

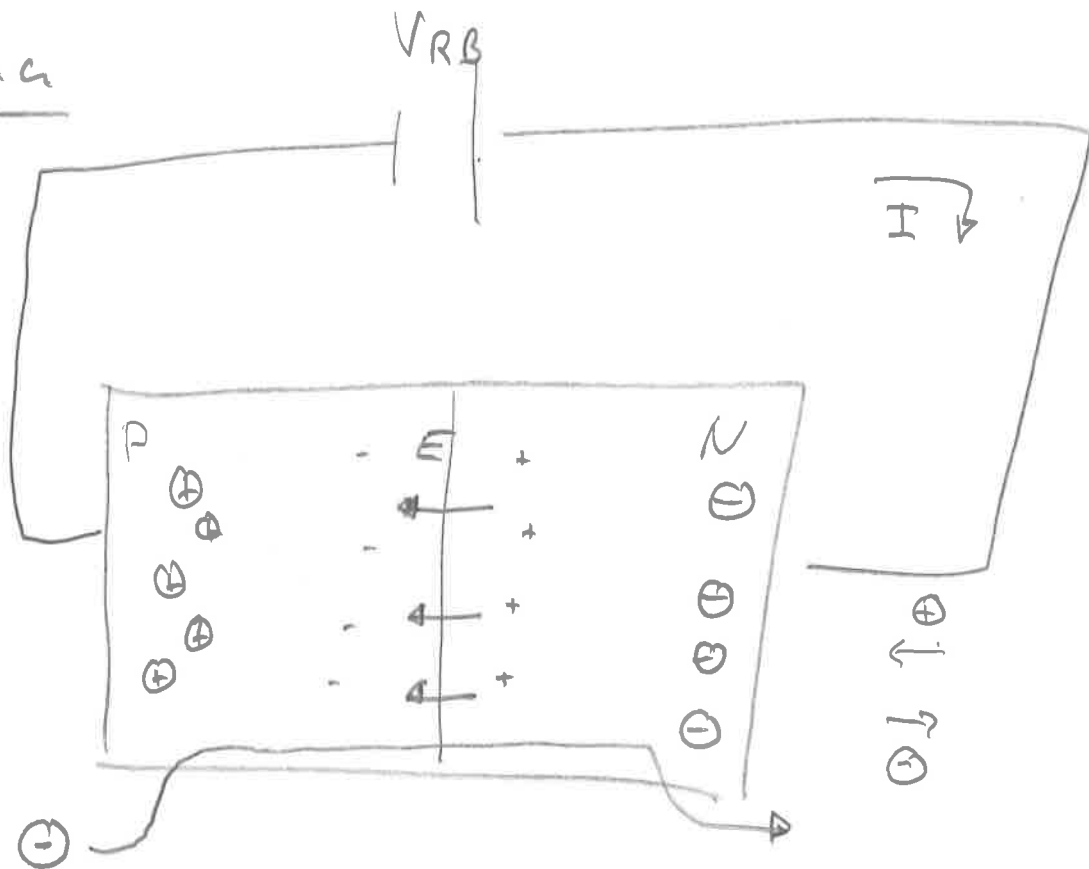
# The Transistor



(B model +  
Basic Circuits)

(Needed for first  
Transistor Lab)

Lemma



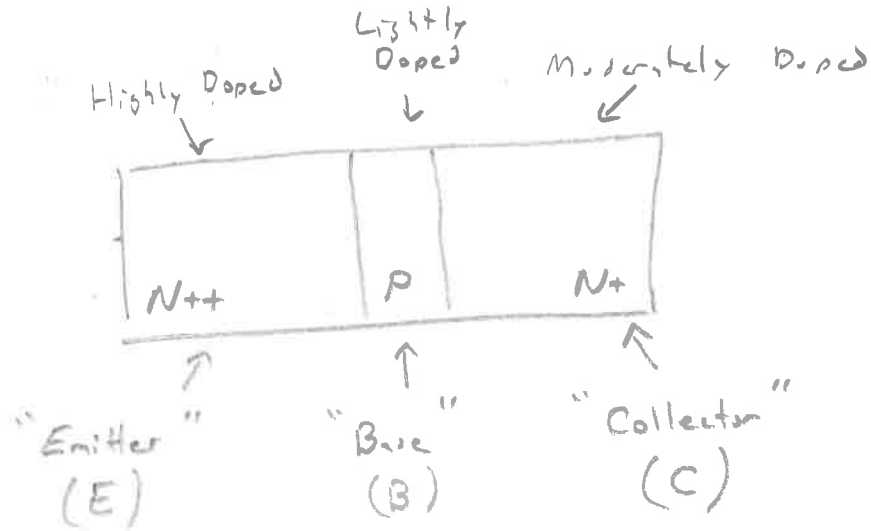
No current for majority carriers,  
because  $E$ -field fights, pulling out  
any more.

