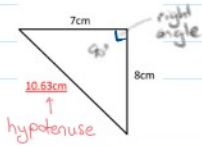


Recap:

Squaring, Square Roots & Pythagoras' Theorem

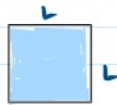
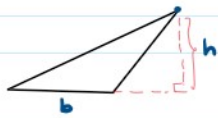
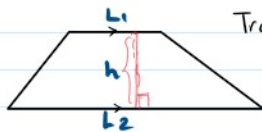
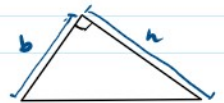
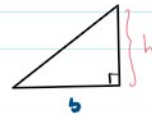
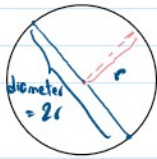


$$10.63 = \sqrt{(7)^2 + (8)^2}$$

$$7^2 = 49, \quad 8^2 = 64 \quad 7^2 + 8^2 = 113, \quad \sqrt{113} = 10.63$$

Area:

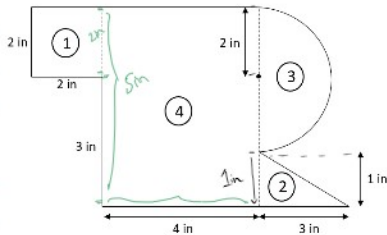
Formula:

Rectangle
 $L \times w$ Square
 L^2 Triangle
 $\frac{1}{2} \times b \times h$ Trapezoid
 $\frac{1}{2} \times (L_1 + L_2) \times h$ Circle
 $\pi \times r^2$

$$\pi = 3.1416$$

Examples (Area of irregular shape)

1. Find the area of the following shape:



$$\text{Area of ①: } 2 \text{ in} \times 2 \text{ in} = 4 \text{ in}^2 = 4 \text{ sq in}$$

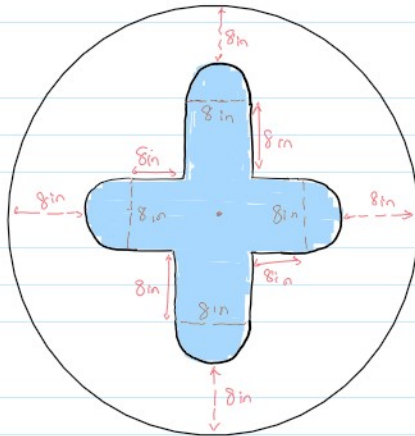
$$\text{② } \frac{1}{2} \times 1 \text{ in} \times 3 \text{ in} = 1.5 \text{ in}^2$$

$$\text{③ } \frac{1}{2} \times \pi \times (2 \text{ in})^2 = 3.1416 \times 4 \text{ in}^2 = \frac{12.5664 \text{ in}^2}{2} = 6.28 \text{ in}^2$$

$$\text{④ } 5 \text{ in} \times 4 \text{ in} = 20 \text{ in}^2$$

$$\text{Total Area} = 4 \text{ in}^2 + 1.5 \text{ in}^2 + 6.28 \text{ in}^2 + 20 \text{ in}^2 = 31.78 \text{ in}^2$$

2. The council of Jedi Knights are planning to order a council meeting table in the following shape (the middle is hollowed out to install a holographic projector). What is the total area of this table?



Today:

1.



2.

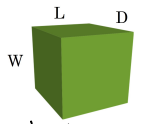
Volume

- Volume is a **3 dimensional measurement** of an object. We measure the objects length, width and depth.
- Volume is expressed in cubic units (m^3 , ft^3), also as millilitres, Litres, ounces, pint, quart and gallon.
- Typically **liquids are measured in millilitres, litres, ounces, pint, quart and gallon**. Solid objects are measured in **cubic centimetres, cubic metres, cubic yards, cubic feet, and cubic inches** etc.
- Volume is generally used to calculate volume of cabinets for shipping.

