

Transistor Parameters and Curves

August 27, 2018

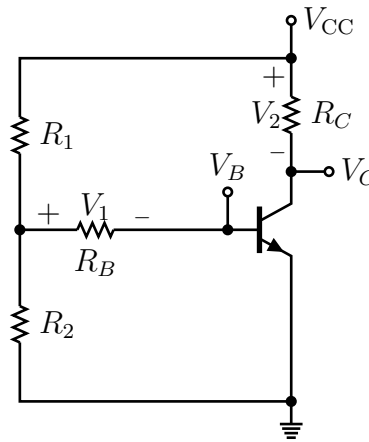


Figure 1: A transistor characterization circuit.

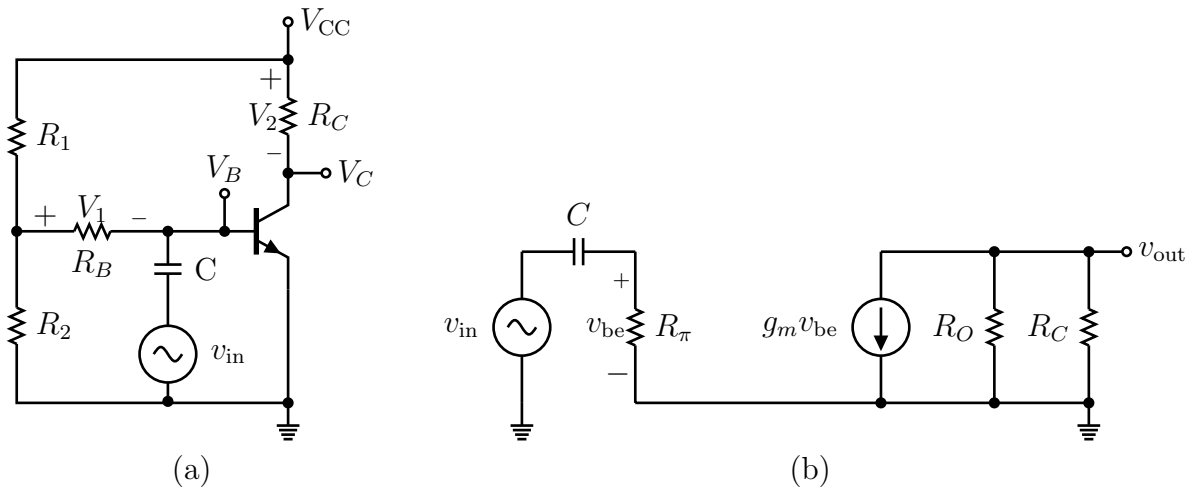


Figure 2: A transistor characterization circuit (a) as built, and (b) in the hybrid-pi small signal approximation.

1 Pre-lab Calculations

1) For the circuit in Fig. 2, show that:

$$\beta = \left(\frac{R_B}{R_C} \right) \cdot \frac{V_2^Q}{V_1^Q}$$

and derive an “engineering formula” for quickly calculating β from the measured values of V_2^Q and V_1^Q .

2) Using the hybrid-pi small signal model for the circuit in Fig. 2 show that the small signal gain in the limit that $C \rightarrow \infty$ and $R_0 \rightarrow \infty$ is given by:

$$\frac{|v_{\text{out}}|}{|v_{\text{in}}|} = g_m R_C$$

and further that:

$$g_m R_C = \frac{V_2^Q}{nV_T}$$

and so we should expect to observe:

$$\frac{|v_{\text{out}}|}{|v_{\text{in}}|} = \frac{V_2^Q}{nV_T}$$

3) Calculate the corner frequency for the voltage divider formed by C and R_π at the input of the transistor in Fig. 2b.

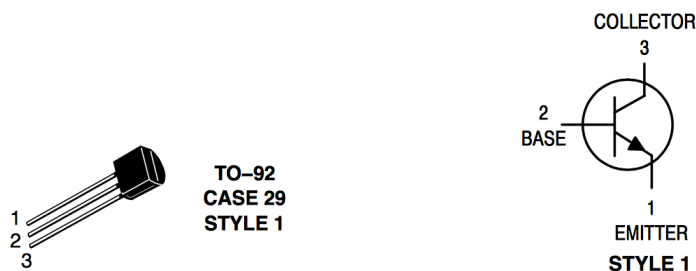


Figure 3: The TO-92 Style 1 package used for some discrete transistors, including the 2N3904 (NPN) and 2N3906 (PNP) transistors used throughout this lab. Note that not all transistors use the same pinout, even if they are in the TO-92 package.