But an electron on P side  
sails right through.

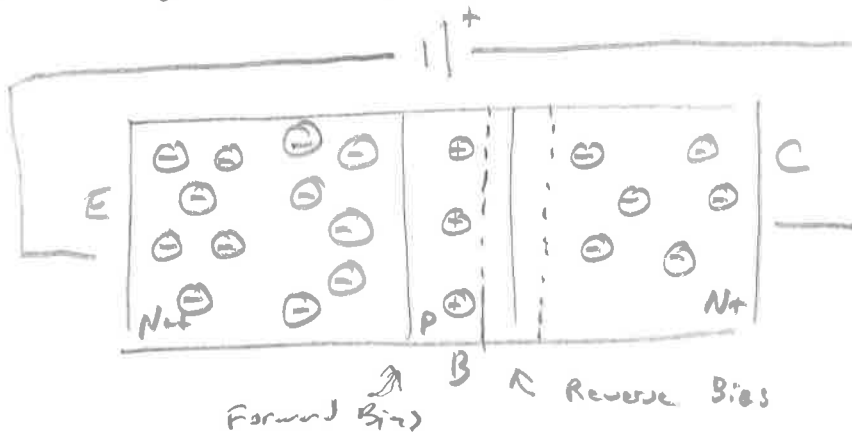
$$\begin{aligned} &RB \text{ for majority carriers} \\ &= \underline{\underline{FB \text{ for minority carriers}}} \end{aligned}$$

# Bipolar Junction Transistor

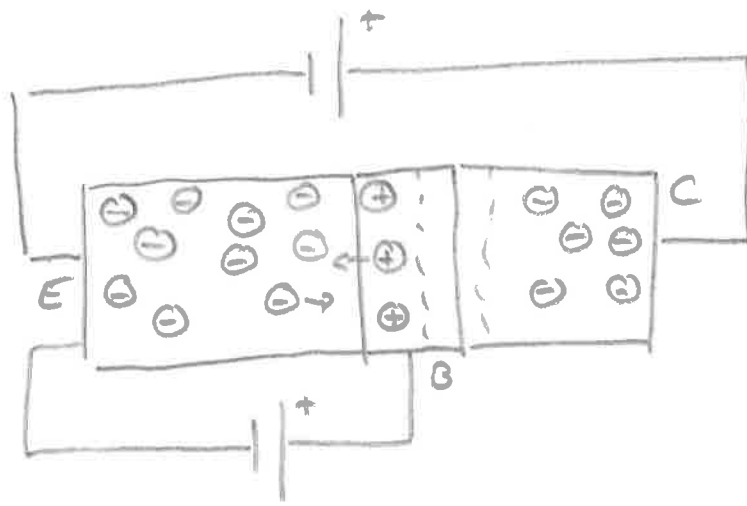
Design:



i) Apply voltage  $V_{CE}$

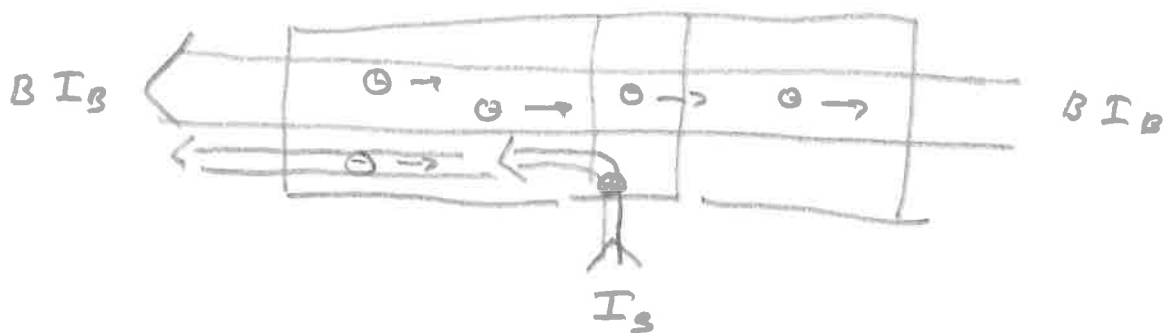


One junction is Forward Biased, but the other is reverse biased, so no current flows... until