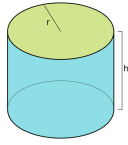
$$cm^3 = cu.cm \quad m^3$$

cu ft

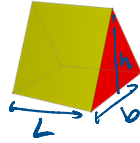
Volume – cube, cylinder & prisms



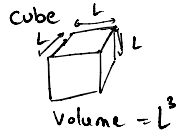
Cuboid
Volume = $L \times W \times D$



Volume = $\pi r^2 \times h$



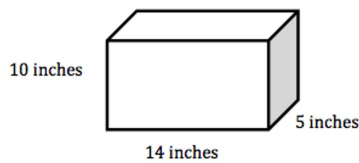
Volume = $\frac{b \times h}{2} \times L$



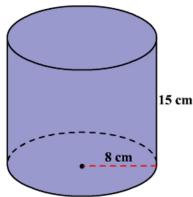
Volume = L^3



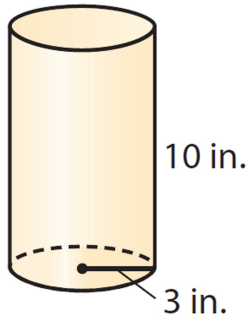
Examples:



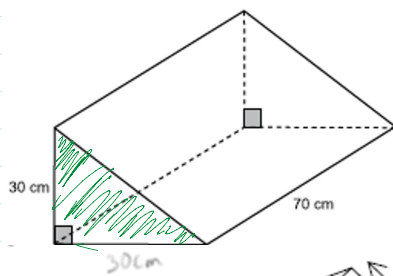
$$\begin{aligned} \text{Volume} &= 10 \text{ in} \times 14 \text{ in} \times 5 \text{ in} \\ &= (10 \times 14 \times 5) \text{ in}^3 \\ &= 700 \text{ in}^3 = 700 \text{ cu. in.} \end{aligned}$$



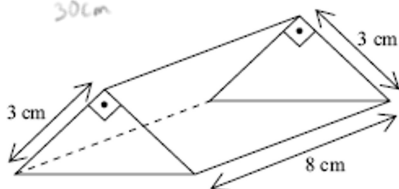
$$\begin{aligned} \text{Volume} &= \pi \times (8 \text{ cm})^2 \times 15 \text{ cm} \\ &= 3.1416 \times 8^2 \times 15 \text{ cm}^3 \\ &= 3015.936 \text{ cm}^3 = 3020 \text{ cm}^3 \\ &\quad (\text{nearest tens}) \end{aligned}$$



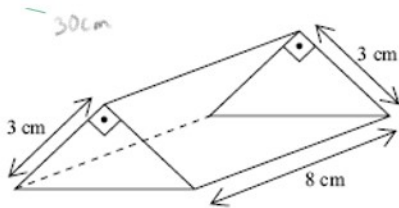
$$\begin{aligned} \text{Find volume (nearest tenths):} \\ &= 282.7 \text{ in}^3 = 282.7 \text{ cu. in.} \end{aligned}$$



$$\begin{aligned} \text{Volume} &= \frac{1}{2} \times 30 \text{ cm} \times 30 \text{ cm} \times 70 \text{ cm} \\ &= 31500 \text{ cm}^3 = 32000 \text{ cm}^3 \\ &\quad (\text{nearest thousands}) \end{aligned}$$



$$\begin{aligned} \text{Volume} &= \frac{1}{2} \times 3 \text{ cm} \times 3 \text{ cm} \times 8 \text{ cm} = \frac{1}{2} \times 72 \text{ cm}^3 \\ &= 36 \text{ cu. cm} \end{aligned}$$



$$\text{Volume} = \frac{1}{2} \times 3 \text{ cm} \times 3 \text{ cm} \times 8 \text{ cm} = \frac{1}{2} \times 72 \text{ cm}^3 = 36 \text{ cu. cm}$$

4.

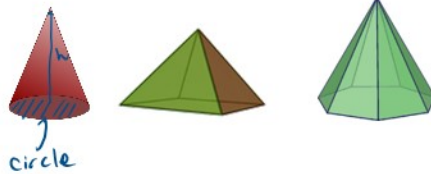
Volume - cones

Cones, square base pyramids and octagonal base pyramids

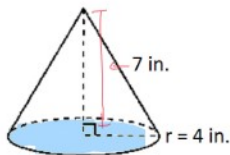
The volume of any symmetrical object that comes to a point is $\frac{1}{3}$ the volume of an object with the same end shape and dimension.

