Logistic Regression

- Logistic regression is a classification algorithm used to predict a discrete set of classes.
- · It is used to predict the outcomes of a categorical dependent variable
- · Outcome should be discrete or categorical

Example

- 0 or 1
- · yes or no
- · true or false
- · high or low
- · survied or not survied
- · spam or not spam
- · Low, Medium, High
- etc

Why logistic Regression

Suppose you have given data on "time spent on studying and exam scores by students". Linear Regression and logistic regression can predict different things-

Linear Regression could help us predict the student's test score on a scale of 0 - 100.

Logistic Regression could help us to predict whether the student passed or failed.

Types of logistic regression

- Binary Logistic Regression (0/1) --> has only two 2 possible outcomes
- Multinomial Logistic Regression (Veg, Non-Veg, Vegan) --> Three or more categories without ordering
- Ordinal Logistic Regression (Low, Medium, High or movie rating 1 to 5) --> Three or more categories with ordering

Binary logistic regression

```
In [2]: import numpy as np
   import pandas as pd
   import matplotlib.pyplot as plt
   %matplotlib inline
   import seaborn as sns
   import sklearn
   from sklearn.model_selection import train_test_split
   from sklearn import metrics
   from sklearn.linear_model import LogisticRegression
```

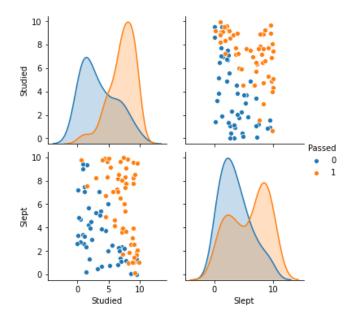
```
In [3]: data = pd.read_csv('students_pperformance_classification.csv')
    data.head()
```

Out[3]:

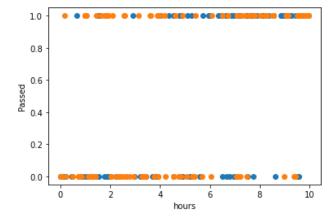
	Studied	Slept	Passed
0	4.855064	9.639962	1
1	8.625440	0.058927	0
2	3.828192	0.723199	0
3	7.150955	3.899420	1
4	6.477900	8.198181	1

```
In [4]: sns.pairplot(data,hue='Passed')
```

Out[4]: <seaborn.axisgrid.PairGrid at 0x17c3f110608>



```
In [5]: plt.scatter(data.Studied,data.Passed)
    plt.scatter(data.Slept,data.Passed)
    plt.xlabel('hours')
    plt.ylabel('Passed')
    plt.show()
```



Sigmoid Function

A solution for classification is logistic regression. Instead of fitting a straight line or hyperplane, the logistic regression model uses the logistic function to squeeze the output of a linear equation between 0 and 1.

The logistic function is defined as:

$$S(z)=rac{1}{1+e^{-z}}$$

```
In [6]: def sigmoid(z):
    return 1.0 / (1 + np.exp(-z))
```

```
-9,
                                 -7,
                                           -5,
Out[7]: array([-10,
                           -8,
                                      -6,
                                                 -4, -3, -2, -1,
                                                                            1,
                                                                                 2,
                             5,
                                       7,
                                            8,
                                                  9])
                  3,
                       4,
                                  6,
In [8]: x= list(map(sigmoid,np.arange(-10,10,1)))
        plt.plot(x)
Out[8]: [<matplotlib.lines.Line2D at 0x17c3f6ee608>]
          1.0
          0.8
          0.6
          0.4
          0.2
          0.0
              0.0
                   2.5
                         5.0
                                   10.0
                                         12.5
                                              15.0
                                                    17.5
In [9]: x
Out[9]: [4.5397868702434395e-05,
          0.00012339457598623172,
          0.0003353501304664781,
          0.0009110511944006454,
          0.0024726231566347743,
          0.0066928509242848554.
          0.01798620996209156,
          0.04742587317756678,
          0.11920292202211755,
          0.2689414213699951,
          0.5,
          0.7310585786300049,
          0.8807970779778823,
          0.9525741268224334,
          0.9820137900379085,
          0.9933071490757153,
          0.9975273768433653,
          0.9990889488055994,
          0.9996646498695336,
          0.9998766054240137]
```

The step from linear regression to logistic regression is kind of straightforward.

In the linear regression model, we have modelled the relationship between outcome and features with a linear equation:

$$y = b0 + b1x1 + b2x2bnxn$$

In [7]: np.arange(-10,10,1)

For classification, we prefer probabilities between 0 and 1, so we wrap the right side of the equation into the logistic function.