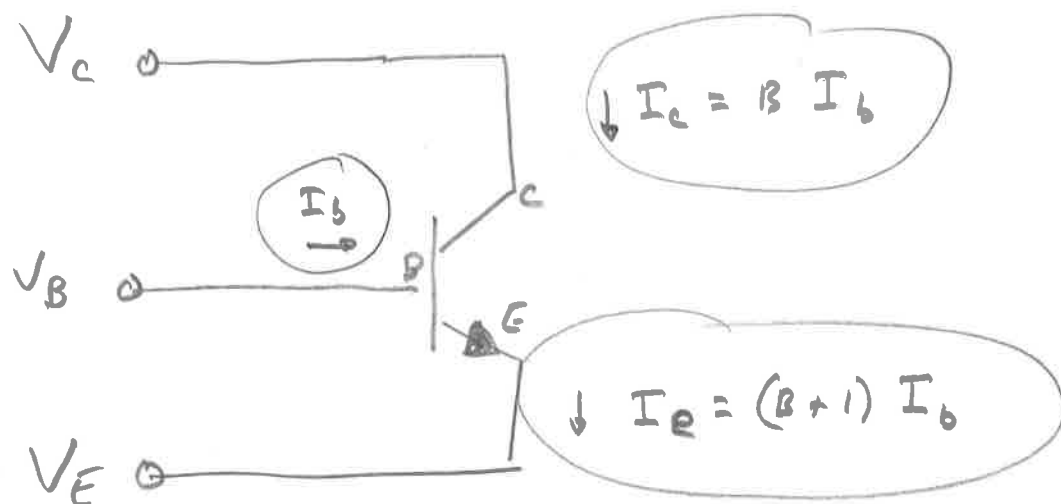
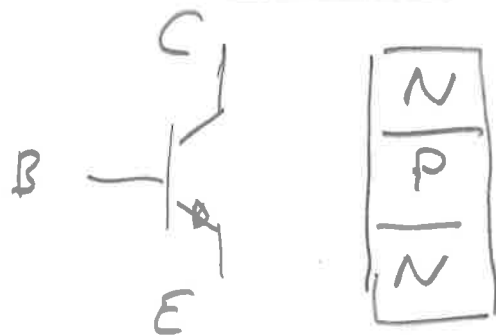
2) Apply voltage  $V_{BE}$  as well, now current flows through the forward biased diode made from  $N^{++}P$  in  $EB$  portion of transistor.

3) But!  $E$  is highly doped, compared to lightly doped, and thin, base. Electrons overwhelm holes and spill into the base. Minority carriers have no problem crossing the reverse biased junction (field accelerates them!) Result:



Amplified current  $\beta I_B$  flows from  $C$  to  $E$

# Modelling Transistors for circuit design

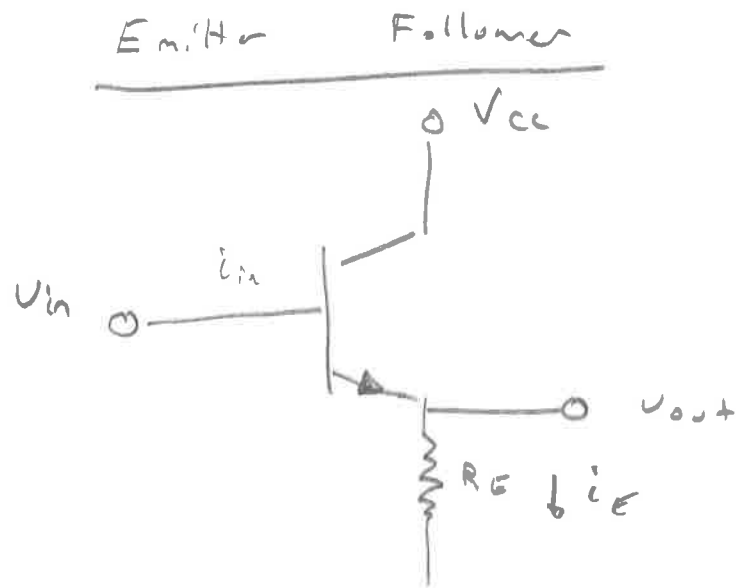


"Rules"

- 1) Keep  $V_C > V_E$
- 2) "Usually"  $B \rightarrow E$  is forward biased with diode drop  $V_d$  when transistor is on.
- 3) "Usually"  $C \rightarrow B$  is reverse-biased, but only technically. Because  $I_B$  injects minority carriers at base an amplified current flows despite (or even because) of reverse bias:

$$I_C = \beta I_B$$

- 4) All devices have limits: Max  $V_{CE}$ ,  $I_B$ ,  $I_C$   
\*\*\*  $\beta$  is unreliable \*\*\*



$$V_{out} = V_{in} - V_d$$

What's the point? Why not just:



$$\text{Input Impedance} = \frac{\Delta U_{in}}{\Delta i_{in}} = R$$

But for emitter:

$$\Delta U_{in} = \Delta U_{out}$$

$$\Delta i_{in} = \Delta i_B = \frac{1}{(\beta + 1)} \Delta i_E$$

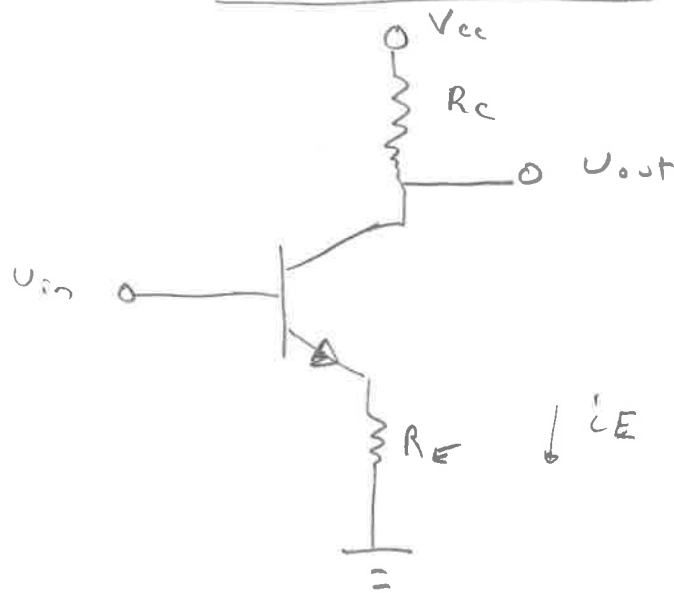
$$\frac{\Delta U_{in}}{\Delta i_{in}} = (\beta + 1) \frac{\Delta U_{out}}{\Delta i_E} = (\beta + 1) R$$

Input impedance is  $(\beta + 1) R \gg 1$

**\*\* Relies on  $\beta$  being big  
but not a certain value! \*\***

$(\sim \beta R)$

## Voltage Gain



$$I_E = \frac{U_{in} - V_d}{R_E}$$

$$I_C = \frac{\beta}{\beta + 1} I_E$$

$$U_{out} = V_{cc} - R_C I_C$$

$$= V_{cc} - R_C \frac{U_{in} - V_d}{R_E} \left( \frac{\beta}{\beta + 1} \right)$$

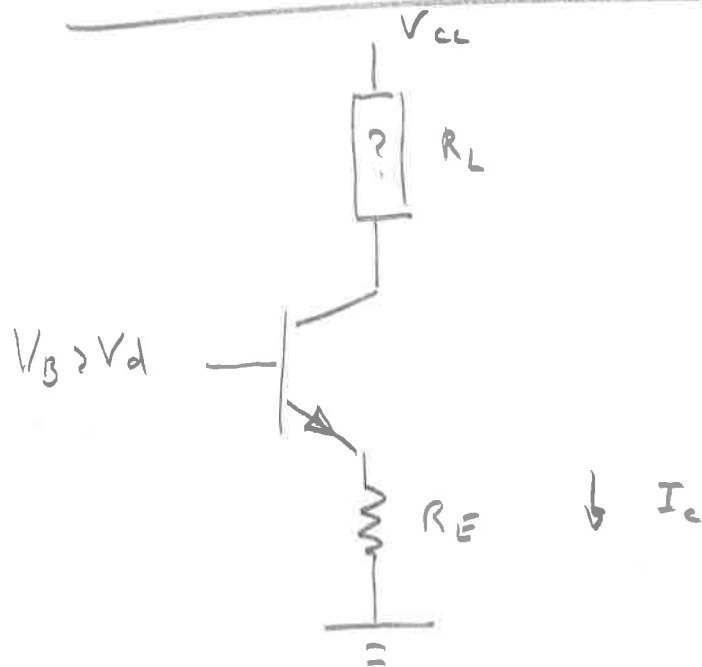
$$\frac{d U_{out}}{d U_{in}} = - \frac{R_C}{R_E} \left( \frac{\beta}{\beta + 1} \right) \approx - \frac{R_C}{R_E}$$

$$\text{Voltage Gain Factor} = - \frac{R_C}{R_E}$$

## Inverting Amplifier

\*  $\left( \frac{\beta}{\beta + 1} \right)$  factor shows good design ... does it demand an  $\beta$  ! \*

