2 assign bin

Step 4

Normalized weight calculation and assign bin

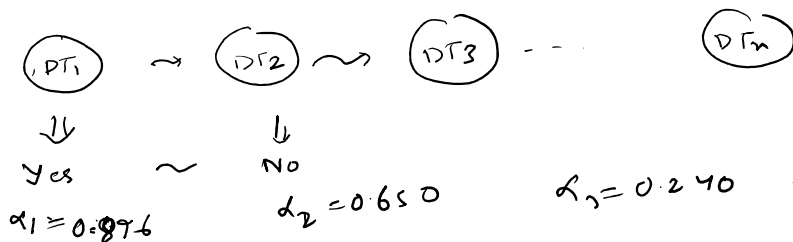
$$= \frac{0.058}{0.697}$$

Step 5

→ Now model will run a loop and assign random values to each observation. ~~better~~
between(0,1)

And model will select max data from largest Bin.

Final Prediction Test data ($\leq 60k$, Good)



$$f = 0.896 (\text{Yes}) + 0.65 (\text{No}) + 0.24 (\text{Yes}) + -0.22 (\text{No})$$

$$= 1.5 (\text{Yes}) + 0.5 (\text{No})$$

Performance of Say Yes = 1.5 ✓
" " " No = .5