1. Consider the motion of a charged particle in the simultaneous presence of magnetic field  $\vec{B}$  (in x-direction) and electric field  $\vec{E}$  (in z-direction). Find and sketch the trajectory of the particle if it starts at the origin with velocity (a)  $\vec{v}(0) = (E/B)\hat{y}$ , (b)  $\vec{v}(0) = (E/2B)\hat{y}$ , (c)  $\vec{v}(0) = (E/B)(\hat{y} + \hat{z})$ .

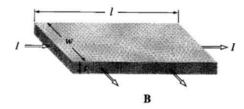


Figure 1: Figure for problem 2.

- 2. A current I flows to the right through a rectangular bar of conducting material, in the presence of a uniform magnetic field  $\vec{B}$  pointing out of the page, as shown in figure 1.
  - (a) If the moving charges are positive, in which direction are they deflected by the magnetic field? This deflection results in an accumulation of charge on the upper and lower surfaces of the bar, which in turn produces an electric force to counteract the magnetic one. Equilibrium occurs when the two exactly cancel each other. (A phenomenon known as the Hall effect, to be studied as a part of an experiment in PH 110).
  - (b) Find the resulting potential difference (the Hall voltage) between the top and bottom of the bar, in terms of B, v (the speed of the charges), and the relevant dimensions of the bar.
  - (c) How would your analysis change if the moving charges were negative? (The Hall effect is the classic way of determining the sign of the mobile charge carriers in a material, which is also one of the objectives of the Hall effect related experiment in PH 110).
- 3. (a) A rotating disk (angular velocity  $\omega$ ) carries a uniform density of "static electricity"  $\sigma$ . Find the surface current density K at a distance r from the center.
  - (b) Consider a uniformly charged solid sphere of radius R and total charge Q, centered at the origin and spinning at a constant angular velocity  $\omega$  about the z axis. Find the current density  $\vec{J}$  at any point  $(r, \theta, \phi)$
- 4. Find the magnetic field at a point z > R on the axis of (a) the rotating disk and (b) the rotating sphere, in problem 3.

5. A semicircular wire carries a steady current  $\vec{I}$ . Find the magnetic field at a point P on the other semicircle (see figure 2). The semicircular wire must be connected to some other wire to complete the circuit. Neglect this wire needed to complete the circuit.

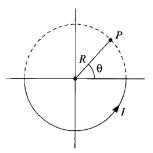


Figure 2: The path

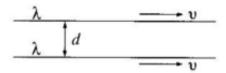


Figure 3: Figure for problem 6.

6. Consider two infinite straight line charges  $\lambda$ , a distance d apart, moving along at a constant speed v as shown in figure 3. How large would v have to be in order for the magnetic attraction to balance the electrical repulsion?