# Transistor Current Source



$$I_E = \frac{V_B - V_A}{R_E}$$

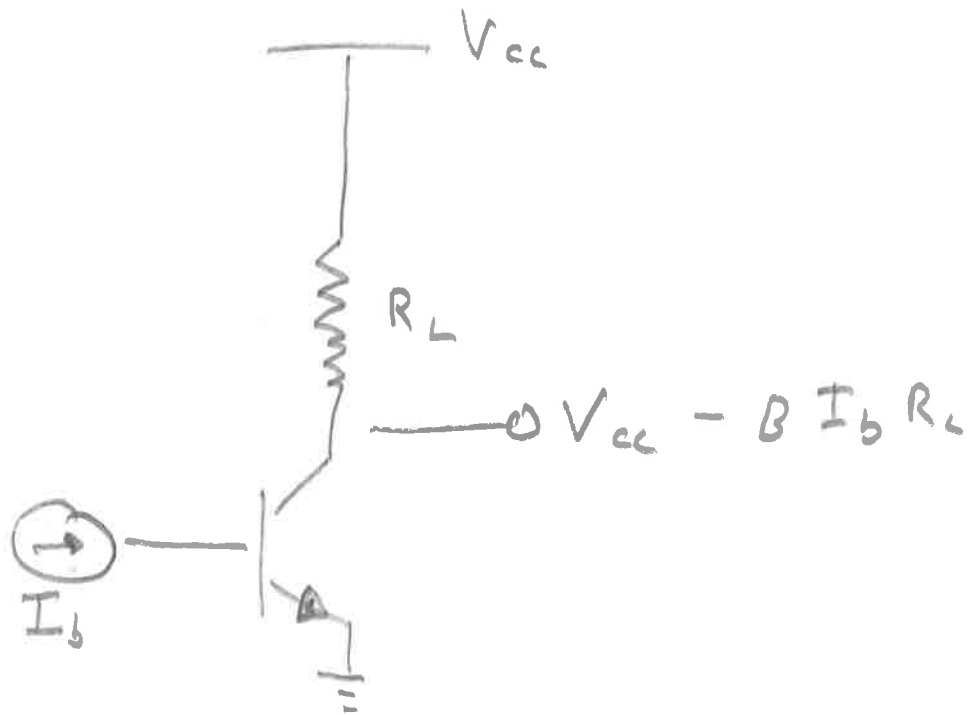
$$I_C = \frac{\beta}{(\beta + 1)} \frac{V_B - V_A}{R_E}$$

Independent of  $R_L$  ! (And  $\beta$  !)

A current source !



## Saturation



Suppose we make  $I_b$  very large, so  
drop on  $R_L$  is  $B I_b R_L$

It seems for large enough  $I_b$  we can  
make

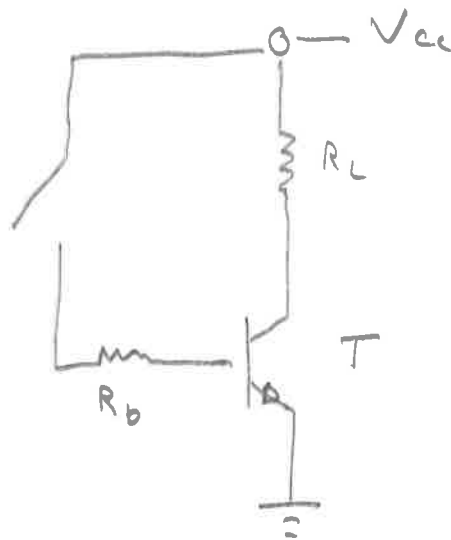
$$V_C = V_{CC} - B I_b R_L < 0$$

But that breaks  $V_C > V_E$ , what happens

$V_C \sim V_E$  within less than a diode drop.

(Notice in this case, both PN junctions  
are forward biased, that's only way  
 $V_{CE}$  can be less than a diode drop!)

## Transistor Switch



Want  $T$  to look like a switch  $V_C = V_E$ ,  
ie. in saturation.

In this case:  $I_C = \frac{V_{cc}}{R_L}$

To provide this much current must insure

$$I_B > \frac{1}{\beta} I_C$$

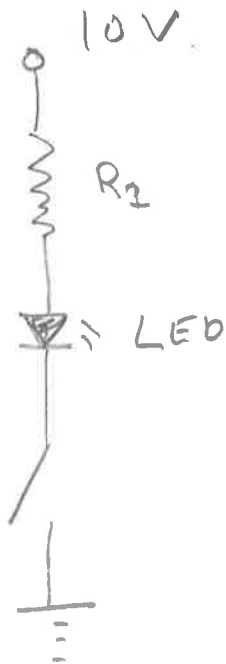
$$R_B < \frac{V_{cc} - V_d}{I_B} = \beta \frac{V_{cc} - V_d}{I_C}$$

$$= \beta \frac{V_{cc} - V_d}{V_{cc}} \cdot R_L$$

Choose lower than this, but without  
exceeding power limitations of diode.

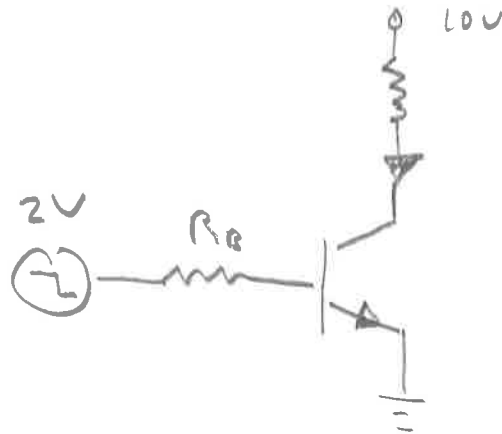
(Use  $\beta \sim 10$ )

## Transistor Switch



To burn bright, LED needs  
 $\sim 10 \text{ mA}$ .