The formula is as follows:

$$\text{Volume} = \frac{\text{end area} \times \text{height}}{3}$$

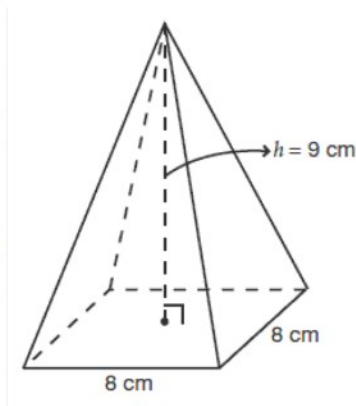


Calculate the volume of the cone.



$$\begin{aligned} \text{Volume} &= \frac{[\pi \times (4 \text{ in})^2] \times 7 \text{ in}}{3} \\ &= \frac{(3.1416 \times 16 \text{ in}^2) \times 7 \text{ in}}{3} \\ &= \frac{50.2656 \text{ in}^2 \times 7 \text{ in}}{3} = \frac{351.8592 \text{ in}^3}{3} \\ &= 117.2864 \text{ in}^3 = 117.29 \text{ in}^3 \text{ (2 dp)} \\ &\quad \text{(nearest hundredths)} \end{aligned}$$

Find the volume of the pyramid shown below.



$$\text{Volume} = 192 \text{ cm}^3$$

5.

Chemical mixes

- Mixing glue and finishes to their correct proportions is required in order to maintain the properties of the glue or finishing materials.
- The bond strength and cure time of glue can be affected if too much water or catalyst is added.

- Mixing glue and finishes to their **correct proportions** is required in order to maintain the properties of the glue or finishing materials.
- The **bond, strength and cure time of glue** can be affected if too much water or catalyst is added.
- **Cure time, curing properties, durability and adhesion** between **coats** can be affected if the **finish/ catalyst** ratio is not correct.
- Mixes can be in **parts, weight or volume**.

Chemical mixes - example

Lets look at an example:

We have a recipe for an oil rubbed finish. The recipe calls for:

1/3 Boiled Linseed oil

1/3 varnish

1/3 mineral spirits

If we wanted a total of **15L** of finish. How much of each item do we need?

$$1/3 = 0.3333$$

$$0.3333 \times 15 = 5L$$

Therefore, you would need 5L of each.

Chemical mixes – example 2

You have just bought a **new glue** for your **veneer stitcher**. It requires the following mixture:

→ 13 parts resin

→ 3 parts catalyst

→ 1 part water

recipe

If the veneer stitcher glue reserve holds **500ml**. How much of each item do you need?

Answer:

$$13 + 3 + 1 = 17 \text{ parts total}$$

$$500ml \div 17 \text{ parts} = 29.41 \text{ ml/ part}$$

$$\text{Resin} - (29.41 \times 13) = 382.33ml$$

$$\text{Catalyst} - (29.41 \times 3) = 88.23ml$$

$$\text{Water} - (29.41 \times 1) = 29.41ml$$

$$\text{Check: } 382.33 + 88.23 + 29.41 = 500ml$$



Multiple Panel Chemical mixes

Multiple Panel Chemical mixes

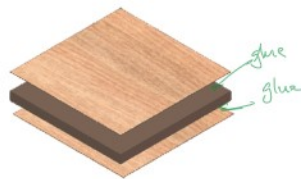
Things to keep in mind when mixing a batch.

- The total amount of units or panels needed.
- Number of coats (finishing) or plies (glue calc).
- The proper mix ratio.
- Waste factor.

Multiple Panel Calculations Example

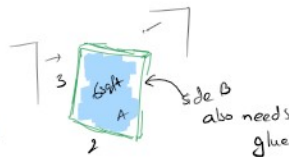
- Calculate the following glue requirements:

- 42 pcs - 3 ply panels 36" x 24"
- Glue specs
 - 20 parts resin
 - 4 parts catalyst
 - 1 part water*recipe*
- Coverage 20 g/sqft
- Waste 10%



Step Through

- Calculate the square foot of 1 glue line.
 - Panel size 36" x 24" (convert to feet)
 - $(36/12) \times (24/12) = 6$ sqft. (one glue line)
- Multiply by the number of glue lines for 1 panel.
 - 6 sqft per glue line x 2 glue lines per panel (3 ply).
 - 12 sqft of glue lines per panel.
- Multiply by the number of panels needed.
 - 12 sqft of glue lines per panel x 42 panels
 - 504 sqft of glue for the whole job.



$$12 \times 42$$

Step Through cont.

