

Counters & Time Delays:

→ Counters and time delays are important techniques used in applications such as traffic signals, digital clocks, process control and serial data transfer.

→ Counters are used primarily for keeping track of events.

→ Time delays are important in setting up reasonably accurate timing between two events.

→ A counter is designed by simply loading an appropriate number into one of the registers and using INR or DCR instructions.

A loop is established to update the count and each count is checked to determine whether it has reached the final number; if not the loop is repeated.

Time delay:

① Time delay using One Register

→ A count is loaded in a register

→ A loop is executed until the count reaches zero.

Ex:-

~~loop:~~

MVZ

C,

FFH

7

loop:

DCR

C

4

JNZ

Loop

10/7

T-states

Calculations:

① Time to execute MVZ instruction.

$$\text{clock freq} = f = 2 \text{ MHz}$$

$$\text{clock period } T = \frac{1}{f} = 0.5 \mu\text{s}$$

$$\therefore \text{Time to execute MVZ} = 7T \times 0.5 \mu\text{s} = 3.5 \mu\text{s}$$

② The next two instructions DCR, JNZ form a loop of 14 (4 + 10) T-states. The loop is repeated 255 times.

$$\begin{aligned} \therefore T_L &= (T \times \text{loop T-states} \times N_{10}) \\ &= (0.5 \mu\text{s}) (14) (255) = 1785 \mu\text{s} \approx 1.8 \text{ ms} \end{aligned}$$

The T-states for JNZ are shown as 10/7.

8085 requires 10-T-states to execute a conditional jump when it jumps or changes the sequence of program and seven T-states when the program falls through the loop (goes to the instruction following JNZ).

→ In the above case, the loop is executed 255 times; in the last cycle, JNZ will be executed in 7 T-states.

∴ Adjusted loop delay

$$\begin{aligned} T_{LA} &= T_L - (3T_{states} \times \text{clock period}) \\ &= 1785.0\mu s - (3 \times 0.5\mu s) \\ &= 1785.0\mu s - 1.5\mu s = 1783.5\mu s \end{aligned}$$

$$\therefore \text{Total Time delay} = \begin{array}{l} \text{Time to execute} \\ \text{instructions} \\ \text{outside loop} \end{array} + \begin{array}{l} \text{Time to execute} \\ \text{loop instructions} \end{array}$$

$$\therefore T_D = T_0 + T_{LA}$$

$$= (7 \times 0.5\mu s) + (1783.5\mu s)$$

$$= 1787\mu s$$

$$\approx 1.8\text{ ms}$$

Note:- The difference between loop delay T_L and Total delay T_D is only $2\mu s$ and can be ignored in most cases.

→ The time delay can be varied by changing the count FFH; however, to increase the time delay beyond 1.8ms in a 2MHz system, a register pair or a loop within a loop technique is to be used.

② Time Delay using a Register pair:

Ex:-

		<u>T-states</u>
	LXI B, 2384H	10
loop:	DCX B	6
	MOV A, C	4
	ORA B	4
	JNZ loop	10/7

Discussion:

DCX instruction does not set Z flag. Hence we are using MOV A, C and ORA B to check whether BC register pair is zero or not.

∴ the loop is repeated 2384H no. of times.

$$2384H = 2 \times 16^3 + 3 \times 16^2 + 8 \times 16^1 + 4 \times 16^0$$

$$= (9092)_{10}$$

$$\therefore \text{For } f = 2\text{MHz} \quad T = \frac{1}{f} = 0.5\mu\text{s}$$

The delay in the loop is calculated as

$$T_L = 0.5\mu\text{s} \times 24 \text{ T-states} \times \text{loop count}$$

$$= 0.5\mu\text{s} \times 24 \times 9092$$

$$\approx 109 \text{ ms} \quad (\text{without adjusting last cycle}).$$

$$\text{Total delay} = 109 \text{ ms} + T_0$$

$$= 109 \text{ ms} + (10 \times 0.5\mu\text{s})$$

$$= 109 \text{ ms} + 5\mu\text{s}$$

$$\approx 109 \text{ ms}. \quad (\text{The instruction LxI adds only } 5\mu\text{s})$$

③ Time delay using a loop within a loop Technique:

		Totals
	MV2 B, 38H	7T
Loop2:	MV2 C, FFH	7T
Loop1:	DCR C	4T
	JNZ Loop1	10/7T
	DCR B	4T
	JNZ Loop2	10/7T

Discussion:

Loop 1 executes 255 times, every loop involves 14 T-states.