Use  $R_1 \sim 1 \text{ k}\Omega$  (820  $\Omega$ )



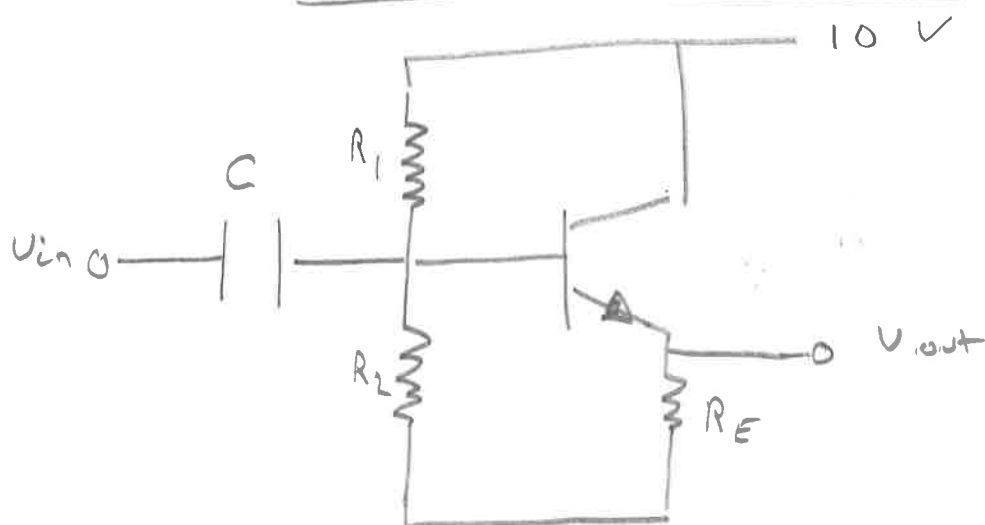
Near saturation  $\beta \sim 10$ , want  $I_B \sim 1 \text{ mA}$

$$R_B = \frac{2 \text{ V}}{1 \text{ mA}} = 1 \text{ k}\Omega \quad (820 \Omega)$$

$$P = (2 \text{ V})(1 \text{ mA}) = 2 \text{ mW}$$

(You will build in lab!)

# Emitter Follower Design

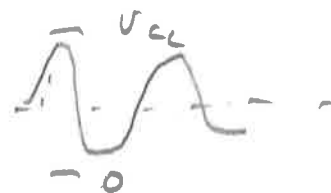


- ① Choose "quiescent bias" current ( $I_E \sim I_C$ )

$$I_Q = 1 \text{ mA}$$

- ② Choose DC point for  $V_{out}$ , usually  $V_{CE} = \frac{1}{2} V_{CC}$  for maximal swing

$$V_E = \frac{1}{2} V_{CC}$$



- ③ Calculate  $R_E = \frac{V_E}{I_Q} = \frac{\frac{1}{2} V_{CC}}{I_Q} = \frac{5 \text{ V}}{1 \text{ mA}} \sim 5 \text{ k}\Omega$  (4.7 k $\Omega$ )

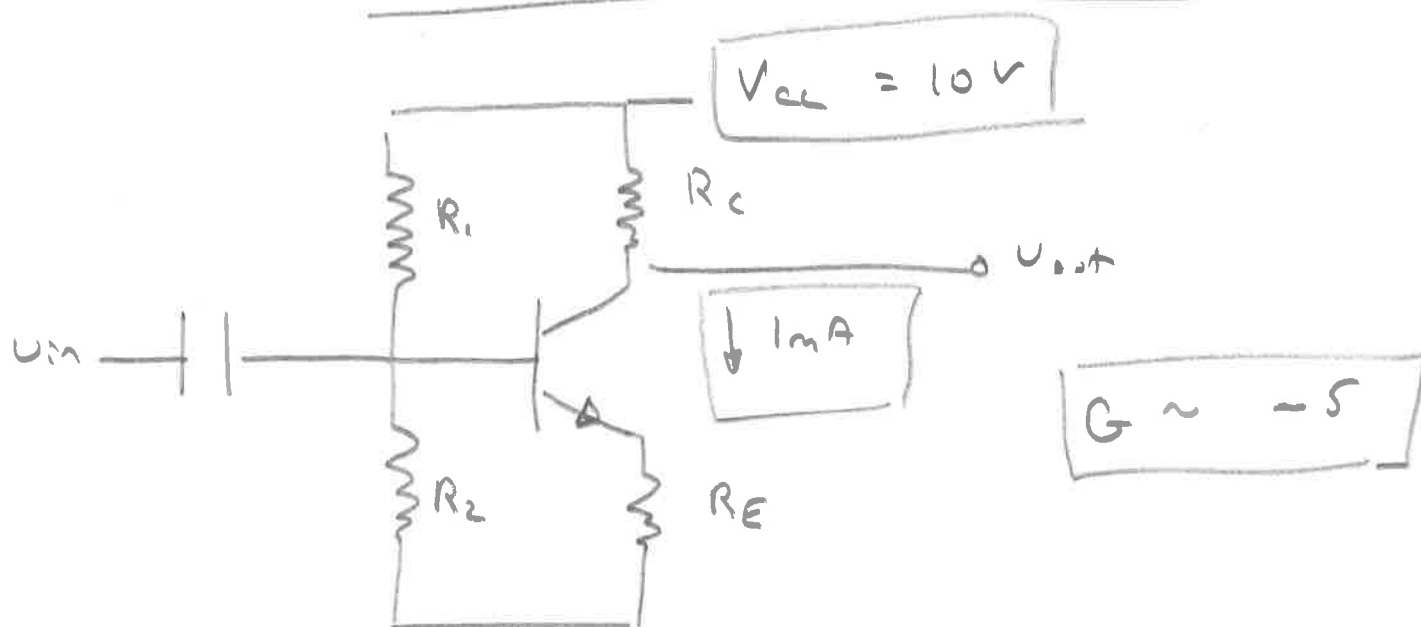
- ④ Calculate (voltage divider)  $R_1/R_2$  to set  $V_B$