- Calculate the weight of glue required.
 - $504 \text{ sqft} \times 20 \text{ g per sqft} =$
 - $10,080 \text{ g}$ of glue required.

$$10,080 \text{ g} = 10.08 \text{ kg}$$

- Add the waste to the glue.

$$10,080 \text{ g of glue} + (10\% \times 10,080 \text{ g})$$

$$(10,080 \times 1.1) = 11,088 \text{ g of glue with waste added.}$$

need to prepare

$$\$10.80 + (13\% \times \$10.80)$$

$$\$10.80 \times 1.13$$

$$0.9 \times = 10080$$

$$x = \frac{10080}{0.9} = 11,200 \text{ g}$$

Step Through cont. – 2nd page.

- Now that we have the total amount of glue required, we need to calculate the amount of each of the parts of the glue mix.

- Glue specs 20 parts resin, 4 parts catalyst, 1 part water.

$$20 + 4 + 1 = 25$$

- A total of 25 parts.

- $11,088 \text{ g} / 25 \text{ parts} = 443.52 \text{ g per part.}$

- Therefore:

- 20 parts resin $\times 443.52 \text{ g per part} = 8,870.4 \text{ g Resin}$

- 4 part catalyst $\times 443.52 \text{ g per part} = 1,774.08 \text{ g Catalyst}$

- 1 part water $\times 443.52 \text{ g per part} = 443.52 \text{ g Water}$

Check out:

<https://masepoxies.com/resin-calculator/>

Coating & Casting: Rectangle or Square Calculator

What are the dimensions of your project?

Length (in):

Width (in):

Thickness (in):

100% (100%) is required for your order.
100% (100%) is required for your order.

Here is the volume of your project

Cubic Inches (in³):

Cubic Feet (ft³):

Here is the amount of mixed epoxy you will need

Part A (oz)	Part B (oz)	Part C (oz)	Total (oz)
39.89	0.31	1179.9	118

Want to Know Exactly How Much to Mix?

What epoxy system are you using?

1A:1B Mix Ratio by Volume

Part A (oz)	Part B (oz)	Total (oz)
19.95	19.95	39.89

100A:100B Mix Ratio by Weight

Part A (grams)	Part B (grams)	Total (grams)
714.49	593.03	1307.52

Round or Circular Volume Calculator

What is the diameter and desired thickness of epoxy resin?

Diameter (in)
8
Thickness (in)
0.25

Project Volume

Cubic Inches
12.56

Cubic Feet
0.01

Here is the amount of mixed resin you will need

Ounces
6.96
Liters
0.21
Gallons
0.05

NOTE: All dimensions are approximate and for informational purposes only. We do not warrant the accuracy of the results.

1/8" = 0.0039	1/4" = 0.0078	3/8" = 0.0118	1/2" = 0.0157
5/8" = 0.0312	3/4" = 0.0391	7/8" = 0.0470	1" = 0.0590

1. You are mixing a sealer for your project. The mixture calls for 3 parts varnish to 1 part varsol. How much of each chemical do you need if you require a total of 750ml of sealer?

Steps: - get total parts $3 + 1 = 4$
 - get volume per part $750 \text{ ml} / 4 = 187.5 \text{ ml/part}$
 - for each chemical, find volume = volume per part x no. of parts
 varnish: $187.5 \text{ ml/part} \times 3 \text{ parts} = 562.5 \text{ ml}$
 varsol: $187.5 \text{ ml/part} \times 1 \text{ part} = 187.5 \text{ ml}$

3. We are pressing 50 - 3 ply panels that are 74" x 28". What is the total amount of glue by weight needed for this job?

Hot Press Glue details

Mix ratio:

Resin - 20 parts
 Catalyst - 4 parts
 Water - 1 part
 Waste: 10%

Coverage: 20g/sqft

Each panel:

- square footage of each face $\frac{74}{12} \text{ ft} \times \frac{28}{12} = 14.39 \text{ sqft}$
 (remember to convert to feet)

- 3ply panel $\Rightarrow 2 \times \text{sqft of each face}$ $14.39 \times 2 = 28.78$

fifty panels x sqft of glue lines for each panel $28.78 \times 50 = 1439 \text{ sqft}$

Weight for completion = Coverage x Square footage $1439 \text{ sqft} \times 20 \text{ g/sqft}$
 $= 28778 \text{ g}$

Total Weight = Weight for completion x 1.1
 $= 31656 \text{ g}$
 $= 31700 \text{ g}$ (nearest hundreds)