\therefore time for executing inner loop (Loop1): $1783.5 \mu s$.

The execution time of outer loop will be

$$\begin{aligned}
 T_{L2} &= 56 (T_4 + 21 \text{ T-states} \times 0.5 \mu s) \\
 &= 56 (1783.5 \mu s + 10.5 \mu s) \\
 &\approx 100.46 \text{ ms}
 \end{aligned}$$

Note: The time delay within a loop can be further increased by using instructions that will not affect the program except to increase the delay. Example: NOP can add four T-states in the delay loop.

Counter Design with Time Delay:

Illustrative program: Hexadecimal Counter

Write a program to count continuously in hexadecimal from FFH to 00H in a system with $0.5 \mu\text{s}$ clock period. Use Reg. C to set up a 1 ms delay between each count and display the no. at one of the output ports.

MV2 B, 00H

NEXT: DCR B

MV2 C, COUNT

DELAY: DCR C

JNZ DELAY

MOV A, B

OUT PORT #

JMP NEXT

Delay calculations:

→ Delay is accomplished in the inner loop. It involves DCR C, JNZ instructions taking 14 T states.

$$\begin{aligned} \therefore T_L &= (14 \text{ T-states} \times 0.5 \mu\text{s}) \times \text{count} \\ &= (7 \mu\text{s}) \times \text{count} \end{aligned}$$

The delay outside the loop includes

DEC B 4T

MVZ C, COUNT 7T

MOV A, B 4T

OUT PORT 10T

JMP 10T

35T.

∴ delay outside loop

$$T_0 = 35T \times T$$

$$= 35 \times 0.5 \mu s$$

$$= 17.5 \mu s.$$

$$\therefore \text{Total Time delay } T_D = T_0 + T_L$$

$$= 17.5 \mu s + 7 \mu s \times \text{count}$$

$$\therefore 1 \text{ ms} = 17.5 \mu + 7 \mu \times \text{COUNT}$$

$$\therefore \text{COUNT} = \frac{1 \text{ ms} - 17.5 \mu s}{7 \mu s} \approx 140_{10}$$

$$\therefore \text{delay count } 140_{10} = (8C)_{16}$$

Illustrative Program: Zero-To-Nine (Module-12) Counter

Problem Statement:

Write a program to count from 0 to 9 with a one-second delay between each count. At the count of 9, the counter should reset itself to 0 and repeat the sequence continuously. Use the register pair HL to set up the delay, and display the count at one of the output ports. Assume clock freq is 1MHz.

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START: MVI B, 00H

DISPLAY: OUT PORT#

LXI H, 1667

Loop:

DCX H

MOV A, L

ORA H

JNZ LOOP

INR B

MOV A, B

CPI 0AH

JNZ DISPLAY

JZ START

T-states

10

10

6

4

4

10/7

4

4

7

10/7

To

T_L:

24-Ticks

To

Delay calculation:

$$\text{loop delay } T_L = 24 \cdot T_{\text{states}} \times T \times \text{count}$$

$$1 \text{ second} = 24 \times 1 \mu \times \text{count}$$

$$\therefore \text{count} = \frac{1}{24 \mu s} = 41666$$

$$\therefore \text{count} = (41666)_{10} = (A2C2)_H.$$

OR

$$\therefore \text{Total delay} = T_0 + T_L$$

$$= (45T \times 1 \mu s) + (24T \times T \times \text{count})$$

$$1 \text{ second} = 45 \times 1 \mu s + 24 \times 1 \mu s \times \text{count}$$

$$\therefore \text{count} = \frac{1 - 45 \mu s}{24 \mu s}$$

$$\text{count} \approx 41665$$

\therefore The difference between two delay counts calculated above is of very little significance in many applications.