$$y = \frac{1}{1 + e^{-b0 + b1x1 + b2x2 \dots bnxn}}$$

```
In [10]: #Feature Selection
x = data.iloc[:,:-1].values
y = data.iloc[:,-1].values
```

```
In [11]: #split Data
         x_train,x_test,y_train,y_test = train_test_split(x,y,test_size=0.2,random_state=1)
In [12]: # Build model
         lr = LogisticRegression()
         lr.fit(x_train,y_train)
Out[12]: LogisticRegression()
In [13]: import pickle
         Pkl_Filename = "students.pkl"
         with open(Pkl_Filename, 'wb') as file:
             pickle.dump(lr, file)
In [ ]:
In [24]: | print (lr.intercept_, lr.coef_) # b0 , b1 ,b2
         [-11.80467167] [[1.2770634    1.05368774]]
In [55]: y_pred = lr.predict(x_test)
In [56]: # Evaluate Model
         metrics.accuracy_score(y_test,y_pred)
Out[56]: 0.9
In [67]: x_test
Out[67]: array([[9.00037648, 9.54932786],
                 [0.66547833, 9.78263644],
                 [6.33309623, 7.24030498],
                 [9.68310414, 9.50704973],
                 [6.46089606, 7.07629269],
                 [4.35755102, 9.88798331],
                 [8.34775105, 1.86081251],
                [2.99191148, 5.29921046],
                [7.18081269, 3.61076342],
                 [9.08162719, 1.4373504],
                 [9.15051612, 2.56233373],
                 [4.53017137, 3.761759],
                 [7.69192306, 8.29822782],
                 [0.90407766, 9.42092878],
                 [5.9409696 , 4.62063163],
                 [2.92268449, 8.21759492],
                 [2.34361853, 2.95870685],
                 [0.09805288, 7.21451254],
                 [3.44310934, 7.06634686],
                [6.86140497, 9.65530971]])
In [66]: |y22 = lr.predict(x22)
         y22
Out[66]: array([1], dtype=int64)
In [69]: | from sklearn.datasets import load_iris
```

```
In [70]: data1 = load iris()
In [ ]:
In [5]: data1.feature_names
Out[5]: ['sepal length (cm)',
           'sepal width (cm)',
           petal length (cm)',
          'petal width (cm)']
In [76]: x1 = data1.data
         y1 = data1.target
In [77]: #split Data
         x1_train,x1_test,y1_train,y1_test = train_test_split(x1,y1,test_size=0.2,random_state=1)
In [78]: lr1 = LogisticRegression()
In [79]: lr1.fit(x1_train,y1_train)
         C:\Anaconda3\envs\daailab2020\lib\site-packages\sklearn\linear_model\_logistic.py:764: Convergence
         Warning: lbfgs failed to converge (status=1):
         STOP: TOTAL NO. of ITERATIONS REACHED LIMIT.
         Increase the number of iterations (max_iter) or scale the data as shown in:
             https://scikit-learn.org/stable/modules/preprocessing.html (https://scikit-learn.org/stable/mo
         dules/preprocessing.html)
         Please also refer to the documentation for alternative solver options:
             https://scikit-learn.org/stable/modules/linear_model.html#logistic-regression (https://scikit-
         learn.org/stable/modules/linear_model.html#logistic-regression)
           extra_warning_msg=_LOGISTIC_SOLVER_CONVERGENCE_MSG)
Out[79]: LogisticRegression()
In [80]: y1_pred = lr1.predict(x1_test)
In [81]: # Evaluate Model
         metrics.accuracy_score(y1_test,y1_pred)
Out[81]: 0.966666666666667
In [82]: y1_pred
Out[82]: array([0, 1, 1, 0, 2, 1, 2, 0, 0, 2, 1, 0, 2, 1, 1, 0, 1, 1, 0, 0, 1, 1,
                2, 0, 2, 1, 0, 0, 1, 2])
In [83]: y1_test
Out[83]: array([0, 1, 1, 0, 2, 1, 2, 0, 0, 2, 1, 0, 2, 1, 1, 0, 1, 1, 0, 0, 1, 1,
                1, 0, 2, 1, 0, 0, 1, 2])
```

Confusion Matrix

A confusion matrix is a summary of prediction results on a classification problem.

The number of correct and incorrect predictions are summarized with count values

In [29]: 18/20

Out[29]: 0.9

Get dummies

In [84]: t_data = pd.read_csv('Titanic.csv')
t_data.head()

Out[84]: Passengerld Survived Pclass Sex Age SibSp Parch Ticket Fare Cabin Embarked Name Braund, Mr. Owen 0 0 3 1 male 22.0 0 A/5 21171 7.2500 NaN S Harris Cumings, Mrs. John Bradley (Florence Briggs Th... 2 female 38.0 PC 17599 71.2833 C85 С Heikkinen, Miss. STON/O2. 3 1 3 female 26.0 7.9250 NaN S 3101282 Laina Futrelle, Mrs. 3 4 Jacques Heath (Lily female 35.0 113803 53.1000 C123 S 1 May Peel) Allen, Mr. William 4 5 0 3 male 35.0 0 0 373450 8.0500 S NaN Henry

In [85]: pd.get_dummies(t_data['Sex'])

Out[85]:

	female	male
0	0	1
1	1	0
2	1	0
3	1	0
4	0	1
886	0	1
887	1	0
888	1	0
889	0	1
890	0	1

891 rows × 2 columns

```
In [87]: pd.get_dummies(t_data['Sex'],drop_first=True)
Out[87]:
               male
            0
            1
                  0
                 0
                 0
                  1
                 1
          886
          887
                 0
          888
                 0
                  1
          889
          890
         891 rows × 1 columns
In [88]: pd.get_dummies?
In [ ]:
```