$$V_B = \frac{R_2}{R_1 + R_2} V_{CC} \quad \frac{R_1}{R_2} = \frac{V_{CC}}{V_B} - 1 = \frac{10 \text{ V}}{5.6 \text{ V}} - 1 = 1.8$$

- ⑤ Choose  $R_1, R_2$  st.  $R_1 // R_2 < \beta R_E = 100 \text{ k}\Omega$

$$(R_1 = 5.6 \text{ k}\Omega \quad R_2 = 8.2 \text{ k}\Omega)$$

# Common Emitter Amplifier



- ① Choose  $I_Q = 1mA$
- ②  $V_C = \frac{1}{2} V_{CC} = 5V$
- ③  $R_C = \frac{V_C}{I_Q} = \frac{5V}{1mA} = 5k\Omega \quad (3.9k\Omega)$
- ④ Choose  $R_E$  to give correct gain:  

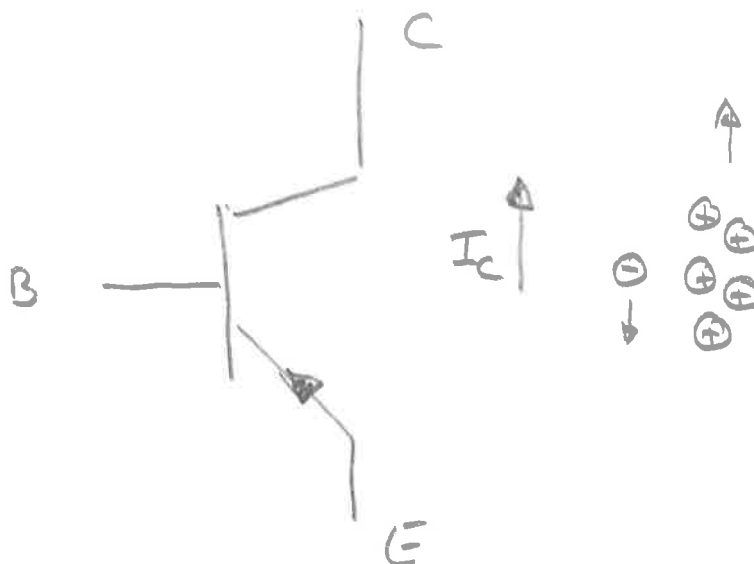
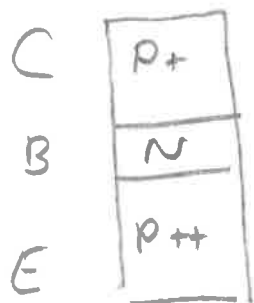
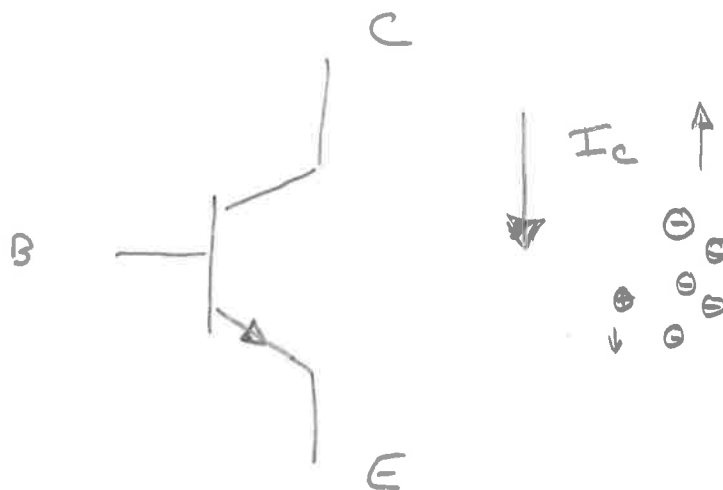
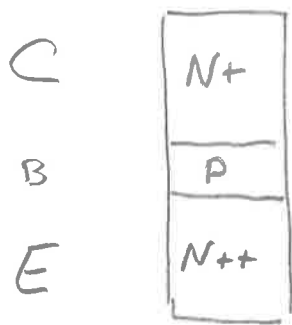
$$G = - \frac{R_C}{R_E} \quad R_E \sim R_C / 5 = 1k\Omega \quad (680\Omega)$$
- ⑤ Calculate  $V_B$ , and find  $R_1/R_2$  to provide it:  