2 Introduction

In this lab, you will quantitatively evaluate the transistor current gain (β) model and the hybrid-pi model for the transistor. You will also build a transistor current mirror, which works based on the principle of transconductance.

3 Current Gain Model

Build the circuit in Fig. 1 using a 2N3904 NPN transistor, $R_1 = 220\ \Omega$, $R_2 = R_C = 100\ \Omega$, and $R_B = 10\ \text{k}\Omega$. Set the DC voltage V_{CC} provided by your bench-top DC power supply to 5 V. Check the voltage drop across the Base-Emitter junction, and ensure that it is approximately a diode drop (0.7 V).

Measure V_1 and V_2 using your DMM. Use the engineering formula derived in pre-lab to calculate the β parameter for this transistor. Repeat this measurement for two more transistors, and record all of your answers. If case you aren't seeing variation larger than 20%, the instructor has put aside a few outliers for you to measure.

Keep your favorite transistor and return the others to the draw, but take note of the β of the transistor which you have kept for further study.

4 Transconductance Model

Now build the circuit in Fig. 2a from your existing circuit by connecting your function generator to the transistor base via a capacitor with $C = 0.1\ \mu\text{F}$. We are going to use this circuit to make a series of measurements demonstrating the linear relationship between the transconductance g_m and the quiescent collector current I_C^Q .

Using alligator clips, attach your DMM to monitor the DC voltage across the resistor R_C , from which you can determine I_C^Q . Setup your oscilloscope with both ground probe shields connected to ground, the channel one probe tip at V_B , and the channel two probe tip at V_C . Set both channels to AC coupling, so that you are monitoring the small AC signals v_B and v_C . In the transconductance model, the AC gain between these two points is given by $\frac{v_C}{v_B} = g_m R_C$ if we assume that R_0 is very large.

Setup your function generator to produce a 10 kHz sine wave with an RMS voltage of 10 mV. Now adjust the voltage of your supply (staying below 5 V) to make a series of measurements at the quiescent points $V_2^Q = 400\ \text{mV}, 300\ \text{mV}, 200\ \text{mV}, 100\ \text{mV}$. At each point, record the DC voltage V_2^Q and the RMS AC voltages (as measured on your scope) for v_C and v_B .

At each point, compute the observed gain for the transistor v_C/v_B and compare to the expected value for gain $g_m R_C = v_2^Q/(nV_T)$ where we can take $n = 1$ and $V_T = 26\ \text{mV}$.

By what factor do these estimates differ? What value of the ideality factor would account for this? The reported value for the ideality factor for this transistor is nearly one (1.01). What else could account for this discrepancy?

5 Transresistance

Leave your scope to measure the quiescent bias current, but move your scopes to monitor v_{in} (before the capacitor) and v_B (after the capacitor). Now adjust the voltage of your supply (staying below 5 V) to make two measurements at the quiescent points $V_2^Q = 400\ \text{mV}, 100\ \text{mV}$. At each quiescent point, record the DC voltage V_2^Q and adjust the frequency of the function generator until you find the corner frequency where $v_B = 0.7v_{in}$. Record this frequency.

Calculate the input impedance R_π using the formula you calculated in pre-lab and compare to the theoretical value of our model

$$R_\pi = \beta/g_m = \beta \frac{nV_T}{I_C^Q}.$$

6 Transistor Current Source

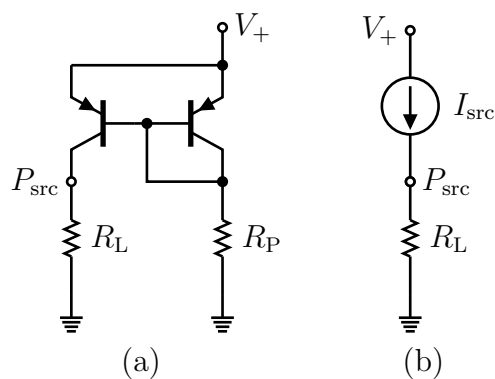


Figure 4: Current mirror circuit.

Build the circuit in Fig. 4 using two 2N3906 PNP transistors and $R_P = 220 \text{ k}\Omega$.

Test your circuit using $R_L = R_P$ and $R_L = R_P/10$. You should observe that the voltage at P_{src} changes by about an order of magnitude when you change the load by this amount. Therefore, the circuit behaves more like a current source than a voltage source.

7 Lab Report

Your report should include all of your measurements and a comparison with your calculation.