$$V_B = R_E \cdot I_Q + V_0 = (1k\Omega)(1mA) + 0.6V$$

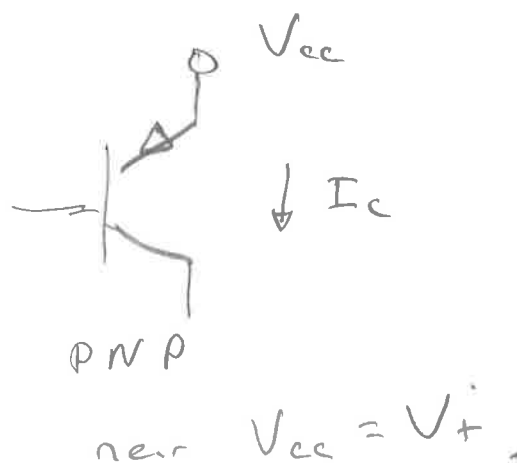
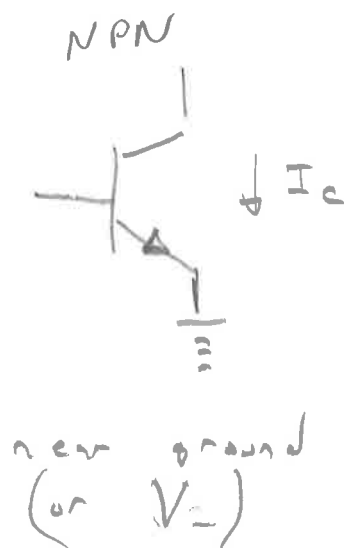
$$= 1.6V$$

$$\frac{R_1}{R_2} = \frac{V_{CC}}{V_B} - 1 = 5.25$$

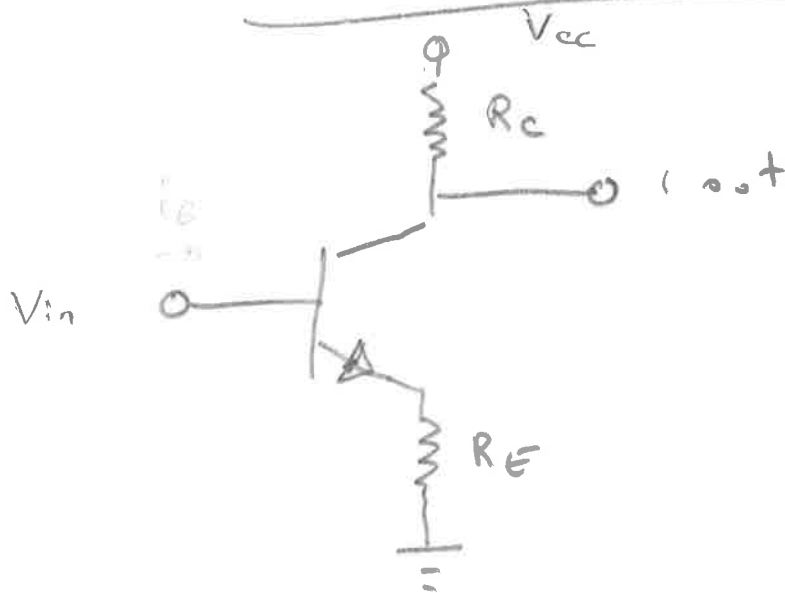
# NPN / PNP



$I_c$  circuit:



# A Problem with Voltage Gain



$$I_B \sim V_{in} / \beta R_E$$

$$I_C \sim \beta I_B = \frac{V_{in}}{R_E}$$

$$\begin{aligned} V_{out} &= V_{cc} - R_C I_C \\ &= V_{cc} - R_C \left( \frac{1}{R_E} V_{in} \right) \end{aligned}$$

$$\frac{\Delta V_{out}}{\Delta V_{in}} = - R_C \left( \frac{1}{R_E} \right)$$

$$\text{If } R_E \rightarrow 0 \quad G \rightarrow -\infty !$$